

# **STATISTICS WORKSHEET-1**

# $\mathbf{Q}_{1}$

| 1 to | Q9 have only one correct answer. Choose the correct option to answer your question.                  |
|------|--|
| 1.   | Bernoulli random variables take (only) the values 1 and 0.   |
|      | a) True  |
|      | b) False   |
|      | Answer: (a)  |
| 2.   | Which of the following theorem states that the distribution of averages of iid variables, properly   |
|      | normalized, becomes that of a standard normal as the sample size increases?                          |
|      | a) Central Limit Theorem   |
|      | b) Central Mean Theorem  |
|      | c) Centroid Limit Theorem  |
|      | d) All of the mentioned  |
|      | Answer: (a)  |
| 3.   | Which of the following is incorrect with respect to use of Poisson distribution?                     |
| J.   | a) Modeling event/time data  |
|      |  |
|      | <ul><li>b) Modeling bounded count data</li><li>c) Modeling contingency tables</li></ul>              |
|      | d) All of the mentioned  |
|      | Answer: (b)  |
| 4.   |  |
| 4.   | a) The exponent of a normally distributed random variables follows what is called the log- normal    |
|      | distribution   |
|      |  |
|      | b) Sums of normally distributed random variables are again normally distributed even if the variable |
|      | are dependent  |
|      | c) The square of a standard normal random variable follows what is called chi-squared                |
|      | distribution   |
|      | d) All of the mentioned  |
|      | Answer: (d)  random variables are used to model rates.   |
| 5.   | random variables are used to model rates.  |
|      | a) Empirical   |
|      | b) Binomial  |
|      | c) Poisson   |
|      | d) All of the mentioned  |
|      | Answer: (c)  |
| 6.   | Usually replacing the standard error by its estimated value does change the CLT.                     |
|      | a) True  |
|      | b) False   |
|      | Answer: (b)  |
| 7.   | 8 4 4 4 6 4 4 4 6 4 4 4 4 4 4 4 4 4 4 4  |
|      | a) Probability   |
|      | b) Hypothesis  |
|      | c) Causal  |
|      | d) None of the mentioned   |
|      | Answer:(b)   |
| 8.   | Normalized data are centered at and have units equal to standard deviations of the                   |
|      | original data.   |
|      | a) 0   |
|      | b) 5   |
|      | c) 1   |

Answer: (a)

d) 1

9. Which of the following statement is incorrect with respect to outliers?

a) Outliers can have varying degrees of influence



- b) Outliers can be the result of spurious or real processes
- c) Outliers cannot conform to the regression relationship
- d) None of the mentioned

Answer: (c)

Q10and Q15 are subjective answer type questions, Answer them in your own words briefly.

10. What do you understand by the term Normal Distribution?

A normal distribution is a type of continuous probability distribution in which most data points cluster toward the middle of the range, while the rest taper off symmetrically toward either extreme. The middle of the range is also known as the mean of the distribution. The normal distribution is also known as a Gaussian distribution or probability bell curve. It is symmetric about the mean and indicates that values near the mean occur more frequently than the values that are farther away from the mean.

11. How do you handle missing data? What imputation techniques do you recommend? Missing data can be dealt with in a variety of ways. I believe the most common reaction is to ignore it. Choosing to make no decision, on the other hand, indicates that your statistical programme will make the decision for you. Your application will remove things in a listwise sequence most of the time. Depending on why and how much data is gone, listwise deletion may or may not be a good idea. Another common strategy among those who pay attention is imputation. Imputation is the process of substituting an estimate for missing values and analysing the entire data set as if the imputed values were the true observed values.

And how would you choose that estimate? The following are some of the most prevalent methods:

# Mean imputation

Calculate the mean of the observed values for that variable for all non-missing people. It has the advantage of maintaining the same mean and sample size, but it also has a slew of drawbacks. Almost all of the methods described below are superior to mean imputation.

#### Substitution

Assume the value from a new person who was not included in the sample. To put it another way, pick a new subject and employ their worth instead.

# Hot deck imputation

A value picked at random from a sample member who has comparable values on other variables. To put it another way, select all the sample participants who are comparable on other factors, then choose one of their missing variable values at random.

One benefit is that you are limited to just feasible values. In other words, if age is only allowed to be between 5 and 10 in your research, you will always obtain a value between 5 and 10. Another factor is the random element, which introduces some variation. For exact standard errors, this is crucial.

#### Cold deck imputation

A value picked deliberately from an individual with similar values on other variables. In most aspects, this is comparable to Hot Deck, but without the random variance. As an example, under the same experimental condition and block, you can always select the third individual.

#### Regression imputation



The result of regressing the missing variable on other factors to get a predicted value. As a result, instead of utilising the mean, you're relying on the anticipated value, which is influenced by other factors. This keeps the associations between the variables in the imputation model, but not the variability around the anticipated values.

# Stochastic regression imputation

The predicted value of a regression plus a random residual value. This has all of the benefits of regression imputation plus the random component's benefits. The majority of multiple imputation is based on stochastic regression imputation.

# Interpolation and extrapolation

An estimate based on other observations made by the same person. It generally only works with data that is collected over time. Proceed with caution, though. For a variable like height in children—one that cannot be reduced through time—interpolation would make more sense. Extrapolation entails estimating beyond the data's true range, which necessitates making more assumptions than is necessary.

### 12. What is A/B testing?

A/B testing, also known as split testing, refers to a randomized experimentation process wherein two or more versions of a variable (web page, page element, etc.) are shown to different segments of website visitors at the same time to determine which version leaves the maximum impact and drives business metrics.

Essentially, A/B testing eliminates all the guesswork out of website optimization and enables experience optimizers to make data-backed decisions. In A/B testing, A refers to 'control' or the original testing variable. Whereas B refers to 'variation' or a new version of the original testing variable.

The version that moves your business metric(s) in the positive direction is known as the 'winner.' Implementing the changes of this winning variation on your tested page(s) / element(s) can help optimize your website and increase business ROI.

The metrics for conversion are unique to each website. For instance, in the case of eCommerce, it may be the sale of the products. Meanwhile, for B2B, it may be the generation of qualified leads.

A/B testing is one of the components of the overarching process of Conversion Rate Optimization (CRO), using which you can gather both qualitative and quantitative user insights. You can further use this collected data to understand user behavior, engagement rate, pain points, and even satisfaction with website features, including new features, revamped page sections, etc. If you're not A/B testing your website, you're surely losing out on a lot of potential business revenue.

# 13. Is mean imputation of missing data acceptable practice? No it ignores future correlation

# 14. What is linear regression in statistics?

Linear regression analysis is used to predict the value of a variable based on the value of another variable. The variable you want to predict is called the dependent variable. The variable you are using to predict the other variable's value is called the independent variable. This form of analysis estimates the coefficients of the linear equation, involving one or more independent variables that best predict the value of the dependent variable. Linear regression fits a straight line or surface that minimizes the discrepancies between predicted and actual output values. There are simple linear regression calculators that use a "least squares" method to discover the best-fit line for a set of paired data. You then estimate the value of X (dependent variable) from Y (independent variable).



15. What are the various branches of statistics?

Descriptive Statistics and Inferential Statistics



