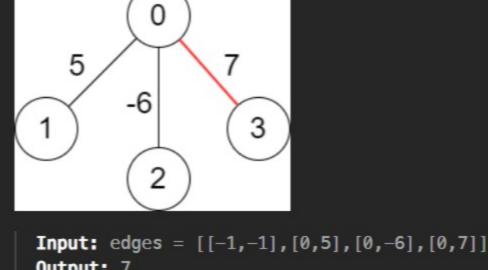
## 2378. Choose Edges to Maximize Score in a Tree Premium Medium ♥ Topics ② Companies ۞ Hint You are given a **weighted** tree consisting of n nodes numbered from 0 to n-1. The tree is rooted at node 0 and represented with a 2D array edges of size n where edges [i] = [pari, weighti] indicates that node pari is the parent of node i, and the edge between them has a weight equal to weighti. Since the root does **not** have a parent, you have edges $[\emptyset] = [-1, -1]$ . Choose some edges from the tree such that no two chosen edges are adjacent and the sum of the weights of the chosen edges is maximized. Return the maximum sum of the chosen edges. Note: • You are allowed to **not** choose any edges in the tree, the sum of weights in this case will be 0. • Two edges Edge<sub>1</sub> and Edge<sub>2</sub> in the tree are **adjacent** if they have a **common** node. • In other words, they are adjacent if Edge<sub>1</sub> connects nodes a and b and Edge<sub>2</sub> connects nodes b and c. Example 1: 6 3 Input: edges = [[-1,-1],[0,5],[0,10],[2,6],[2,4]]Output: 11 Explanation: The above diagram shows the edges that we have to choose colored in red. The total score is 5 + 6 = 11. It can be shown that no better score can be obtained. Example 2: -6



Output: 7 Explanation: We choose the edge with weight 7. Note that we cannot choose more than one edge because all edges are adjacent to each other.

## Constraints:

- n == edges.length
- 1 <= n <= 10<sup>5</sup>
- edges[i].length == 2
- $par_0 == weight_0 == -1$
- $\emptyset \ll par_i \ll n 1$  for all  $i \gg 1$ .
- par<sub>i</sub> != i
- $-10^6$  <= weight<sub>i</sub> <=  $10^6$  for all i >= 1.
- edges represents a valid tree.

Seen this question in a real interview before? 1/5 Yes No Accepted 1.6K Submissions 2.7K Acceptance Rate 58.1% ♥ Topics Dynamic Programming Tree Depth-First Search **Companies** 0 - 6 months Sprinklr 2 O Hint 1

Use dynamic programming to recursively solve the problem for smaller subtrees. O Hint 2 You can ignore the edges with negative weights.

O Hint 3 The states of the dp are the following: the root of the subtree you are at, and a boolean variable that will tell you if you have chosen the edge that connects that node and its parent. O Hint 4

What are the transitions of this dp? **₹** Similar Questions

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