AI - Assignment - 4

1) a. Linear Regardian Equation:

$$y = w_{j}x_{j} + w_{j}x_{k} + w_{j}x_{k$$

Vectors form

$$y = \mathbf{W}^{T}X + b$$

MSE

$$L(y, \hat{y}) = 1 \mathcal{E}(\hat{y}_{1} - y_{1})^{2}$$

$$2N$$

$$\frac{\partial L}{\partial \mathbf{W}} = 1 \mathcal{E}(\hat{y}_{1} - y_{1})^{2} \mathcal{X}_{1}$$

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