HumanActivityRecognition case-study

This project is to build a model that predicts the human activities such as Walking, Walking_Upstairs, Walking_Downstairs, Sitting, Standing or Laying.

This dataset is collected from 30 persons(referred as subjects in this dataset), performing different activities with a smartphone to their waists. The data is recorded with the help of sensors (accelerometer and Gyroscope) in that smartphone. This experiment was video recorded to label the data manually.

1.1 How data was recorded

By using the sensors(Gyroscope and accelerometer) in a smartphone, they have captured '3-axial linear acceleration'(*tAcc-XYZ*) from accelerometer and '3-axial angular velocity' (*tGyro-XYZ*) from Gyroscope with several variations.

prefix 't' in those metrics denotes time.

suffix 'XYZ' represents 3-axial signals in X, Y, and Z directions.

1.2Feature names

- 1. These sensor signals are preprocessed by applying noise filters and then sampled in fixed-width windows(sliding windows) of 2.56 seconds each with 50% overlap. ie., each window has 128 readings.
- 2. From Each window, a feature vector was obtianed by calculating variables from the time and frequency domain.

In our dataset, each datapoint represents a window with different readings

- 3. The acceleration signal was saperated into Body and Gravity acceleration signals(*tBodyAcc-XYZ* and *tGravityAcc-XYZ*) using some low pass filter with corner frequecy of 0.3Hz.
- 4. After that, the body linear acceleration and angular velocity were derived in time to obtian *jerk signals* (*tBodyAccJerk-XYZ* and *tBodyGyroJerk-XYZ*).
- 5. The magnitude of these 3-dimensional signals were calculated using the Euclidian norm. This magnitudes are represented as features with names like tBodyAccMag, tGravityAccMag, tBodyAccJerkMag, tBodyGyroMag and tBodyGyroJerkMag.
- 6. Finally, We've got frequency domain signals from some of the available signals by applying a FFT (Fast Fourier Transform). These signals obtained were labeled with *prefix 'f'* just like original signals with *prefix 't'*. These signals are labeled as *fBodyAcc-XYZ*, *fBodyGyroMag* etc.,.
- 7. These are the signals that we got so far.
 - tBodyAcc-XYZ
 - tGravityAcc-XYZ
 - tBodyAccJerk-XYZ
 - tBodyGyro-XYZ
 - tBodyGyroJerk-XYZ
 - tBodyAccMag
 - tGravityAccMag
 - tBodyAccJerkMag
 - tBodyGyroMag
 - tBodyGyroJerkMag
 - fBodyAcc-XYZ
 - fBodyAccJerk-XYZ
 - fBodyGyro-XYZ
 - fBodyAccMag
 - fBodyAccJerkMag
 - fBodyGyroMag
 - fBodyGyroJerkMag
- 8. We can esitmate some set of variables from the above signals. ie., We will estimate the following properties on each and every signal that we recoreded so far.
 - mean(): Mean value
 - std(): Standard deviation
 - mad(): Median absolute deviation
 - max(): Largest value in array
 - min(): Smallest value in array
 - sma(): Signal magnitude area
 - energy(): Energy measure. Sum of the squares divided by the number of values.
 - iqr(): Interquartile range
 - entropy(): Signal entropy

- arCoeff(): Autorregresion coefficients with Burg order equal to 4
- correlation(): correlation coefficient between two signals
- maxinds(): index of the frequency component with largest magnitude
- meanFreq(): Weighted average of the frequency components to obtain a mean frequency
- **skewness()**: skewness of the frequency domain signal
- kurtosis(): kurtosis of the frequency domain signal
- bandsEnergy(): Energy of a frequency interval within the 64 bins of the FFT of each window.
- angle(): Angle between to vectors.
- 9. We can obtain some other vectors by taking the average of signals in a single window sample. These are used on the angle() variable' `
 - gravityMean
 - tBodyAccMean
 - tBodyAccJerkMean
 - tBodyGyroMean
 - tBodyGyroJerkMean

1.3 Y_Labels(Encoded)

- In the dataset, Y_labels are represented as numbers from 1 to 6 as their identifiers.
 - WALKING as 1
 - WALKING UPSTAIRS as 2
 - WALKING DOWNSTAIRS as 3
 - SITTING as 4
 - STANDING as 5
 - LAYING as 6

1.4 Train and test data were saperated

The readings from 70% of the volunteers were taken as trianing data and remaining 30% subjects recordings were taken for test data

1.5 Data

- All the data is present in 'UCI_HAR_dataset/' folder in present working directory.
 - Feature names are present in 'UCI HAR dataset/features.txt'
 - Train Data
 - 'UCI_HAR_dataset/train/X_train.txt'
 - 'UCI_HAR_dataset/train/subject_train.txt'
 - 'UCI_HAR_dataset/train/y_train.txt'
 - Test Data
 - 'UCI_HAR_dataset/test/X_test.txt'
 - 'UCI_HAR_dataset/test/subject_test.txt'
 - 'UCI_HAR_dataset/test/y_test.txt'

1.6 Data Size:

The size of the data is only 27 MB which is very small as I am doing this case-study in a No-GPU enviorment and I am also going to apply the deep-learning model over the data

1.7 Quick overview of the dataset:

- Accelerometer and Gyroscope readings are taken from 30 volunteers(referred as subjects) while performing the following 6
 Activities.
 - 1. Walking
 - 2. WalkingUpstairs
 - 3. WalkingDownstairs
 - 4. Standing
 - 5. Sitting
 - 6. Lying.
- Readings are divided into a window of 2.56 seconds with 50% overlapping.
- Accelerometer readings are divided into gravity acceleration and body acceleration readings, which has x,y and z components each.
- Gyroscope readings are the measure of angular velocities which has x,y and z components.
- Jerk signals are calculated for BodyAcceleration readings.
- Fourier Transforms are made on the above time readings to obtain frequency readings.
- Now, on all the base signal readings., mean, max, mad, sma, arcoefficient, engerybands, entropy etc., are calculated for each window.
- We get a feature vector of 561 features and these features are given in the dataset.

• Each window of readings is a datapoint of 561 features.

1.8 Problem Framework

- 30 subjects(volunteers) data is randomly split to 70%(21) test and 30%(7) train data.
- Each datapoint corresponds one of the 6 Activities.

1.9 Problem Statement

• Given a new datapoint we have to predict the Activity out of the six given human activites

2 Performing Exploratory-data analysis over the HAR dataset

```
In [4]: import numpy as np
   import pandas as pd
   import warnings
   warnings.filterwarnings(action='ignore')
   from prettytable import PrettyTable

# get the features from the file features.txt
   features = list()
   with open('UCI_HAR_Dataset/features.txt') as f:
        features = [line.split()[1] for line in f.readlines()]
   print('No of Features: {}'.format(len(features)))
```

No of Features: 561

2.1 Obtain the train data

```
In [2]: # get the data from txt files to pandas dataffame
                          X_train = pd.read_csv('UCI_HAR_dataset/train/X_train.txt', delim_whitespace=True, header=None, names=f
                          eatures)
                          # add subject column to the dataframe
                          X_train['subject'] = pd.read_csv('UCI_HAR_dataset/train/subject_train.txt', header=None, squeeze=True)
                          y_train = pd.read_csv('UCI_HAR_dataset/train/y_train.txt', names=['Activity'], squeeze=True)
                          y_train_labels = y_train.map({1: 'WALKING', 2: 'WALKING_UPSTAIRS', 3: 'WALKING_DOWNSTAIRS', \
                                                                                               4: 'SITTING', 5: 'STANDING', 6: 'LAYING'})
                          # put all columns in a single dataframe
                          train = X_train
                          train['Activity'] = y_train
                          train['ActivityName'] = y_train_labels
                          train.sample()
Out[2]:
                                            tBodyAcc- tBodyA
                                               mean()-X
                                                                          mean()-Y
                                                                                                       mean()-Z
                                                                                                                                          std()-X
                                                                                                                                                                       std()-Y
                                                                                                                                                                                                   std()-Z
                                                                                                                                                                                                                             mad()-X
                                                                                                                                                                                                                                                          mad()-Y
                                                                                                                                                                                                                                                                                       mad()-Z
                                                                                                                                                                                                                                                                                                                    max()-X
                                              0.267297
                                                                          -0.010238
                                                                                                       -0.097483
                                                                                                                               -0.940007
                                                                                                                                                               -0.918087
                                                                                                                                                                                             -0.948077
                                                                                                                                                                                                                         -0.950673
                                                                                                                                                                                                                                                      -0.921217 -0.948432
                            6303
                                                                                                                                                                                                                                                                                                                -0.860039
                          1 rows × 564 columns
In [3]: train.shape
Out[3]: (7352, 564)
```

2.2 Obtain the test data

```
In [4]: # get the data from txt files to pandas dataffame
                          X_test = pd.read_csv('UCI_HAR_dataset/test/X_test.txt', delim_whitespace=True, header=None, names=feat
                          ures)
                          # add subject column to the dataframe
                          X_test['subject'] = pd.read_csv('UCI_HAR_dataset/test/subject_test.txt', header=None, squeeze=True)
                          # get y labels from the txt file
                          y_test = pd.read_csv('UCI_HAR_dataset/test/y_test.txt', names=['Activity'], squeeze=True)
                          y_test_labels = y_test.map({1: 'WALKING', 2: 'WALKING_UPSTAIRS', 3: 'WALKING_DOWNSTAIRS', \
                                                                                                 4: 'SITTING', 5: 'STANDING', 6: 'LAYING'})
                          # put all columns in a single dataframe
                          test = X_test
                          test['Activity'] = y_test
                          test['ActivityName'] = y_test_labels
                          test.sample()
Out[4]:
                                             tBodyAcc- tBodyA
                                                                                                                                                                                                        std()-Z
                                               mean()-X
                                                                            mean()-Y
                                                                                                         mean()-Z
                                                                                                                                             std()-X
                                                                                                                                                                          std()-Y
                                                                                                                                                                                                                                   mad()-X
                                                                                                                                                                                                                                                                mad()-Y
                                                                                                                                                                                                                                                                                              mad()-Z
                                                                                                                                                                                                                                                                                                                           max()-X
                             1195
                                               0.280002
                                                                            -0.021817
                                                                                                        -0.105898
                                                                                                                                      -0.268965
                                                                                                                                                                 -0.130949
                                                                                                                                                                                                 -0.015931
                                                                                                                                                                                                                                  -0.30796
                                                                                                                                                                                                                                                            -0.134914
                                                                                                                                                                                                                                                                                          -0.047938
                                                                                                                                                                                                                                                                                                                       -0.044352
                          1 rows × 564 columns
```

2.3 Data Cleaning

2.3.1. Check for Duplicates

```
In [5]: print('No of duplicates in train: {}'.format(sum(train.duplicated())))
    print('No of duplicates in test : {}'.format(sum(test.duplicated())))

    No of duplicates in train: 0
    No of duplicates in test : 0
```

2.3.2 Checking for NaN/null values

```
In [6]: print('We have {} NaN/Null values in train'.format(train.isnull().values.sum()))
    print('We have {} NaN/Null values in test'.format(test.isnull().values.sum()))

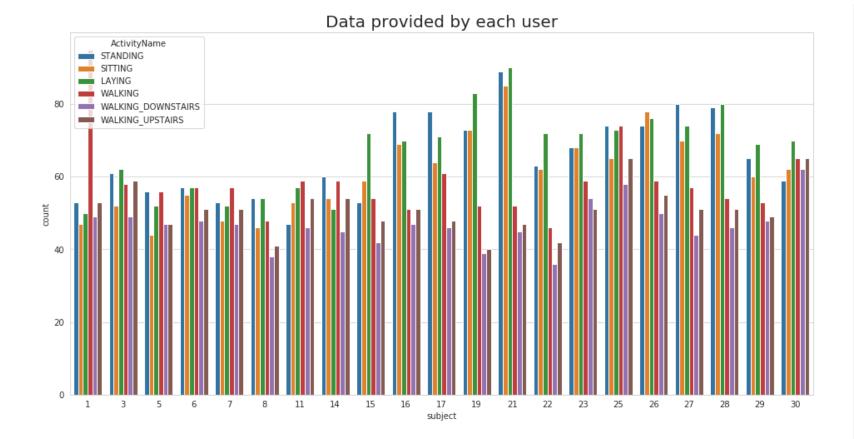
We have 0 NaN/Null values in train
    We have 0 NaN/Null values in test
```

2.3.3. Check for data imbalance

```
In [7]: import matplotlib.pyplot as plt
import seaborn as sns

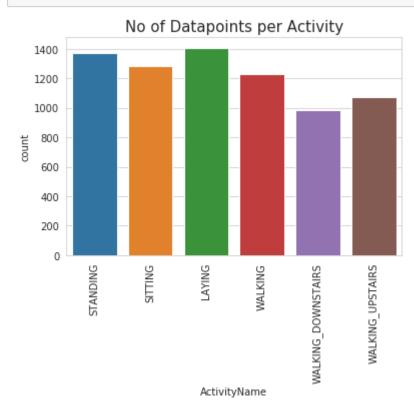
sns.set_style('whitegrid')
plt.rcParams['font.family'] = 'Dejavu Sans'

In [8]: plt.figure(figsize=(16,8))
plt.title('Data provided by each user', fontsize=20)
sns.countplot(x='subject',hue='ActivityName', data = train)
plt.show()
```



We have got almost same number of reading from all the subjects

```
In [9]: plt.title('No of Datapoints per Activity', fontsize=15)
    sns.countplot(train.ActivityName)
    plt.xticks(rotation=90)
    plt.show()
```



Observation

Our data is well balanced (almost) among all the class labels.

2.4. Changing feature names

```
In [10]: columns = train.columns

# Removing '()' from column names
columns = columns.str.replace('[()]','')
columns = columns.str.replace('[-]', '')
columns = columns.str.replace('[,]','')

train.columns = columns
test.columns
```

2.5. Save this dataframe in a csv files

```
In [11]: train.to_csv('UCI_HAR_Dataset/csv_files/train.csv', index=False)
    test.to_csv('UCI_HAR_Dataset/csv_files/test.csv', index=False)
```

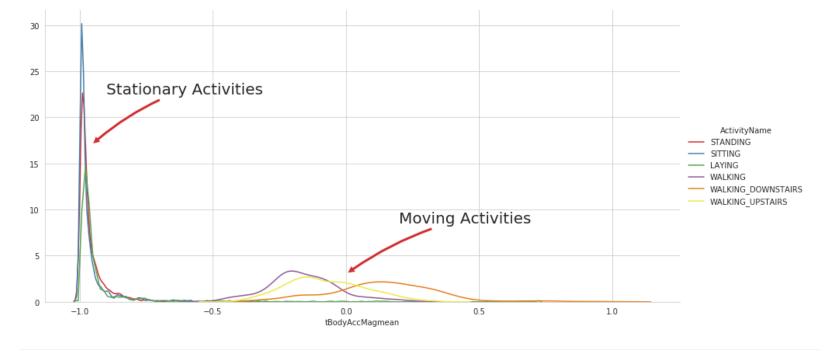
3. Performing Univariate Exploratory Data Analysis

"Without domain knowledge EDA has no meaning, without EDA a problem has no soul."

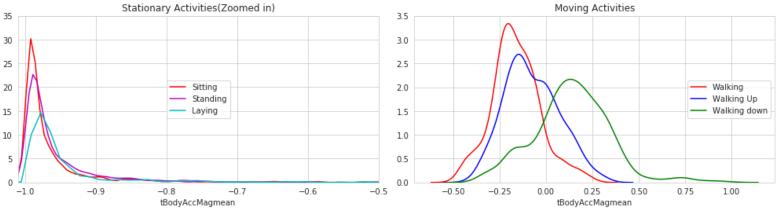
3.1. Featuring Engineering from Domain Knowledge

- Static and Dynamic Activities
 - In static activities (sit, stand, lie down) motion information will not be very useful.
 - In the dynamic activities (Walking, WalkingUpstairs, WalkingDownstairs) motion info will be significant.

3.1.1. Stationary and Moving activities are completely different

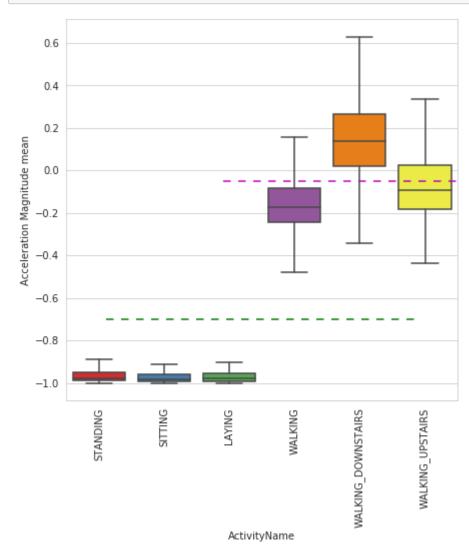


```
In [18]: # for plotting purposes taking datapoints of each activity to a different dataframe
         df1 = train[train['Activity']==1]
         df2 = train[train['Activity']==2]
         df3 = train[train['Activity']==3]
         df4 = train[train['Activity']==4]
         df5 = train[train['Activity']==5]
         df6 = train[train['Activity']==6]
         plt.figure(figsize=(14,7))
         plt.subplot(2,2,1)
         plt.title('Stationary Activities(Zoomed in)')
         sns.distplot(df4['tBodyAccMagmean'],color = 'r',hist = False, label = 'Sitting')
         sns.distplot(df5['tBodyAccMagmean'],color = 'm',hist = False,label = 'Standing')
         sns.distplot(df6['tBodyAccMagmean'],color = 'c',hist = False, label = 'Laying')
         plt.axis([-1.01, -0.5, 0, 35])
         plt.legend(loc='center')
         plt.subplot(2,2,2)
         plt.title('Moving Activities')
         sns.distplot(df1['tBodyAccMagmean'],color = 'red',hist = False, label = 'Walking')
         sns.distplot(df2['tBodyAccMagmean'],color = 'blue',hist = False,label = 'Walking Up')
         sns.distplot(df3['tBodyAccMagmean'],color = 'green',hist = False, label = 'Walking down')
         plt.legend(loc='center right')
         plt.tight_layout()
         plt.show()
```



3.1.2. Magnitude of an acceleration can saperate it well

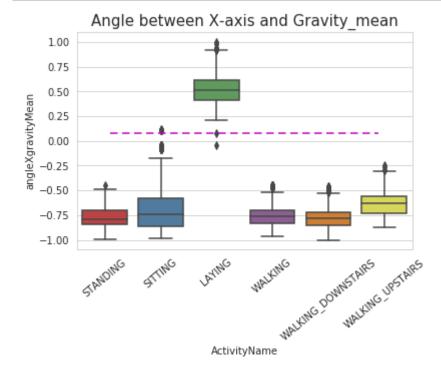
```
In [19]: plt.figure(figsize=(7,7))
    sns.boxplot(x='ActivityName', y='tBodyAccMagmean',data=train, showfliers=False, saturation=1)
    plt.ylabel('Acceleration Magnitude mean')
    plt.axhline(y=-0.7, xmin=0.1, xmax=0.9,dashes=(5,5), c='g')
    plt.axhline(y=-0.05, xmin=0.4, dashes=(5,5), c='m')
    plt.xticks(rotation=90)
    plt.show()
```



- If tAccMean is < -0.8 then the Activities are either Standing or Sitting or Laying.
- If tAccMean is > -0.6 then the Activities are either Walking or WalkingDownstairs or WalkingUpstairs.
- If tAccMean > 0.0 then the Activity is WalkingDownstairs.
- We can classify 75% the Acitivity labels with some errors.

3.1.3. Position of GravityAccelerationComponants also matters

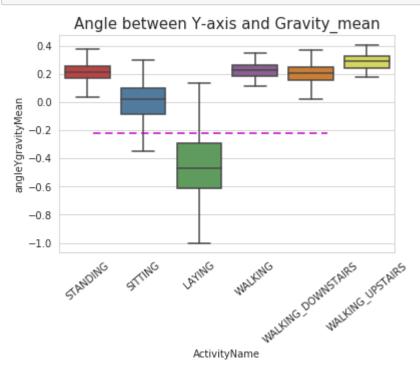
```
In [20]: sns.boxplot(x='ActivityName', y='angleXgravityMean', data=train)
plt.axhline(y=0.08, xmin=0.1, xmax=0.9,c='m',dashes=(5,3))
plt.title('Angle between X-axis and Gravity_mean', fontsize=15)
plt.xticks(rotation = 40)
plt.show()
```



Observations:

- If angleX,gravityMean > 0 then Activity is Laying.
- We can classify all datapoints belonging to Laying activity with just a single if else statement.

```
In [21]: sns.boxplot(x='ActivityName', y='angleYgravityMean', data = train, showfliers=False)
    plt.title('Angle between Y-axis and Gravity_mean', fontsize=15)
    plt.xticks(rotation = 40)
    plt.axhline(y=-0.22, xmin=0.1, xmax=0.8, dashes=(5,3), c='m')
    plt.show()
```

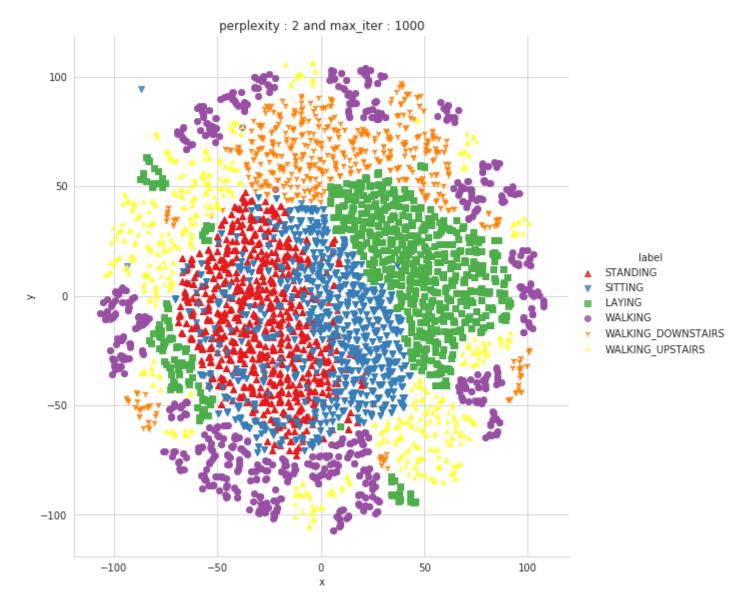


Obsevations

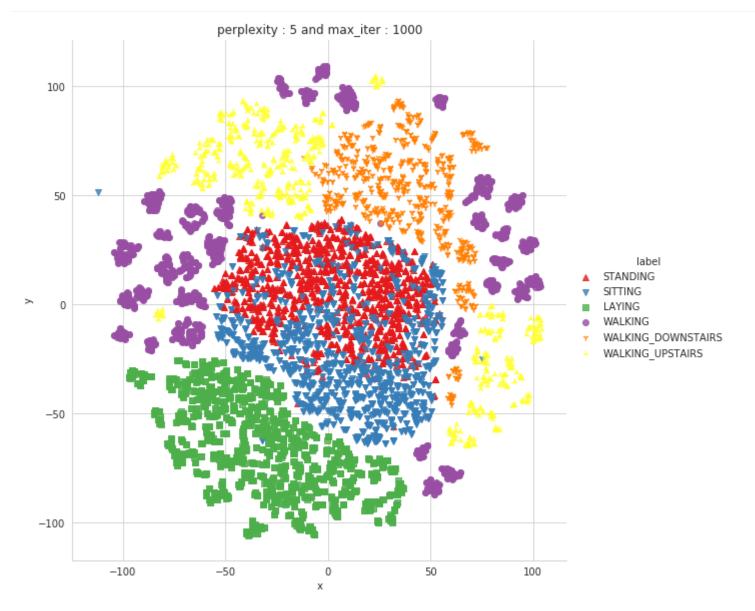
- Using the simple engineered features and doing simple univariate analysis we got very good results.
- All the classes are well separated even by doing a simple univariate analysis except sitting and standing classes.
- so the human engineered features are very usefull in classiffying the model properly and good machine-learning models can be made if all the features are used properly.

4. Apply t-sne on the data

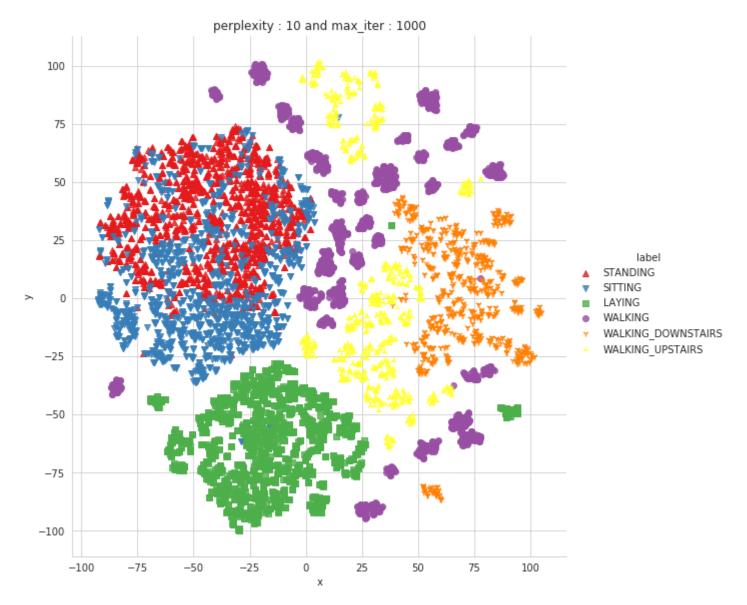
```
In [22]: import numpy as np
         from sklearn.manifold import TSNE
         import matplotlib.pyplot as plt
         import seaborn as sns
In [23]: # performs t-sne with different perplexity values and their repective plots..
         def perform_tsne(X_data, y_data, perplexities, n_iter=1000, img_name_prefix='t-sne'):
             for index,perplexity in enumerate(perplexities):
                 # perform t-sne
                  print('\nperforming tsne with perplexity {} and with {} iterations at max'.format(perplexity,
         n_iter))
                 X_reduced = TSNE(verbose=2, perplexity=perplexity).fit_transform(X_data)
                 print('Done..')
                 # prepare the data for seaborn
                  print('Creating plot for this t-sne visualization..')
                 df = pd.DataFrame({'x':X_reduced[:,0], 'y':X_reduced[:,1], 'label':y_data})
                 # draw the plot in appropriate place in the grid
                 sns.lmplot(data=df, x='x', y='y', hue='label', fit_reg=False, size=8,\
                             palette="Set1",markers=['^','v','s','o', '1','2'])
                  plt.title("perplexity : {} and max_iter : {}".format(perplexity, n_iter))
                  img_name = img_name_prefix + '_perp_{}_iter_{}.png'.format(perplexity, n_iter)
                  print('saving this plot as image in present working directory...')
                  plt.savefig(img_name)
                 plt.show()
                 print('Done')
In [23]: X_pre_tsne = train.drop(['subject', 'Activity', 'ActivityName'], axis=1)
         y_pre_tsne = train['ActivityName']
         perform_tsne(X_data = X_pre_tsne,y_data=y_pre_tsne, perplexities =[2,5,10,20,50])
         performing tsne with perplexity 2 and with 1000 iterations at max
         [t-SNE] Computing 7 nearest neighbors...
         [t-SNE] Indexed 7352 samples in 0.184s...
         [t-SNE] Computed neighbors for 7352 samples in 30.912s...
         [t-SNE] Computed conditional probabilities for sample 1000 / 7352
         [t-SNE] Computed conditional probabilities for sample 2000 / 7352
         [t-SNE] Computed conditional probabilities for sample 3000 / 7352
         [t-SNE] Computed conditional probabilities for sample 4000 / 7352
         [t-SNE] Computed conditional probabilities for sample 5000 / 7352
         [t-SNE] Computed conditional probabilities for sample 6000 / 7352
         [t-SNE] Computed conditional probabilities for sample 7000 / 7352
         [t-SNE] Computed conditional probabilities for sample 7352 / 7352
         [t-SNE] Mean sigma: 0.635855
         [t-SNE] Computed conditional probabilities in 0.024s
         [t-SNE] Iteration 50: error = 124.6122284, gradient norm = 0.0269497 (50 iterations in 6.319s)
         [t-SNE] Iteration 100: error = 106.9878693, gradient norm = 0.0296072 (50 iterations in 4.518s)
         [t-SNE] Iteration 150: error = 100.7272568, gradient norm = 0.0178829 (50 iterations in 3.627s)
         [t-SNE] Iteration 200: error = 97.3601303, gradient norm = 0.0203624 (50 iterations in 3.509s)
         [t-SNE] Iteration 250: error = 95.0759125, gradient norm = 0.0154472 (50 iterations in 3.528s)
         [t-SNE] KL divergence after 250 iterations with early exaggeration: 95.075912
         [t-SNE] Iteration 300: error = 4.1169338, gradient norm = 0.0015607 (50 iterations in 3.463s)
         [t-SNE] Iteration 350: error = 3.2088828, gradient norm = 0.0009879 (50 iterations in 3.603s)
         [t-SNE] Iteration 400: error = 2.7790430, gradient norm = 0.0007265 (50 iterations in 3.701s)
         [t-SNE] Iteration 450: error = 2.5150440, gradient norm = 0.0005654 (50 iterations in 3.797s)
         [t-SNE] Iteration 500: error = 2.3317556, gradient norm = 0.0004760 (50 iterations in 3.762s)
         [t-SNE] Iteration 550: error = 2.1935050, gradient norm = 0.0004162 (50 iterations in 3.783s)
         [t-SNE] Iteration 600: error = 2.0841215, gradient norm = 0.0003710 (50 iterations in 3.937s)
         [t-SNE] Iteration 650: error = 1.9943038, gradient norm = 0.0003338 (50 iterations in 3.938s)
         [t-SNE] Iteration 700: error = 1.9188459, gradient norm = 0.0003047 (50 iterations in 3.783s)
         [t-SNE] Iteration 750: error = 1.8538190, gradient norm = 0.0002738 (50 iterations in 3.753s)
         [t-SNE] Iteration 800: error = 1.7973059, gradient norm = 0.0002579 (50 iterations in 3.748s)
         [t-SNE] Iteration 850: error = 1.7473668, gradient norm = 0.0002378 (50 iterations in 3.798s)
         [t-SNE] Iteration 900: error = 1.7029767, gradient norm = 0.0002243 (50 iterations in 3.802s)
         [t-SNE] Iteration 950: error = 1.6628928, gradient norm = 0.0002128 (50 iterations in 3.740s)
         [t-SNE] Iteration 1000: error = 1.6266612, gradient norm = 0.0002001 (50 iterations in 3.821s)
         [t-SNE] Error after 1000 iterations: 1.626661
         Done..
         Creating plot for this t-sne visualization..
         saving this plot as image in present working directory...
         c:\users\admin\appdata\local\programs\python\python36\lib\site-packages\seaborn\regression.py:546: Use
         rWarning: The `size` paramter has been renamed to `height`; please update your code.
           warnings.warn(msg, UserWarning)
```



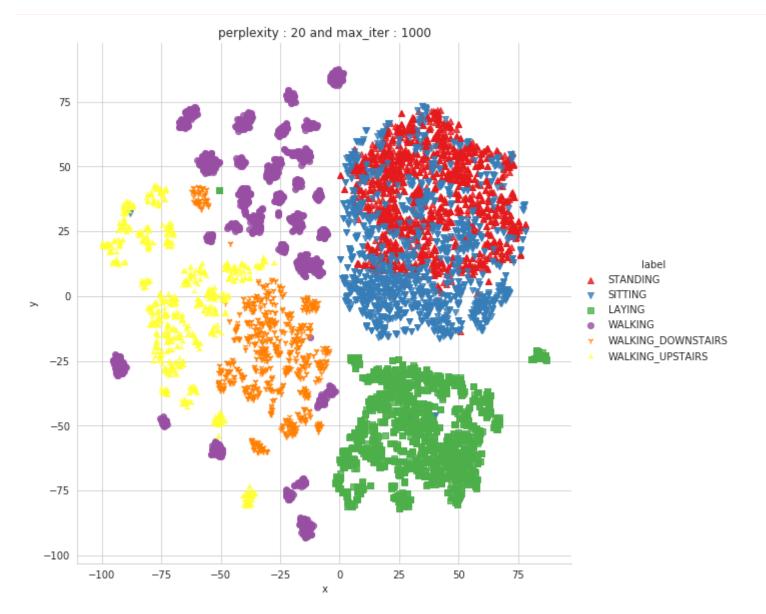
```
performing tsne with perplexity 5 and with 1000 iterations at max
[t-SNE] Computing 16 nearest neighbors...
[t-SNE] Indexed 7352 samples in 0.187s...
[t-SNE] Computed neighbors for 7352 samples in 31.523s...
[t-SNE] Computed conditional probabilities for sample 1000 / 7352
[t-SNE] Computed conditional probabilities for sample 2000 / 7352
[t-SNE] Computed conditional probabilities for sample 3000 / 7352
[t-SNE] Computed conditional probabilities for sample 4000 / 7352
[t-SNE] Computed conditional probabilities for sample 5000 / 7352
[t-SNE] Computed conditional probabilities for sample 6000 / 7352
[t-SNE] Computed conditional probabilities for sample 7000 / 7352
[t-SNE] Computed conditional probabilities for sample 7352 / 7352
[t-SNE] Mean sigma: 0.961265
[t-SNE] Computed conditional probabilities in 0.039s
[t-SNE] Iteration 50: error = 114.0459518, gradient norm = 0.0192646 (50 iterations in 24.402s)
[t-SNE] Iteration 100: error = 98.0626297, gradient norm = 0.0180720 (50 iterations in 4.764s)
[t-SNE] Iteration 150: error = 93.2986221, gradient norm = 0.0083993 (50 iterations in 4.179s)
[t-SNE] Iteration 200: error = 91.2765656, gradient norm = 0.0070595 (50 iterations in 4.166s)
[t-SNE] Iteration 250: error = 90.0960846, gradient norm = 0.0049592 (50 iterations in 4.121s)
[t-SNE] KL divergence after 250 iterations with early exaggeration: 90.096085
[t-SNE] Iteration 300: error = 3.5756156, gradient norm = 0.0014665 (50 iterations in 4.159s)
[t-SNE] Iteration 350: error = 2.8165112, gradient norm = 0.0007453 (50 iterations in 4.111s)
[t-SNE] Iteration 400: error = 2.4358370, gradient norm = 0.0005287 (50 iterations in 4.186s)
[t-SNE] Iteration 450: error = 2.2188416, gradient norm = 0.0004047 (50 iterations in 4.206s)
[t-SNE] Iteration 500: error = 2.0746720, gradient norm = 0.0003342 (50 iterations in 4.148s)
[t-SNE] Iteration 550: error = 1.9696110, gradient norm = 0.0002836 (50 iterations in 4.113s)
[t-SNE] Iteration 600: error = 1.8888149, gradient norm = 0.0002481 (50 iterations in 4.174s)
[t-SNE] Iteration 650: error = 1.8240607, gradient norm = 0.0002170 (50 iterations in 4.129s)
[t-SNE] Iteration 700: error = 1.7704110, gradient norm = 0.0001996 (50 iterations in 4.130s)
[t-SNE] Iteration 750: error = 1.7253617, gradient norm = 0.0001803 (50 iterations in 4.167s)
[t-SNE] Iteration 800: error = 1.6865208, gradient norm = 0.0001677 (50 iterations in 4.190s)
[t-SNE] Iteration 850: error = 1.6533352, gradient norm = 0.0001516 (50 iterations in 4.178s)
[t-SNE] Iteration 900: error = 1.6237185, gradient norm = 0.0001432 (50 iterations in 4.214s)
[t-SNE] Iteration 950: error = 1.5972966, gradient norm = 0.0001336 (50 iterations in 4.211s)
[t-SNE] Iteration 1000: error = 1.5739222, gradient norm = 0.0001264 (50 iterations in 4.178s)
[t-SNE] Error after 1000 iterations: 1.573922
Done..
Creating plot for this t-sne visualization..
saving this plot as image in present working directory...
```



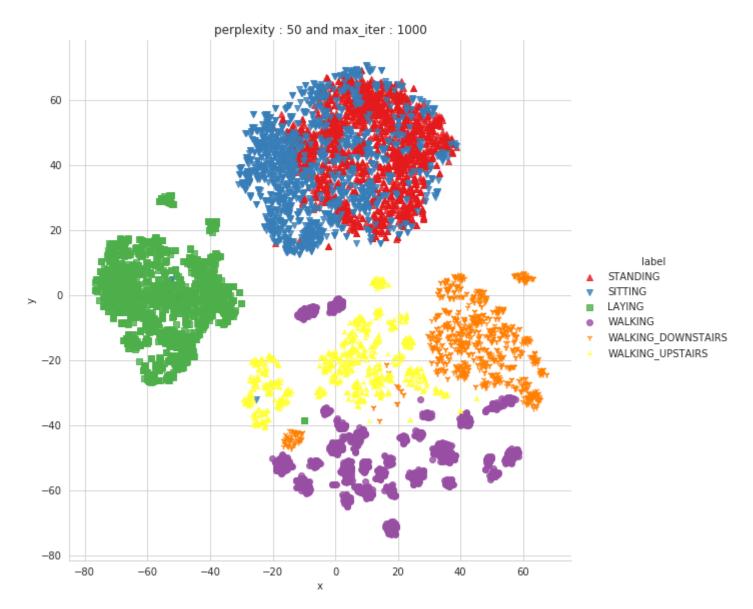
```
performing tsne with perplexity 10 and with 1000 iterations at max
[t-SNE] Computing 31 nearest neighbors...
[t-SNE] Indexed 7352 samples in 0.185s...
[t-SNE] Computed neighbors for 7352 samples in 32.420s...
[t-SNE] Computed conditional probabilities for sample 1000 / 7352
[t-SNE] Computed conditional probabilities for sample 2000 / 7352
[t-SNE] Computed conditional probabilities for sample 3000 / 7352
[t-SNE] Computed conditional probabilities for sample 4000 / 7352
[t-SNE] Computed conditional probabilities for sample 5000 / 7352
[t-SNE] Computed conditional probabilities for sample 6000 / 7352
[t-SNE] Computed conditional probabilities for sample 7000 / 7352
[t-SNE] Computed conditional probabilities for sample 7352 / 7352
[t-SNE] Mean sigma: 1.133828
[t-SNE] Computed conditional probabilities in 0.074s
[t-SNE] Iteration 50: error = 105.8530350, gradient norm = 0.0182692 (50 iterations in 7.259s)
[t-SNE] Iteration 100: error = 90.4470215, gradient norm = 0.0119179 (50 iterations in 5.421s)
[t-SNE] Iteration 150: error = 87.2844620, gradient norm = 0.0048722 (50 iterations in 4.867s)
[t-SNE] Iteration 200: error = 86.0391769, gradient norm = 0.0036453 (50 iterations in 4.769s)
[t-SNE] Iteration 250: error = 85.3395996, gradient norm = 0.0037806 (50 iterations in 4.717s)
[t-SNE] KL divergence after 250 iterations with early exaggeration: 85.339600
[t-SNE] Iteration 300: error = 3.1361799, gradient norm = 0.0013883 (50 iterations in 4.598s)
[t-SNE] Iteration 350: error = 2.4927766, gradient norm = 0.0006485 (50 iterations in 4.575s)
[t-SNE] Iteration 400: error = 2.1728568, gradient norm = 0.0004229 (50 iterations in 4.616s)
[t-SNE] Iteration 450: error = 1.9880606, gradient norm = 0.0003154 (50 iterations in 4.692s)
[t-SNE] Iteration 500: error = 1.8694317, gradient norm = 0.0002569 (50 iterations in 4.778s)
[t-SNE] Iteration 550: error = 1.7861626, gradient norm = 0.0002095 (50 iterations in 4.762s)
[t-SNE] Iteration 600: error = 1.7234719, gradient norm = 0.0001812 (50 iterations in 4.803s)
[t-SNE] Iteration 650: error = 1.6743854, gradient norm = 0.0001589 (50 iterations in 4.675s)
[t-SNE] Iteration 700: error = 1.6346445, gradient norm = 0.0001432 (50 iterations in 4.695s)
[t-SNE] Iteration 750: error = 1.6019816, gradient norm = 0.0001288 (50 iterations in 4.773s)
[t-SNE] Iteration 800: error = 1.5744828, gradient norm = 0.0001181 (50 iterations in 4.764s)
[t-SNE] Iteration 850: error = 1.5510921, gradient norm = 0.0001091 (50 iterations in 4.785s)
[t-SNE] Iteration 900: error = 1.5308635, gradient norm = 0.0001028 (50 iterations in 4.799s)
[t-SNE] Iteration 950: error = 1.5134670, gradient norm = 0.0000970 (50 iterations in 4.816s)
[t-SNE] Iteration 1000: error = 1.4981405, gradient norm = 0.0000913 (50 iterations in 4.795s)
[t-SNE] Error after 1000 iterations: 1.498140
Done..
Creating plot for this t-sne visualization..
saving this plot as image in present working directory...
```



```
performing tsne with perplexity 20 and with 1000 iterations at max
[t-SNE] Computing 61 nearest neighbors...
[t-SNE] Indexed 7352 samples in 0.184s...
[t-SNE] Computed neighbors for 7352 samples in 33.179s...
[t-SNE] Computed conditional probabilities for sample 1000 / 7352
[t-SNE] Computed conditional probabilities for sample 2000 / 7352
[t-SNE] Computed conditional probabilities for sample 3000 / 7352
[t-SNE] Computed conditional probabilities for sample 4000 / 7352
[t-SNE] Computed conditional probabilities for sample 5000 / 7352
[t-SNE] Computed conditional probabilities for sample 6000 / 7352
[t-SNE] Computed conditional probabilities for sample 7000 / 7352
[t-SNE] Computed conditional probabilities for sample 7352 / 7352
[t-SNE] Mean sigma: 1.274335
[t-SNE] Computed conditional probabilities in 0.142s
[t-SNE] Iteration 50: error = 97.5793228, gradient norm = 0.0195494 (50 iterations in 8.334s)
[t-SNE] Iteration 100: error = 84.0292892, gradient norm = 0.0071256 (50 iterations in 7.075s)
[t-SNE] Iteration 150: error = 81.9819260, gradient norm = 0.0039321 (50 iterations in 6.712s)
[t-SNE] Iteration 200: error = 81.2209778, gradient norm = 0.0026231 (50 iterations in 6.699s)
[t-SNE] Iteration 250: error = 80.8158112, gradient norm = 0.0018528 (50 iterations in 6.762s)
[t-SNE] KL divergence after 250 iterations with early exaggeration: 80.815811
[t-SNE] Iteration 300: error = 2.6962111, gradient norm = 0.0012949 (50 iterations in 6.471s)
[t-SNE] Iteration 350: error = 2.1630335, gradient norm = 0.0005830 (50 iterations in 5.987s)
[t-SNE] Iteration 400: error = 1.9142398, gradient norm = 0.0003478 (50 iterations in 5.947s)
[t-SNE] Iteration 450: error = 1.7682433, gradient norm = 0.0002490 (50 iterations in 5.986s)
[t-SNE] Iteration 500: error = 1.6742952, gradient norm = 0.0001930 (50 iterations in 6.015s)
[t-SNE] Iteration 550: error = 1.6103836, gradient norm = 0.0001575 (50 iterations in 6.004s)
[t-SNE] Iteration 600: error = 1.5639369, gradient norm = 0.0001382 (50 iterations in 6.003s)
[t-SNE] Iteration 650: error = 1.5287529, gradient norm = 0.0001188 (50 iterations in 6.013s)
[t-SNE] Iteration 700: error = 1.5012516, gradient norm = 0.0001051 (50 iterations in 6.049s)
[t-SNE] Iteration 750: error = 1.4795823, gradient norm = 0.0000959 (50 iterations in 5.998s)
[t-SNE] Iteration 800: error = 1.4621692, gradient norm = 0.0000887 (50 iterations in 6.039s)
[t-SNE] Iteration 850: error = 1.4479774, gradient norm = 0.0000841 (50 iterations in 6.058s)
[t-SNE] Iteration 900: error = 1.4362506, gradient norm = 0.0000768 (50 iterations in 6.078s)
[t-SNE] Iteration 950: error = 1.4260758, gradient norm = 0.0000742 (50 iterations in 6.116s)
[t-SNE] Iteration 1000: error = 1.4174592, gradient norm = 0.0000704 (50 iterations in 6.125s)
[t-SNE] Error after 1000 iterations: 1.417459
Done..
Creating plot for this t-sne visualization..
saving this plot as image in present working directory...
```



```
performing tsne with perplexity 50 and with 1000 iterations at max
[t-SNE] Computing 151 nearest neighbors...
[t-SNE] Indexed 7352 samples in 0.183s...
[t-SNE] Computed neighbors for 7352 samples in 34.561s...
[t-SNE] Computed conditional probabilities for sample 1000 / 7352
[t-SNE] Computed conditional probabilities for sample 2000 / 7352
[t-SNE] Computed conditional probabilities for sample 3000 / 7352
[t-SNE] Computed conditional probabilities for sample 4000 / 7352
[t-SNE] Computed conditional probabilities for sample 5000 / 7352
[t-SNE] Computed conditional probabilities for sample 6000 / 7352
[t-SNE] Computed conditional probabilities for sample 7000 / 7352
[t-SNE] Computed conditional probabilities for sample 7352 / 7352
[t-SNE] Mean sigma: 1.437672
[t-SNE] Computed conditional probabilities in 0.339s
[t-SNE] Iteration 50: error = 86.7352371, gradient norm = 0.0179428 (50 iterations in 11.872s)
[t-SNE] Iteration 100: error = 75.6326904, gradient norm = 0.0040232 (50 iterations in 10.517s)
[t-SNE] Iteration 150: error = 74.6352463, gradient norm = 0.0024756 (50 iterations in 9.854s)
[t-SNE] Iteration 200: error = 74.2456436, gradient norm = 0.0016277 (50 iterations in 9.865s)
[t-SNE] Iteration 250: error = 74.0648193, gradient norm = 0.0011088 (50 iterations in 9.917s)
[t-SNE] KL divergence after 250 iterations with early exaggeration: 74.064819
[t-SNE] Iteration 300: error = 2.1718478, gradient norm = 0.0012038 (50 iterations in 9.947s)
[t-SNE] Iteration 350: error = 1.7664882, gradient norm = 0.0004879 (50 iterations in 9.804s)
[t-SNE] Iteration 400: error = 1.5953329, gradient norm = 0.0002896 (50 iterations in 9.831s)
[t-SNE] Iteration 450: error = 1.5009161, gradient norm = 0.0001939 (50 iterations in 9.832s)
[t-SNE] Iteration 500: error = 1.4402508, gradient norm = 0.0001424 (50 iterations in 9.824s)
[t-SNE] Iteration 550: error = 1.3984326, gradient norm = 0.0001144 (50 iterations in 9.824s)
[t-SNE] Iteration 600: error = 1.3684371, gradient norm = 0.0000974 (50 iterations in 9.864s)
[t-SNE] Iteration 650: error = 1.3464450, gradient norm = 0.0000854 (50 iterations in 9.856s)
[t-SNE] Iteration 700: error = 1.3304332, gradient norm = 0.0000762 (50 iterations in 9.982s)
[t-SNE] Iteration 750: error = 1.3186313, gradient norm = 0.0000688 (50 iterations in 9.955s)
[t-SNE] Iteration 800: error = 1.3093780, gradient norm = 0.0000650 (50 iterations in 9.890s)
[t-SNE] Iteration 850: error = 1.3019311, gradient norm = 0.0000623 (50 iterations in 9.818s)
[t-SNE] Iteration 900: error = 1.2962193, gradient norm = 0.0000599 (50 iterations in 9.865s)
[t-SNE] Iteration 950: error = 1.2916567, gradient norm = 0.0000568 (50 iterations in 9.472s)
[t-SNE] Iteration 1000: error = 1.2877676, gradient norm = 0.0000549 (50 iterations in 9.422s)
[t-SNE] Error after 1000 iterations: 1.287768
Done..
Creating plot for this t-sne visualization..
saving this plot as image in present working directory...
```



Observations

- 1. The above T-sne visualizations are very good and gave a very good 2d-representation of the 564 dimensions vector space.
- 2. The above t-sne plots are tried over variety of perplexity values and in all these values the visualizations are good to understand.
- 3. Well globular structures can be seen with a clear separations of the class labels except there is a some overlap in the sitting and standing class.
- 4. The overlapping of the class-labels such as sitting and standing is persistent with varied perplexity values so the key challenge will be to separate the standing and sitting class labels while the modelling phase.

5. Applying the super-vised machine learning models over HAR

5.1 Obtain the train and test data

In [26]: # get X_train and y_train from csv files

y_train = train.ActivityName

```
In [24]: train = pd.read_csv('UCI_HAR_dataset/csv_files/train.csv')
           test = pd.read_csv('UCI_HAR_dataset/csv_files/test.csv')
           print(train.shape, test.shape)
           (7352, 564) (2947, 564)
In [25]: | train.head(3)
Out[25]:
              tBodyAccmeanX tBodyAccmeanY tBodyAccmeanZ tBodyAccstdX tBodyAccstdY tBodyAccstdZ tBodyAccmadX tBodyAcc
           0
                     0.288585
                                    -0.020294
                                                    -0.132905
                                                                  -0.995279
                                                                                              -0.913526
                                                                                                             -0.995112
                                                                                                                           -0.98
                                                                                -0.983111
                                                    -0.123520
           1
                     0.278419
                                    -0.016411
                                                                  -0.998245
                                                                                -0.975300
                                                                                              -0.960322
                                                                                                             -0.998807
                                                                                                                           -0.9
                                                                                                             -0.996520
           2
                     0.279653
                                    -0.019467
                                                    -0.113462
                                                                  -0.995380
                                                                                -0.967187
                                                                                              -0.978944
                                                                                                                           -0.96
          3 rows × 564 columns
```

X_train = train.drop(['subject', 'Activity', 'ActivityName'], axis=1)

```
In [27]: # get X_test and y_test from test csv file
    X_test = test.drop(['subject', 'Activity', 'ActivityName'], axis=1)
    y_test = test.ActivityName

In [28]: print('X_train and y_train : ({},{})'.format(X_train.shape, y_train.shape))
    print('X_test and y_test : ({},{})'.format(X_test.shape, y_test.shape))

    X_train and y_train : ((7352, 561),(7352,))
    X_test and y_test : ((2947, 561),(2947,))
```

5.2 Let's model with our data

Labels that are useful in plotting confusion matrix

```
In [29]: labels=['LAYING', 'SITTING','STANDING','WALKING','WALKING_DOWNSTAIRS','WALKING_UPSTAIRS']
```

5.2.1Function to plot the confusion matrix

```
In [30]: import itertools
         import numpy as np
         import matplotlib.pyplot as plt
         from sklearn.metrics import confusion_matrix
         plt.rcParams["font.family"] = 'DejaVu Sans'
         def plot_confusion_matrix(cm, classes,
                                    normalize=False,
                                    title='Confusion matrix',
                                    cmap=plt.cm.Blues):
             if normalize:
                 cm = cm.astype('float') / cm.sum(axis=1)[:, np.newaxis]
             plt.imshow(cm, interpolation='nearest', cmap=cmap)
             plt.title(title)
             plt.colorbar()
             tick_marks = np.arange(len(classes))
             plt.xticks(tick_marks, classes, rotation=90)
             plt.yticks(tick_marks, classes)
             fmt = '.2f' if normalize else 'd'
             thresh = cm.max() / 2.
             for i, j in itertools.product(range(cm.shape[0]), range(cm.shape[1])):
                  plt.text(j, i, format(cm[i, j], fmt),
                          horizontalalignment="center",
                          color="white" if cm[i, j] > thresh else "black")
             plt.tight_layout()
             plt.ylabel('True label')
             plt.xlabel('Predicted label')
```

5.2.2. Generic function to run any model specified

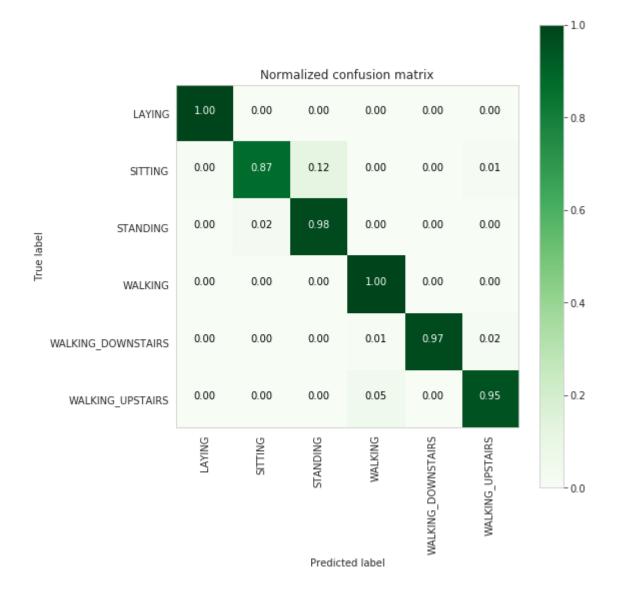
```
In [31]: from datetime import datetime
         def perform_model(model, X_train, y_train, X_test, y_test, class_labels, cm_normalize=True, \
                         print_cm=True, cm_cmap=plt.cm.Greens):
             # to store results at various phases
            results = dict()
            # time at which model starts training
            train_start_time = datetime.now()
            print('training the model..')
            model.fit(X_train, y_train)
            print('Done \n \n')
            train_end_time = datetime.now()
             results['training_time'] = train_end_time - train_start_time
             print('training_time(HH:MM:SS.ms) - {}\n\n'.format(results['training_time']))
            # predict test data
            print('Predicting test data')
            test_start_time = datetime.now()
            y_pred = model.predict(X_test)
            test_end_time = datetime.now()
            print('Done \n \n')
            results['testing_time'] = test_end_time - test_start_time
             print('testing time(HH:MM:SS:ms) - {}\n\n'.format(results['testing_time']))
            results['predicted'] = y_pred
            # calculate overall accuracty of the model
            accuracy = metrics.accuracy_score(y_true=y_test, y_pred=y_pred)
            # store accuracy in results
            results['accuracy'] = accuracy
            print('----')
            print('| Accuracy |')
            print('----')
             print('\n {}\n\n'.format(accuracy))
             # confusion matrix
             cm = metrics.confusion_matrix(y_test, y_pred)
            results['confusion_matrix'] = cm
            if print_cm:
                print('----')
                print('| Confusion Matrix |')
                print('----')
                print('\n {}'.format(cm))
            # plot confusin matrix
             plt.figure(figsize=(8,8))
            plt.grid(b=False)
            plot_confusion_matrix(cm, classes=class_labels, normalize=True, title='Normalized confusion matri
         x', cmap = cm_cmap)
            plt.show()
             # get classification report
             print('----')
            print('| Classifiction Report |')
            print('----')
            classification_report = metrics.classification_report(y_test, y_pred)
            # store report in results
             results['classification_report'] = classification_report
            print(classification_report)
            # add the trained model to the results
             results['model'] = model
```

5.2.3. Method to print the gridsearch Attributes

```
In [32]: def print_grid_search_attributes(model):
          # Estimator that gave highest score among all the estimators formed in GridSearch
          print('----')
          print('| Best Estimator |')
          print('----')
          print('\n\t{}\n'.format(model.best_estimator_))
          # parameters that gave best results while performing grid search
          print('----')
          print('| Best parameters |')
          print('----')
          print('\tParameters of best estimator : \n\n\t{}\n'.format(model.best_params_))
          # number of cross validation splits
          print('----')
          print('| No of CrossValidation sets |')
          print('----')
          print('\n\tTotal numbre of cross validation sets: {}\n'.format(model.n_splits_))
          # Average cross validated score of the best estimator, from the Grid Search
          print('----')
          print('| Best Score |')
          print('----')
          print('\n\tAverage Cross Validate scores of best estimator : \n\n\t{}\n'.format(model.best_score_
       ))
```

5.3. Logistic Regression with Grid Search

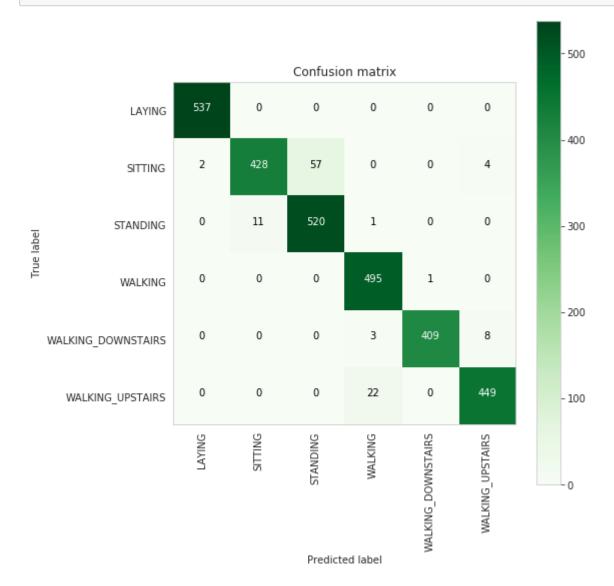
```
In [33]: from sklearn import linear_model
         from sklearn import metrics
         from sklearn.model_selection import GridSearchCV
In [35]: # start Grid search
         parameters = {'C':[0.01, 0.1, 1, 10, 20, 30], 'penalty':['12','11']}
         log_reg = linear_model.LogisticRegression()
         log_reg_grid = GridSearchCV(log_reg, param_grid=parameters, cv=3, verbose=1, n_jobs=-1)
         log_reg_grid_results = perform_model(log_reg_grid, X_train, y_train, X_test, y_test, class_labels=lab
         els)
         training the model..
        Fitting 3 folds for each of 12 candidates, totalling 36 fits
         [Parallel(n_jobs=-1)]: Done 36 out of 36 | elapsed: 50.3s finished
        Done
         training_time(HH:MM:SS.ms) - 0:00:56.617551
         Predicting test data
         Done
         testing time(HH:MM:SS:ms) - 0:00:00.003962
            0.9630132337970818
         | Confusion Matrix |
         [[537 0 0 0 0 0]
         [ 2 428 57 0 0 4]
         [ 0 11 520 1 0 0]
         [ 0 0 0 495 1 0]
          [ 0 0 0 3 409 8]
         [ 0 0 0 22 0 449]]
```



| Classifiction Report |

	precision	recall	f1-score	support
LAYING	1.00	1.00	1.00	537
SITTING	0.97	0.87	0.92	491
STANDING	0.90	0.98	0.94	532
WALKING	0.95	1.00	0.97	496
WALKING_DOWNSTAIRS	1.00	0.97	0.99	420
WALKING_UPSTAIRS	0.97	0.95	0.96	471
avg / total	0.96	0.96	0.96	2947

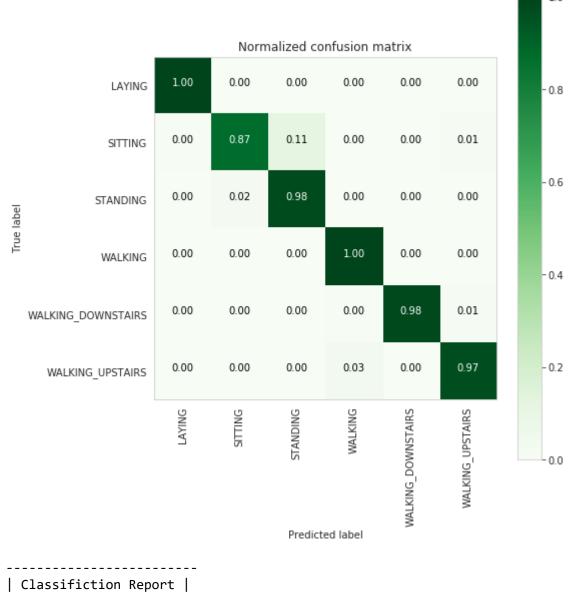
In [36]: plt.figure(figsize=(8,8)) plt.grid(b=False) plot_confusion_matrix(log_reg_grid_results['confusion_matrix'], classes=labels, cmap=plt.cm.Greens,) plt.show()



```
In [37]: # observe the attributes of the model
        print_grid_search_attributes(log_reg_grid_results['model'])
        Best Estimator
               LogisticRegression(C=30, class_weight=None, dual=False, fit_intercept=True,
                 intercept_scaling=1, max_iter=100, multi_class='ovr', n_jobs=1,
                 penalty='12', random_state=None, solver='liblinear', tol=0.0001,
                 verbose=0, warm_start=False)
        -----
        Best parameters
              Parameters of best estimator :
               {'C': 30, 'penalty': '12'}
        -----
        No of CrossValidation sets
               Total numbre of cross validation sets: 3
              Best Score
               Average Cross Validate scores of best estimator :
               0.9458650707290533
```

5.4. Linear SVC with GridSearch

```
In [38]: from sklearn.svm import LinearSVC
In [39]: parameters = {'C':[0.125, 0.5, 1, 2, 8, 16]}
         lr_svc = LinearSVC(tol=0.00005)
         lr_svc_grid = GridSearchCV(lr_svc, param_grid=parameters, n_jobs=-1, verbose=1)
         lr_svc_grid_results = perform_model(lr_svc_grid, X_train, y_train, X_test, y_test, class_labels=labels
        training the model..
         Fitting 3 folds for each of 6 candidates, totalling 18 fits
         [Parallel(n_jobs=-1)]: Done 18 out of 18 | elapsed: 15.4s finished
         Done
         training_time(HH:MM:SS.ms) - 0:00:19.300331
        Predicting test data
        Done
        testing time(HH:MM:SS:ms) - 0:00:00.003963
              Accuracy
            0.9664065151001018
         | Confusion Matrix |
         [[537 0 0 0 0
         [ 2 429 56 0 0 4]
         [ 0 12 519 1
                               0]
           0 0 0 496 0
                               0]
         [ 0 0 0 2 412 6]
         [ 0 0 0 16 0 455]]
```



```
precision recall f1-score
                                                support
           LAYING
                       1.00
                                1.00
                                         1.00
                                                    537
          SITTING
                       0.97
                                0.87
                                          0.92
                                                    491
         STANDING
                       0.90
                                0.98
                                          0.94
                                                    532
                       0.96
          WALKING
                                1.00
                                          0.98
                                                    496
WALKING_DOWNSTAIRS
                       1.00
                                0.98
                                          0.99
                                                    420
 WALKING_UPSTAIRS
                                                    471
                       0.98
                                0.97
                                          0.97
      avg / total
                       0.97
                                0.97
                                          0.97
                                                   2947
```

```
In [40]: print_grid_search_attributes(lr_svc_grid_results['model'])

Best Estimator |

LinearSVC(C=1, class_weight=None, dual=True, fit_intercept=True, intercept_scaling=1, loss='squared_hinge', max_iter=1000, multi_class='ovr', penalty='12', random_state=None, tol=5e-05, verbose=0)

Parameters |

Parameters of best estimator :
    {'C': 1}

| No of CrossValidation sets |

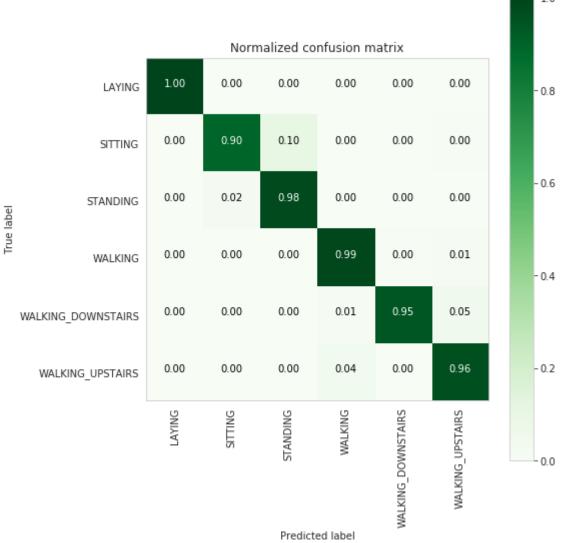
Total numbre of cross validation sets: 3

| Best Score |

Average Cross Validate scores of best estimator :
    0.9460010881392819
```

5.5. Kernel SVM with GridSearch

```
In [41]: from sklearn.svm import SVC
        parameters = {'C':[2,8,16],\
                      'gamma': [ 0.0078125, 0.125, 2]}
         rbf_svm = SVC(kernel='rbf')
         rbf_svm_grid = GridSearchCV(rbf_svm,param_grid=parameters, n_jobs=-1)
        rbf_svm_grid_results = perform_model(rbf_svm_grid, X_train, y_train, X_test, y_test, class_labels=labe
        ls)
        training the model..
        Done
        training_time(HH:MM:SS.ms) - 0:03:35.902810
        Predicting test data
        Done
        testing time(HH:MM:SS:ms) - 0:00:02.103974
              Accuracy
            0.9626739056667798
         | Confusion Matrix |
         [[537 0 0 0 0 0]
         [ 0 441 48 0 0 2]
           0 12 520 0 0 0]
               0 0 489 2 5]
           0
         [ 0 0 0 4 397 19]
         [ 0 0 0 17 1 453]]
```



```
| Classifiction Report |
                      precision recall f1-score support
                LAYING
                         1.00 1.00 1.00
                                                   537
                SITTING
                         0.97 0.90 0.93
                                                   491
               STANDING
                         0.92 0.98 0.95
                                                   532
                         0.96 0.99 0.97
                WALKING
                                                   496
                       0.99
0.95
                                        0.97
       WALKING_DOWNSTAIRS
                                  0.95
                                                   420
         WALKING_UPSTAIRS
                                  0.96 0.95
                                                  471
                                   0.96
                                           0.96
             avg / total
                           0.96
                                                   2947
In [42]: print_grid_search_attributes(rbf_svm_grid_results['model'])
       -----
         Best Estimator
             SVC(C=16, cache_size=200, class_weight=None, coef0=0.0,
         decision_function_shape='ovr', degree=3, gamma=0.0078125, kernel='rbf',
         max_iter=-1, probability=False, random_state=None, shrinking=True,
         tol=0.001, verbose=False)
         Best parameters
       -----
             Parameters of best estimator :
             {'C': 16, 'gamma': 0.0078125}
       -----
       No of CrossValidation sets
             Total numbre of cross validation sets: 3
            Best Score
       -----
             Average Cross Validate scores of best estimator :
             0.9440968443960827
```

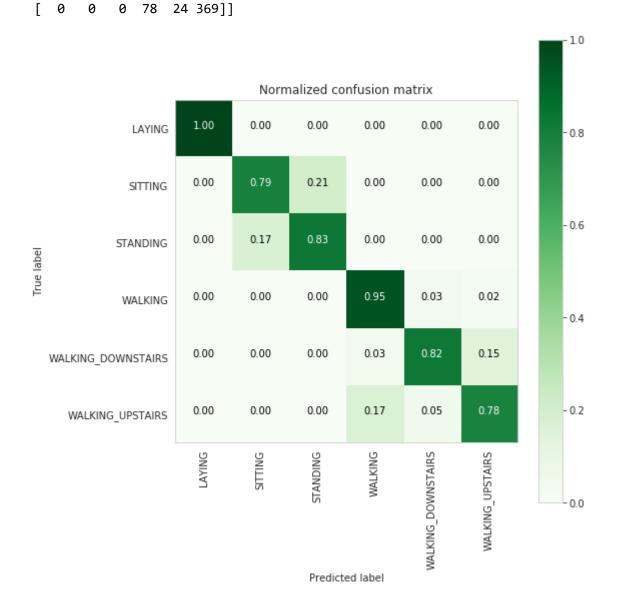
5.6. Decision Trees with GridSearchCV

```
In [43]: from sklearn.tree import DecisionTreeClassifier
    parameters = {'max_depth':np.arange(3,10,2)}
    dt = DecisionTreeClassifier()
    dt_grid = GridSearchCV(dt,param_grid=parameters, n_jobs=-1)
    dt_grid_results = perform_model(dt_grid, X_train, y_train, X_test, y_test, class_labels=labels)
    print_grid_search_attributes(dt_grid_results['model'])
```

0.8649474041398032

| Confusion Matrix |

[[537 0 0 0 0 0 0] [0 388 103 0 0 0] [0 93 439 0 0 0] [0 0 0 471 17 8] [0 0 0 14 345 61]

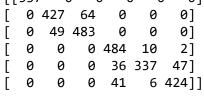


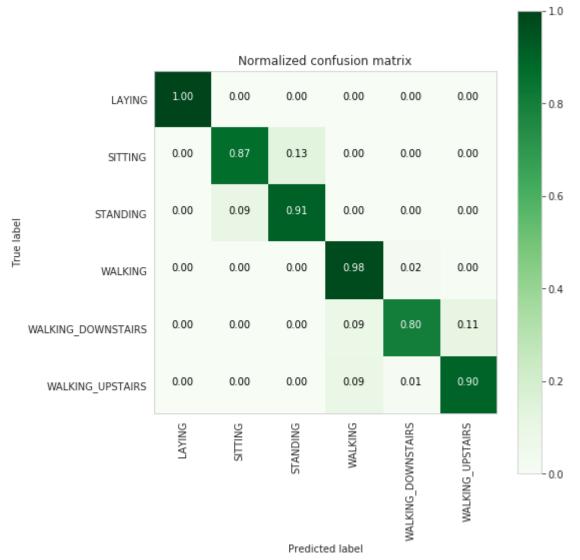
```
| Classifiction Report |
                precision recall f1-score support
                    1.00 1.00 1.00 537
          LAYING
                    0.81 0.79 0.80
         SITTING
                                                491
STANDING 0.81 0.83 0.82
WALKING 0.84 0.95 0.89
WALKING_DOWNSTAIRS 0.89 0.82 0.86
WALKING_UPSTAIRS 0.84 0.78 0.81
                                                532
                                                496
                                                420
                                              471
      avg / total 0.87 0.86 0.86 2947
  Best Estimator
_____
       DecisionTreeClassifier(class_weight=None, criterion='gini', max_depth=7,
          max_features=None, max_leaf_nodes=None,
          min_impurity_decrease=0.0, min_impurity_split=None,
          min_samples_leaf=1, min_samples_split=2,
          min_weight_fraction_leaf=0.0, presort=False, random_state=None,
          splitter='best')
  Best parameters
_____
       Parameters of best estimator :
       {'max_depth': 7}
No of CrossValidation sets
       Total numbre of cross validation sets: 3
  Best Score
       Average Cross Validate scores of best estimator :
       0.8404515778019587
```

5.7 Random Forest Classifier with GridSearch

```
In [44]: from sklearn.ensemble import RandomForestClassifier
    params = {'n_estimators': np.arange(10,201,20), 'max_depth':np.arange(3,15,2)}
    rfc = RandomForestClassifier()
    rfc_grid = GridSearchCV(rfc, param_grid=params, n_jobs=-1)
    rfc_grid_results = perform_model(rfc_grid, X_train, y_train, X_test, y_test, class_labels=labels)
    print_grid_search_attributes(rfc_grid_results['model'])

c:\users\admin\appdata\local\programs\python\python36\lib\site-packages\sklearn\ensemble\weight_boosti
    ng.py:29: DeprecationWarning: numpy.core.umath_tests is an internal NumPy module and should not be imp
    orted. It will be removed in a future NumPy release.
    from numpy.core.umath_tests import inner1d
```





```
| Classifiction Report |
                     precision recall f1-score support
            LAYING 1.00 1.00 537
SITTING 0.90 0.87 0.88 491

      STANDING
      0.88
      0.91
      0.90
      532

      WALKING
      0.86
      0.98
      0.92
      496

      WALKING_DOWNSTAIRS
      0.95
      0.80
      0.87
      420

      WALKING_UPSTAIRS
      0.90
      0.90
      0.90
      471

        avg / total 0.92 0.91 0.91 2947
   Best Estimator
-----
         RandomForestClassifier(bootstrap=True, class_weight=None, criterion='gini',
             max_depth=7, max_features='auto', max_leaf_nodes=None,
             min_impurity_decrease=0.0, min_impurity_split=None,
             min_samples_leaf=1, min_samples_split=2,
             min_weight_fraction_leaf=0.0, n_estimators=170, n_jobs=1,
             oob_score=False, random_state=None, verbose=0,
             warm_start=False)
Best parameters
-----
         Parameters of best estimator :
         {'max_depth': 7, 'n_estimators': 170}
No of CrossValidation sets
         Total numbre of cross validation sets: 3
   Best Score
         Average Cross Validate scores of best estimator :
         0.9181175190424374
```

5.8. Gradient Boosted Decision Trees With GridSearch

training the model..
Done

training_time(HH:MM:SS.ms) - 0:16:41.633751

Predicting test data Done

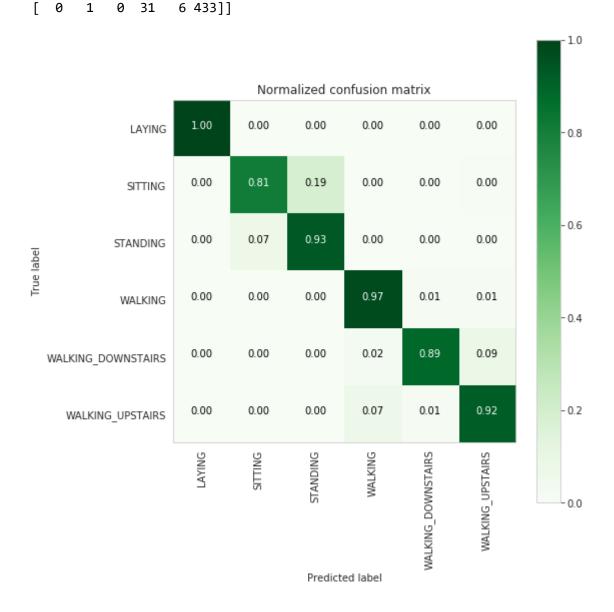
testing time(HH:MM:SS:ms) - 0:00:00.057247

Accuracy |

0.9229725144214456

| Confusion Matrix |

[[537 0 0 0 0 0 0] [0 398 91 0 0 2] [0 37 495 0 0 0] [0 0 0 483 7 6] [0 0 0 10 374 36]



```
| Classifiction Report |
                 precision recall f1-score support
SITTING 0.91 0.81 0.86 491
STANDING 0.84 0.93 0.89 532
WALKING 0.92 0.97 0.95 496
WALKING_DOWNSTAIRS 0.97 0.89 0.93 420
WALKING_UPSTAIRS 0.91 0.92 0.91 471
           LAYING
                      1.00 1.00 1.00
                                                      537
       avg / total 0.92 0.92
                                           0.92
                                                     2947
   Best Estimator
        GradientBoostingClassifier(criterion='friedman_mse', init=None,
              learning_rate=0.1, loss='deviance', max_depth=5,
              max_features=None, max_leaf_nodes=None,
              min_impurity_decrease=0.0, min_impurity_split=None,
              min_samples_leaf=1, min_samples_split=2,
              min_weight_fraction_leaf=0.0, n_estimators=160,
              presort='auto', random_state=None, subsample=1.0, verbose=0,
              warm_start=False)
-----
  Best parameters
       Parameters of best estimator :
        {'max_depth': 5, 'n_estimators': 160}
No of CrossValidation sets
-----
        Total numbre of cross validation sets: 3
   Best Score
        Average Cross Validate scores of best estimator :
```

5.9. Comparing all models

0.9047878128400435

```
In [46]: print('\n
                                    Accuracy Error')
                                  -----')
         print('Logistic Regression : {:.04}%
                                              {:.04}%'.format(log_reg_grid_results['accuracy'] * 100,\
                                                      100-(log_reg_grid_results['accuracy'] * 100)))
         print('Linear SVC : {:.04}% '.format(lr_svc_grid_results['accuracy'] * 100,\
                                                            100-(lr_svc_grid_results['accuracy'] * 100)))
         print('rbf SVM classifier : {:.04}% '.format(rbf_svm_grid_results['accuracy'] * 100,\
                                                              100-(rbf_svm_grid_results['accuracy'] * 100
         )))
         print('DecisionTree : {:.04}%
                                              {:.04}% '.format(dt_grid_results['accuracy'] * 100,\
                                                            100-(dt_grid_results['accuracy'] * 100)))
         print('Random Forest
                                 : {:.04}%
                                               {:.04}% '.format(rfc_grid_results['accuracy'] * 100,\
                                                               100-(rfc_grid_results['accuracy'] * 100)))
         print('GradientBoosting DT : {:.04}%
                                               {:.04}% '.format(rfc_grid_results['accuracy'] * 100,\
                                                            100-(rfc grid results['accuracy'] * 100)))
```

Accuracy Error -----Logistic Regression : 96.3% 3.699% Linear SVC : 96.64% 3.359% rbf SVM classifier : 96.27% 3.733% : 86.49% DecisionTree 13.51% : 91.35% Random Forest 8.653% GradientBoosting DT : 91.35% 8.653%

Conclusion:

- In the real world, domain-knowledge, EDA and feature-engineering matter most, as these type of features adds most value to a model but developing them is pain-staking task to accomplish as it needs good expertise and knowledge of the given problem.
- Among all the supervised machine-learning models the linear models and the kernel SVM models perform exceptionally well as the accuracy values are 96% which is very high as compared to the other models.
- Here the tree-based models are also performing well but not as good as the linear and kernel SVM models.
- The Kernel and the linear SVM separates the sitting and the standing classes quite elegantly with minimal error rates.

6. Implementing the Deep-learning models (LSTM)

6.1 Work-flow of the LSTM model for (HAR)

The overall algorithm has the following workflow:

- 1. Load the data.
- 2. Define the hyperparameters.
- 3. Set up the LSTM model using imperative programming and the hyperparameters.
- 4. Apply batch-wise training. That is, pick a batch of data, feed it to the model, then, after some iterations, evaluate the model and print the batch loss and the accuracy.
- 5. Output the chart for the training and test errors.

The above steps can be followed and constructed a pipeline:

6.2 Utility function for plotting the confusion matrix

```
In [38]: # Activities are the class labels
         # It is a 6 class classification
         ACTIVITIES = {
            0: 'WALKING',
             1: 'WALKING_UPSTAIRS',
             2: 'WALKING_DOWNSTAIRS',
             3: 'SITTING',
             4: 'STANDING',
             5: 'LAYING',
         # Utility function to print the confusion matrix
         def confusion_matrix(Y_true, Y_pred):
             Y_true = pd.Series([ACTIVITIES[y] for y in np.argmax(Y_true, axis=1)])
             Y_pred = pd.Series([ACTIVITIES[y] for y in np.argmax(Y_pred, axis=1)])
             print(metrics.confusion_matrix(Y_true,Y_pred))
             confusion=metrics.confusion_matrix(Y_true,Y_pred)
             plt.figure(figsize=(9,9))
             sns.heatmap(confusion, annot=True, fmt=".3f", linewidths=.5, square = True, cmap = 'Blues_r');
             plt.ylabel('Predicted label');
             plt.xlabel('Actual label');
             plt.show()
             return pd.crosstab(Y_true, Y_pred, rownames=['True'], colnames=['Pred'])
```

6.3 Data

```
In [39]: # Raw data signals
         # Signals are from Accelerometer and Gyroscope
         # The signals are in x,y,z directions
         # Sensor signals are filtered to have only body acceleration
         # excluding the acceleration due to gravity
         # Triaxial acceleration from the accelerometer is total acceleration
         SIGNALS = [
              "body_acc_x",
              "body_acc_y",
              "body_acc_z",
              "body_gyro_x",
             "body_gyro_y",
             "body_gyro_z",
             "total_acc_x",
              "total_acc_y",
              "total_acc_z"
```

6.4 Utility functions for reading and loading the data

```
In [40]: # Utility function to read the data from csv file
         def _read_csv(filename):
             return pd.read_csv(filename, delim_whitespace=True, header=None)
         # Utility function to load the load
         def load_signals(subset):
             signals_data = []
             for signal in SIGNALS:
                 filename = f'UCI_HAR_Dataset/{subset}/Inertial Signals/{signal}_{subset}.txt'
                 signals_data.append(
                      _read_csv(filename).as_matrix()
                 )
             # Transpose is used to change the dimensionality of the output,
             # aggregating the signals by combination of sample/timestep.
             # Resultant shape is (7352 train/2947 test samples, 128 timesteps, 9 signals)
             return np.transpose(signals_data, (1, 2, 0))
In [41]: def load_y(subset):
             The objective that we are trying to predict is a integer, from 1 to 6,
             that represents a human activity. We return a binary representation of
             every sample objective as a 6 bits vector using One Hot Encoding
             (https://pandas.pydata.org/pandas-docs/stable/generated/pandas.get_dummies.html)
             filename = f'UCI_HAR_Dataset/{subset}/y_{subset}.txt'
             y = _read_csv(filename)[0]
             return pd.get_dummies(y).as_matrix()
In [42]: def load_data():
             Obtain the dataset from multiple files.
             Returns: X_train, X_test, y_train, y_test
             X_train, X_test = load_signals('train'), load_signals('test')
             y_train, y_test = load_y('train'), load_y('test')
             return X_train, X_test, y_train, y_test
```

6.5 Preparation of the sessions and other parameters for implementing the model

```
Using TensorFlow backend.
In [46]: # Importing libraries
         from keras.models import Sequential
         from keras.layers import LSTM
         from keras.layers.core import Dense, Dropout
         from keras.wrappers.scikit_learn import KerasClassifier
         from keras.layers.normalization import BatchNormalization
         from keras import regularizers
         from keras.regularizers import 11
         from keras.regularizers import 12
In [51]: # Initializing parameters
         epochs = 30
         batch_size = 16
         n hidden = 32
In [52]: # Utility function to count the number of classes
         def _count_classes(y):
             return len(set([tuple(category) for category in y]))
In [53]: # Loading the train and test data
         X_train, X_test, Y_train, Y_test = load_data()
In [54]: | timesteps = len(X_train[0])
         input_dim = len(X_train[0][0])
         n_classes = _count_classes(Y_train)
         print(timesteps)
         print(input_dim)
         print(len(X_train))
         128
         7352
```

6.6. Utility function for plotting the weights and the error plots

```
In [55]: # Plot train and cross validation loss
         def plot_train_cv_loss(trained_model, epochs, colors=['b']):
             fig, ax = plt.subplots(1,1)
             ax.set_xlabel('epoch')
             ax.set_ylabel('Categorical Crossentropy Loss')
             x_axis_values = list(range(1,epochs+1))
             validation_loss = trained_model.history['val_loss']
             train_loss = trained_model.history['loss']
             ax.plot(x_axis_values, validation_loss, 'b', label="Validation Loss")
             ax.plot(x_axis_values, train_loss, 'r', label="Train Loss")
             plt.legend()
             plt.grid()
             fig.canvas.draw()
         # Plot weight distribution using violin plot
         def plot_weights(model):
             w_after = model.get_weights()
             o1_w = w_after[0].flatten().reshape(-1,1)
             o2_w = w_after[2].flatten().reshape(-1,1)
             out_w = w_after[4].flatten().reshape(-1,1)
             fig = plt.figure(figsize=(10,7))
             plt.title("Weight matrices after model trained\n")
             plt.subplot(1, 3, 1)
             plt.title("Trained model\n Weights")
             ax = sns.violinplot(y=o1_w,color='b')
             plt.xlabel('Hidden Layer 1')
             plt.subplot(1, 3, 2)
             plt.title("Trained model\n Weights")
             ax = sns.violinplot(y=o2_w, color='r')
             plt.xlabel('Hidden Layer 2 ')
             plt.subplot(1, 3, 3)
             plt.title("Trained model\n Weights")
             ax = sns.violinplot(y=out_w,color='y')
             plt.xlabel('Output Layer ')
             plt.show()
```

6.7 Defining the Architecture of LSTM

```
In [56]: # Initiliazing the sequential model
    model = Sequential()
    # Configuring the parameters
    model.add(LSTM(n_hidden, input_shape=(timesteps, input_dim)))
    # Adding a dropout Layer
    model.add(Dropout(0.5))
    # Adding a dense output Layer with sigmoid activation
    model.add(Dense(n_classes, activation='sigmoid'))
    model.summary()
```

Layer (type)	Output Shape	Param #
lstm_1 (LSTM)	(None, 32)	5376
dropout_1 (Dropout)	(None, 32)	0
dense_1 (Dense)	(None, 6)	198
Total params: 5.574	=======================================	

Trainable params: 5,574
Non-trainable params: 0

6.7.1 Compiling and training the above LSTM model

```
Train on 7352 samples, validate on 2947 samples
Epoch 1/30
336 - val_acc: 0.4700
Epoch 2/30
592 - val_acc: 0.5205 acc: 0.492 - ETA: 5s - loss: 1.17
706 - val_acc: 0.5555
Epoch 4/30
933 - val_acc: 0.4058
Epoch 5/30
554 - val_acc: 0.5239
Epoch 6/30
204 - val acc: 0.6125
Epoch 7/30
159 - val_acc: 0.585766 - ac - ETA: 2s - loss: 1.0766 - acc: 0.52 - ETA: 2
Epoch 8/30
579 - val_acc: 0.6345
Epoch 9/30
562 - val_acc: 0.6284
Epoch 10/30
274 - val_acc: 0.6427
Epoch 11/30
587 - val_acc: 0.6637
Epoch 12/30
151 - val acc: 0.7099
Epoch 13/30
910 - val acc: 0.7218
Epoch 14/30
719 - val_acc: 0.6770
Epoch 15/30
398 - val_acc: 0.777468 -
Epoch 16/30
936 - val_acc: 0.8286
Epoch 17/30
761 - val_acc: 0.8476loss
Epoch 18/30
775 - val_acc: 0.8663
Epoch 19/30
957 - val acc: 0.8721
Epoch 20/30
482 - val acc: 0.7872
Epoch 21/30
420 - val_acc: 0.8962
Epoch 22/30
685 - val_acc: 0.8870
738 - val_acc: 0.8880
Epoch 24/30
426 - val acc: 0.9043
Epoch 25/30
369 - val_acc: 0.8714s - loss: 0
Epoch 26/30
025 - val acc: 0.8979
Epoch 27/30
649 - val acc: 0.8894
Epoch 28/30
411 - val acc: 0.8962
Epoch 29/30
```

6.7.2. Plotting the confusion and the error plots of the above model

```
In [62]: # Confusion Matrix
print(confusion_matrix(Y_test, model.predict(X_test)))
```

```
[[510 0 0 0 0 27]

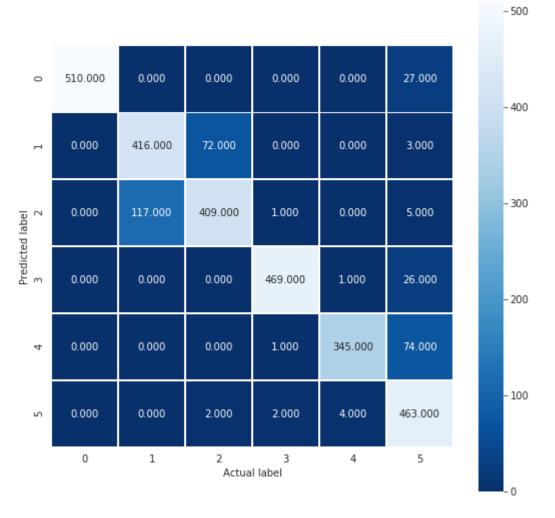
[ 0 416 72 0 0 3]

[ 0 117 409 1 0 5]

[ 0 0 0 469 1 26]

[ 0 0 0 1 345 74]

[ 0 0 2 2 4 463]]
```



Pred	LAYING	SITTING	STANDING	WALKING	WALKING_DOWNSTAIRS	\
True						
LAYING	510	0	0	0	0	
SITTING	0	416	72	0	0	
STANDING	0	117	409	1	0	
WALKING	0	0	0	469	1	
WALKING_DOWNSTAIRS	0	0	0	1	345	
WALKING_UPSTAIRS	0	0	2	2	4	

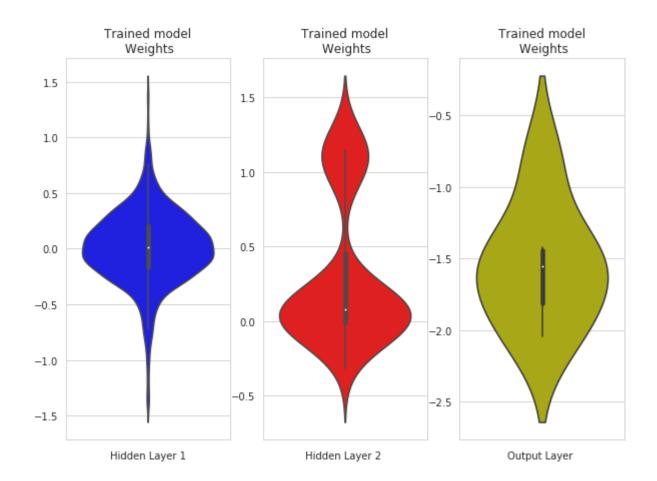
Pred WALKING_UPSTAIRS
True
LAYING 27
SITTING 3
STANDING 5
WALKING 26
WALKING_DOWNSTAIRS 74
WALKING_UPSTAIRS 463

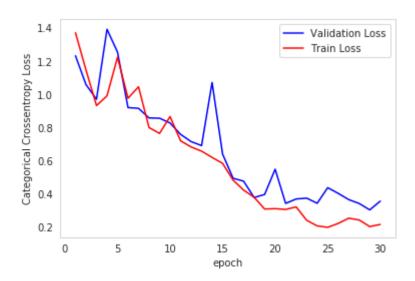
```
In [60]: score = model.evaluate(X_test, Y_test)
print(score)
```

2947/2947 [============] - 1s 283us/step [0.3555445054686313, 0.8863250763488293]

```
In [61]: # Plot weight distribution using violin plot
    import warnings
    warnings.filterwarnings(action='ignore')
    plot_weights(model)
    print()
    print()

# Plot train and cross validation error
    plot_train_cv_loss(har_lstm_1,epochs)
```





Observations:

- Since the data has a sequential behaviour so LSTM model is implemented as it works very well on sequential data.
- The above LSTM model is a single layered model with raw input vectors as inputs to the LSTM model.
- Even if the LSTM model is not using a human engineered features as input the accuracy is very impressive which is around 93.24% at the end of the 30th epoch.
- But still the model is overfitting slightly as the loss is slightly high as compared the previous supervised machine learning
- By tuning the hyper-parameter values the performance of the LSTM model can be easily improved so I have tried the next thing as tuning the hyperparameters.

6.7.3. Hyperparameter-tuning the above single-layered LSTM model

Utility function for building the LSTM model

```
In [63]: Input=(timesteps, input_dim)
         #Implementing the elastic-net regularization
         reg=regularizers.l1_l2(l1=0.01, l2=0.01)
         def lstm_model(neurons,Dp,Iter):
         # Initiliazing the sequential model
             Model = Sequential()
         # Configuring the parameters
             for i in range(Iter):
                 Model.add(LSTM(neurons, input_shape=(timesteps, input_dim),bias_regularizer=reg))
         # Adding a dropout layer
                 Model.add(Dropout(Dp))
         # Adding a dense output layer with sigmoid activation
             Model.add(Dense(n_classes, activation='sigmoid'))
             Model.summary()
         # Compiling the model
             Model.compile(loss='categorical_crossentropy',optimizer='rmsprop',metrics=['accuracy'])
             return Model
         batch_size = 192
         def train(X_t,train_y,X_te, test_y,batch_size,epoch,model):
             train=model.fit(X_t, train_y, epochs = epoch, batch_size=batch_size, verbose = 2,validation_data=(
         X_te, test_y))
             return train
```

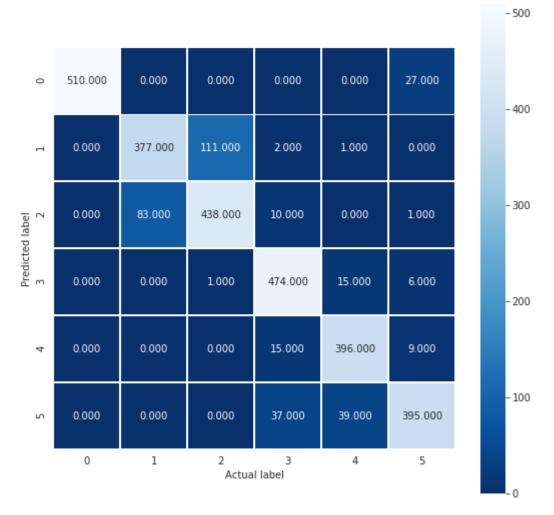
6.7.3.1. Taking the number of neurons as 48 and drop-out value as 0.6

In [114]: model_1=lstm_model(48,0.6,1)

Layer (type)	Output Shape	Param #
lstm_27 (LSTM)	(None, 48)	11136
dropout_24 (Dropout)	(None, 48)	0
dense_24 (Dense)	(None, 6)	294
Total params: 11,430 Trainable params: 11,430 Non-trainable params: 0		

In [116]: train_1=train(X_train,Y_train,X_test, Y_test,64,30,model_1)

```
Train on 7352 samples, validate on 2947 samples
          Epoch 1/30
           - 9s - loss: 1.2605 - acc: 0.5837 - val_loss: 1.2212 - val_acc: 0.5803
          Epoch 2/30
           - 9s - loss: 1.1417 - acc: 0.6062 - val_loss: 1.1029 - val_acc: 0.6016
          Epoch 3/30
          - 9s - loss: 1.0127 - acc: 0.6415 - val_loss: 1.1328 - val_acc: 0.5701
          Epoch 4/30
          - 9s - loss: 0.9190 - acc: 0.6470 - val_loss: 0.9899 - val_acc: 0.6250
          Epoch 5/30
          - 9s - loss: 0.8835 - acc: 0.6453 - val_loss: 0.9660 - val_acc: 0.6200
          Epoch 6/30
          - 9s - loss: 0.8242 - acc: 0.6495 - val_loss: 1.0077 - val_acc: 0.6108
          Epoch 7/30
          - 9s - loss: 0.7943 - acc: 0.6527 - val_loss: 0.8611 - val_acc: 0.6233
          Epoch 8/30
           - 9s - loss: 0.8226 - acc: 0.6347 - val_loss: 1.0447 - val_acc: 0.6010
          Epoch 9/30
          - 9s - loss: 0.7511 - acc: 0.6551 - val_loss: 0.9346 - val_acc: 0.6020
          Epoch 10/30
           - 9s - loss: 0.7286 - acc: 0.6640 - val_loss: 0.8350 - val_acc: 0.6335
          Epoch 11/30
          - 9s - loss: 0.6726 - acc: 0.6771 - val_loss: 0.8427 - val_acc: 0.6203
          Epoch 12/30
          - 9s - loss: 0.6596 - acc: 0.6745 - val_loss: 0.8753 - val_acc: 0.6227
          Epoch 13/30
          - 9s - loss: 0.6328 - acc: 0.6884 - val_loss: 1.0240 - val_acc: 0.6237
          Epoch 14/30
          - 9s - loss: 0.6136 - acc: 0.7085 - val_loss: 0.8603 - val_acc: 0.6770
          Epoch 15/30
          - 9s - loss: 0.6055 - acc: 0.7265 - val_loss: 1.0111 - val_acc: 0.7099
          Epoch 16/30
           - 9s - loss: 0.5910 - acc: 0.7330 - val_loss: 0.7940 - val_acc: 0.7604
          Epoch 17/30
          - 9s - loss: 0.5814 - acc: 0.7647 - val_loss: 0.8031 - val_acc: 0.7357
          Epoch 18/30
           - 9s - loss: 0.5587 - acc: 0.7817 - val_loss: 0.8064 - val_acc: 0.7679
          Epoch 19/30
          - 9s - loss: 0.5251 - acc: 0.8086 - val_loss: 0.7549 - val_acc: 0.7849
          Epoch 20/30
          - 9s - loss: 0.8191 - acc: 0.7032 - val_loss: 0.9680 - val_acc: 0.6308
          Epoch 21/30
          - 9s - loss: 1.3359 - acc: 0.5944 - val_loss: 0.8770 - val_acc: 0.7397
          Epoch 22/30
          - 9s - loss: 1.1824 - acc: 0.6153 - val_loss: 0.7732 - val_acc: 0.7703
          Epoch 23/30
          - 9s - loss: 0.6353 - acc: 0.7734 - val_loss: 0.6883 - val_acc: 0.7978
          Epoch 24/30
           - 9s - loss: 0.5674 - acc: 0.8146 - val_loss: 0.6714 - val_acc: 0.7964
          Epoch 25/30
           - 9s - loss: 0.4860 - acc: 0.8384 - val_loss: 0.6140 - val_acc: 0.8344
          Epoch 26/30
           - 9s - loss: 0.4433 - acc: 0.8592 - val_loss: 0.8536 - val_acc: 0.7730
          Epoch 27/30
          - 9s - loss: 0.3871 - acc: 0.8836 - val_loss: 0.5439 - val_acc: 0.8575
          Epoch 28/30
          - 9s - loss: 0.3360 - acc: 0.8992 - val_loss: 0.5868 - val_acc: 0.8622
          Epoch 29/30
          - 9s - loss: 0.3266 - acc: 0.9040 - val_loss: 0.6545 - val_acc: 0.8510
          Epoch 30/30
           - 9s - loss: 0.3004 - acc: 0.9153 - val_loss: 0.5127 - val_acc: 0.8789
In [175]: # Confusion Matrix
          print(confusion_matrix(Y_test, model_1.predict(X_test)))
          [[510 0 0
                         0 0 27]
           [ 0 377 111
                          2
                              1
                                 0]
              0 83 438 10 0
                                 1]
           [ 0
                  0 1 474 15
                                 6]
           [ 0 0 0 15 396 9]
           [ 0 0 0 37 39 395]]
```

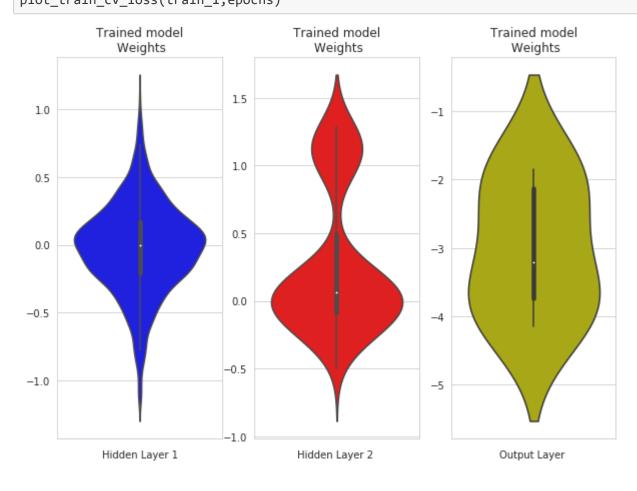


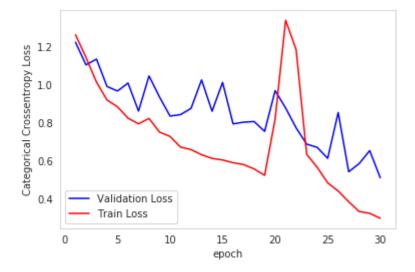
Pred	LAYING	SITTING	STANDING	WALKING	WALKING_DOWNSTAIRS
True					_
LAYING	510	0	0	0	0
SITTING	0	377	111	2	1
STANDING	0	83	438	10	0
WALKING	0	0	1	474	15
WALKING_DOWNSTAIRS	0	0	0	15	396
WALKING UPSTAIRS	0	0	0	37	39

\

Pred WALKING_UPSTAIRS
True
LAYING 27
SITTING 0
STANDING 1
WALKING 6
WALKING_DOWNSTAIRS 9
WALKING_UPSTAIRS 395

In [161]: # Plot weight distribution using violin plot import warnings warnings.filterwarnings(action='ignore') plot_weights(model) print() print() # Plot train and cross validation error plot_train_cv_loss(train_1,epochs)





- Here by taking the number of neurons as 48 and dropout value as 0.6 the model is slightly overfitting as compared to the previous model the accuracy value is also decreased gradually by .
- So the loss has increased as compared to the previous model so by increasing the drop-out value the performance may increase.

6.7.3.2. Taking the number of neurons as 48 and drop-out value as 0.75

In [64]: model_2=lstm_model(48,0.75,1)

Layer (type)	Output Shape	Param #
lstm_2 (LSTM)	(None, 48)	11136
dropout_2 (Dropout)	(None, 48)	0
dense_2 (Dense)	(None, 6)	294
		==========

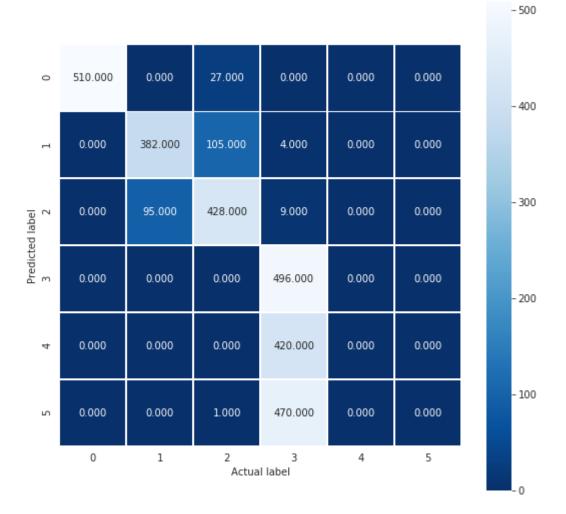
Total params: 11,430 Trainable params: 11,430 Non-trainable params: 0

In [65]: train_2=train(X_train,Y_train,X_test, Y_test,64,30,model_2)

```
Train on 7352 samples, validate on 2947 samples
         Epoch 1/30
          - 10s - loss: 2.3373 - acc: 0.3583 - val_loss: 2.2067 - val_acc: 0.3427
         Epoch 2/30
          - 9s - loss: 2.0600 - acc: 0.3973 - val_loss: 1.9779 - val_acc: 0.4333
         Epoch 3/30
         - 9s - loss: 1.8203 - acc: 0.4690 - val_loss: 1.7895 - val_acc: 0.4649
         Epoch 4/30
         - 9s - loss: 1.6563 - acc: 0.4985 - val_loss: 1.5844 - val_acc: 0.4669
         Epoch 5/30
         - 9s - loss: 1.4972 - acc: 0.5137 - val_loss: 1.4218 - val_acc: 0.5222
         Epoch 6/30
         - 9s - loss: 1.3862 - acc: 0.5107 - val_loss: 1.4990 - val_acc: 0.4951
         Epoch 7/30
         - 9s - loss: 1.3144 - acc: 0.5107 - val_loss: 1.2146 - val_acc: 0.5551
         Epoch 8/30
          - 9s - loss: 1.1493 - acc: 0.5598 - val_loss: 1.1269 - val_acc: 0.5830
         Epoch 9/30
          - 9s - loss: 1.1363 - acc: 0.5437 - val_loss: 1.2155 - val_acc: 0.5046
         Epoch 10/30
          - 9s - loss: 1.0826 - acc: 0.5341 - val_loss: 1.2568 - val_acc: 0.4113
         Epoch 11/30
         - 9s - loss: 0.9562 - acc: 0.5876 - val_loss: 1.2208 - val_acc: 0.4574
         Epoch 12/30
         - 9s - loss: 0.8871 - acc: 0.6153 - val_loss: 0.8769 - val_acc: 0.5911
         Epoch 13/30
         - 9s - loss: 0.8694 - acc: 0.6053 - val_loss: 1.1334 - val_acc: 0.5453
         Epoch 14/30
         - 9s - loss: 0.8317 - acc: 0.6147 - val_loss: 0.9722 - val_acc: 0.5752
         Epoch 15/30
         - 9s - loss: 0.8261 - acc: 0.6167 - val_loss: 0.8579 - val_acc: 0.6050
         Epoch 16/30
          - 9s - loss: 0.7650 - acc: 0.6337 - val_loss: 0.8567 - val_acc: 0.6026
         Epoch 17/30
          - 9s - loss: 0.7617 - acc: 0.6391 - val_loss: 0.8106 - val_acc: 0.6088
         Epoch 18/30
          - 9s - loss: 0.7478 - acc: 0.6357 - val_loss: 0.7867 - val_acc: 0.6138
         Epoch 19/30
         - 9s - loss: 0.7596 - acc: 0.6345 - val_loss: 0.8010 - val_acc: 0.6149
         Epoch 20/30
         - 9s - loss: 0.7433 - acc: 0.6413 - val_loss: 0.8642 - val_acc: 0.6132
         Epoch 21/30
         - 9s - loss: 0.7247 - acc: 0.6409 - val_loss: 0.7855 - val_acc: 0.6155
         Epoch 22/30
         - 9s - loss: 0.7073 - acc: 0.6480 - val_loss: 0.7886 - val_acc: 0.6094
         Epoch 23/30
         - 9s - loss: 0.6938 - acc: 0.6455 - val_loss: 0.7929 - val_acc: 0.6125
         Epoch 24/30
          - 9s - loss: 0.6933 - acc: 0.6517 - val_loss: 0.9155 - val_acc: 0.6023
         Epoch 25/30
          - 9s - loss: 0.7193 - acc: 0.6430 - val_loss: 0.9105 - val_acc: 0.5989
         Epoch 26/30
          - 9s - loss: 0.7289 - acc: 0.6484 - val_loss: 0.8843 - val_acc: 0.6213
         Epoch 27/30
         - 9s - loss: 0.7061 - acc: 0.6485 - val_loss: 0.8714 - val_acc: 0.6183
         Epoch 28/30
         - 9s - loss: 0.6803 - acc: 0.6600 - val_loss: 0.8456 - val_acc: 0.6216
         Epoch 29/30
         - 9s - loss: 0.6911 - acc: 0.6571 - val_loss: 0.8222 - val_acc: 0.6166
         Epoch 30/30
          - 9s - loss: 0.6734 - acc: 0.6620 - val_loss: 0.8392 - val_acc: 0.6162
In [66]: # Confusion Matrix
         print(confusion_matrix(Y_test, model_2.predict(X_test)))
         [[510 0 27
                         0
                            0
                                 0]
          [ 0 382 105
                         4
                             0
                                 0]
             0 95 428 9
                                 0]
          [ 0
                 0
                     0 496
                            0
                                 0]
          [ 0
                 0 0 420
                            0
                                 0]
```

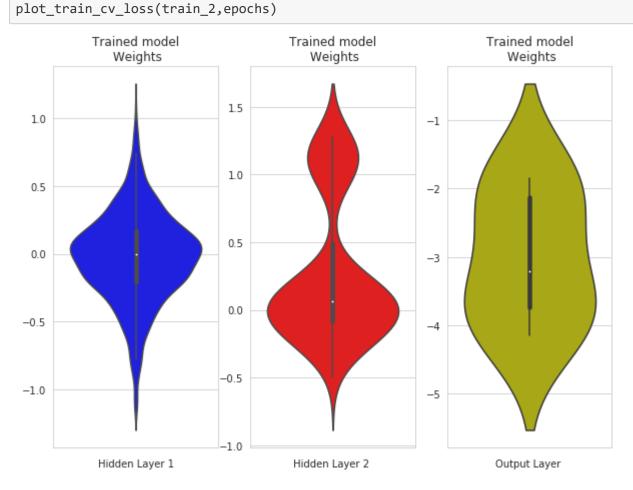
[0 0 1 470

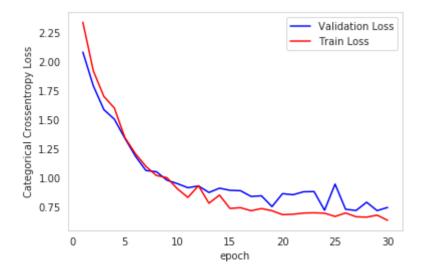
0]]



Pred	LAYING	SITTING	STANDING	WALKING
True				
LAYING	510	0	27	0
SITTING	0	382	105	4
STANDING	0	95	428	9
WALKING	0	0	0	496
WALKING_DOWNSTAIRS	0	0	0	420
WALKING UPSTAIRS	0	0	1	470

```
In [162]: # Plot weight distribution using violin plot
import warnings
warnings.filterwarnings(action='ignore')
plot_weights(model)
print()
print()
# Plot train and cross validation error
```





- The LSTM model with 48 neurons and 0.75 drop-out is not overfitting but the final accuracy after 30 epochs is very less as compared to previous model.
- This is happenned due to the high drop-out rate and the model is not able to learn new features due to the sparsity of
- The model is very much confused between the sitting and standing classes and totaly mis-classiffies the walking-downstairs and upstairs class-labels which in turn reduces the total accuracy of the model.

6.7.3.3. Taking the number of neurons as 64 and drop-out value as 0.6

In [119]: model_3=lstm_model(64,0.6,1)

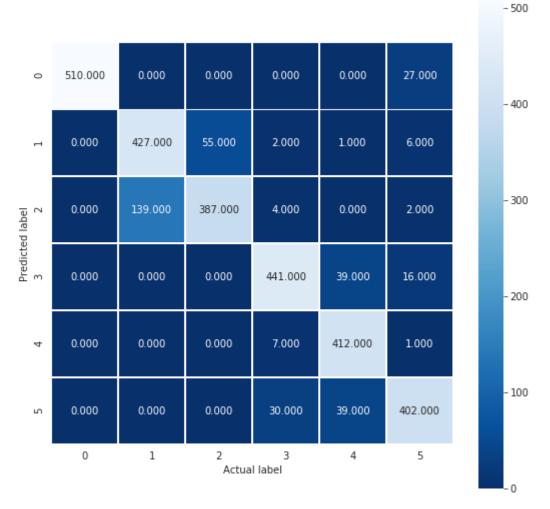
Layer (type)	Output Shape	Param #
lstm_29 (LSTM)	(None, 64)	18944
dropout_26 (Dropout)	(None, 64)	0
dense_26 (Dense)	(None, 6)	390

Total params: 19,334 Trainable params: 19,334 Non-trainable params: 0

In [120]: train_3=train(X_train,Y_train,X_test, Y_test,64,30,model_3)

```
Train on 7352 samples, validate on 2947 samples
          Epoch 1/30
           - 14s - loss: 2.5867 - acc: 0.3708 - val_loss: 2.3113 - val_acc: 0.4242
          Epoch 2/30
           - 12s - loss: 2.1354 - acc: 0.4898 - val_loss: 1.9968 - val_acc: 0.4700
          Epoch 3/30
          - 12s - loss: 1.8535 - acc: 0.5486 - val_loss: 1.7571 - val_acc: 0.5314
          Epoch 4/30
          - 12s - loss: 1.6627 - acc: 0.5896 - val_loss: 1.6135 - val_acc: 0.5779
          Epoch 5/30
          - 12s - loss: 1.4852 - acc: 0.6250 - val_loss: 1.5001 - val_acc: 0.5850
          Epoch 6/30
          - 12s - loss: 1.3188 - acc: 0.6280 - val_loss: 1.6074 - val_acc: 0.4856
          Epoch 7/30
           - 12s - loss: 1.1540 - acc: 0.6450 - val_loss: 1.1616 - val_acc: 0.6098
          Epoch 8/30
           - 12s - loss: 1.0522 - acc: 0.6451 - val_loss: 1.0876 - val_acc: 0.6084
          Epoch 9/30
           - 12s - loss: 0.9713 - acc: 0.6492 - val_loss: 0.9714 - val_acc: 0.6067
          Epoch 10/30
           - 12s - loss: 0.8754 - acc: 0.6545 - val_loss: 0.8746 - val_acc: 0.6108
          Epoch 11/30
          - 12s - loss: 0.7807 - acc: 0.6581 - val_loss: 1.1146 - val_acc: 0.5168
          Epoch 12/30
          - 12s - loss: 0.7042 - acc: 0.6766 - val_loss: 0.7497 - val_acc: 0.6244
          Epoch 13/30
          - 12s - loss: 0.6725 - acc: 0.6847 - val_loss: 0.8149 - val_acc: 0.6155
          Epoch 14/30
          - 12s - loss: 0.6347 - acc: 0.7057 - val_loss: 0.8081 - val_acc: 0.6444
          Epoch 15/30
           - 12s - loss: 0.5788 - acc: 0.7421 - val_loss: 0.7070 - val_acc: 0.7387
          Epoch 16/30
           - 12s - loss: 0.5763 - acc: 0.7507 - val_loss: 0.6567 - val_acc: 0.7357
          Epoch 17/30
           - 12s - loss: 0.5535 - acc: 0.7791 - val_loss: 0.6548 - val_acc: 0.7201
          Epoch 18/30
           - 12s - loss: 0.4839 - acc: 0.7901 - val_loss: 0.7601 - val_acc: 0.7184
          Epoch 19/30
          - 12s - loss: 0.4536 - acc: 0.7947 - val_loss: 0.6362 - val_acc: 0.7234
          Epoch 20/30
          - 12s - loss: 0.4627 - acc: 0.8020 - val_loss: 0.6330 - val_acc: 0.7431
          Epoch 21/30
          - 12s - loss: 0.4184 - acc: 0.8064 - val_loss: 0.6202 - val_acc: 0.7465
          Epoch 22/30
          - 12s - loss: 0.4214 - acc: 0.8154 - val_loss: 0.6138 - val_acc: 0.7754
          Epoch 23/30
           - 12s - loss: 0.4493 - acc: 0.8166 - val_loss: 0.5300 - val_acc: 0.8039
          Epoch 24/30
           - 12s - loss: 0.3793 - acc: 0.8494 - val_loss: 0.5170 - val_acc: 0.8568
          Epoch 25/30
           - 12s - loss: 0.3144 - acc: 0.8998 - val_loss: 0.4252 - val_acc: 0.8741
          Epoch 26/30
           - 12s - loss: 0.2901 - acc: 0.9102 - val_loss: 0.5056 - val_acc: 0.8327
          Epoch 27/30
          - 12s - loss: 0.2905 - acc: 0.9119 - val_loss: 0.4175 - val_acc: 0.8772
          Epoch 28/30
          - 12s - loss: 0.2338 - acc: 0.9291 - val_loss: 0.4808 - val_acc: 0.8660
          Epoch 29/30
          - 12s - loss: 0.2521 - acc: 0.9237 - val_loss: 0.4510 - val_acc: 0.8839
          Epoch 30/30
           - 12s - loss: 0.1994 - acc: 0.9361 - val_loss: 0.6186 - val_acc: 0.8751
In [177]: # Confusion Matrix
          print(confusion_matrix(Y_test, model_3.predict(X_test)))
          [[510 0 0
                          0
                              0 27]
           [ 0 427 55
                          2
                              1
                                 6]
              0 139 387 4 0 2]
           [ 0 0 0 441 39 16]
           [ 0 0 0 7 412 1]
```

[0 0 0 30 39 402]]

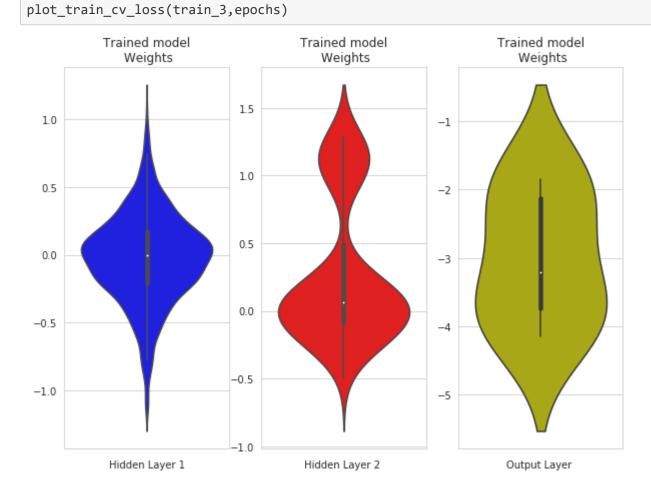


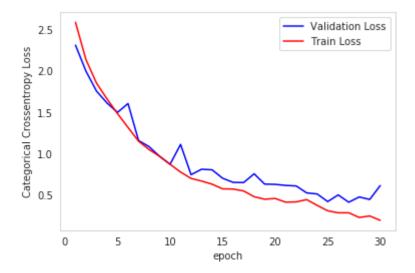
Pred	LAYING	SITTING	STANDING	WALKING	WALKING_DOWNSTAIRS	
True						
LAYING	510	0	0	0	0	
SITTING	0	427	55	2	1	
STANDING	0	139	387	4	0	
WALKING	0	0	0	441	39	
WALKING_DOWNSTAIRS	0	0	0	7	412	
WALKING_UPSTAIRS	0	0	0	30	39	

\

Pred WALKING_UPSTAIRS
True
LAYING 27
SITTING 6
STANDING 2
WALKING 16
WALKING_DOWNSTAIRS 1
WALKING_UPSTAIRS 402

In [163]: # Plot weight distribution using violin plot import warnings warnings.filterwarnings(action='ignore') plot_weights(model) print() print() # Plot train and cross validation error





- This LSTM model has 64 neurons with a drop-out rate of 0.6 and results are quite satisfactory than the previous tuned models
- The model is less over-fitting and with a greater and better accuracy than the previous models which also have very low error rates.
- Still there is some miss-classification among the sitting and standing-class but mangeable. So this LSTM model is best tuned model so far.

6.7.3.4. Taking the number of neurons as 64 and drop-out value as 0.75

In [121]: model_3_1=lstm_model(64,0.75,1)

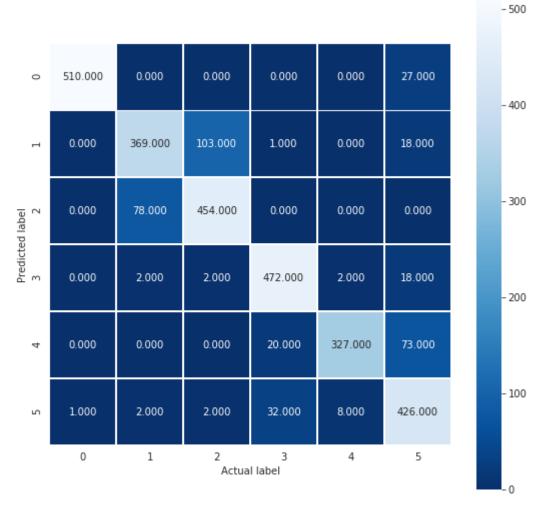
Layer (type)	Output Shape	Param #
lstm_30 (LSTM)	(None, 64)	18944
dropout_27 (Dropout)	(None, 64)	0
dense_27 (Dense)	(None, 6)	390

Total params: 19,334 Trainable params: 19,334 Non-trainable params: 0

In [122]: train_3_1=train(X_train,Y_train,X_test, Y_test,64,30,model_3_1)

```
Train on 7352 samples, validate on 2947 samples
          Epoch 1/30
           - 14s - loss: 2.6324 - acc: 0.3792 - val_loss: 2.3381 - val_acc: 0.4520
          Epoch 2/30
           - 11s - loss: 2.2883 - acc: 0.4463 - val_loss: 2.2429 - val_acc: 0.3882
          Epoch 3/30
          - 11s - loss: 2.0337 - acc: 0.5011 - val_loss: 1.8749 - val_acc: 0.4978
          Epoch 4/30
          - 12s - loss: 1.7139 - acc: 0.5604 - val_loss: 1.5438 - val_acc: 0.6539
          Epoch 5/30
          - 11s - loss: 1.4814 - acc: 0.5967 - val_loss: 1.3780 - val_acc: 0.6101
          Epoch 6/30
          - 12s - loss: 1.3227 - acc: 0.6140 - val_loss: 1.2137 - val_acc: 0.6423
          Epoch 7/30
           - 12s - loss: 1.1567 - acc: 0.6387 - val_loss: 1.1195 - val_acc: 0.6590
          Epoch 8/30
           - 12s - loss: 1.0351 - acc: 0.6466 - val_loss: 0.9697 - val_acc: 0.6084
          Epoch 9/30
           - 11s - loss: 0.9457 - acc: 0.6572 - val_loss: 0.9198 - val_acc: 0.6155
          Epoch 10/30
           - 11s - loss: 0.8995 - acc: 0.6631 - val_loss: 0.8365 - val_acc: 0.6105
          Epoch 11/30
          - 11s - loss: 0.8413 - acc: 0.6770 - val_loss: 0.7893 - val_acc: 0.6115
          Epoch 12/30
          - 11s - loss: 0.7679 - acc: 0.6834 - val_loss: 0.7635 - val_acc: 0.6172
          Epoch 13/30
          - 11s - loss: 0.8130 - acc: 0.6700 - val_loss: 0.7190 - val_acc: 0.6152
          Epoch 14/30
          - 11s - loss: 0.6688 - acc: 0.6974 - val_loss: 1.2293 - val_acc: 0.5100
          Epoch 15/30
           - 11s - loss: 0.6577 - acc: 0.7084 - val_loss: 0.9192 - val_acc: 0.6617
          Epoch 16/30
           - 11s - loss: 0.6212 - acc: 0.7387 - val_loss: 0.6467 - val_acc: 0.7346
          Epoch 17/30
           - 11s - loss: 0.6556 - acc: 0.7436 - val_loss: 0.5909 - val_acc: 0.7581
          Epoch 18/30
           - 11s - loss: 0.5879 - acc: 0.7824 - val_loss: 0.5428 - val_acc: 0.7995
          Epoch 19/30
          - 11s - loss: 0.5605 - acc: 0.7911 - val_loss: 0.6602 - val_acc: 0.7550
          Epoch 20/30
          - 11s - loss: 0.5698 - acc: 0.8187 - val_loss: 1.3455 - val_acc: 0.7065
          Epoch 21/30
          - 11s - loss: 0.5273 - acc: 0.8328 - val_loss: 0.4985 - val_acc: 0.8140
          Epoch 22/30
          - 11s - loss: 0.4257 - acc: 0.8751 - val_loss: 0.4894 - val_acc: 0.8599
          Epoch 23/30
           - 11s - loss: 0.3932 - acc: 0.8890 - val_loss: 0.4405 - val_acc: 0.8772
          Epoch 24/30
           - 11s - loss: 0.3985 - acc: 0.8803 - val_loss: 0.3912 - val_acc: 0.8867
          Epoch 25/30
           - 11s - loss: 0.3762 - acc: 0.8946 - val_loss: 0.3822 - val_acc: 0.8792
          Epoch 26/30
           - 11s - loss: 0.3181 - acc: 0.9100 - val_loss: 0.4105 - val_acc: 0.8707
          Epoch 27/30
          - 12s - loss: 0.3132 - acc: 0.9123 - val_loss: 0.4740 - val_acc: 0.8802
          Epoch 28/30
          - 12s - loss: 0.2857 - acc: 0.9170 - val_loss: 0.4276 - val_acc: 0.8873
          Epoch 29/30
          - 12s - loss: 0.2716 - acc: 0.9210 - val_loss: 0.6931 - val_acc: 0.8517
          Epoch 30/30
           - 12s - loss: 0.2559 - acc: 0.9195 - val_loss: 0.5220 - val_acc: 0.8680
In [178]: # Confusion Matrix
          print(confusion_matrix(Y_test, model_3_1.predict(X_test)))
          [[510 0 0
                         0
                             0 27]
           [ 0 369 103
                              0 18]
                          1
              0 78 454 0
                             0 0]
             0
                 2 2 472 2 18]
             0 0 0 20 327 73]
```

[1 2 2 32 8 426]]

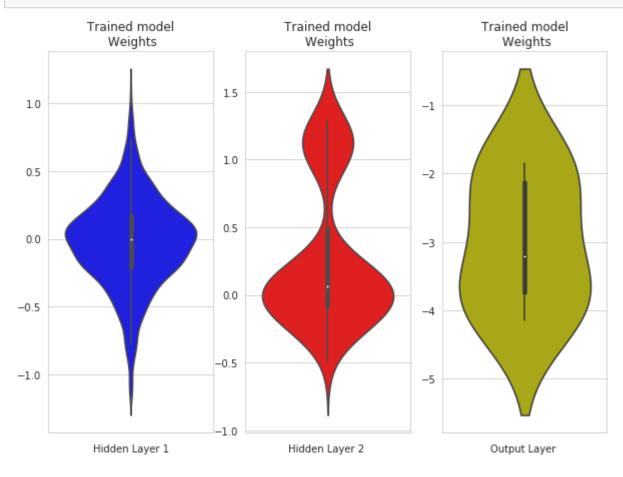


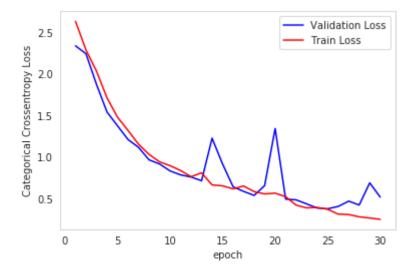
Pred	LAYING	SITTING	STANDING	WALKING	WALKING_DOWNSTAIRS	\
True						
LAYING	510	0	0	0	0	
SITTING	0	369	103	1	0	
STANDING	0	78	454	0	0	
WALKING	0	2	2	472	2	
WALKING_DOWNSTAIRS	0	0	0	20	327	
WALKING_UPSTAIRS	1	2	2	32	8	

Pred WALKING_UPSTAIRS
True
LAYING 27
SITTING 18
STANDING 0
WALKING 18
WALKING_DOWNSTAIRS 73
WALKING_UPSTAIRS 426

In [164]: # Plot weight distribution using violin plot import warnings warnings.filterwarnings(action='ignore') plot_weights(model) print() print()

Plot train and cross validation error
plot_train_cv_loss(train_3_1,epochs)





- This tuned LSTM model is good but the error rate is increased as compared with the previous tuned model and the accuracy also dropped by 2%.
- The erorr plot also not that good than previous one so the previous tuning is better than thios one.

6.7.3.5. Taking the number of neurons as 128 and drop-out value as 0.6

In [123]: model_4=lstm_model(128,0.6,1)

Layer (type)	Output Shape	Param #
lstm_31 (LSTM)	(None, 128)	70656
dropout_28 (Dropout)	(None, 128)	0
dense_28 (Dense)	(None, 6)	774

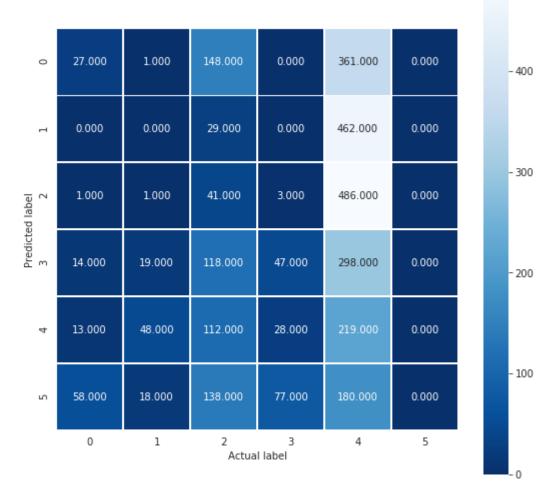
Total params: 71,430 Trainable params: 71,430 Non-trainable params: 0

In [124]: train_4=train(X_train,Y_train,X_test, Y_test,64,30,model_4)

```
Train on 7352 samples, validate on 2947 samples
          Epoch 1/30
           - 31s - loss: 3.6848 - acc: 0.3834 - val_loss: 3.3890 - val_acc: 0.4574
          Epoch 2/30
           - 29s - loss: 3.2367 - acc: 0.4323 - val_loss: 3.0940 - val_acc: 0.4245
          Epoch 3/30
          - 28s - loss: 2.8122 - acc: 0.4769 - val_loss: 2.6624 - val_acc: 0.4662
          Epoch 4/30
          - 29s - loss: 2.3312 - acc: 0.5506 - val_loss: 2.2281 - val_acc: 0.5439
          Epoch 5/30
          - 28s - loss: 2.1028 - acc: 0.5152 - val_loss: 1.9789 - val_acc: 0.5070
          Epoch 6/30
          - 29s - loss: 1.6437 - acc: 0.5963 - val_loss: 1.6749 - val_acc: 0.5338
          Epoch 7/30
           - 29s - loss: 1.4139 - acc: 0.6077 - val_loss: 1.3404 - val_acc: 0.5935
          Epoch 8/30
           - 29s - loss: 1.1441 - acc: 0.6281 - val_loss: 1.1593 - val_acc: 0.5969
          Epoch 9/30
           - 28s - loss: 0.9793 - acc: 0.6268 - val_loss: 1.0446 - val_acc: 0.6155
          Epoch 10/30
           - 28s - loss: 0.7999 - acc: 0.6423 - val_loss: 0.8776 - val_acc: 0.6006
          Epoch 11/30
          - 28s - loss: 0.7215 - acc: 0.6556 - val_loss: 1.2390 - val_acc: 0.5232
          Epoch 12/30
          - 28s - loss: 0.6949 - acc: 0.6859 - val_loss: 0.8930 - val_acc: 0.6423
          Epoch 13/30
          - 28s - loss: 0.6298 - acc: 0.7148 - val_loss: 0.7291 - val_acc: 0.6987
          Epoch 14/30
          - 28s - loss: 0.5969 - acc: 0.7293 - val_loss: 0.6889 - val_acc: 0.6922
          Epoch 15/30
          - 28s - loss: 0.5458 - acc: 0.7622 - val_loss: 0.7991 - val_acc: 0.6936
          Epoch 16/30
           - 28s - loss: 0.5532 - acc: 0.7722 - val_loss: 0.6366 - val_acc: 0.7838
          Epoch 17/30
           - 28s - loss: 0.5213 - acc: 0.8086 - val_loss: 0.7221 - val_acc: 0.7750
          Epoch 18/30
           - 29s - loss: 0.5212 - acc: 0.8036 - val_loss: 0.6846 - val_acc: 0.7978
          Epoch 19/30
          - 28s - loss: 0.3994 - acc: 0.8464 - val_loss: 0.4362 - val_acc: 0.8442
          Epoch 20/30
          - 28s - loss: 0.3528 - acc: 0.8783 - val_loss: 0.4696 - val_acc: 0.8599
          Epoch 21/30
          - 28s - loss: 0.2986 - acc: 0.8981 - val_loss: 0.3565 - val_acc: 0.8802
          Epoch 22/30
           - 29s - loss: 0.2306 - acc: 0.9176 - val_loss: 0.3421 - val_acc: 0.8941
          Epoch 23/30
           - 29s - loss: 0.2278 - acc: 0.9191 - val_loss: 0.7984 - val_acc: 0.8347
          Epoch 24/30
           - 29s - loss: 0.2189 - acc: 0.9272 - val_loss: 0.3240 - val_acc: 0.9006
          Epoch 25/30
           - 29s - loss: 0.2483 - acc: 0.9200 - val_loss: 0.3176 - val_acc: 0.9016
          Epoch 26/30
           - 29s - loss: 0.2086 - acc: 0.9294 - val_loss: 0.2894 - val_acc: 0.9026
          Epoch 27/30
          - 29s - loss: 0.1737 - acc: 0.9392 - val_loss: 0.3590 - val_acc: 0.8958
          Epoch 28/30
          - 28s - loss: 0.1705 - acc: 0.9399 - val_loss: 0.3468 - val_acc: 0.8996
          Epoch 29/30
          - 29s - loss: 0.1679 - acc: 0.9380 - val_loss: 0.2849 - val_acc: 0.9128
          Epoch 30/30
           - 29s - loss: 0.1494 - acc: 0.9441 - val_loss: 0.3388 - val_acc: 0.9077
In [179]: # Confusion Matrix
          print(confusion_matrix(Y_test, model_4.predict(X_test)))
          [[ 27  1 148
                          0 361
                                  0]
                  0 29
                          0 462
             0
                                  0]
                1 41 3 486
           [ 14 19 118 47 298
                                  0]
           [ 13 48 112 28 219
                                  0]
```

[58 18 138 77 180

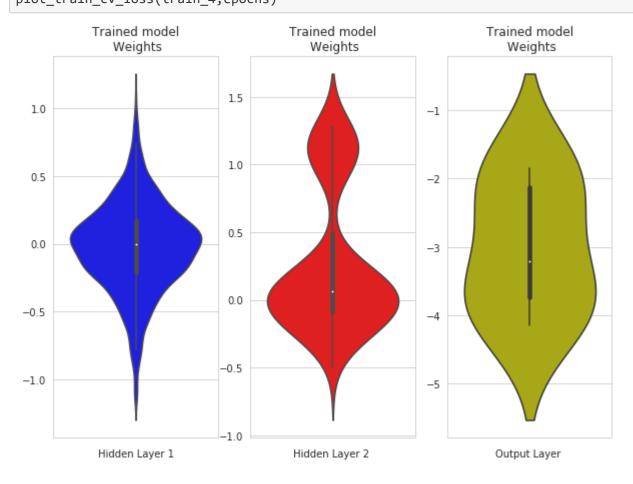
0]]

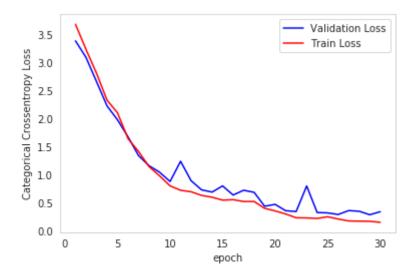


Pred	LAYING	SITTING	STANDING	WALKING	WALKING_DOWNSTAIRS
True					
LAYING	27	1	148	0	361
SITTING	0	0	29	0	462
STANDING	1	1	41	3	486
WALKING	14	19	118	47	298
WALKING_DOWNSTAIRS	13	48	112	28	219
WALKING_UPSTAIRS	58	18	138	77	180

```
In [165]: # Plot weight distribution using violin plot
    import warnings
    warnings.filterwarnings(action='ignore')
    plot_weights(model)
    print()
    print()

# Plot train and cross validation error
    plot_train_cv_loss(train_4,epochs)
```





• This LSTM model with 128 neurons and 0.6 drop-out value has the best performace values with 94.41% accuracy and 0.14 error which is better than all the previous models.

6.7.3.6. Taking the number of neurons as 128 and drop-out value as 0.75

In [126]: model_4_1=lstm_model(128,0.75,1)

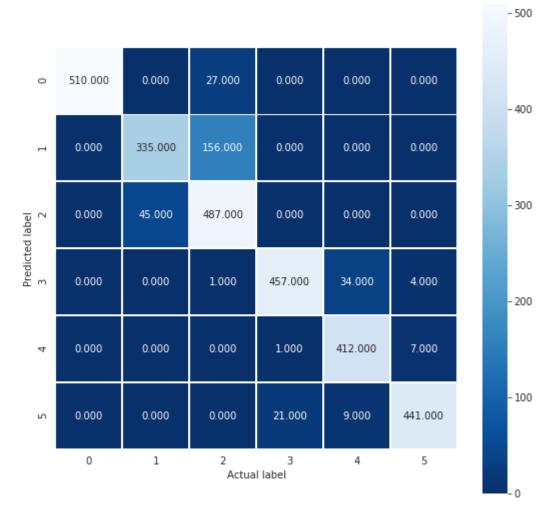
Layer (type)	Output Shape	Param #
lstm_33 (LSTM)	(None, 128)	70656
dropout_30 (Dropout)	(None, 128)	0
dense_30 (Dense)	(None, 6)	774

Total params: 71,430 Trainable params: 71,430 Non-trainable params: 0

In [127]: train_4_1=train(X_train,Y_train,X_test, Y_test,64,30,model_4_1)

```
Train on 7352 samples, validate on 2947 samples
          Epoch 1/30
           - 32s - loss: 3.7256 - acc: 0.3920 - val_loss: 3.5065 - val_acc: 0.3441
          Epoch 2/30
           - 29s - loss: 3.1490 - acc: 0.4837 - val_loss: 3.1700 - val_acc: 0.4153
          Epoch 3/30
          - 29s - loss: 2.7626 - acc: 0.4966 - val_loss: 2.5844 - val_acc: 0.5029
          Epoch 4/30
          - 30s - loss: 2.3055 - acc: 0.5264 - val_loss: 2.0685 - val_acc: 0.5606
          Epoch 5/30
          - 30s - loss: 1.8926 - acc: 0.5715 - val_loss: 1.7402 - val_acc: 0.6149
          Epoch 6/30
          - 30s - loss: 1.6156 - acc: 0.6064 - val_loss: 1.6212 - val_acc: 0.5477
          Epoch 7/30
          - 30s - loss: 1.4091 - acc: 0.6175 - val_loss: 1.3276 - val_acc: 0.6013
          Epoch 8/30
           - 30s - loss: 1.1595 - acc: 0.6383 - val_loss: 1.1000 - val_acc: 0.6043
          Epoch 9/30
           - 30s - loss: 0.9437 - acc: 0.6519 - val_loss: 0.9340 - val_acc: 0.6216
          Epoch 10/30
           - 30s - loss: 0.9565 - acc: 0.6299 - val_loss: 0.9670 - val_acc: 0.5803
          Epoch 11/30
          - 30s - loss: 0.7591 - acc: 0.6508 - val_loss: 0.8622 - val_acc: 0.5765
          Epoch 12/30
          - 29s - loss: 0.6978 - acc: 0.6590 - val_loss: 0.7220 - val_acc: 0.6223
          Epoch 13/30
          - 30s - loss: 0.7188 - acc: 0.6570 - val_loss: 0.8565 - val_acc: 0.6064
          Epoch 14/30
          - 30s - loss: 0.7438 - acc: 0.6492 - val_loss: 0.7556 - val_acc: 0.6152
          Epoch 15/30
          - 30s - loss: 0.6465 - acc: 0.6791 - val_loss: 0.7188 - val_acc: 0.6366
          Epoch 16/30
           - 29s - loss: 0.6323 - acc: 0.6726 - val_loss: 0.7269 - val_acc: 0.6166
          Epoch 17/30
           - 29s - loss: 0.7210 - acc: 0.6579 - val_loss: 3.0968 - val_acc: 0.4825
          Epoch 18/30
           - 29s - loss: 0.7829 - acc: 0.6451 - val_loss: 0.6934 - val_acc: 0.6278
          Epoch 19/30
          - 29s - loss: 0.6731 - acc: 0.6572 - val_loss: 0.7198 - val_acc: 0.6454
          Epoch 20/30
          - 29s - loss: 0.5919 - acc: 0.6980 - val_loss: 1.0953 - val_acc: 0.6586
          Epoch 21/30
          - 30s - loss: 0.5319 - acc: 0.7870 - val_loss: 0.9875 - val_acc: 0.7268
          Epoch 22/30
          - 29s - loss: 0.4391 - acc: 0.8316 - val_loss: 0.6024 - val_acc: 0.7543
          Epoch 23/30
          - 30s - loss: 0.4147 - acc: 0.8343 - val_loss: 0.5896 - val_acc: 0.7669
          Epoch 24/30
           - 30s - loss: 0.3546 - acc: 0.8856 - val_loss: 0.5453 - val_acc: 0.7933
          Epoch 25/30
           - 30s - loss: 0.3077 - acc: 0.9090 - val_loss: 0.4952 - val_acc: 0.8806
          Epoch 26/30
           - 30s - loss: 0.2840 - acc: 0.9142 - val_loss: 0.4607 - val_acc: 0.8792
          Epoch 27/30
          - 30s - loss: 0.2587 - acc: 0.9203 - val_loss: 0.8064 - val_acc: 0.8022
          Epoch 28/30
          - 30s - loss: 0.2599 - acc: 0.9232 - val_loss: 0.4176 - val_acc: 0.8660
          Epoch 29/30
          - 30s - loss: 0.2412 - acc: 0.9274 - val_loss: 0.4691 - val_acc: 0.8856
          Epoch 30/30
           - 30s - loss: 0.2080 - acc: 0.9340 - val loss: 0.4679 - val acc: 0.8965
In [181]: # Confusion Matrix
          print(confusion_matrix(Y_test, model_4_1.predict(X_test)))
          [[510 0 27
                          0
                             0
                                  0]
           [ 0 335 156
                                  0]
                          0
              0 45 487 0 0
                                 0]
           [ 0
                  0 1 457 34 4]
           [ 0 0 0 1 412 7]
```

[0 0 0 21 9 441]]

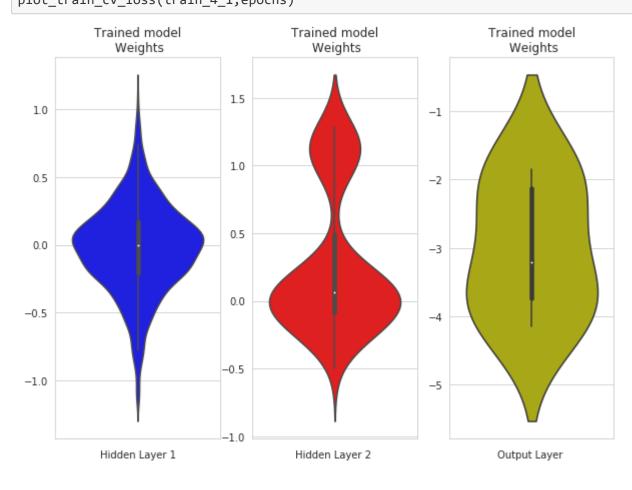


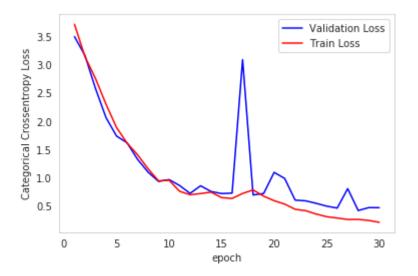
Pred	LAYING	SITTING	STANDING	WALKING	WALKING_DOWNSTAIRS	\
True						
LAYING	510	0	27	0	0	
SITTING	0	335	156	0	0	
STANDING	0	45	487	0	0	
WALKING	0	0	1	457	34	
WALKING_DOWNSTAIRS	0	0	0	1	412	
WALKING_UPSTAIRS	0	0	0	21	9	

Pred WALKING_UPSTAIRS
True
LAYING 0
SITTING 0
STANDING 0
WALKING 4
WALKING_DOWNSTAIRS 7
WALKING_UPSTAIRS 441

```
In [167]: # Plot weight distribution using violin plot
import warnings
warnings.filterwarnings(action='ignore')
plot_weights(model)
print()
print()

# Plot train and cross validation error
plot_train_cv_loss(train_4_1,epochs)
```





6.8. Implementing two-layered LSTM model

Utility function for building the architecture of a 2-layer LSTM model

```
In [150]:
          def lstm_model_2L(neurons1,neurons2,Dp):
              # Initiliazing the sequential model
              Model = Sequential()
              # Configuring the parameters
              Model.add(LSTM(neurons1, input_shape=(timesteps, input_dim),bias_regularizer=reg,return_sequences=
          True))
              Model.add(BatchNormalization())
              Model.add(Dropout(Dp))
              Model.add(LSTM(neurons2,bias_regularizer=reg))
              Model.add(Dropout(Dp))
              # Adding a dense output layer with sigmoid activation
              Model.add(Dense(n_classes, activation='sigmoid'))
              Model.summary()
              # Compiling the model
              Model.compile(loss='categorical_crossentropy',optimizer='adam',metrics=['accuracy'])
              return Model
```

6.8.1 Two layered LSTM model with 48,32 neurons and 0.6 drop-out

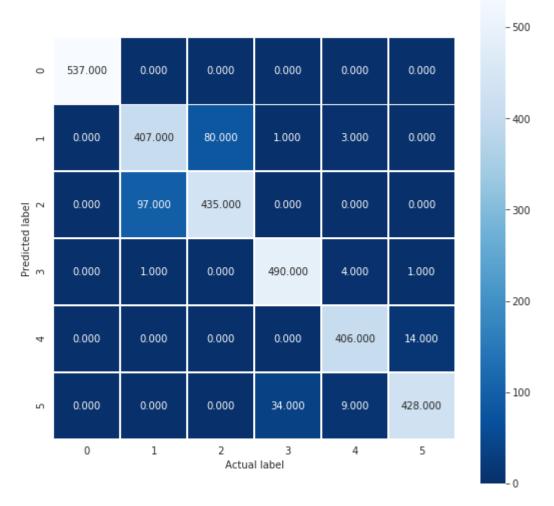
```
In [151]: model_21_1=lstm_model_2L(48,32,0.6)
```

Layer (type)	Output	Shape	Param #
lstm_54 (LSTM)	(None,	128, 48)	11136
batch_normalization_6 (Batch	(None,	128, 48)	192
dropout_40 (Dropout)	(None,	128, 48)	0
lstm_55 (LSTM)	(None,	32)	10368
dropout_41 (Dropout)	(None,	32)	0
dense_32 (Dense)	(None,	6)	198
Total params: 21,894 Trainable params: 21,798 Non-trainable params: 96			

```
In [152]: train_2l_1=train(X_train,Y_train,X_test, Y_test,128,30,model_2l_1)
```

```
Train on 7352 samples, validate on 2947 samples
          Epoch 1/30
           - 27s - loss: 3.0369 - acc: 0.4739 - val_loss: 2.8159 - val_acc: 0.5137
          Epoch 2/30
           - 23s - loss: 2.5733 - acc: 0.6136 - val_loss: 2.4458 - val_acc: 0.6485
          Epoch 3/30
          - 23s - loss: 2.2431 - acc: 0.6538 - val_loss: 2.2168 - val_acc: 0.6871
          Epoch 4/30
          - 23s - loss: 2.0099 - acc: 0.6795 - val_loss: 1.8880 - val_acc: 0.6827
          Epoch 5/30
          - 23s - loss: 1.8184 - acc: 0.7164 - val_loss: 1.7817 - val_acc: 0.6485
          Epoch 6/30
          - 23s - loss: 1.6652 - acc: 0.7418 - val_loss: 1.5462 - val_acc: 0.8120
          Epoch 7/30
           - 23s - loss: 1.5083 - acc: 0.7737 - val_loss: 2.2952 - val_acc: 0.4248
          Epoch 8/30
           - 24s - loss: 1.3695 - acc: 0.7933 - val_loss: 1.5605 - val_acc: 0.6515
          Epoch 9/30
           - 23s - loss: 1.2513 - acc: 0.8139 - val_loss: 1.1558 - val_acc: 0.8208
          Epoch 10/30
           - 24s - loss: 1.1295 - acc: 0.8345 - val_loss: 1.1076 - val_acc: 0.8124
          Epoch 11/30
          - 24s - loss: 1.0395 - acc: 0.8334 - val_loss: 1.0189 - val_acc: 0.8368
          Epoch 12/30
          - 23s - loss: 0.9161 - acc: 0.8708 - val_loss: 0.8522 - val_acc: 0.8649
          Epoch 13/30
          - 24s - loss: 0.8217 - acc: 0.8851 - val_loss: 0.7908 - val_acc: 0.8724
          Epoch 14/30
          - 24s - loss: 0.7500 - acc: 0.8875 - val_loss: 0.7071 - val_acc: 0.8724
          Epoch 15/30
           - 23s - loss: 0.6877 - acc: 0.8973 - val_loss: 0.7332 - val_acc: 0.8565
          Epoch 16/30
           - 24s - loss: 0.6225 - acc: 0.9019 - val_loss: 1.0125 - val_acc: 0.7431
          Epoch 17/30
           - 23s - loss: 0.5485 - acc: 0.9108 - val_loss: 0.6371 - val_acc: 0.8327
          Epoch 18/30
           - 23s - loss: 0.4831 - acc: 0.9226 - val_loss: 0.5953 - val_acc: 0.8578
          Epoch 19/30
          - 24s - loss: 0.4425 - acc: 0.9172 - val_loss: 0.4303 - val_acc: 0.8894
          Epoch 20/30
          - 23s - loss: 0.4014 - acc: 0.9238 - val_loss: 0.6079 - val_acc: 0.8582
          Epoch 21/30
          - 23s - loss: 0.3632 - acc: 0.9214 - val_loss: 0.3417 - val_acc: 0.8996
          Epoch 22/30
          - 23s - loss: 0.3236 - acc: 0.9285 - val_loss: 0.4791 - val_acc: 0.8568
          Epoch 23/30
           - 23s - loss: 0.2817 - acc: 0.9285 - val_loss: 0.3980 - val_acc: 0.8744
          Epoch 24/30
           - 23s - loss: 0.2583 - acc: 0.9241 - val_loss: 0.2879 - val_acc: 0.9094
          Epoch 25/30
           - 24s - loss: 0.2457 - acc: 0.9350 - val_loss: 0.3712 - val_acc: 0.8809
          Epoch 26/30
           - 24s - loss: 0.2405 - acc: 0.9346 - val_loss: 0.3276 - val_acc: 0.9074
          Epoch 27/30
          - 24s - loss: 0.2411 - acc: 0.9293 - val_loss: 0.2473 - val_acc: 0.9138
          Epoch 28/30
          - 24s - loss: 0.2232 - acc: 0.9354 - val_loss: 0.2467 - val_acc: 0.9199
          Epoch 29/30
          - 24s - loss: 0.2146 - acc: 0.9376 - val_loss: 0.3407 - val_acc: 0.9036
          Epoch 30/30
           - 23s - loss: 0.2092 - acc: 0.9370 - val_loss: 0.2597 - val_acc: 0.9172
In [182]: # Confusion Matrix
          print(confusion_matrix(Y_test,model_2l_1.predict(X_test)))
          [[537 0 0
                          0
                              0
                                  0]
           [ 0 407 80
                                  0]
                          1
                              3
              0 97 435
                         0
                                 0]
             0
                 1
                     0 490 4 1]
           [ 0
                  0 0 0 406 14]
```

[0 0 0 34 9 428]]

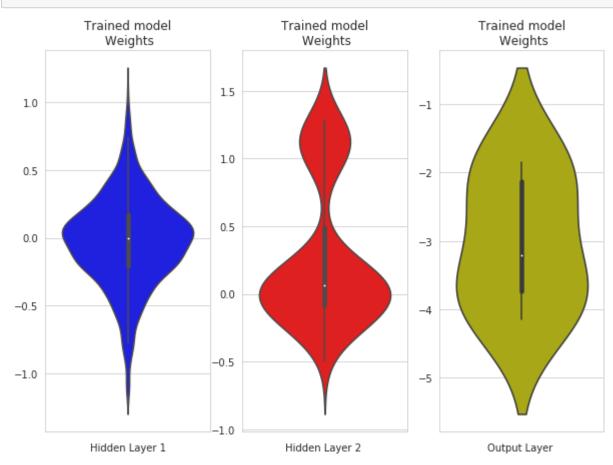


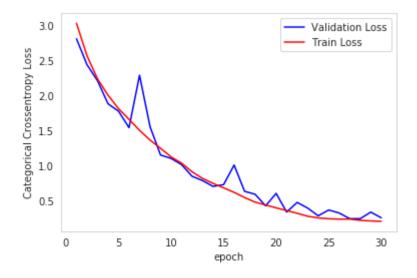
Pred	LAYING	SITTING	STANDING	WALKING	WALKING_DOWNSTAIRS	\
True						
LAYING	537	0	0	0	0	
SITTING	0	407	80	1	3	
STANDING	0	97	435	0	0	
WALKING	0	1	0	490	4	
WALKING_DOWNSTAIRS	0	0	0	0	406	
WALKING_UPSTAIRS	0	0	0	34	9	

Pred WALKING_UPSTAIRS
True
LAYING 0
SITTING 0
STANDING 0
WALKING 1
WALKING_DOWNSTAIRS 14
WALKING_UPSTAIRS 428

In [168]: # Plot weight distribution using violin plot import warnings warnings.filterwarnings(action='ignore') plot_weights(model) print() print()

Plot train and cross validation error
plot_train_cv_loss(train_2l_1,epochs)





6.8.2 Two layered LSTM model with 68,48 neurons and 0.75 drop-out

In [155]: model_21_2=lstm_model_2L(68,48,0.75)

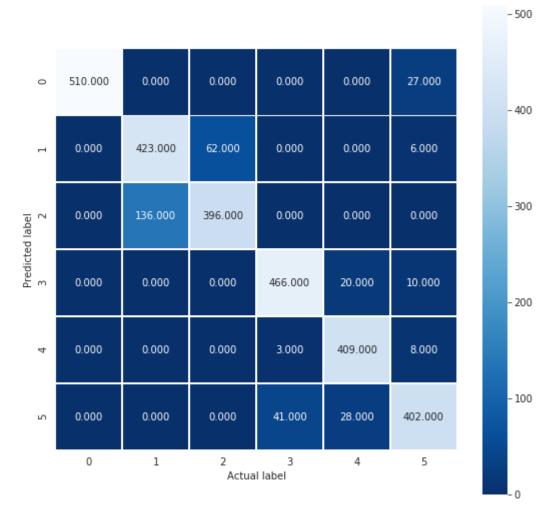
Layer (type)	Output Shape	Param #
lstm_56 (LSTM)	(None, 128, 68)	21216
batch_normalization_7 (Batch	(None, 128, 68)	272
dropout_42 (Dropout)	(None, 128, 68)	0
lstm_57 (LSTM)	(None, 48)	22464
dropout_43 (Dropout)	(None, 48)	0
dense_33 (Dense)	(None, 6)	294

Total params: 44,246 Trainable params: 44,110 Non-trainable params: 136

In [157]: train_2l_2=train(X_train,Y_train,X_test, Y_test,128,30,model_2l_2)

```
Train on 7352 samples, validate on 2947 samples
          Epoch 1/30
           - 39s - loss: 3.7437 - acc: 0.4460 - val_loss: 3.4338 - val_acc: 0.4917
          Epoch 2/30
           - 36s - loss: 3.2116 - acc: 0.5823 - val_loss: 3.2978 - val_acc: 0.4041
          Epoch 3/30
          - 36s - loss: 2.8100 - acc: 0.6356 - val_loss: 2.5696 - val_acc: 0.6980
          Epoch 4/30
          - 35s - loss: 2.5396 - acc: 0.6752 - val_loss: 2.3058 - val_acc: 0.7163
          Epoch 5/30
          - 35s - loss: 2.2923 - acc: 0.7184 - val_loss: 2.1641 - val_acc: 0.7268
          Epoch 6/30
          - 35s - loss: 2.0834 - acc: 0.7554 - val_loss: 1.8648 - val_acc: 0.7754
          Epoch 7/30
          - 35s - loss: 1.8829 - acc: 0.7811 - val_loss: 1.8323 - val_acc: 0.7289
          Epoch 8/30
           - 35s - loss: 1.7385 - acc: 0.7860 - val_loss: 1.7661 - val_acc: 0.7930
          Epoch 9/30
           - 35s - loss: 1.5741 - acc: 0.8300 - val_loss: 1.3736 - val_acc: 0.8568
          Epoch 10/30
           - 35s - loss: 1.4073 - acc: 0.8502 - val_loss: 1.2503 - val_acc: 0.8616
          Epoch 11/30
          - 35s - loss: 1.2319 - acc: 0.8833 - val_loss: 1.0695 - val_acc: 0.8924
          Epoch 12/30
          - 35s - loss: 1.0842 - acc: 0.9017 - val_loss: 1.4219 - val_acc: 0.7662
          Epoch 13/30
          - 35s - loss: 1.0828 - acc: 0.8632 - val_loss: 1.2207 - val_acc: 0.7954
          Epoch 14/30
          - 35s - loss: 0.9473 - acc: 0.8780 - val_loss: 0.9101 - val_acc: 0.8697
          Epoch 15/30
          - 35s - loss: 0.8736 - acc: 0.8766 - val_loss: 1.1530 - val_acc: 0.7523
          Epoch 16/30
           - 35s - loss: 0.7916 - acc: 0.8882 - val_loss: 0.8649 - val_acc: 0.8035
          Epoch 17/30
           - 35s - loss: 0.6822 - acc: 0.8958 - val_loss: 0.7669 - val_acc: 0.8476
          Epoch 18/30
           - 36s - loss: 0.5822 - acc: 0.9150 - val_loss: 0.8482 - val_acc: 0.8235
          Epoch 19/30
          - 36s - loss: 0.5190 - acc: 0.9147 - val_loss: 0.5431 - val_acc: 0.8748
          Epoch 20/30
          - 35s - loss: 0.4614 - acc: 0.9185 - val_loss: 0.4581 - val_acc: 0.8979
          Epoch 21/30
          - 35s - loss: 0.4182 - acc: 0.9123 - val_loss: 0.5880 - val_acc: 0.8534
          Epoch 22/30
          - 35s - loss: 0.3619 - acc: 0.9219 - val_loss: 0.4182 - val_acc: 0.8816
          Epoch 23/30
          - 35s - loss: 0.3290 - acc: 0.9222 - val_loss: 0.5385 - val_acc: 0.8663
          Epoch 24/30
           - 35s - loss: 0.3096 - acc: 0.9199 - val_loss: 0.6696 - val_acc: 0.8351
          Epoch 25/30
           - 35s - loss: 0.2938 - acc: 0.9237 - val_loss: 0.4134 - val_acc: 0.8738
          Epoch 26/30
           - 35s - loss: 0.2712 - acc: 0.9270 - val_loss: 0.5353 - val_acc: 0.8595
          Epoch 27/30
          - 35s - loss: 0.2798 - acc: 0.9177 - val_loss: 0.4545 - val_acc: 0.8504
          Epoch 28/30
          - 35s - loss: 0.3590 - acc: 0.9134 - val_loss: 0.7247 - val_acc: 0.8008
          Epoch 29/30
          - 35s - loss: 0.2882 - acc: 0.9230 - val_loss: 0.3731 - val_acc: 0.8901
          Epoch 30/30
           - 36s - loss: 0.2501 - acc: 0.9313 - val_loss: 0.3799 - val_acc: 0.8843
In [183]: # Confusion Matrix
          print(confusion_matrix(Y_test,model_21_2.predict(X_test)))
          [[510 0 0
                         0
                             0 27]
           0 423 62
                          0
                              0
                                 6]
              0 136 396 0 0 0]
           [ 0
                  0 0 466 20 10]
           [ 0 0 0 3 409 8]
```

[0 0 0 41 28 402]]



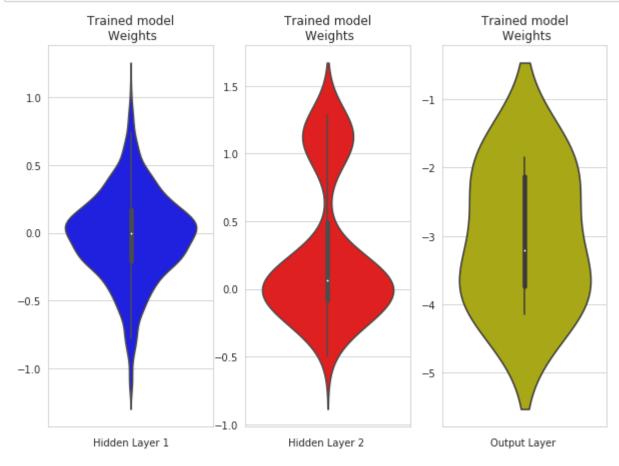
Pred	LAYING	SITTING	STANDING	WALKING	WALKING_DOWNSTAIRS	
True						
LAYING	510	0	0	0	0	
SITTING	0	423	62	0	0	
STANDING	0	136	396	0	0	
WALKING	0	0	0	466	20	
WALKING_DOWNSTAIRS	0	0	0	3	409	
WALKING_UPSTAIRS	0	0	0	41	28	

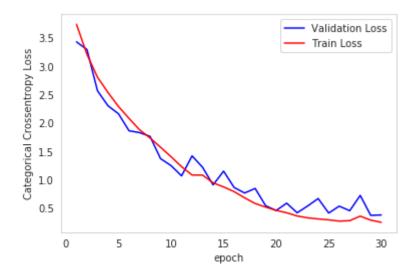
\

Pred WALKING_UPSTAIRS
True
LAYING 27
SITTING 6
STANDING 0
WALKING 10
WALKING_DOWNSTAIRS
WALKING_UPSTAIRS 402

```
In [169]: # Plot weight distribution using violin plot
    import warnings
    warnings.filterwarnings(action='ignore')
    plot_weights(model)
    print()
    print()

# Plot train and cross validation error
    plot_train_cv_loss(train_2l_2,epochs)
```





6.8.3 Two layered LSTM model with 128,128 neurons and 0.85 drop-out

In [158]: model_21_3=lstm_model_2L(128,128,0.85)

Layer (type)	Output Shape	Param #
lstm_58 (LSTM)	(None, 128, 128)	70656
batch_normalization_8 (Batch	(None, 128, 128)	512
dropout_44 (Dropout)	(None, 128, 128)	0
lstm_59 (LSTM)	(None, 64)	49408
dropout_45 (Dropout)	(None, 64)	0
dense_34 (Dense)	(None, 6)	390

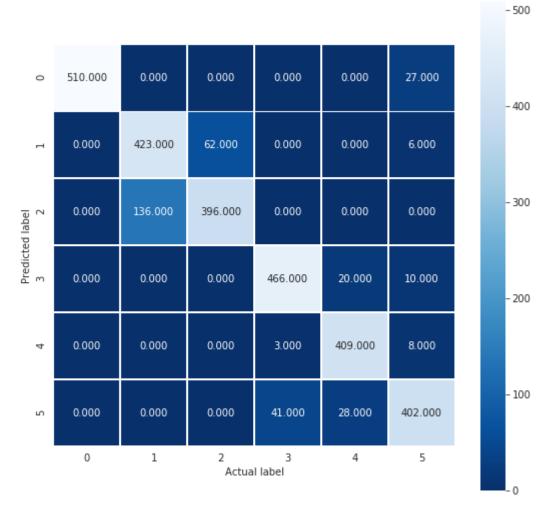
Total params: 120,966
Trainable params: 120,710
Non-trainable params: 256

Non-trainable params: 256

In []:

In [160]: train_2l_3=train(X_train,Y_train,X_test, Y_test,198,30,model_2l_3)

```
Train on 7352 samples, validate on 2947 samples
          Epoch 1/30
           - 71s - loss: 1.4969 - acc: 0.6559 - val_loss: 1.6184 - val_acc: 0.6403
          Epoch 2/30
           - 72s - loss: 1.4084 - acc: 0.6575 - val_loss: 1.5060 - val_acc: 0.6417
          Epoch 3/30
          - 72s - loss: 1.3269 - acc: 0.6642 - val_loss: 1.3017 - val_acc: 0.6719
          Epoch 4/30
          - 72s - loss: 1.2506 - acc: 0.6640 - val_loss: 1.4520 - val_acc: 0.6308
          Epoch 5/30
          - 73s - loss: 1.1677 - acc: 0.6593 - val_loss: 1.2104 - val_acc: 0.6420
          Epoch 6/30
          - 74s - loss: 1.0977 - acc: 0.6649 - val_loss: 1.3235 - val_acc: 0.6420
          Epoch 7/30
          - 73s - loss: 1.0288 - acc: 0.6732 - val_loss: 1.0335 - val_acc: 0.6593
          Epoch 8/30
           - 74s - loss: 0.9526 - acc: 0.6772 - val_loss: 1.0337 - val_acc: 0.6566
          Epoch 9/30
           - 74s - loss: 0.8877 - acc: 0.6870 - val_loss: 0.9647 - val_acc: 0.6440
          Epoch 10/30
           - 73s - loss: 0.8366 - acc: 0.6770 - val_loss: 0.8706 - val_acc: 0.6770
          Epoch 11/30
          - 73s - loss: 0.7675 - acc: 0.6880 - val_loss: 0.8022 - val_acc: 0.6478
          Epoch 12/30
          - 73s - loss: 0.7212 - acc: 0.6896 - val_loss: 1.3917 - val_acc: 0.6210
          Epoch 13/30
          - 73s - loss: 0.6640 - acc: 0.7038 - val_loss: 0.6284 - val_acc: 0.6882
          Epoch 14/30
          - 73s - loss: 0.6438 - acc: 0.7074 - val_loss: 0.7523 - val_acc: 0.6719
          Epoch 15/30
          - 73s - loss: 0.6266 - acc: 0.7175 - val_loss: 0.6535 - val_acc: 0.6912
          Epoch 16/30
           - 74s - loss: 0.6169 - acc: 0.7214 - val_loss: 0.6166 - val_acc: 0.6725
          Epoch 17/30
           - 73s - loss: 0.6090 - acc: 0.7303 - val_loss: 0.7029 - val_acc: 0.6793
          Epoch 18/30
           - 73s - loss: 0.5948 - acc: 0.7391 - val_loss: 0.6560 - val_acc: 0.7072
          Epoch 19/30
          - 74s - loss: 0.5814 - acc: 0.7462 - val_loss: 0.8362 - val_acc: 0.7988
          Epoch 20/30
          - 73s - loss: 0.6133 - acc: 0.7515 - val_loss: 0.9580 - val_acc: 0.7618
          Epoch 21/30
          - 73s - loss: 0.5794 - acc: 0.7696 - val_loss: 0.5727 - val_acc: 0.8534
          Epoch 22/30
          - 76s - loss: 0.5343 - acc: 0.7912 - val_loss: 0.6593 - val_acc: 0.7954
          Epoch 23/30
          - 76s - loss: 0.5266 - acc: 0.8025 - val_loss: 0.6217 - val_acc: 0.8113
          Epoch 24/30
           - 76s - loss: 0.5181 - acc: 0.8150 - val_loss: 0.5580 - val_acc: 0.8741
          Epoch 25/30
           - 77s - loss: 0.5002 - acc: 0.8364 - val_loss: 0.7744 - val_acc: 0.8419
          Epoch 26/30
           - 77s - loss: 0.4999 - acc: 0.8232 - val_loss: 0.9647 - val_acc: 0.8083
          Epoch 27/30
          - 76s - loss: 0.4958 - acc: 0.8225 - val_loss: 0.6814 - val_acc: 0.8269
          Epoch 28/30
          - 76s - loss: 0.5140 - acc: 0.8300 - val_loss: 1.1205 - val_acc: 0.6749
          Epoch 29/30
          - 76s - loss: 0.5945 - acc: 0.7958 - val_loss: 1.2269 - val_acc: 0.5348
          Epoch 30/30
           - 77s - loss: 0.4990 - acc: 0.8283 - val_loss: 0.4161 - val_acc: 0.8592
In [184]: # Confusion Matrix
          print(confusion_matrix(Y_test,model_21_2.predict(X_test)))
          [[510 0 0
                             0 271
                         0
           0 423 62
                          0
                              0
                                 6]
              0 136 396 0 0 0]
           [ 0
                 0 0 466 20 10]
           [ 0 0 0 3 409 8]
           [ 0 0 0 41 28 402]]
```

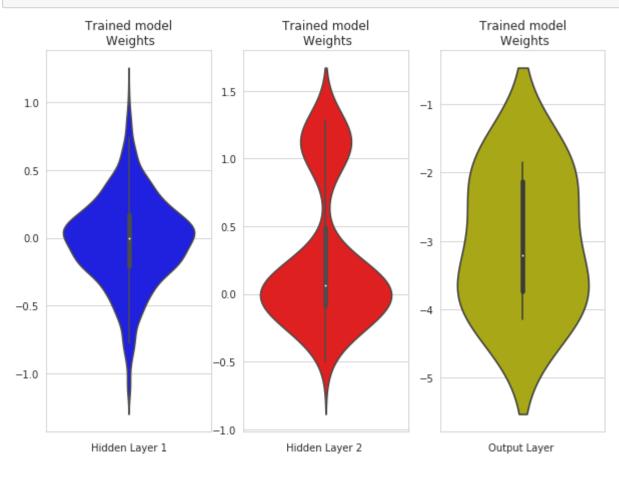


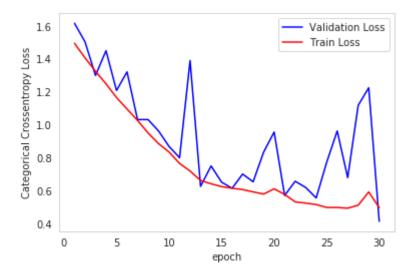
Pred	LAYING	SITTING	STANDING	WALKING	WALKING_DOWNSTAIRS	\
True						
LAYING	510	0	0	0	0	
SITTING	0	423	62	0	0	
STANDING	0	136	396	0	0	
WALKING	0	0	0	466	20	
WALKING_DOWNSTAIRS	0	0	0	3	409	
WALKING UPSTAIRS	0	0	0	41	28	

Pred WALKING_UPSTAIRS
True
LAYING 27
SITTING 6
STANDING 0
WALKING 10
WALKING_DOWNSTAIRS
WALKING_UPSTAIRS 402

In [170]: # Plot weight distribution using violin plot import warnings warnings.filterwarnings(action='ignore') plot_weights(model) print() print()

Plot train and cross validation error
plot_train_cv_loss(train_21_3,epochs)





Observations:-

- In the 2-layered LSTM architecture I have tried various combinations of neurons and drop-outs values and all gave good results with accuracy more than 90% except the last architecture.
- The 2-layered LSTM with (48,32) set of neurons and 0.6 drop-out rates have the best accuracy which is 93.70 with a error rate of 20%.
- The models with higher dropout rates tends to have higher error rates since the data is less.

```
In [5]: def conclusion_table1():
            print()
            ptable=PrettyTable()
            ptable.title="The performance comparisons of all the Machine-learning algorithms are as follows: "
            ptable.field_names=["Algorithm","Accuracy","Error-rates"]
            ptable.add_row(["Logistic-regression",96.3,3.69])
            ptable.add_row(["Linear SVM",96.64,3.35])
            ptable.add_row(["RBF-Kernel SVM",96.27,3.73])
            ptable.add_row(["Decision Tree",86.49,13.51])
            ptable.add_row(["Random-forest",91.35,8.65])
            ptable.add_row(["Gradient-boosted Decsion tree",91.35,8.653])
            print(ptable)
        def conclusion_table2():
            print()
            ptable=PrettyTable()
            ptable.title="The performance comparisons of all the single layered LSTM model are as follows: "
            ptable.field_names=["Number of neurons","Drop-out_rates","Percentage_Accuracy","Percentage_Loss"]
            ptable.add_row([48,0.6,91.53,30])
            ptable.add_row([48,0.75,65,67])
            ptable.add_row([64,0.6,93.61,19])
            ptable.add_row([64,0.75,91.95,25])
            ptable.add_row([128,0.6,94.41,14])
            ptable.add_row([128,0.75,93.40,20])
            Ptable=PrettyTable()
            Ptable.title="The performance comparisons of all the 2-Layered LSTM models are as follows: "
            Ptable.field_names=["Neuron in layer_1", "Neuron in layer_2", "Drop-out_rates", "Percentage_Accuracy"
        ,"Percentage_Loss"]
            Ptable.add_row([48,32,0.6,93.70,20.9])
            Ptable.add_row([68,48,0.75,93.13,25.01])
            Ptable.add_row([128,64,0.85,82.83,49.90])
            print(ptable)
            print(Ptable)
```

```
In [7]: conclusion_table1()
  conclusion_table2()
```

The performance comparisons of all the Machine-learning algorithms are as follows:					
Algorithm	Accuracy	Error-rates			
Logistic-regression	96.3	3.69			
Linear SVM	96.64	3.35			
RBF-Kernel SVM	96.27	3.73			
Decision Tree	86.49	13.51			
Random-forest	91.35	8.65			
Gradient-boosted Decsion tree	91.35	8.653			

The performance comparisons of all the single layered LSTM model are as follows:							
Number of neurons Drop-out_rates Percentage_Accuracy Percentage_Loss							
48	0.6	91.53	30				
48	0.75	65	67				
64	0.6	93.61	19				
64	0.75	91.95	25				
128	0.6	94.41	14				
128	0.75	93.4	20				

t							
Neuron in layer_1	Neuron in layer_2	Drop-out_rates	Percentage_Accuracy	Percentage_Loss			
48	32	0.6	93.7	20.9 25.01			
68 128	48 64	0.75 0.85	93.13 82.83	49.9			

Conclusion

- In this above case-study of Human-activity-recognition system the expert engineered features plays an important role for developing proper supervised machine-learning models with greater accuracy and lesser error values.
- So in machine-learning domain knowledge cannot be completely ignored as it is a key tool in solving complex real life problems but it is a slow and tedious process.
- To fast up the process the deep-learning models are used and especially in sequenced data as input LSTM models are used widely. These models can automatically learn the features as raw input is given to it.
- In this case-study raw input vectors which are prepared by using the over-lapped sampling techniques over the 9-signal data.
- No expert features are given as input and the LSTM model learned the features over time and gave pretty descent accuracy and error-rates.
- After tuning the hyper-parameters of a single layered LSTM I got an accuracy around 94.41% which is pretty close to the accuracy of the machine-learning model which was build using the expert-engineered features.
- So clearly with larger dataset and deeper layers the Deep-Learning model can surpass the performance of the machine-learning models.
- It is very easy to over-fitt an deep-learning model so to avoid it proper regularization is neccessary which can be done by Drop-out layers and regulating the layers in a Deep-learning model.