

# 1058. Minimize Rounding Error to Meet Target Premium

Medium Topics Companies Hint

Given an array of `prices`  $[p_1, p_2, \dots, p_n]$  and a `target`, round each price  $p_i$  to  $\text{Round}_i(p_i)$  so that the rounded array  $[\text{Round}_1(p_1), \text{Round}_2(p_2), \dots, \text{Round}_n(p_n)]$  sums to the given `target`. Each operation  $\text{Round}_i(p_i)$  could be either  $\text{Floor}(p_i)$  or  $\text{Ceil}(p_i)$ .

Return the string `"-1"` if the rounded array is impossible to sum to `target`. Otherwise, return the smallest rounding error, which is defined as  $\sum | \text{Round}_i(p_i) - (p_i) |$  for  $i$  from  $1$  to  $n$ , as a string with three places after the decimal.

### Example 1:

**Input:** `prices = ["0.700","2.800","4.900"], target = 8`  
**Output:** `"1.000"`  
**Explanation:**  
Use Floor, Ceil and Ceil operations to get  $(0.7 - 0) + (3 - 2.8) + (5 - 4.9) = 0.7 + 0.2 + 0.1 = 1.0$ .

### Example 2:

**Input:** `prices = ["1.500","2.500","3.500"], target = 10`  
**Output:** `"-1"`  
**Explanation:** It is impossible to meet the target.

### Example 3:

**Input:** `prices = ["1.500","2.500","3.500"], target = 9`  
**Output:** `"1.500"`

### Constraints:

- $1 \leq \text{prices.length} \leq 500$
- Each string `prices[i]` represents a real number in the range  $[0.0, 1000.0]$  and has exactly 3 decimal places.
- $0 \leq \text{target} \leq 10^6$

Seen this question in a real interview before? 1/5

Yes No

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Topics

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Hint 1

If we have integer values in the array then we just need to subtract the target those integer values, so we reduced the problem.

Hint 2

Similarly if we have non integer values we have two options to put them  $\text{floor}(\text{value})$  or  $\text{ceil}(\text{value}) = \text{floor}(\text{value}) + 1$ , so the idea is to just subtract  $\text{floor}(\text{value})$ .

Hint 3

Now the problem is different for each position we can sum just add 0 or 1 in order to sum the target, minimizing the deltas. This can be solved with DP.

Discussion (3)