

Hashing 1 : Introduction

⇒ EXAMPLE

Room No.	occupied?
1	yes
2	No
3	yes
4	yes
5	No

Register

↓
1 year

Suppose we have 1000 rooms [Register is not Extensible]

1st Possible Solution

Boolean Array :- idx denotes room No

↳ True → occupied

↳ False → Not occupied.

Suppose Now Astrologer Suggest to name room No. randomly from $[1 - 10^8]$ to gain popularity.

Issue 1 :- Solution of Boolean array is not feasible

Issue 2 :- Space wastage.

SOLUTION



HashMap

→ T.C. Search O(1)

Should be
class

< Key , Value >

Should be
class

Eg:- 3 → Occupied

1009 → Occupied

45 → Occupied.

HashMap

① In HashMap, T.C. of search is O(1) time &
S.C. is OCN

② Key must be unique

③ Value can be anything

Ques 1 :- which of the following HashMap will you use
to store the population of every country?

HashMap < String , Long >

Ques 2 which of the following HashMap will you use
to store the no. of states of every Country?

Eg:- India → 28

China → 34

HashMap < String , Integer >

~~Ques 3~~ which of the following Hashmap will you use to store the name of all states of every country.

Eg:- India → Delhi, U.P., Bihar .. .

Hashmap < String, List < String >>;

~~Ques 4~~ which of the following Hashmap will you use to store the population of each state in every country?

Eg:-

India

Delhi	- 10 Cr
UP	- 20 Cr
Bihar	- 15 Cr

Hashmap < String, Hashmap < String, Long >>;

HASHSET

→ sometimes we only want to store keys & do not want to associate any values with them, in such a case we use Hashset.

Hashset < Key >

→ Search in O(1) T.C.

→ It will be unique.

Hashmap
Hashset

→ It won't maintain order of key.

Function of Hashmap

- **INSERT (Key, Value)**: new Key - Value pair is inserted. If the key already exists, it does no change.
- **SIZE**: returns the no. of keys
- **DELETE (Key)**: delete the key-value pair for given key.
- **UPDATE (Key, Value)**: previous value associated with the key is overridden by the new value.
- **SEARCH (Key)**: search for the specified key.

⇒ Function of HashSet

- **INSERT (Key)**: Insert a new key. If key already exists, it does no change.
- **SIZE**: return number of keys
- **DELETE (Key)**: deletes the given key.
- **SEARCH (Key)**: searches for the specified key.

* Time complexity of each operation in Hashmap & HashSet is $O(1)$

Hashing libraries in different languages

	Java	C++	Python	JS	C#
HashMap	HashMap	unordered_map	dictionary	Map	Dictionary
HashSet	HashSet	unordered_set	Set	Set	HashSet

Question 1 :- Given N elements & Q queries, find the frequency of the elements provided in a query.

Ex:- $N = 10$

2, 6, 3, 8, 2, 8, 2, 3, 8, 10, 6

Queries :-

2	\rightarrow	<u>Ans</u> 3
8	\rightarrow	3
6	\rightarrow	2

Brute force

For each query, Iterate over array to get frequency.

$$\begin{array}{l} \text{TC} \rightarrow O(Q * N) \\ \text{SC} \rightarrow O(1) \end{array}$$

↳ OPTIMIZATION

Idea → use Hashmap where Key will be element of Array & Value will be the count of that element in Array

PSEUDO CODE

Hashmap < Int, Int > hmab;

```
for C i = 0; i < A.length; i++ {  
    if C hmab. search(A[i]) {  
        hmab[A[i]]++;  
    } else {  
        hmab.insert(A[i], 1);  
    }  
}
```

3

```
for ( i=0; i < arr.length; i++ ) {  
    if ( hmap. search( arr[i] ) ) {  
        print( hmap( arr[i] ) );  
    } else {  
        print( 0 );  
    }  
}
```

$$\begin{array}{l} TC \rightarrow O(N+B) \\ SC \rightarrow O(N) \end{array}$$

Question :- Given N elements, find the first non-repeating element.

Ex :- $\underline{N=6}$

1, 2, 3, 1, 2, 5

Ans = 3

Ex

N = 8

4, 3, 3, 2, 5, 6, 4, 5

Ans = 2

IDEA [Hashmap solution]

Wrong. {
① create freq Map of given array
② Iterate over Map & return the element with freq 1.

Error :- when we store in Hashmap, the order of element is lost. Therefore, we cannot decide if the element with frequency 1 is first non-repeating in the order described in the array.

CORRECT SOLUTION

- ① create freq Map of given array
- ② Iterate over given array & print the first element with freq 1.

PSEUDO CODE

```
Hashmap < Int , Int > hmab;  
for ( i = 0; i < A.length ; i++ ) {  
    if ( hmab. search( A[ i ] ) ) {  
        }  
    } else { hmab [ A[ i ] ] ++ ;  
        }  
        hmab. insert( A[ i ], 1 );  
    }  
for ( i = 0; i < A. length ; i++ ) {
```

TC - $O(N)$
SC - $O(N)$

```
    if ( hmab ( A[ i ] ) == 1 ) {  
        print ( A[ i ] );  
        break;  
    }
```

Question 3 Given an array of N elements, find the count of distinct elements.

Ex:-

$N=5$

3, 4, 6, 5, 4

Ans = 4

$N=3$

3, 3, 3

Ans = 1

$N=5$

1, 1, 1, 2, 2

Ans = 2

IDEA

↳ Store All elements in Set & return size of Set.

PSEUDO CODE

HashSet < int > set;

for (i = 0; i < A.length; i++)
|
3 set. insert (A[i]);

return set. size();

TC $\rightarrow O(N)$

SC $\rightarrow O(N)$

Question 4 Given an array of N elements, check if there exists a subarray with a sum equal to 0.

Ex :- $N = 10$

2, 2, 1, -3, 4, 3, 1, -2, -3, 2

IDEA1 :- Traverse over each subarray & check sum == 0.

$$TC \rightarrow O(N^3)$$

$$SC \rightarrow O(1)$$

IDEA2 :- Prefix Sum [To skip going from Start to End]

$$TC \rightarrow O(N^3)$$

$$SC \rightarrow O(N)$$

IDEA3 :- carry forward

$$TC \rightarrow O(N^2)$$

$$SC \rightarrow O(1)$$

IDEA4 :- lets once see prefix sum.

Ex $N = 10$

2 2 1 -3 4 3 1 -2 -3 2

Psum: 2 4 5 2 6 9 10 8 5 7

Let's use Real life Example

In Jan start →

[Bank]

5 lakh



In Feb start → 5 lakh

Maths

$$\text{sum}[i:j] \rightarrow P[j] - P[i-1]$$

$$\Rightarrow O = P[j] - P[i-1]$$

$$\Rightarrow P[j] = P[i-1]$$

OBSERVATION

↳ If all distinct then No subarray with O sum

achieve

Set. Size = Array. Size .

↳ else

↳ Definitely there is subarray with O sum.

PSEUDO CODE

`int [] pf`

$$PP[0] = A[0];$$

```
for ( i=1; i < A.length; i++) {
```

```
if ( PF[i] == 0 ) {  
    return True;  
}
```

$$pf[i] = pf[i-1] + A[i];$$

HashSet < Int > set;

```
for (i = 0; i < pf.length; i++) {  
    set.insert(pf[i]);  
}
```

if (det. size == A.length) {

} else { Print False;

Print Tree;

Edge Case :-

$$x = -2, 3, -5, 4, 6$$

Pf sum 2 5 0 4 10

Q → why we have missed this case?

$$\text{Sum } [i-j] \left\{ \begin{array}{l} \rightarrow Pf[j] - Ps[i-1] \\ Ps[j] \end{array} \right. \quad (i \neq 0) \\ \quad \quad \quad (i = 0)$$

How to handle?

↳ During Pf creation check this

if ($\text{Pf}[i] == 0$) {

 return True;

}

$$TC = O(N)$$

$$SC = O(N)$$

Question 5 :- Given an array A of N integers.

Find the count of the subarrays in the array which sums to 0.

Note :- return Ans % $10^9 + 7$

Ex 1

$$A = [1, -1, -2, 2]$$

↳ H.W.]