



### Example :- Water Jug Problem

Consider the following problem : you are given two jugs a 4-gallon one and a 3-gallon one, a pump which has unlimited water which you can use to fill the jug and the ground on which water may be poured. Neither jug has any measuring markings on it. How can you get exactly 2 gallons of water in the 4-gallon jug ?

~~State Representation & Initial State~~ - we will represent a state of the problem as a tuple  $(x, y)$  - the amount of water in the 3-gallon jug. Note  $0 \leq x \leq 4$ , and  $0 \leq y \leq 3$  our initial state  $(0, 0)$

Goal Predicate :-

State =  $(7, 4)$  where  $0 \leq y \leq 3$

Operators :

We must define a set of operators that will take us from one state to another.



1. Fill 4-gal Jug  $(x, y)$   $\rightarrow (4, y)$   
 $x \leq 4$
2. Fill 3-gal Jug  $(x, y)$   $\rightarrow (x, 3)$   
 $y \leq 3$
3. Empty 4-gal Jug on ground  $(x, y)$   $\rightarrow (0, y)$   
 $x > 0$
4. Empty 3-gal Jug on ground  $(x, y)$   $\rightarrow (x, 0)$   
 $x > 0$
5. Pour water from 3-gal Jug to fill 4-gal Jug  $(x, y)$   
 $0 \leq x + y \leq 4$   
 $\& 4 \geq 0$   $\rightarrow (4, y - (4 - x))$
6. Pour water from 4-gal Jug to fill 3-gal Jug  $(x, y)$   
 $0 \leq x + y \leq 3$   
 $\& x > 0$   $\rightarrow (x - (3 - y), 3)$
7. Pour all of water from 3-gal Jug into 4-gal Jug  $(x, y)$   
 $0 \leq x + y \leq 4$   
and  $4 \geq 0$   $\rightarrow (x + 4, 0)$
8. Pour all of water from 4-gal Jug into 3-gal Jug  $(x, y)$   
 $0 \leq x + y \leq 3$   
and  $x \geq 0$   $\rightarrow (0, x + y)$



Through Graph Search, the following Solution is found  
Gals In 4-gal Jug      Gals In 3-gal Jug

0

0

4

0

1

3

1

0

0

1

4

1

2

3

Rule Applied

1. Fill 4

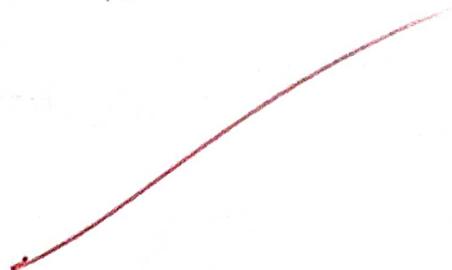
6. Pour 4 into 3-fall

4. Empty 3

8. Pour all 4 into 3

1. Fill 4

6. Pour into 3





1. Implementation of DFS for water jug problem using the LISP/PROLOG

Solve\_dfs (state, history, [ ]) :- final\_state (state)

Solve\_dfs (state, history, [Move | Moves]) :-

Move (state, move),

update (state, Move, state1),

legal (state1),

not (member (state1, history)),

Solve\_dfs (state1, [state1 | history], Moves)

test\_dfs (problem, Moves) :-

initial\_state (problem, state), (solve\_dfs [state], moves)

Capacity (1, 10),

Capacity (2, 7)

initial\_state (jugs, jugs (0, 0)).

final\_state (jugs, (0, 6)).

~ final\_state (jugs (4, 0))

legal (jugs (v1, v2))

Move (jugs (v1, v2), fill (1)) :- Capacity (1, c1), v1 <= c1

Capacity (2, c2), v2 <= c2



Move (Jugs(v1, v2), fill(2)) :- Capacity(c2, c2), v2 < c2,  
Capacity(0, c2), v1 < c1

Move (Jugs(v1, v2), empty(n)) :- v1 > 0

Move (Jugs(v1, v2), empty(2)) :- v2 > 0

Move (Jugs(v1, v2), transfer(1, 2))

adjust (Liquid, Excess, Liquid, 0) :- Excess = 0

adjust (Liquid, Excess, v, Excess) :- Excess > 0, v is Liquid - Excess

update (Jugs(v1, v2), fill(1), jugs(c1, v2)) :- Capacity(1, c1)

update (Jugs(v1, v2), fill(2), ~~fill~~ jugs(v1, c2)) :- Capacity(c2, c2)

update (Jugs(v1, v2), empty(1), jugs(0, v2))

update (Jugs(v1, v2), empty(2), jugs(v1, 0))

update (Jugs(v1, v2), transfer(1, 2), jugs(New v1, New v2)) :-

Capacity(c2, c2),

Liquid is v1 + v2

Excess is Liquid - c2

adjust (Liquid, Excess, New v2, New v1)

update (Jugs(v1, v2), transfer(2, 1), jugs(New v1, New v2)) :-

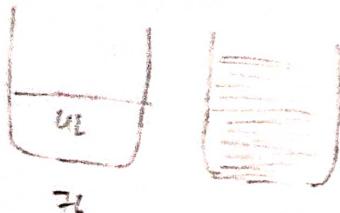
Step 1:



Step 2:



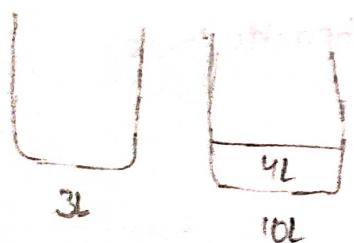
Step 2.1: Fill  $\Rightarrow$  and pour in 3L



Step 2.2:



Step 3: Empty 10L and pour in 10L tray =



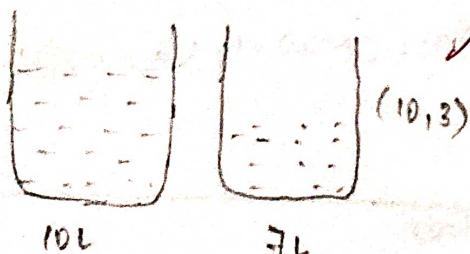
Step 4:



Step 4.1: fill  $\Rightarrow$  again pour in 10L



Step 5:



10L      7L

(10,3)



Capacity ( $c_1, c_2$ ):

Liquid  $\leq v_1 + v_2$ ,

Excess  $\leq \text{Liquid} - c_1$ .

adjust (Liquid, Excess, Nero  $v_1$ , Nero  $v_2$ )

Output

? - test-dfs (gugs, Moves)

Moves = [fill( $1$ ), transfer( $1, 2$ ), empty( $2$ ), transfer( $1, 2$ ), fill( $1$ ), transfer( $1, 2$ ),  
empty( $2$ ), transfer( $1, 2$ )];

Moves = [fill( $1$ ), transfer( $1, 2$ ), empty( $2$ ), transfer( $1, 2$ ), fill( $1$ ), transfer( $1, 2$ ),  
empty( $2$ ), transfer( $2, 1$ )];

Moves = [fill( $1$ ), transfer( $1, 2$ ), empty( $2$ ), transfer( $2, 1$ ), fill( $1$ ), transfer( $1, 2$ ),  
empty( $2$ ), transfer( $1, 2$ )];

Moves = [fill( $1$ ), transfer( $1, 2$ ), empty( $2$ ), transfer( $2, 1$ ), fill( $1$ ), transfer( $1, 2$ ),  
empty( $2$ ), transfer( $2, 1$ )];

Moves = [fill( $1$ ), transfer( $2, 1$ ), transfer( $1, 2$ ), empty( $2$ ), transfer( $2, 1$ ), fill( $1$ ),  
transfer( $2, 1$ ), transfer( $1, 2$ ), empty(...)|...];

Moves = [fill( $1$ ), transfer( $2, 1$ ), transfer( $1, 2$ ), empty( $2$ ), transfer( $2, 1$ ), fill( $1$ ),  
transfer( $2, 1$ ), transfer( $1, 2$ ), empty(...)|...];

false

18  
19/23



## Experiment - 2

Date: 04-09-  
SHEET No. 7

- 2) Implementation of BFS for tic-tac-toe problem using Prolog.

+

win(Board, Player) :- rowwin(Board, Player).

win(Board, Player) :- colwin(Board, Player).

win(Board, Player) :- diagwin(Board, Player).

rowwin(Board, Player) :- Board = [Player, player, player, -, -, -, /, -, /, -].

rowwin(Board, Player) :- Board = [-, /, -, Player, player, player, -, -, -].

rowwin(Board, Player) :- Board = [-, /, -, /, -, /, -, Player, Player, Player].

colwin(Board, Player) :- Board = [Player, -, /, Player, -, /, Player, -, /, Player].

colwin(Board, Player) :- Board = [-, Player, -, /, Player, -, /, Player, -, /, Player].

colwin(Board, Player) :- Board = [-, /, -, Player, -, /, Player, -, /, Player, -, /, Player].

diagwin(Board, Player) :- Board = [Player, -, /, -, Player, -, /, -, Player, -, /, Player].

diagwin(Board, Player) :- Board = [-, /, -, Player, -, /, Player, -, /, -, Player].

diagwin(Board, Player) :- Board = [-, /, -, Player, -, /, Player, -, /, Player, -, /, Player].

% Helping predicate for alternating play in a "self" games

Other(X, O).

Other(O, X).

game(Board, Player) :- win(Board, Player), !, write([Player, Player, wins]).

game(Board, Player) :-

    Other(Player, OtherPlayer),

    move(Board, Player, NewBoard),

    !,



display(Newboard),  
game(Newboard, Otherplayer).  
move([b,B,c,D,E,F,G,H,I], Player, [Player,B,C,D,E,F,G,H,I]).  
move([A,b,c,D,E,F,G,H,I], Player, [A,Player,c,D,E,F,G,H,I]).  
move([A,B,b,D,E,F,G,H,I], Player, [A,B,Player,D,E,F,G,H,I]).  
move([A,B,C,b,E,F,G,H,I], Player, [A,B,C,Player,E,F,G,H,I]).  
move([A,B,C,D,B,F,G,H,I], Player, [A,B,C,D,Player,F,G,H,I]).  
move([A,B,C,D,E,B,G,H,I], Player, [A,B,C,D,E,Player,G,H,I]).  
move([A,B,C,D,E,F,G,H,b], Player, [A,B,C,D,E,F,G,H,Player]).  
display([A,B,C,D,E,F,G,H,I]) :- write([A,B,C]), nl, write([D,E,F]), nl,  
write([G,H,I]), nl, nl.

Selfgame :- game([b,b,b,b,b,b,b,b])

/. predicate to support playing a game with the user.

X-can-win-in-one(Board) :- move(Board, X, Newboard), win(Newboard, X)

/. from the current board

respond(Board, Newboard) :-

move(Board, O, Newboard),  
win(Newboard, O),  
!.

respond(Board, Newboard) :-

move(Board, O, Newboard),

respond(Board, O, Newboard) :-



not(member(b, Board')).

!,

writeln('cats game!'), nl,

Newboard, Board,

xmove([b,B,C,D,E,F,G,H,I],1,[x,B,C,D,E,F,G,H,I]).

xmove([A,b,C,D,E,F,G,H,I],2,[A,x,C,D,E,F,G,H,I]).

xmove([A,B,b,D,E,F,G,H,I],3,[A,B,x,D,E,F,G,H,I]).

xmove([A,B,C,b,E,F,G,H,I],4,[A,B,C,x,F,G,H,I]).

xmove([A,B,C,D,b,F,G,H,I],5,[A,B,C,D,x,F,G,H,I]).

xmove([A,B,C,D,E,F,G,H,I],6,[A,B,C,D,E,x,G,H,I]).

playo :- explain , playForm ([b,b,b,b,b,b,b,b,b]).

explain :-

writeln('you play x by entering integer positions followed by a period,'), nl.

display ([1,2,3,4,5,6,7,8,9]).

playForm (Board) :- win (Board, x), writeln ('you win !')

playForm (Board) :- win (Board, o), writeln ('I win !').

x move (Board, N, Newboard),

display (Newboard),

display (Newnewboard),

playForm (Newnewboard).

Output:-

You play x by entering integer positions followed by a position

{1,2,3}

{4,5,6}

{7,8,9}

1:9.

[b,b,b]

[b,b,b]

[b,b,x]

[o,b,b]

[b,b,b]

[b,b,x]

1:

[o,b,b]

[b,b,b]

[ox,b,x]

[o,b,b]

[b,b,b]

[x,o,x]



1:3

[o,b,x]

[b,b,b]

[x,o,x]

[o,o,x]

[b,b,b]

[x,o,x]

1:6

[o,o,x]

[b,b,x]

[x,o,x]

[o,o,x]

[b,o,x]

[x,o,x]

You win!

true

12/9/13 ③



Date : 16-09-2013

SHEET NO. 12

### Experiment :- 3

Implementation of TSP using heuristic approach using prolog.

#### Program

road(guntur,tenali,2)

road(vijayawada,tenali,3)

road(vijayawada,tenali,6)

road(vijayawada,chirala,5)

road(chirala,ongole,5)

road(ongole,vijayawada,4)

get\_road(Start, End, visited, Result):-

get\_road(Start, End, [Start], 0, visited, Result):-

get\_road(Start, End, waypoints, Distance, Acc, visited, Result):-

road(Start, End, Distance),

reverse([End|waypoints], visited),

Total Distance is Distance Acc + Distance

get\_road(Start, End, waypoints, Distance, Acc, visited Total Distance):-

road(Start, waypoint, Distance),

+ member(waypoint, waypoints)

New Distance Acc is Distance Acc + Distance,

get\_road(waypoints, End, [waypoint|waypoints], New Distance  
Acc, visited, Total, Distance)



## Output

? - get\_road (guntur, tenali, visited, Result)  
visited = [guntur, tenali],

Result = 9

? - get\_road (vijayawada, Ongole, visited, Result)  
visited = (vijayawada, chitoor, Ongole)

Result = 10

27/9/23 ①



### Experiment-6

#### Implementation of monkey banana problem using prolog

The monkey and banana problem is often used as a simple example of problem solving. Our prolog program for this problem will show how the mechanism of matching and back tracking

There is a monkey at the door into the room. In the middle of the room a banana is hanging from the ceiling. The monkey is hungry and wants to get the banana but he cannot stretch high enough from the enough. All the windows of the room there is a box the monkey may use. The monkey can climb the box. Push the box around (if it is already at box) and grasp the banana if standing on the box directly under the banana can be monkey get banana

\* from example the initial state of the world is determined.

- 1) Monkey is at door
- 2) Monkey is on floor
- 3) Box is at window

first the goal of game is a situated in which the monkey has the banana - that is any state in which its last component is 'has'!

State (-,-,-, has)



The initial State of the monkey world represented as a Structured Object. The four components are: horizontal position of monkey, vertical position of monkey, position of box, monkey has not the banana.

There are four types of moves:

- ① Grasp banana
- ② Climb box,
- ③ Push box,
- ④ Walk around

The these arguments at the relations specify move thus

$\text{State } 1 \rightarrow \text{State } 2$

$\text{State } 1$  is the state before the move,  $2$  is the move executed &  $\text{State } 2$  is the state after the move

The move 'grasp' with the necessary precondition on the state before the move can be defined by the clause:

~~move (state (middle, onbox, middle, hasnot) % Before move grasp  
state (middle, onbox, middle, has)) % After move~~

This fact says that the move the monkey has the banana and he has remained on the box in the middle of room



In a similar way we can express the fact the monkey on the floor can walk from the horizontal position P1, the monkey can do all this can be defined by following prolog fact:

move(State(P1, on-floor, B, H))

walk(P1, P2)

State(P2, on-floor, B, H)

move M

(S1) → (S2) → (S3) → ... → (Sn)

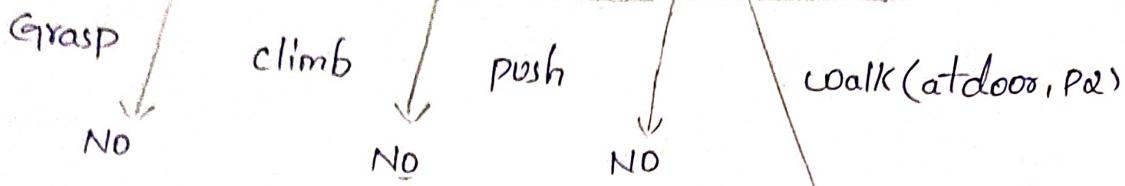
Cangé Cangé Recursive formulation of cangé

- The box is at some point B which remains the same after;
- the has banana status remains the same after the move

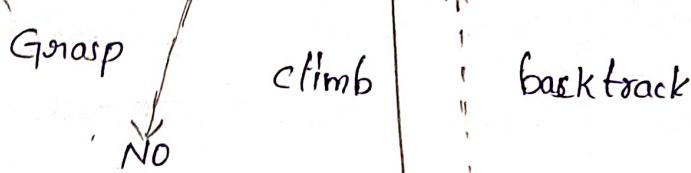




State (atdoor, Onfloor, atwindow, hasn't)



State (P2, Onfloor, atwindow, hasn't)



State (atwindow, onbase, atwindow, hasn't)

push (P2')

State (P2', onfloor, P2, hasn't)



State (P2, onbox, P2', hasn't)

Grasp  
P2 = middle

State (middle, onbox, middle, has)



Output

? - canget (state (atdoor, onfloor, atwindow, hasnot)).

- move

? - trace

- move

[trace] ? - canget (state (atdoor, onfloor, atwindow, hasnot)).

call : (10) canget (state (atdoor, onfloor, atwindow, hasnot)) ? creep

call : (11) move (state (atdoor, onfloor, atwindow, hasnot), - 20088, -  
20028) ? creep

Exit : (11) move (state (atdoor, onfloor, atwindow, hasnot), walk (atdoor  
- 20792), state (- 20792, onfloor, hasnot)) ? creep

Fail : (13) move (state (atwindow, onbox, atwindow, hasnot) \_ 25408  
- 24590) ? creep

fail : (12) canget (state (atwindow, onbox, atwindow, hasnot)) ? creep

call : (12) canget (state (- 27620, onfloor, - 27620, hasnot)) ? creep

call : (13) canget (state (- 27620, onbox, - 27620, hasnot)) ? creep

Call : (14) move (state (- 27620, onbox, - 27620, hasnot), - 29200,  
29140) ? creep



Exit : (u) move (state (middle ,onbox, middle, has not), grasp, state  
(middle ,onbox, middle, has)) ? creep

Call : (u) Canget (state (middle ,onbox, middle, has)) ? creep

Exit (12) Canget (state (middle, onfloor, middle, has not)) ? creep

Exit : (u) Canget (state (atwindow, onfloor, atwindow, has not)) ? creep

Exit (10) Canget (state (atdoor, onfloor, atwindow, has not)) ? creep

~~10 27 9/23 (S)~~