Linear Algebra

Linear algebra is a branch of mathematics that focuses on the study of <u>vectors</u>, <u>vector spaces</u> (also called linear spaces), linear transformations, and systems of linear equations. It provides a framework for understanding the properties and operations of these mathematical objects, which can be represented using matrices and vectors.

1) Foundational Concepts -> ML, DL, NLP, Images

Scalers, Vectors, Mathieus, Mathematical Operation of Matricus, Linear Transformation

Eigen Value Eigen Vector

1) Physics 2) Mathematics 3 Computer Science Student Data Science]

Applications of linear Algebra

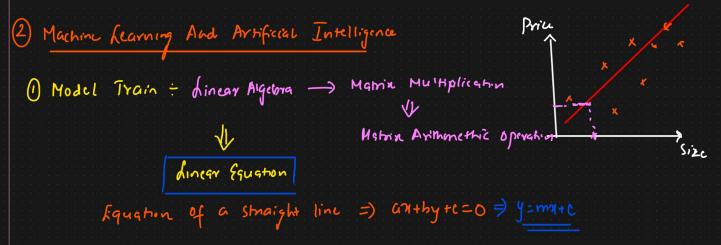
1) Data Representation And Manipulation

DATASET -> (reale Model Which Will be able to predict. $\overrightarrow{V} = \begin{bmatrix} 1200 \end{bmatrix} \overrightarrow{V} =$

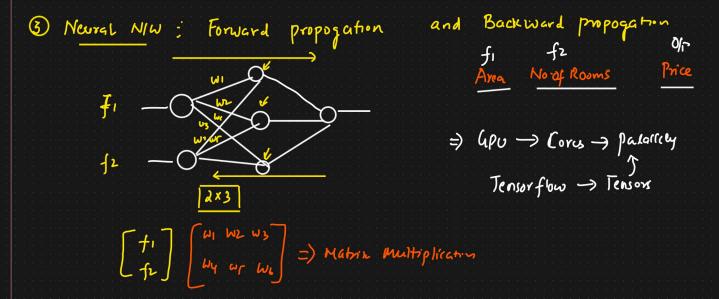
Area $(n,y) =) (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n,y) =) (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n,y) =) (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n,y) =) (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n,y) =) (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n,y) =) (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n,y) =) (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n,y) =) (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n,y) =) (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n,y) =) (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n,y) =) (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n,y) =) (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n,y) =) (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n,y) =) (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n_{0}, y) = (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n_{0}, y) = (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n_{0}, y) = (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n_{0}, y) = (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n_{0}, y) = (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n_{0}, y) = (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n_{0}, y) = (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n_{0}, y) = (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n_{0}, y) = (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n_{0}, y) = (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n_{0}, y) = (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n_{0}, y) = (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n_{0}, y) = (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n_{0}, y) = (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$ Area $(n_{0}, y) = (n_{0}, 4r | lanks) \Rightarrow 2 \text{ dimension Vector}$

1) Linear algebra works higher dimension data.

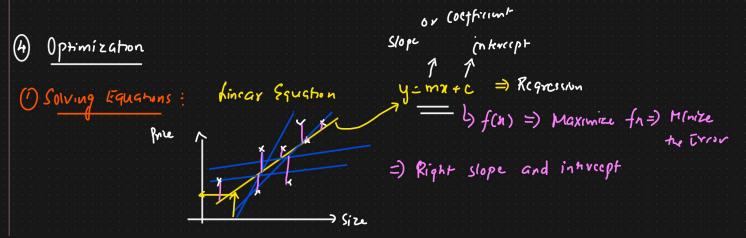
V Dimensonality 2 dimension Reduction



2) Dimensionality Reduction => PCA -> Kincor Algebra -> Eigen Value And Eigen Ycenr Reduce from higher dimension -> Lower Dimension.







GRADIENT DESCENT// => Optimizer.