

05 Hr **41** Min
07 Sec**Guidelines**

Coding Area

**Editor | Compile &
Run History****Submissions****Feedback Form****Result****Graphs**

Coding Area

A**B****C****D****E****F****ONLINE EDITOR (E)**

Distinct Partition Squares

+ Problem Description

Among the several path breaking contributions to Number theory by the famous Indian mathematician Srinivasa Ramanujan, his contribution to partitions is extensive and deep. A partition of a positive integer n , also called an integer partition, is a way of writing n as a sum of positive integers. Two sums that differ only in the order of their summands are considered the same partition. For example, 4 can be expressed as a sum of positive integers in the following ways: $1+1+1+1$, $1+1+2$, $1+3$, $2+2$, 4. Of these, only $1+3$ and 4 use non repeating summands. Partitions using non repeating summands are called distinct partitions of n . There is no general formula for the number of partitions of an integer n and it is known that the partitions grow rapidly with n .

A k -distinct-partition of a number n is a set of k distinct positive integers that add up to n . For example, 3-distinct partitions of 10 are $1+2+7$, $1+3+6$, $1+4+5$ and $2+3+5$

The objective is to count all k -distinct partitions of a number that have at least two perfect squares in the elements of the partition. Note that 1 is considered a perfect square.

+ Constraints

$k < N < 200$, so that at least one k -distinct partition exists.

+ Input Format

The input consists of one line containing of N and k separated by a comma.

+ Output

One number denoting the number of k -distinct partitions of N that have at least two perfect squares in the elements of the partition.

+

+ Explanation

Example 1

Input

10, 3

Output

1

Explanation: The input asks for 3-distinct-partitions of 10. There are 4 of them (1+2+7, 1+3+6, 1+4+5 and 2+3+5). Of these, only 1 has at least two perfect squares in the partition (1+4+5).

Example 2

Input

12, 3

Output

2

Explanation

The input asks for 3-distinct partitions of 12. There are 7 of them (9+2+1, 8+3+1, 7+4+1, 7+3+2, 6+5+1, 6+4+2, 5+4+3). Of these, two, (9+4+1, 7+4+1) have two perfect squares. Hence, the output is 2.

Upload Solution [Question : E]

☐ I, **akash kandpal** confirm that the answer submitted is my own.

☐ Took help from online sources (attributions)

Choose a
File ...

CodeVita FAQ's
CodeVita Blog
Privacy Policy
Careers

CONNECT WITH US



© 2018 Tata Consultancy Services
Limited. All Rights Reserved.

