

Schizophrenia

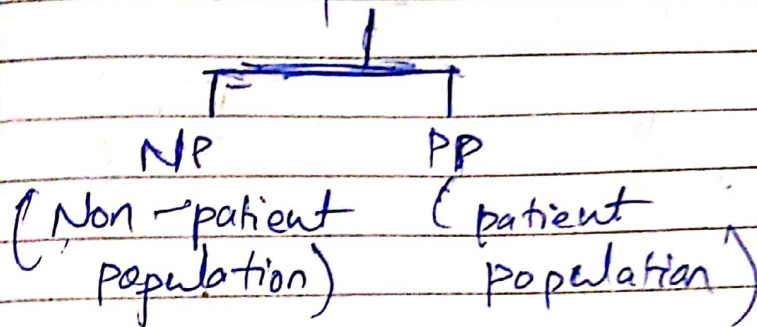
Disease

(prediction in offsprings)

Total population = 7 Billion

Total schizophrenic patients = 70 million
(1% of total)

Dividing the population in two parts



⇒ A schizophrenic gene has two alleles
'B' and 'b'
(Dominant) (Recessive)

Calculating allele freq. from Hardy Weinberg Equilibrium

According to HWE: $p^2 + 2pq + q^2 = 1$

∴ In NP population: $q^2 = 1\%$

$$q^2 = 0.01$$

$$q = 0.01 \quad \text{NP}$$

$$\text{As } p + q = 1 \quad \therefore p = 0.99 \quad \text{NP}$$

Similarly in PP population we can find values of p and q

Now,
Based on the allele frequency,
we will predict the odds of
Schizophrenia in offsprings

Total 3 cases are possible

1) Offspring is result of $PP \times PP$
(Both parents are schizo. patient)

2) Offspring is result of $PP \times NP$
(One parent is a schizo. patient)

3) Offspring is result of $NP \times NP$
(Both ~~are~~ parents are non schizophrenic)

•• In case 1)

| | | | |
|------------|---|----|----|
| | | B | b |
| 0.8 to 0.9 | B | BB | Bb |
| | b | bB | bb |

0.2 to 0.1

∴ Chances of Schizophrenia
is very high = $P(BB + 2 \cdot Bb)$

For case 2) NP x PP

| | | | | | | |
|------------------|----------|----------|----------|--|-----------|--------------------------|
| | | <u>B</u> | <u>b</u> | | <u>NP</u> | $B = 0.07$ $b = 0.99$ |
| $0.8 \leftarrow$ | <u>B</u> | BB | Bb | | | |
| $0.2 \leftarrow$ | <u>b</u> | bB | bb | | | |

↓
PP

∴ Here the chances are still high but less than case 1)

$$\text{Exact probability} = P\left(\underset{PP}{B \cdot B} + 2 \cdot \underset{PP}{B \cdot b}\right)$$

For case 3) NP x NP

| | | |
|----------------|----|----|
| | B. | b. |
| B | BB | bB |
| b b | Bb | bb |

Here, $b = 0.99$
 $B = 0.01$

for both

∴ chances of schizophrenia are very slim in this case compared to the previous two