

Numbers of islands using Disjoint sets

1. Get 1D array (parent []) from matrix [][] of length $m \times n$.
for each $mat[i][j]$ matches (i, j) to $(n \times i + j)$.
Index $(n \times i + j)$ represents $mat[i][j]$, parent $[n \times i + j]$ represents which subset the $mat[i][j]$ belongs
2. Count the islands
3. Loop through matrix $mat[][]$.
if found island x (points to root parent S),
check the adjacent neighbours.
If any present, they should be in same subset.
If any present, and not in same subset, then
merge Y to subset S by setting Y as the
parent element of S and count -- (union operation)
4. While one island is merged, the number of island ~~will~~ will be decremented by 1. After we unite them all, we get the number of islands.

Harshit

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class UnionFind {
    int parent[];
    int count;
public:
    UnionFind (int n) {
        parent[n];
        for (i=0; i<n; i++) {
            parent[i] = i;
        }
        count = 0;
    }

    int int find (int x) {
        if (parent[x] == x) {
            return x;
        }
        return parent[x] = find (parent[x]);
    }

    void connect (int x, int y) {
        int rootx = find(x);
        int rooty = find(y);
        if (rootx != rooty) {
            parent[rootx] = rooty;
            count--;
        }
    }
}

```

Rav

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void void setCount(int n) {
    count = n;
}

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int int count() {
    return count;
}

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}

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int numIslands(vector<vector<int>> mat) {

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    int count = 0;

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    int m = mat.size();

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    int n = mat[0].size();

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    for (int i = 0; i < m; i++) {

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        for (int j = 0; j < n; j++) {

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            if (mat[i][j])

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                count++;

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        }

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    }

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    unionFind uf = new unionFind(m*n);

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uf.setC

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    uf.setCount(count);

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    for (int i = 0; i < m; i++) {

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```

        for (int j = 0; j < n; j++) {

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            if (mat[i][j]) {

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                if (i > 0 && mat[i-1][j])

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                    uf.connect(n*i+j, n*(i-1)+j)

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```

                if (i < m-1 && mat[i+1][j])

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                    uf.connect(n*i+j, n*(i+1)+j)

```

Return

if ($j > 0$ && $\text{mat}[i][j-1]$)

uf.connect($n*i + j$, $n*i + j - 1$)

if ($j < n-1$ && $\text{mat}[i][j+1]$)

uf.connect($n*i + j$, $n*i + j + 1$)

if ($i > 0$ && $j > 0$ && $\text{mat}[i-1][j-1]$)

uf.connect($n*i + j$, $n*(i-1) + j - 1$)

if ($i < m-1$ && $j < n-1$ && $\text{mat}[i+1][j+1]$)

uf.connect($n*i + j$, $n*(i+1) + j + 1$)

if ($i > 0$ && $j < n-1$ && $\text{mat}[i-1][j+1]$)

uf.connect($n*i + j$, $n*(i-1) + j + 1$)

if ($i < m-1$ && $j > 0$ && $\text{mat}[i+1][j-1]$)

uf.connect($n*i + j$, $n*(i+1) + j - 1$)

}

}

}

return uf.connect();

}

Ram