# 2548. Maximum Price to Fill a Bag Premium

Medium ♥ Topics ⓒ Companies ♥ Hint

You are given a 2D integer array items where items  $[i] = [price_i, weight_i]$  denotes the price and weight of the ith item, respectively.

You are also given a **positive** integer capacity.

Each item can be divided into two items with ratios part1 and part2, where part1 + part2 == 1.

- The weight of the first item is weight; \* part1 and the price of the first item is price; \* part1.
- Similarly, the weight of the second item is weight; \* part2 and the price of the second item is price; \* part2.

Return the maximum total price to fill a bag of capacity capacity with given items. If it is impossible to fill a bag return -1. Answers within 10<sup>-5</sup> of the actual answer will be considered accepted.

### Example 1:

Input: items = [[50,1],[10,8]], capacity = 5
Output: 55.00000
Explanation:
We divide the 2<sup>nd</sup> item into two parts with part1 = 0.5 and part2 = 0.5.
The price and weight of the 1<sup>st</sup> item are 5, 4. And similarly, the price and the weight of the 2<sup>nd</sup> item are 5, 4. The array items after operation becomes [[50,1],[5,4],[5,4]].
To fill a bag with capacity 5 we take the 1<sup>st</sup> element with a price of 50 and the 2<sup>nd</sup> element with a price of 5. It can be proved that 55.0 is the maximum total price that we can achieve.

#### Example 2:

Input: items = [[100,30]], capacity = 50

Output: -1.00000

Explanation: It is impossible to fill a bag with the given item.

#### Constraints:

- 1 <= items.length <= 10<sup>5</sup>
- items[i].length == 2
- 1 <= price<sub>i</sub>, weight<sub>i</sub> <=  $10^4$
- 1 <= capacity <= 10<sup>9</sup>

Seen this question in a real interview before? 1/5



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## Companies

0 - 6 months



O Hint 1

If the total weight of the items is less than the capacity, then it is impossible to fill a bag.

O Hint 2

The intended solution greedily chooses items to fill a bag.

O Hint 3

Sort items in decreasing order of price/weight and greedily fill a bag. The main intuition behind the greedy strategy is that we try to take the highest possible price for 1 unit of weight.

Discussion (5)