

## ASSIGNMENT-6

### README

#### Introduction---

This assignment is based on graphs. The graph is implemented in order to store the 3d triangle. To make this a triangle graph the data-structures used are dynamic arrays and queues. Dynamic arrays are implemented using array. Queue is implemented with node as the use of queue requires no fixed length.

#### Queries and Complexities ----

There are four interfaces to implement. Firstly, point-interface it stores the coordinates of point. And all the triangles in which the point is presented.

Secondly, the edge-interface this stores the points of the edge and the points with which this is making a triangle.

Thirdly triangle-interface, this stores the points of the triangle. And also the adjacent triangles to the triangle.

#### ADD\_TRIANGLE→

Here, I check the points given forms a valid triangle. And the points, edges and triangles are being stored in a dynamic array. If no of points are  $p$ , edges are  $e$  and triangles  $t$ . the order will be  $O(p^2+e^2+t^2)$ . As I am checking the triangle is present or not.

#### MESH →

As the edges are having the points with which they are making triangles. I am checking the length of that point array to give the mesh type. The complexity is  $O(e)$ .

#### BOUNDARY\_EDGES→

This also can be done as the mesh so its complexity is also  $O(e)$ ;

### COUNT\_CONNECTED\_COMPONENTS→

It is done by depth first search algorithm. We keep a Boolean in the triangle for it has been explored or not. It is done  $O(t^2)$ . as it is travelled by two loops.

### Neighbours of triangle →

It is done in  $O(t)$ . there only one traversal in the list and comparing the points .

### Edge neighbour of triangle→

It also in  $O(t)$ . it takes  $O(t)$  to find the triangle.

### Vertex neighbour of triangle→

This is also same as the edge neighbour.

### INCIDENT\_TRIANGLE→

It returns all the triangles of that point. This can be done in  $O(P)$ . as finding the point takes order of  $p$ .

### Neighbours of point →

The points that can form the edges with this point. this can be done in  $O(e)$ .

### Edge neighbour of point →

We should return the edges of that point. This is  $O(E)$ .

### Face neighbour of point →

We should return the triangle. This is  $O(T)$ .

### IS\_CONNECTED→

Check the triangle is present or not if present explore it by dfs we get all the connected triangles. Check the second triangle is present or not.this  $O(T)$ .

### Triangle neighbour of edge→

All the triangles having this edge. It is done by  $O(e)$ .

### Centroid →

It take  $O(t^2)$ . This done by DFS it should be done to find all components. Then give the centroid of those components.

Centroid of components →

This is same as centroid but to a fixed component.

Closest components →

It takes  $O(t^4)$ . We should consider all the points and we should check for no edge in between and also it is not the same point.

Maximum\_diameter →

We have to run breath first search with the help of queue. The max no. of hops is given as max diameter. it is  $O(t^2)$ .