Miniproject-2

Hardware Implementation of Different Control Schemes on a 2R Manipulator

Submitted by

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Abstract

A 2R manipulator is a type of robotic arm or manipulator that consists of two revolute (rotational) joints connected by two links. Each "R" in the term "2R" represents a revolute joint, which allows for rotational motion.

The term "2R" is commonly used in robotics to describe the kinematic structure of a manipulator. In this case, it specifies that the manipulator has two rotational joints, typically referred to as "R1" and "R2," and two links connecting these joints. This configuration allows the manipulator to move in a two-dimensional plane and is often used in simple robotic arms or manipulators for tasks such as pick-and-place operations, painting, or assembly tasks.

Force control refers to the ability of the robot to control and adjust the force it applies to objects or surfaces during its operation. It is a crucial aspect of robotics that allows robots to interact with their environment in a more delicate and adaptive manner.

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Objective

In Miniproject 2 we are implementing Different Control Schemes like Position Control, Force Control etc. on Hardware (OS-AKE). We are using ESP 32 micro controller for controlling the motors. FSR 402 has been used for sensing the force for force control.

Task 0

2.1 DH Parameters

2.1.1 Relevant Parameters of OSAKE-1

The Links Attached to the Motors have the following Parameters (Fig. 2.2,2.3) The DH parameters of the 2R Manipulator is attached in Table 2.1

```
Here, qrel_{dot} = q1_{dot} - q2_{dot}
```

2.2 Jacobian

The python code for calculating the Jacobian is attached.

```
import numpy as np

#2R configuration
#All rotations are about the current z axes.
#D-H parameters d, theta, a, alpha

l=11,11.5 # link lengths
# rotation matrix about z axis
```

```
def Rzq(q_):
    R=[[np.cos(q_), -np.sin(q_), 0],
       [np.sin(q_{-}), np.cos(q_{-}), 0],
       [0, 0, 1]]
    return R
# rotation matrix about y axis
def Ryq(q):
    R=[[np.cos(q), 0, np.sin(q)],
       [0, 1, 0],
       [-np.sin(q), 0, np.cos(q)]]
    return R
# rotation matrix about x axis
def Rxq(q_{-}):
    R = [[1, 0, 0],
       [0, np.cos(q_{-}), -np.sin(q_{-})],
       [0, np.sin(q_), np.cos(q_)]]
    return R
# transformation matrix
def H(R=np.identity(3), d=[0,0,0]): #default no
   rotation, no translation
    H1 = [[R[0][0], R[0][1], R[0][2], d[0]],
       [R[1][0],R[1][1], R[1][2],d[1]],
       [R[2][0], R[2][1], R[2][2], d[2]],
       [0,0,0,1]
    #print(H1
    return H1
def A(d,theta,a,al):
    d1 = [0,0,d]
    a1 = [a, 0, 0]
    print(theta)
    H1=H(np.identity(3),d1)
    H2= H(Rzq(theta))
    H3=H(np.identity(3),a1)
    H4=H(Rxq(al),[0,0,0])
    Hab = (np.linalg.multi_dot([
                 H(np.identity(3),d1),
                 H(Rzq(theta)),
```

```
H(np.identity(3),a1),
                   H(Rxq(al),[0,0,0])
                    ]))
    # Ai = [
            [np.cos(theta), -np.sin(theta)*np.cos(al)]
     ,np.sin(theta)*np.sin(al)
     ,a*np.cos(theta)],
            [np.sin(theta),
    np.cos(theta)*np.cos(al),-np.cos(theta)*np.sin(al)
     ,a*np.sin(theta)],
            [0, np.sin(al), np.cos(al), d],
            [0,0,0,1]
    # 7
    return Hab
# inverse kinematics
def inv(x,y):
    theta=np.arccos((x**2+y**2-1[0]**2-1[1]**2)
    /(2*1[0]*1[1])) # in radians
    q1= np.arctan2(y, x) - np.arctan2(1[1] *
        np.sin(theta), 1[0] + 1[1]* np.cos(theta))
        #in radians
    q2= q1+theta
    return [q1,q2]
def endeffector(q,1):
                            # forward kinematics
    # transformation matrices
                              \#q2_ is the relative
    q1, q2_{=q}[0], q[1] - q[0]
        angle
    # print("rel angles",q1,q2_)
    H01=A(0,q1,1[0],0)
    H12=A(0,q2_1,1[1],0)
    H = [H01, H12]
    #position of end effector in 0 frame
    P=np.linalg.multi_dot([H01,H12,[0,0,0,1]])
    print("final_{\sqcup}position_{\sqcup}of_{\sqcup}the_{\sqcup}end_{\sqcup}effector_{\sqcup}with_{\sqcup}
        respect_{\sqcup}to_{\sqcup}the_{\sqcup}base_{\sqcup}frame_{\sqcup}:_{\sqcup}", P[0],"i_{\sqcup}
        +",P[1],"j⊔+", P[2],"k")
     #return P, H
```

```
      Link
      d_i (in cm)
      \theta_i
      a_i (in cm)
      \alpha

      1
      6.5
      q1_{dot}
      11
      0

      2
      0
      qrel_{dot}
      11.5
      0
```

Table 2.1: DH Parameters

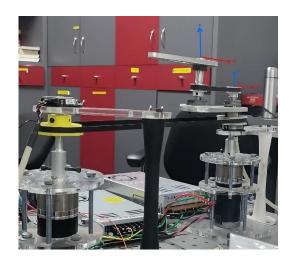


Figure 2.1: 2R Manipulator

```
# input angles to get the desired end effector
    position

for _ in range(2):
    x,y=eval(input("enter_x,y_coordinates:_"))
    q=inv(x,y)
    endeffector(q,1)
```

Parameter	Value	
Area	$16401.972 mm^2$	
Density	$0.003g/mm^3$	
Mass	114.18g	
Length	110mm	
Volume	$42288.919 mm^3$	
Material	Aluminum	

Parameter	Value	
Area	$10854.973 mm^2$	
Density	$0.003g/mm^3$	
Mass	69.65g	
Length	115mm	
Volume	$25796.415 mm^3$	
Material	Aluminum	

Figure 2.2: Parameters for Link1

Figure 2.3: Parameters for Link2 $\,$

Task 1

Trajectory following In Task 1, We have have to trace an arbitrary trajectory. We have provided the input as $[x_0,y_0]=[\mathbf{0},\mathbf{15}]$ and $[x_0,y_0]=[\mathbf{10},\mathbf{10}]$

The Controller follows an arbitrary trajectory to x_0, y_0 .

3.1 Insights

Due to the slippage between the belt and drive pulley of Link 1, there were inconsistencies in achieving the Exact End effector position due to which there were unwanted errors.

There was also time lag between desired trajectory and actual Trajectory, tuning of the gains of the controller was a key problem as little overshoot from the value would produce undesirable results. Setting the appropriate value of PWM was

Task 2

4.1 Force Control

In the context of force control, when applying an 8 Newton force in the 0i + 1j direction at the position (x = 10, y = 12), it's crucial to maintain precise control over this force. This control ensures that the robot exerts the specified force accurately, allowing for delicate or targeted interactions with objects in the vertical (y) direction at this specific location.

4.2 FSR402

We have used FSR 402 sensor to Measure the force applied by the End effector. The sensor works on the principle of change in resistivity when applied an external pressure. The details of the sensor are also shown in Datasheet attached. The code used to convert The analog readings to Force(N) is attached as follows:-

```
int fsrPin = 33;  // the FSR and 10K pulldown are
    connected to a0
int fsrReading;  // the analog reading from the
    FSR resistor divider
int fsrVoltage;  // the analog reading converted
    to voltage
```



Figure 4.1: FSR Dataspecs

```
// The voltage
unsigned long fsrResistance;
   converted to resistance
unsigned long fsrConductance;
double fsrForce;
                       // Finally, the resistance
   converted to force
void setup(void) {
  Serial.begin(9600); // We'll send debugging
     information via the Serial monitor
}
void loop(void) {
  fsrReading = analogRead(fsrPin);
  Serial.print("Analog_reading_=_");
  Serial.println(fsrReading);
  // analog voltage reading ranges from about 0 to
     1023 which maps to OV to 5V (= 5000mV)
  fsrVoltage = map(fsrReading, 0, 4095, 0, 5000);
  Serial.print("Voltage ureading uin um V u= u");
  Serial.println(fsrVoltage);
```

```
if(fsrVoltage == 0) {
  Serial.println("No⊔pressure");
} else {
  // The voltage = Vcc * R / (R + FSR) where R =
     10K and Vcc = 5V
  // so FSR = ((Vcc - V) * R) / V
                                           yay math!
  fsrResistance = 5000 - fsrVoltage;
                                            //
     fsrVoltage is in millivolts so 5V = 5000mV
  fsrResistance *= 10000;
                                            // 10K
     resistor
  fsrResistance /= fsrVoltage;
  Serial.print("FSR<sub>□</sub>resistance<sub>□</sub>in<sub>□</sub>ohms<sub>□</sub>=<sub>□</sub>");
  Serial.println(fsrResistance);
  fsrConductance = 1000000;
                                        // we
     measure in micromhos so
  fsrConductance /= fsrResistance;
  Serial.print("Conductance in microMhos: ");
  Serial.println(fsrConductance);
  // Use the two FSR guide graphs to approximate
     the force
  if (fsrConductance <= 1000) {
    fsrForce = fsrConductance / 80;
    Serial.print("Force in Newtons1: ");
    Serial.println(fsrForce);
  } else {
    fsrForce = fsrConductance - 1000;
    fsrForce /= 30;
    Serial.print("Force in Newtons2: ");
    Serial.println(fsrForce);
  }
}
Serial.println("-----");
delay(10);
```

4.3 Setup and Insights

We used a force sensor and attached it to an MDF sheet to try and measure the force reaction, as seen in the image and the video. We used feedback control to try to analyze the behaviour of the manipulator after force application, but we ran into issues. The motor controlling link 1 stalled and refused to move even after inputting high rpms. This caused the link not to move and touch the sensor. The force sensor also gave very high values of force when not in use and interfered with the force control function. The entire phenomenon is documented in the video to show where the setup failed.

Task 3

5.1 Spring Behaviour

To make the 2R bot behave like a Linear spring. We used Mean position $[x_0,y_0]$ as [5,5].

5.2 Insights

The Friction was variable on both the pulleys. Also the Current Sensor wasn't working on one of the motors which caused issues in taking the reading values. Our Code theoretically should run properly but the manipulator wasnt responsive at low deviations which caused the task to fail.

${\bf Project_Repository}$

Here is the Repository containing all the data.

- 1. Task Codes
- 2. TestVideos