

## Secure Hash Algo (SHA-1)

- Algo takes as input a msg with max length less than  $2^{64}$  bits
- produces output of 160-bit msg digest.
- The input is processed in 512 bit blocks.
- follows structure of MD5.

### Step 1 : Append padding bits

- msg is padded so its length is congruent to 448 modulo 512
- padding is always added, even if msg is of desired length.
- no. of padding bits are 1 to 512.
- padding consists of a single 1 followed by necessary 0's

### Step 2 : Append length

- block of 64 bit is appended to msg.
- This block is treated as unsigned 64 bit int. (most significant byte first)
- contains length of original msg  
(before padding)

### Step 3 Initialize MD buffer.

- A 160 bit buffer is used to hold intermediate & final result of the hash function.
- The buffer is 5 - 32 bit registers (A, B, C, D, E)

These regi are initialize as

A - 67452301

B - EF CD AB 89

C - 98 BA DC FE

D - 1032 5476

E - e3 D2 E1 F0

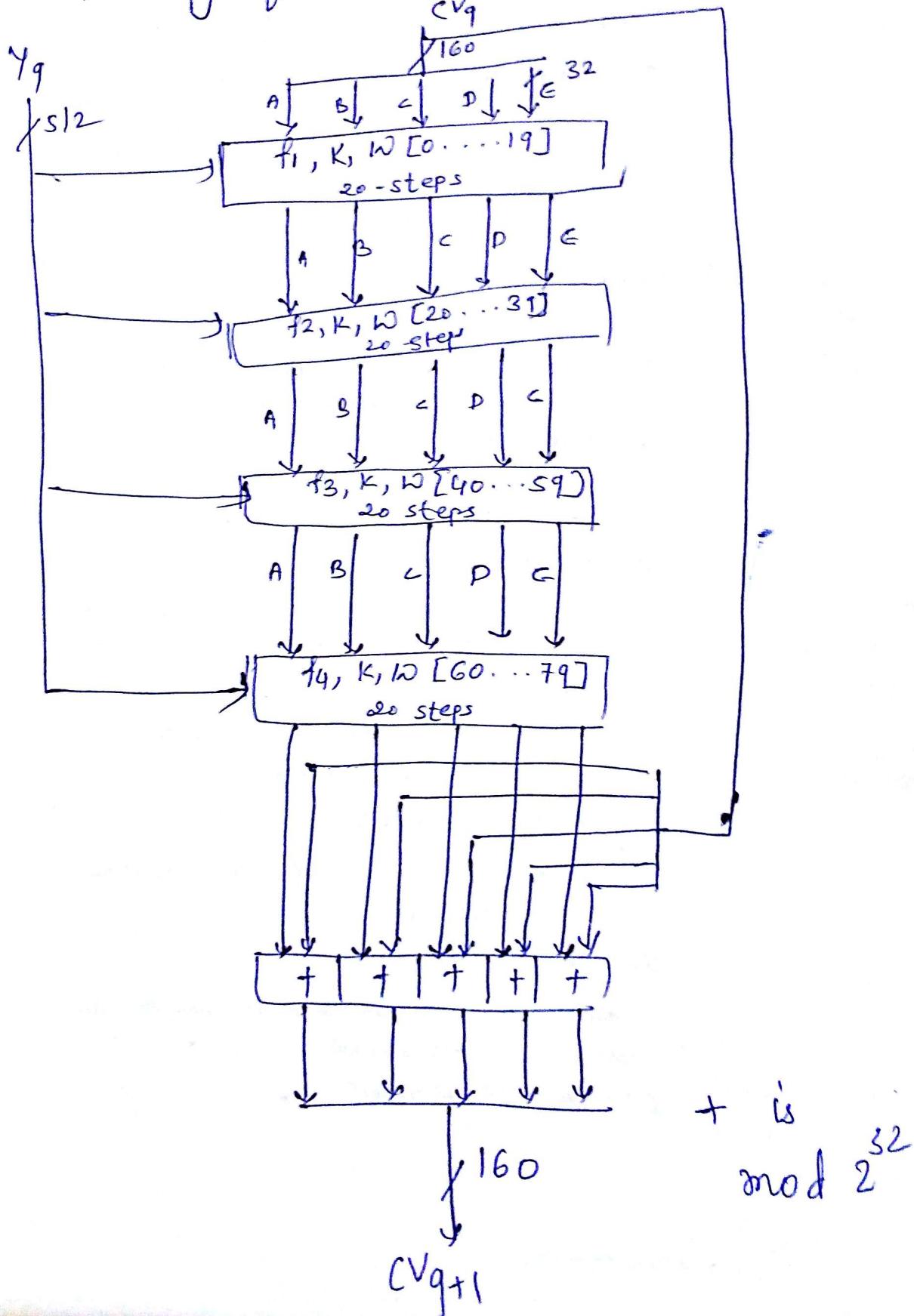
→ These values are stored in big-endian f

- MSB is stored at lower addr byte pos

~~the value increase as~~

Step : 4: Process msg in ~~512~~<sup>512</sup> bit (16 word) block

- The heart of algo is 4-rounds of processing of 20 steps.



- Each round takes 512-bit block as I/P ( $y_q$ ) & 160-bit buffer value ABCDE & updates the content of buffer.
- Each round also makes use of an additive constant  $k_t$  where  $0 \leq t \leq 79$  indicates one of the 80 steps across ~~five~~ four rounds.

Step no.	X <sub>Ex</sub>	Take int part of:
$0 \leq t \leq 19$	$k_t = 5A827999$	$2^{30} \times \sqrt{2}$
$20 \leq t \leq 39$	$k_t = 6ED9EBA1$	$2^{30} \times \sqrt{3}$
$40 \leq t \leq 59$	$k_t = 8F1BB CDC$	$2^{30} \times \sqrt{5}$
$60 \leq t \leq 79$	$k_t = CA62C1D6$	$2^{30} \times \sqrt{10}$

### Step 5 :

- after all L 512-bits blocks have been processed, the o/p from the L<sup>th</sup> stage is 160-bit msg digest

So behavior of SHA-1 is given as

$$CV_0 = IV$$

$$CV_{q+1} = \text{sum}_{32}(CV_q, ABCDE_q)$$

$$MD = CV_L$$

IV = Initial value of ABCDG buffer  
ABCDE<sub>q</sub> = o/p of the last round of processing of  
the q<sup>th</sup> msg. block

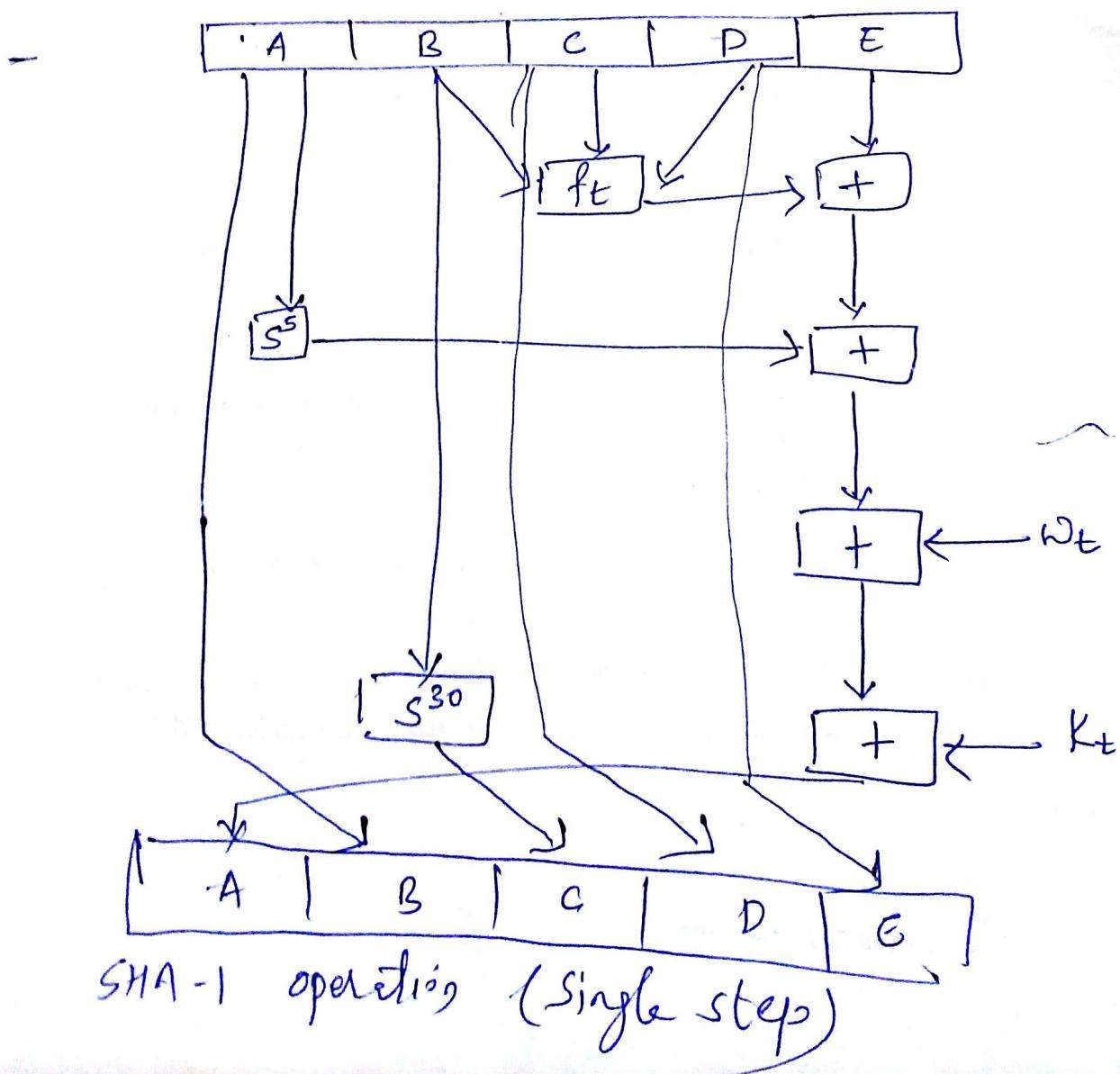
L = no. of blocks in msg.

SUM<sub>32</sub> = Addition mod 2<sup>32</sup>

performed separately on each word of  
the pair of i/p

M0 = final msg digest value.

### SHA-1 compression function



Each round  $\alpha$  of the form :

$$AB, C, D, E \leftarrow (E, f(t, B, C, D) + S^5(A) + \\ (W_t + K_t) + A, S^{30}(B), C, D)$$

$A, B, C, D, E \rightarrow$  5 words of the buffer

$t \rightarrow$  step no. ( $0 \leq t \leq 79$ )

$f(t, B, C, D)$  = primitive logic function for  
step  $t$

$S^k$  = circular left shift of 32 bit  
argument by  $k$  bits

$W_t$  = a word derived from current  
512 bit block.

$K_t$  = additive constant  
four values are used.

$+ = \sqrt{\text{modulo } 2^{32}}$   
addition

- each primitive function takes 3 - 32 bit  
words as i/p & produces 32 bit word o/p
- each function performs a set of bitwise  
logical operations;

The functions are

step	function Name	function value
$0 \leq t \leq 19$	$f_1 = f(t, B, C, D)$	$(B \wedge C) \vee (\bar{B} \wedge D)$
$0 \leq t \leq 39$	$f_2 = 11$	$B \oplus C \oplus D$
$0 \leq t \leq 59$	$f_3 = 11$	$(B \wedge C) \vee (B \wedge D) \vee (C \wedge D)$
$0 \leq t \leq 79$	$f_4 = 11$	$B \oplus C \oplus D$

$\wedge \rightarrow \text{and}$     $\vee \rightarrow \text{or}$     $\neg \rightarrow \text{not}$     $\oplus \rightarrow \text{xor}$

$f_1 \rightarrow \text{conditional function}$

$\exists b \ B \text{ then } C, \text{ else } D$

$f_2, f_3, f_4 \rightarrow \text{generates parity}$

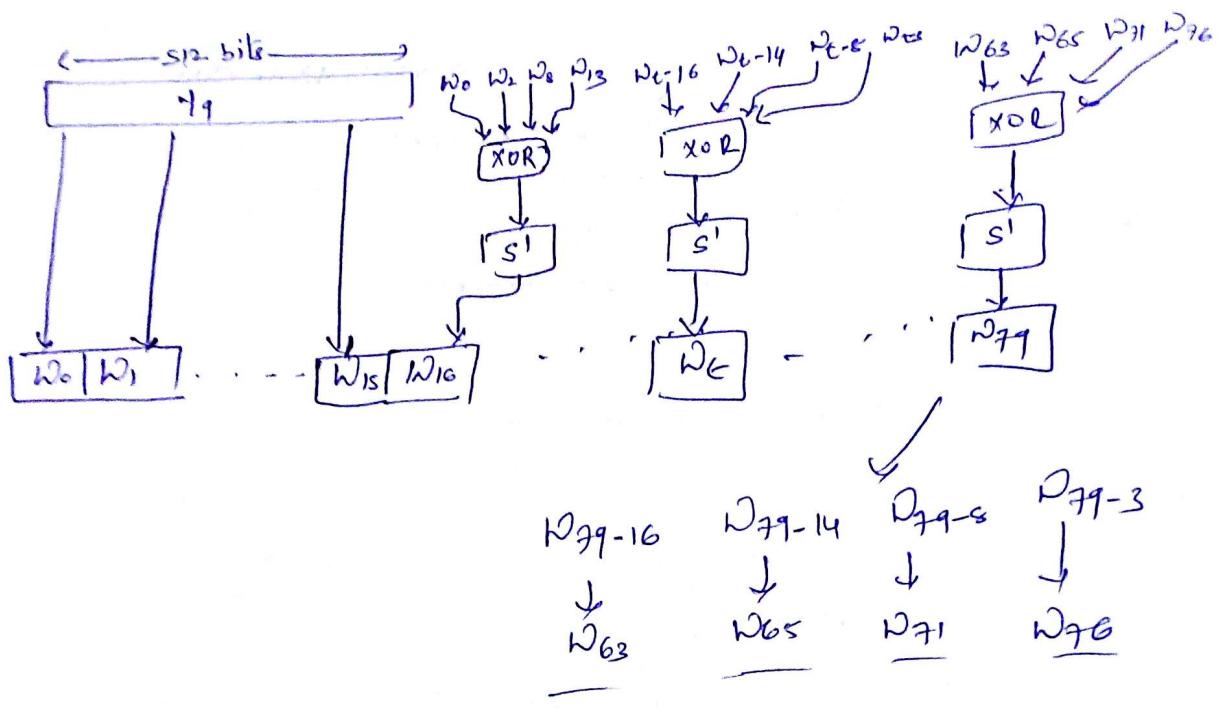
$f_3 \rightarrow \text{function is true if } 2 \text{ or } 3$   
arguments are true.

$\Rightarrow \underline{\text{how } w_t \text{ is derived from 512 bit ip block}}$

$\rightarrow$  1st 16 values of  $w_t$  are taken directly from  
the 16 words of the current block.

$\rightarrow$  remaining values are taken defined as

$$w_t = S(w_{t-16} \oplus w_{t-14} \oplus w_{t-8} \oplus w_{t-3})$$



Creation of 80-round IP seg. of SHA-1.

### Comparison of MD5 & SHA-1

- Security against brute-force →
  - SHA-1 Digest is 32 bit longer than MD5
  - Using brute force it is difficult to produce any msg having a given msg digest. Digest is  $2^{128}$  in MD5 &  $2^{160}$  in SHA1
  - SHA-1 is considerably stronger than MD5

### 2) security against cryptanalysis

- MD5 is vulnerable to cryptanalytic attack
- SHA-1 is considerably not.  
because of the design criteria & its strength is more diff. to judge.

### 3) Speed :-

- as algo is based on addition modulo  $2^{32}$ , both do well on a 32 bit architectures.
- SHA-1 involves more steps (80 versus 64)  
& must process 160-bit buffer compared to MD5's 128 bit.
- Thus SHA-1 executes slowly than MD5

### 4) Simplicity & compactness

- Both algs are simple to describe & simple to implement
- it donot require large progs or. substitution tables.

### 5) Little vs big endian architecture.

- MD5 uses little endian for interpreting msg seg. of 32-bit words
- SHA-1 uses big endian scheme
- no significant adv. of either approach.

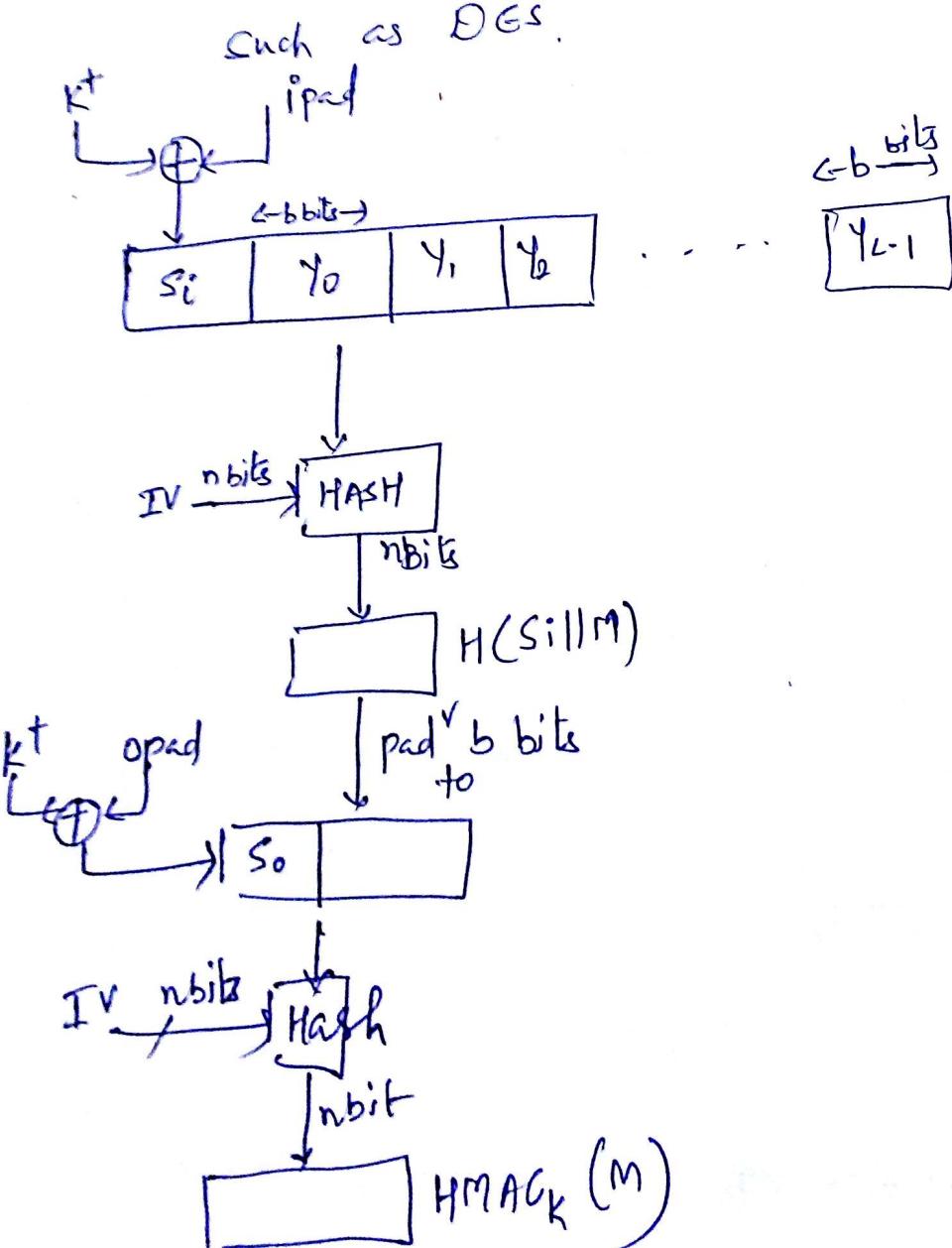
### HMAC

#### hash based MAC

- now a days MAC is derived from cryptographic hash function.

because

- i) cryptographic hash functions such as MD5 & SHA-1 generally executes faster than symmetric block cipher such as DES.



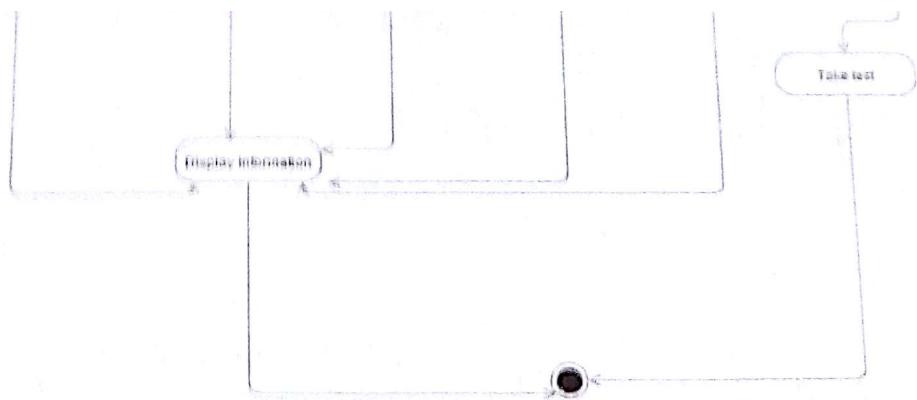


Figure:4.5 Activity Diagram

$H$  = embedded hash function (MD5, SHA2...)

$IV$  = initial value i/p to hash fun.

$M$  = msg i/p to HMAC (including specified padding)

$y_i$  =  $i^{th}$  block of  $M$ .

$L$  = no. of block in  $M$ .

$b$  = no. of bits in a block

$n$  = length of hash code

$K$  = secret key ; if key length is greater than  $b$  ; the key is i/p to the hash function to produce  $n$  bit key.

if key length is  $\geq n$

$K^+ = K$  padded with 0's on the left  
So the result is b bits in length

i.e.  $K = b$   
length length.

ipad = 00110110 (36 in hex)  
repeated b/8 times.

opad = 01011100 (5C in hex)  
repeated b/8 times.

HMAC is expressed as

$$\text{HMAC}_k(m) = H[(K^+ \oplus \text{opad}) \parallel H[K^+ \oplus \text{ipad}] \parallel m]$$

1. append 0's to the left end of  $K$  to  
create a b-bit string  $K^+$ .

e.g. if  $K$  is of length 160 bits &  
 $b = 512$

then  $K$  will be appended with  
44 0's

2. XOR  $K^+$  with ipad to produce  
b-bit block  $S_i$ .

2 different steps  
one to side each  
to稚ing version  
of padding implementation

3. Append  $M$  to  $S_i$
4. Apply  $H$  to the stream
5. XOR  $k^+$  with opad.  
to produce  $S_0$  ~~end~~ of  $b$ -bits
6. Append  $H$  result with  $S_0$
7. Apply  $H$  to the stream.
8. generate the O/P.