

Practical-1(A)

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Aim: Classical probability

(Q.1) Find the probability of getting number divisible by 5 on a fair dice.

→ code

```
> total_outcome ← 6
```

```
> divisible_by_5 ← 1
```

```
> P_of_div_5 ← divisible_by_5 / total_outcome
```

```
> print(Paste("answer is", P_of_div_5))
```

O/P [1] "answer is: 0.16666666666666667"

② Axiomatic probability

Q2] find the probability of drawing an Ace from a pack of cards.

→ Code

```
> total_cards ← 52
```

```
> ace_cards ← 4
```

```
> probability_ace_cards ← ace_cards / total_cards
```

```
> print(paste("probability is:", probability_ace_cards))
```

O/P [1] "probability is: 0.0769230769230769"

Q3] find the probability of drawing an king from a red cards

→ code

```
> total_red_cards ← 26
```

```
> king_cards ← 2
```

```
> P ← king_cards / total_red_cards
```

```
> print(paste("answer is:", P))
```

O/P [1] "answer is: 0.0769230769230769"

(B) elementary Theorems of probability

Q.1] Find the probability of rolling an even number or 4 on a fair dice.

code:

Addition Rule Example

- > total_outcome <- 6
- > even_number <- 3
- > P_even_number <- even_number / total_outcome
- > number_4 <- 1
- > P_number_4 <- number_4 / total_outcome
- > Probability_even_number_or_4 <- P_even_number + P_number_4
- > ~~print(paste("answer is", probability_even_number_or_4))~~
- > print(paste("answer is", probability_even_number_or_4))

o/p [1] "answer is 0.5"

o/p "answer is : 0.0192307692307692"

Q.2] find probability of rolling an odd number or number divisible by 3 on a fair dice.

Code:

```
> total_outcome <- 6  
> odd <- 3  
> divisible_by_3 <- 2  
> p_odd <- odd / total_outcome  
> p_divisible_by_3 <- divisible_by_3 / total_outcome  
> probability_odd_divisible_3 <- p_odd + p_divisible_by_3 +  
  - (1 / total_outcome)  
> print(paste("answer is =", probability_odd_divisible_3))
```

O/P answer is = 0.666666666666667

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③ Multiplication Theorems

Q] probability of drawing a red card and then drawing a face card from a pack of cards.

Code:

```
> total_cards <- 52  
> red_cards <- 26  
> face_cards <- 12  
> P_red_cards <- red_cards / total_cards  
> P_face_cards <- face_cards / total_cards  
> probability_red_cards_and_facecards <- P_red_cards * P_face_cards  
> print(paste("answer is =", probability_red_cards_and_facecards))
```

o/p answer is = 0.115384615384615

Q] probability of drawing a diamond card and then drawing a ace from black cards.

Code:

```
> S <- 52  
> event_A <- 13  
> T <- 26  
> event_B <- 2  
> PA <- event_A / S  
> PB <- event_B / T  
> probability <- PA * PB  
> print(paste("answer is:", probability))
```

o/p "answer is : 0.0192307692307692"

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(A) Example Based on Independence

Q1] Suppose we are rolling a fair six-sided die and flipping a fair coin. Let event A be getting a 4 on the die, and event B be getting head on the coins.

Code:

```
Outcome_coin <- 2
Outcome_dice <- 6
> Outcome_4 <- 1
> Outcome_H <- 1
> Probability_4 <- Outcome_4 / Outcome_dice
> Probability_H <- Outcome_H / Outcome_coin
> Probability_4_H <- Probability_4 * Probability_H
> print(paste("answer is", P_4_H))
```

O/P Answer is 0.083333333333

(Q.2] A be the event of prime number on rolling a dice and B is event of getting at least 1 head on thrown of 2 coins.

Code:

- > # independent event
- > outcome dice $\leftarrow 6$
- > outcome coins $\leftarrow 4$
- > event A $\leftarrow 3$
- > event B $\leftarrow 3$
- > P_event A \leftarrow event A / outcome dice
- > P_event B \leftarrow event B / outcome coins
- > Probability A_B \leftarrow P_event A * P_event B
- > print(paste("answer is", probability_A_B))

o/p answer is 0.375

B Conditional probability

Q.1] find the probability that a single toss of a die will result in a number less than 4 if it is given that the toss resulted in an odd number.

code:

```
> outcome_dice <- 6
> odd_number <- 3
> less_than_4 <- 3
> common_element <- 2
## finding probability
> P_odd_number <- odd_number / outcome_dice
> P_less_than_4 <- less_than_4 / outcome_dice
> P_common_element <- common_element / outcome_dice
> probability <- P_common_element / P_odd_number
> print(paste("probability is:", probability))
```

o/p probability is 0.6666666666667

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(A) Probability Distribution of Random variable.

Q.1] Rolling a fair Six-SIDED DICE

Code:

```
> outcome <- 1:6
> # finding probability
> probability = rep(1/6, 6)
> cat(" outcome | probability \n")
O/P outcome | probability
> for(i in 1:6){
+   cat(outcome[i], "-----", probability[i], "\n")
+ }
```

d

```
O/P 1----- 0.1666667
2----- 0.1666667
3----- 0.1666667
4----- 0.1666667
5----- 0.1666667
6----- 0.1666667
```

② Probability MASS Function

②.1 Rolling a fair Six-Sided DICE

Code:-

```
> # probability mass function
> outcomes <- 1:6
> probability <- rep(1/6, 6)
> pmf <- function(x) {
+   if (x %in% outcomes) {
+     return(probability[outcomes == x])
+   }
+   else {
+     return(0)
+   }
+ }
> for (i in outcomes) {
+   cat(i, "-----", pmf(i), "\n")
+ }
```

<u>o/p</u>	1 -----	0.1666667
	2 -----	0.1666667
	3 -----	0.1666667
	4 -----	0.1666667
	5 -----	0.1666667
	6 -----	0.1666667

Q.2] A number is drawn at random from a box containing 1 to 10 numbers. Check, is it PMF? if PMF then show the outcomes and probability.

Code:

```
# Probability mass function
> box <- 1:10
> probability <- rep(1/10, 10)
> pmf <- function(x){
+ if(x %in% box){
+ return(probability[box == x])
+ }
+ else{
+ return(0)
+ }
+ }
> for(i in box){
+ cat(i, "-----", pmf(i), "\n")
+ }
```

O/P

1	-----	0.1
2	-----	0.1
3	-----	0.1
4	-----	0.1
5	-----	0.1
6	-----	0.1
7	-----	0.1
8	-----	0.1
9	-----	0.1
10	-----	0.1

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Aim:

(A) Mean of discrete and continuous probability distribution.

code →

```
> # mean of discrete probability distribution (a fair dice)
> outcome <- 1:6
> probability <- rep(1/6, 6)
> mean <- sum(outcome * probability)
> cat("mean is ", mean, "\n")
```

O/P

mean is 3.5

② Mean of continuous probability distribution (Standard normal)

code :-

```
> library(stats)
> mean_con <- mean(rnorm(500))
> cat("mean is", mean_con)
```

O/P

mean is 0.05324605

① variance and S.D of discrete and continuous probability distribution.

Code:

```
> # Discrete Probability Distribution  
> Outcome <- 1:6  
> probability <- rep(1/6, 6)  
> mean <- sum(outcome * probability)  
> variance <- sum((outcome - mean)^2 * probability)  
> S.D <- sqrt(variance)  
> cat("variance is =", variance, "\n")
```

O/P variance is = 2.916667

```
> cat("Standard deviation is =", S.D, "\n")
```

O/P Standard deviation is = 1.707825

② Continuous probability Distribution

- > # Variance and S.D of Continuous probability Distribution
- > library(stats)
- > random <- rnorm(10000)
- > mean_continuous <- mean(random)
- > var_continuous <- var(random)
- > sd_continuous <- sd(random)
- > cat("mean", mean_continuous, "\n")

OP mean 0.01738433

- > cat("variance is", var_continuous, "\n")

OP variance is 1.000106

- > cat("sd is =", sd_continuous, "\n")

OP sd is = 1.000053

Practical-5

Aim: Standard probability distribution

A] Calculate Mean, variance and S.d based on Binomial distribution

Q] A coin is tossed 5 times, find i] Mean ii] variance
iii] S.D

```
> n <- 5  
> p <- 1/2  
> q <- (1-p)  
> mean <- n*p  
> variance <- n*p*q  
> S.d <- sqrt(variance)  
> Cat("mean", mean, "\n")
```

O/P mean = 2.5

```
> Cat("variance =", variance, "\n")
```

O/P variance = 1.25

```
> Cat("Standard deviation =", S.d, "\n")
```

O/P Standard deviation = 1.118034

⑧ probability of normal distribution

① find the probability of 2.3 in normal distribution

- > X_values <- 2.3
- > probability <- pnorm(X_values)
- > Cat("prob. of 2.3 in normal distribution=", probability)

Off Prob. of 2.3 in normal distribution = 0.9892759