3141. Maximum Hamming Distances Premium

Hard ♥ Topics ♀ Hint

Given an array nums and an integer m, with each element nums [i] satisfying 0 <= nums [i] < 2^m, return an array answer. The answer array should be of the same length as nums, where each element answer [i] represents the maximum Hamming distance between nums [i] and any other element nums [j] in the array.

The Hamming distance between two binary integers is defined as the number of positions at which the corresponding bits differ (add leading zeroes if needed).

Example 1:

Input: nums = [9,12,9,11], m = 4

Output: [2,3,2,3]

Explanation:

The binary representation of nums = [1001,1100,1001,1011].

The maximum hamming distances for each index are:

- nums [0]: 1001 and 1100 have a distance of 2.
- nums [1]: 1100 and 1011 have a distance of 3.
- nums [2]: 1001 and 1100 have a distance of 2.
- nums [3]: 1011 and 1100 have a distance of 3.

Example 2:

Input: nums = [3,4,6,10], m = 4

Output: [3,3,2,3]

Explanation:

The binary representation of nums = [0011,0100,0110,1010].

The maximum hamming distances for each index are:

- nums [0]: 0011 and 0100 have a distance of 3.
- nums [1]: 0100 and 0011 have a distance of 3.
- nums [2]: 0110 and 1010 have a distance of 2.
- nums [3]: 1010 and 0100 have a distance of 3.

Constraints:

- 1 <= m <= 17
- 2 <= nums.length <= 2^m
- 0 <= nums[i] < 2^m

Seen this question in a real interview before? 1/5



O Topics

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Array Bit Manipulation Breadth-First Search

For each nums [i], complement it (for each bit, if it is 1, it becomes 0 and vice-versa).

Q Hint 1

Instead of finding the maximum Hamming distance from x = nums [i], let's think of finding the minimum Hamming distance from the complement of x to any element of the array.

Q Hint 4

Run a multi-source BFS from elements of nums.

Q Hint 5

Discussion (0)

Now for each \mathbb{R} , to find its minimum Hamming distance from elements of the array, simply calculate its shortest path from array elements.

Create a graph with $V = \{\emptyset, 1, \ldots, 2^m - 1\}$. Put an edge between two vertices if they differ in exactly one bit.