

On Generalizing Collective Spatial Keyword Queries (Extended Abstract)

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Introduction

• Collective spatial keyword query (CoSKQ):

Given: A query consisting a location and a set of keywords

Find: A set S of objects which

(1) covers the query keywords

(2) $\text{cost}(S)$ is minimized

• Our contributions:

(1) A unified cost function - generalizes existing cost functions

(2) A unified approach - solves CoSKQ problem in a unified way

I want to go a money exchange shop, 7-11 and McDonald's.

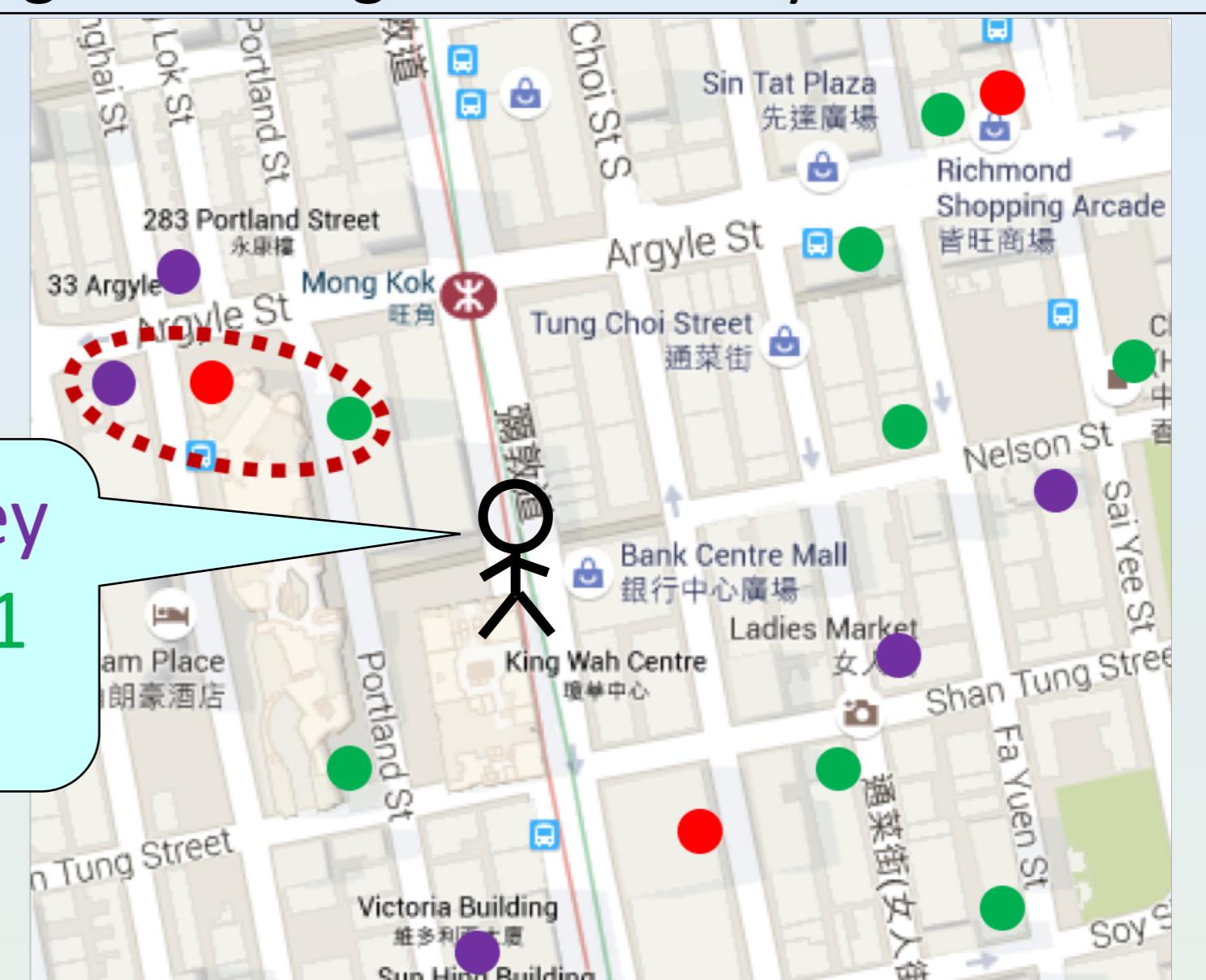


TABLE 1: $\text{cost}_{unified}$ under different parameter settings

Parameter			$\text{cost}_{unified}(S \alpha, \phi_1, \phi_2)$	Existing/New
$\alpha \in (0, 1]$	$\phi_1 \in \{1, \infty, -\infty\}$	$\phi_2 \in \{1, \infty\}$		
a	0.5*	1	$\sum_{o \in S} d(o, q) + \max_{o_1, o_2 \in S} d(o_1, o_2)$	cost_{SumMax} [2]
b	0.5*	1	$\max\{\sum_{o \in S} d(o, q), \max_{o_1, o_2 \in S} d(o_1, o_2)\}$	$\text{cost}_{SumMax2}$ (New)
c	0.5*	∞	$\max_{o \in S} d(o, q) + \max_{o_1, o_2 \in S} d(o_1, o_2)$	cost_{MaxMax} [3], [17], [2]
d	0.5*	∞	$\max\{\max_{o \in S} d(o, q), \max_{o_1, o_2 \in S} d(o_1, o_2)\}$	$\text{cost}_{MaxMax2}$ [17]
e	0.5*	$-\infty$	$\min_{o \in S} d(o, q) + \max_{o_1, o_2 \in S} d(o_1, o_2)$	cost_{MinMax} [2]
f	0.5*	$-\infty$	$\max\{\min_{o \in S} d(o, q), \max_{o_1, o_2 \in S} d(o_1, o_2)\}$	$\text{cost}_{MinMax2}$ (New)
g	1	1	$\sum_{o \in S} d(o, q)$	cost_{Sum} [3], [2]
h	1	∞	$\max_{o \in S} d(o, q)$	cost_{Max} (New)
i	1	$-\infty$	$\min_{o \in S} d(o, q)$	cost_{Min} (New)

* Following the existing studies, $\alpha = 0.5$ is used to illustrate the case of $\alpha \in (0, 1)$ for simplicity

A Unified Cost Function

$$\text{cost}_{unified}(S|\alpha, \phi_1, \phi_2)$$

$$= \left\{ \left[\alpha \cdot D_{q,o}(S|\phi_1) \right]^{\phi_2} + \left[(1 - \alpha) \max_{o_1, o_2 \in S} d(o_1, o_2) \right]^{\phi_2} \right\}^{\frac{1}{\phi_2}}$$

where $\alpha \in (0, 1]$, $\phi_1 \in \{1, \infty, -\infty\}$, $\phi_2 \in \{1, \infty\}$

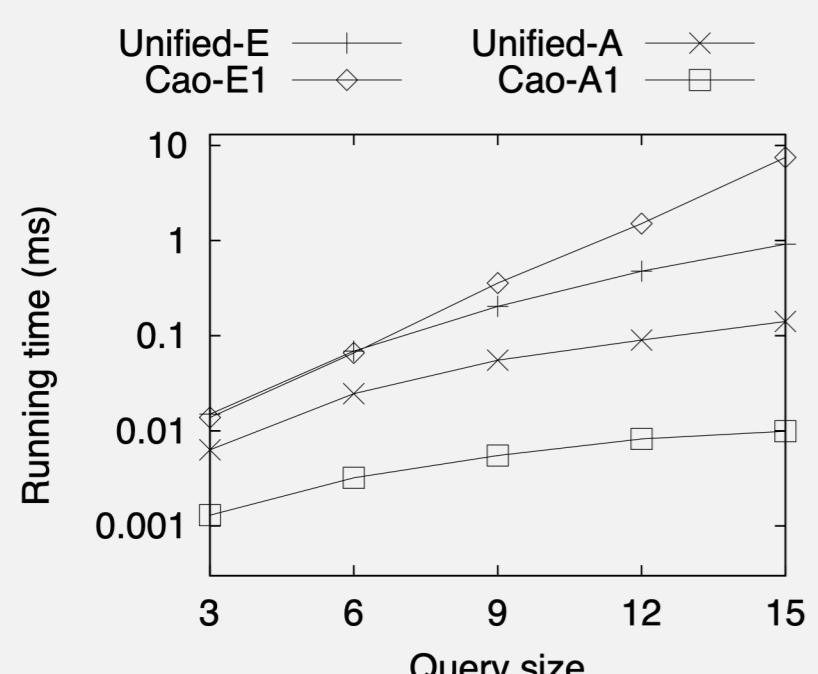
The query-object distance component

$$D_{q,o}(S|\phi_1) = \left[\sum_{o \in S} (d(o, q))^{\phi_1} \right]^{\frac{1}{\phi_1}}$$

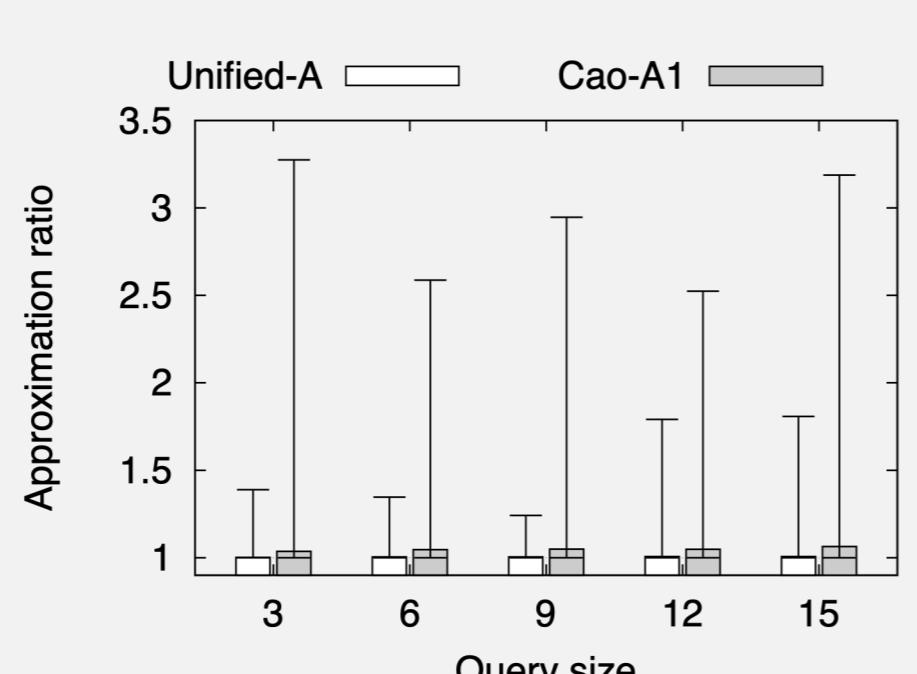
$$= \begin{cases} \sum_{o \in S} d(o, q), & \text{if } \phi_1 = 1 \\ \max_{o \in S} d(o, q), & \text{if } \phi_1 = \infty \\ \min_{o \in S} d(o, q), & \text{if } \phi_1 = -\infty \end{cases}$$

Experiment

Dataset	Hotel	GN	Web
# of objects	20,790	1,868,821	579,727
# of unique words	602	222,409	2,899,175
# of words	80,645	18,374,228	249,132,883



(a) Running time



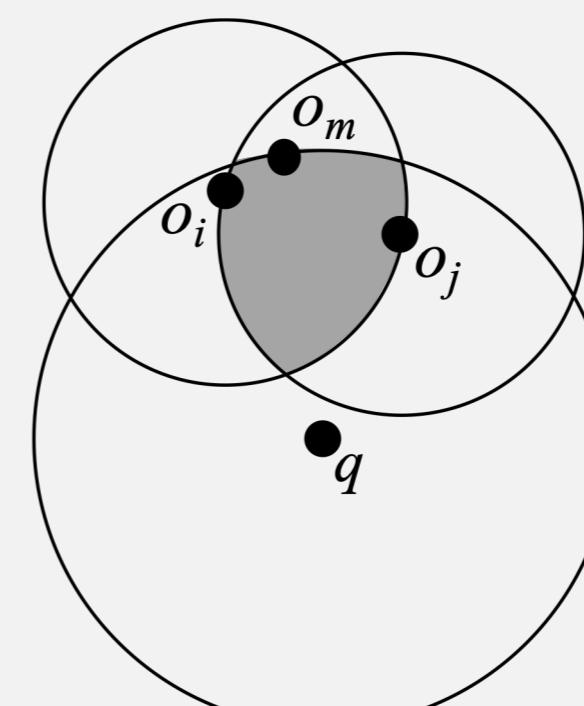
(b) Approximation ratio

Fig. Effect of query size on $\text{cost}_{MinMax2}$

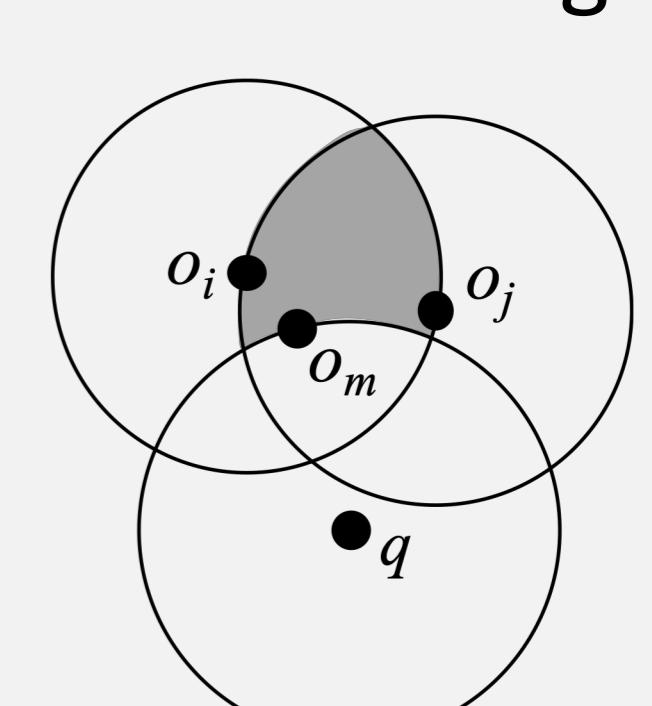
A Unified Approach

- An object set S is a **feasible set** if S covers all query keywords
- Two objects $o_i, o_j \in S$ are **object-object distance contributors** wrt S if $d(o_i, o_j)$ contribute to $\max_{o, o' \in S} d(o, o')$

Unified-E. An exact algorithm that iterates through the object-object distance contributors. It has pruning techniques that considered different parameter settings.



(a) $\phi_1 \in \{1, \infty\}$



(b) $\phi_1 = -\infty$

Fig. Search space in Unified-E

Unified-A. An approximate algorithm that replaces the step of constructing the best feasible set with an efficient step of constructing the (arbitrary) feasible set, and thus it enjoys better efficiency.