

BACKTRACKING

EXPERIMENT-1

AIM:

To place N queens on a chessboard so that no two queens attack each other using backtracking.

PROCEDURE:

- Place queens row by row.
- Check if the position is safe (no other queen in same column or diagonal).
- If safe, place the queen and move to next row.
- If not safe, backtrack and try another column.

PROGRAM:

```
main.py
1- def print_board(board):
2-     for row in board:
3-         print(" ".join(row))
4-     print()
5- def is_safe(board, row, col, n):
6-     for i in range(row):
7-         if board[i][col] == 'Q':
8-             if col - (row - i) >= 0 and board[i][col - (row - i)] == 'Q':
9-                 if col + (row - i) < n and board[i][col + (row - i)] == 'Q':
10- def solve(board, row, n):
11-     if row == n:
12-         print_board(board)
13-         return
14-     for col in range(n):
15-         if is_safe(board, row, col, n):
16-             board[row][col] = 'Q'
17- n = 4
18- board = [['.' for _ in range(n)] for _ in range(n)]
19- solve(board, 0, n)
```

OUTPUT:

```
Output
. Q . .
. . . Q
Q . . .
. . Q .

. . Q .
Q . . .
. . . Q
. Q . .

=== Code Execution Successful ===
```

RESULT:

Thus the program implemented successfully.

EXPERIMENT-2





AIM:

To solve a 9×9 Sudoku puzzle using backtracking.

PROCEDURE:

- Find an empty cell.
- Try filling it with numbers 1–9.
- Check if the number is valid (row, column, and box).
- If valid, continue; if not, backtrack.

PROGRAM:

```
main.py    Share  Run

1 def solve(board):
2     for r in range(9):
3         for c in range(9):
4             if board[r][c] == '.':
5                 for ch in '123456789':
6                     if valid(board, r, c, ch):
7                         if solve(board):
8                             if board[r][c] == ch or board[c][r] == ch:
9                                 return False
10                    if board[3*(r//3)+i//3][3*(c//3)+i%3] == ch:
11                return True
12 board = [
13     ["5","3",".", ".", ".", "7", ".", ".", ".", "."],
14     ["6",".", ".", ".", "1","9","5",".", ".", "."],
15     [".",".", ".", ".", ".", "8",".", ".", "7","9"]
16 ]
17 solve(board)
18 for row in board:
19     print(row)
20
```

OUTPUT:

```
Output

['5', '3', '4', '6', '7', '8', '9', '1', '2']
['6', '7', '2', '1', '9', '5', '3', '4', '8']
['1', '9', '8', '3', '4', '2', '5', '6', '7']
['8', '5', '9', '7', '6', '1', '4', '2', '3']
['4', '2', '6', '8', '5', '3', '7', '9', '1']
['7', '1', '3', '9', '2', '4', '8', '5', '6']
['9', '6', '1', '5', '3', '7', '2', '8', '4']
['2', '8', '7', '4', '1', '9', '6', '3', '5']
['3', '4', '5', '2', '8', '6', '1', '7', '9']

=== Code Execution Successful ===
```

RESULT:

Thus the program implemented successfully.

EXPERIMENT-3

AIM:

To find how many ways '+' or '-' can be added to numbers so the total equals a target.

PROCEDURE:

- For each number, choose either '+' or '-'.
- Calculate total recursively.
- If the total equals the target, count it.

PROGRAM:

```
main.py  [Icons] [Share] [Run]

1- def findWays(nums, target):
2-     count = 0
3-     def backtrack(i, total):
4-         nonlocal count
5-         if i == len(nums):
6-             if total == target:
7-                 count += 1
8-             return
9-         backtrack(i + 1, total + nums[i])
10-        backtrack(i + 1, total - nums[i])
11-    backtrack(0, 0)
12-    return count
13-
14- nums = [1, 1, 1, 1, 1]
15- target = 3
16- print("Number of ways:", findWays(nums, target))
17-
18-
```

OUTPUT:

```
Output
Number of ways: 5
=== Code Execution Successful ===
```

RESULT:

Thus the program implemented successfully.

EXPERIMENT-4

AIM:

To find the sum of the minimum value of all possible contiguous subarrays of a given array using a monotonic stack for efficiency.

PROCEDURE:

- For each element $arr[i]$, find:
- $left[i]$: number of subarrays ending at i where $arr[i]$ is the minimum.
- $right[i]$: number of subarrays starting at i where $arr[i]$ is the minimum.
- Multiply $arr[i] * left[i] * right[i]$ to find its total contribution.
- Sum all contributions and take modulo $(10^9 + 7)$.

PROGRAM:

```
main.py
1- def sumSubarrayMins(arr):
2-     MOD = 10**9 + 7
3-     n = len(arr)
4-     stack = []
5-     left = [0] * n
6-     right = [0] * n
7-     for i in range(n):
8-         count = 1
9-         while stack and stack[-1][0] > arr[i]:
10-             count += stack.pop()[1]
11-         left[i] = count
12-         while stack and stack[-1][0] >= arr[i]:
13-             count += stack.pop()[1]
14-         right[i] = count
15-         stack.append((arr[i], count))
16-     for i in range(n):
17-         ans = (ans + arr[i] * left[i] * right[i]) % MOD
18- arr = [3, 1, 2, 4]
19- print("Sum of Subarray Minimums:", sumSubarrayMins(arr))
--
```

OUTPUT:

```
Output
Sum of Subarray Minimums: 17
=== Code Execution Successful ===
```

RESULT:

Thus the program implemented successfully.

EXPERIMENT-5

AIM:

To find all unique combinations of numbers from a list that sum to a given target. Each number may be used multiple times.

PROCEDURE:

- Sort the candidate list (optional).
- Use a recursive function backtrack(start, path, total):
- If total == target → store the path.
- If total > target → stop exploring.
- Return all valid combinations.

PROGRAM:

```
main.py
1 - def combinationSum(candidates, target):
2     res = []
3     def backtrack(start, path, total):
4         if total == target:
5             res.append(path[:])
6             return
7         if total > target:
8             return
9         for i in range(start, len(candidates)):
10            path.append(candidates[i])
11            backtrack(i, path, total + candidates[i])
12            path.pop()
13    backtrack(0, [], 0)
14    return res
15 candidates = [2, 3, 6, 7]
16 target = 7
17 print("Combinations are:", combinationSum(candidates, target))
18
```

OUTPUT:

```
Output Clear  
Combinations are: [[2, 2, 3], [7]]  
  
=== Code Execution Successful ===
```

RESULT:

Thus the program implemented successfully.