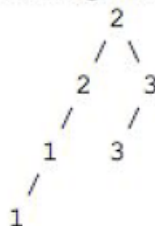


1. Implement following function in the Binary Search Tree class
  - a. Constructor, copy constructor, destructor, assignment operator.
  - b. `BinarySearchTree(const vector<T> & sorted)` – given a sorted array construct the balanced binary search tree. [ Constructor overloading ]
  - c. `void insertElement(const T &el)`
  - d. `void removeElement(const T & el)`
  - e. `const Node<T> * findElement(const T &el) const;`
  - f. `const Node<T> * findMinimum() const;`
  - g. `const Node<T> * findMaximum() const;`
  - h. `const Node<T> * findLowestCommonAncestor(const T &el1, const T & el2) const` – you should be able to do it better time than Binary Tree
  - i. `int size() const;` - Returns number of elements in the bst.
  - j. `bool isEmpty() const;` - If tree is empty or not
  - k. `void clear();` - Empty the tree
  - l. `const Node<T> * findInorderSuccessor(const T & el) const` – Find inorder success of the given element.
  - m. `const BSTNode<T> * findInorderPredecessor(const T & el) const` – Find inorder predecessor of the given tree.
  - n. `void insertDuplicate()` – For each node in the BST, create a new duplicate node and insert the duplicate as the left child of the original node.

So the tree...



is changed to...



- o. `void updateNodesWithSumOfAllGreaterNodes()` – Replace data of the each node with the sum of all greater nodes in a given BST.
- p. `void printInRange(const T & K1, const T & K2) const` – Print all nodes between range K1 and K2

- q. `void createTreeFromPostOrder(const vector<T> & pre)` – create tree from post order traversal.
- r. `pair<Node<T> *, Node<T> *> findPairWithSum(const T & sum)` – Find pair of node which sum to s.
  - i. Find a solution with time complexity  $O(N)$
  - ii. Find a solution which uses maximum  $O(\log N)$  extra space.
- 2. Suppose you are building an  $N$  node binary search tree with the values  $1..N$ . How many structurally different binary search trees are there that store those values? For example, `countTrees(4)` should return 14, since there are 14 structurally unique binary search trees that store 1, 2, 3, and 4. Your code should not construct any actual trees; it's just a counting problem.
- 3. Given a `BinaryTree` check if it's a BST or not.
- 4. Convert a `BinaryTree` into a double linked list such that linear traversal of the linked list is same as in-order traversal of the tree.
- 5. Given a binary tree and a node of tree, print all nodes which are at distance  $k$  from the given node.
- 6. Given a binary tree, find its minimum depth. The minimum depth is the number of nodes along the shortest path from the root node down to the nearest leaf node.