

# Student Programming Strategies

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## **Project Introduction**

In introductory computer science courses, novice students always struggle handling compilation errors and using data structure.

This project aims to analyse collected data about student programming assignments and determine what programming patterns students employ.

In this work, the **dataset** is obtained from the BlueJ Blackbox project, which has recorded over 150,000 users, their over 10,000,000 compilations and tens of gigabytes of source code.

The source codes are recorded between 2013 and 2014. There are total 546,188 projects in the dataset.

# **Project Scope**

#### **Research Questions:**

- **RQ1:** How to select and manipulate a representative subset of the database?
- RQ2: What measurement can assess student error handling abilities?
- **RQ3:** What metric determines students' improvement on programming skills?

#### Sample Selection Criteria:

To identify student programming patterns we analyse data taken from the academic programming projects without considering test cases.

## **Proposed Analysis Methodology**

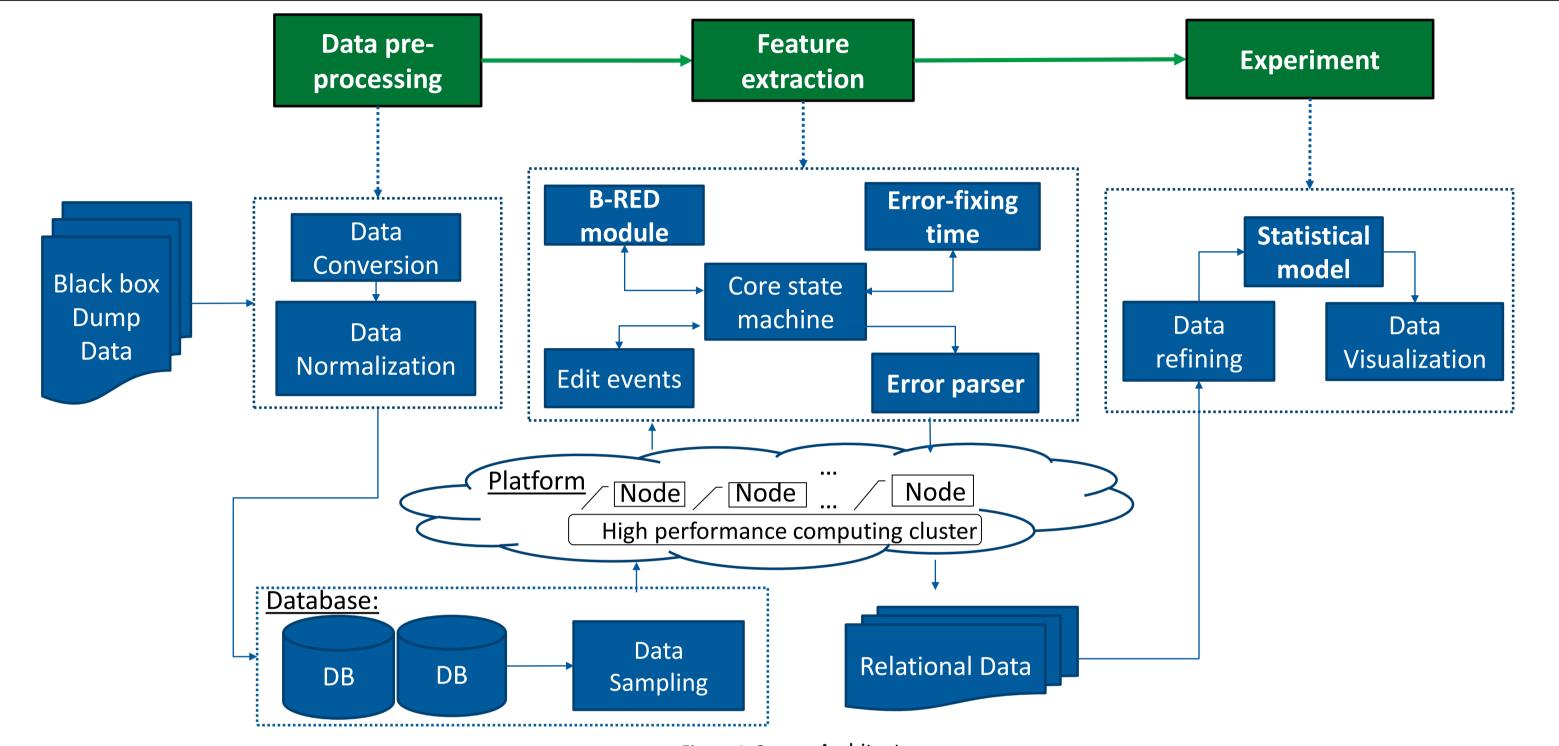


Figure 1: System Architecture

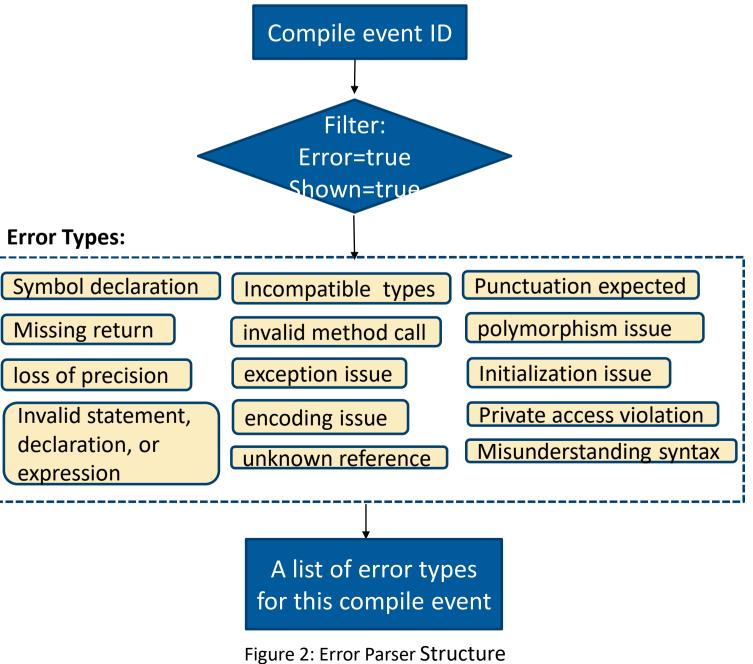
#### B-RED:

Modified Repeated Error Density (B-RED) algorithm to fit into BlueJ project:  $RED = \sum_{i=1}^{n} \frac{r_i^2}{r_{i+1}}$ 

| Event | Sequence s | Х | r | RED  |
|-------|------------|---|---|------|
| А     | x x        | 2 | 1 | 0.5  |
| В     | x x x      | 3 | 2 | 1.33 |
| С     | x x x x    | 4 | 2 | 1    |

Table 1: RED Metric

## **Error Parser:**



#### **Error-fixing time:**

$$T = \frac{\sum_{i=1}^{n} (t_s - t_e)}{T}$$

Where  $t_s$  is error occurrence time,  $t_e$  is error session end time and n is the number of error types

#### Statistical model:

Correlation coefficient:

$$r = \frac{\sum (x - \bar{x})(y - \bar{y})}{\sqrt{\sum (x - \bar{x})^2 \sum (y - \bar{y})^2}}$$

Regression coefficient:

$$\mathbf{r} = \frac{(\sum y)(\sum x^2) - (\sum x)(\sum xy)}{n(\sum x^2) - (\sum x)^2}$$

Hypothesis test:

T-value = 
$$\frac{\bar{x} - \mu}{std\sqrt{n}}$$

## **Experimental Results**

| Cluster | ID | Significance level | Regression coefficient | Number of users | Percentage |
|---------|----|--------------------|------------------------|-----------------|------------|
| Р       | P1 | High               | (-∞, -1)               | 557             | 55.53%     |
|         | P2 | Medium             | [-0.5, -1]             | 250             | 24.22%     |
|         | Р3 | Low                | (-0.5, 0)              | 218             | 21.40%     |
| N       | N1 | High               | [1, ∞)                 | 614             | 55.53%     |
|         | N2 | Medium             | [0.5, 1)               | 251             | 22.64%     |
|         | N3 | Low                | (0, 0.5)               | 245             | 22.10%     |



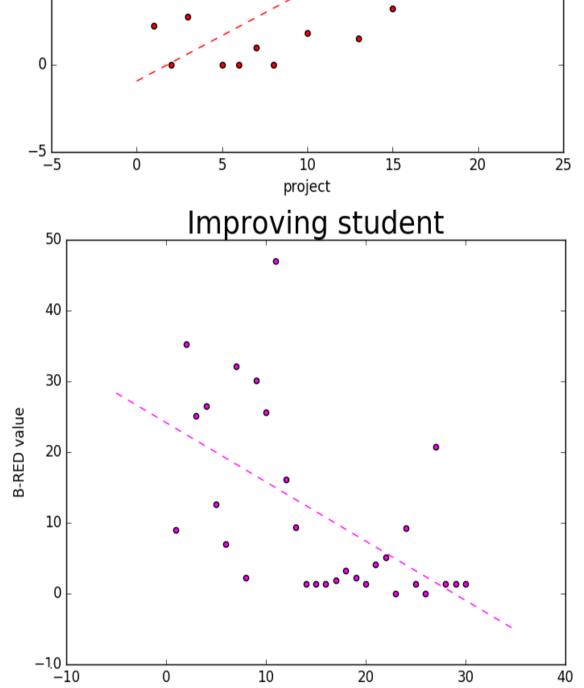
- P group: students with great improvement on their handling skills over project;
- N group: students with declining handling trend.

| Error Type                        | Student | <b>Fixing Time</b> | P-value |
|-----------------------------------|---------|--------------------|---------|
|                                   | Group   |                    |         |
| Invalid statement, declaration or | Р       | 75.346             | <0.05   |
| expression                        | N       | 116.054            |         |
| Private access violation          | Р       | 25.664             | <0.05   |
|                                   | N       | 95.152             |         |
| Misunderstanding syntax           | Р       | 37.424             | <0.05   |
|                                   | N       | 69.386             |         |
| Invalid method call               | Р       | 55.113             | <0.05   |
|                                   | N       | 251.926            |         |

Table 4: Analysis Result of Student Fixing Time

The differences of fixing times for the error types in table 4 are the underlying reasons why P group outperforms N group.





Figurer 3: Examples of the Students in P and N groups

Poor student

#### **Project Conclusion**

- Analyse users' continuous behaviours with learning mechanism
- Identify the patterns of problem-solving in the student group with high performance
- Validate that the good students handle OOP errors better than other group
- Propose the data analysis methodology for BlueJ project
- The first detailed analysis of student error-handling abilities with Blackbox database

## Reference

1. Becker, B. A. (2016b). A new metric to quantify repeated compiler errors for novice programmers. Proceedings of the 21st Annual Conference on Innovation and Technology in Computer Science Education. ACM.