

Maximum Area of triangle - IB

Given a ~~set~~ matrix of character of 'r', 'g', 'b' to ~~max~~.
 r → red

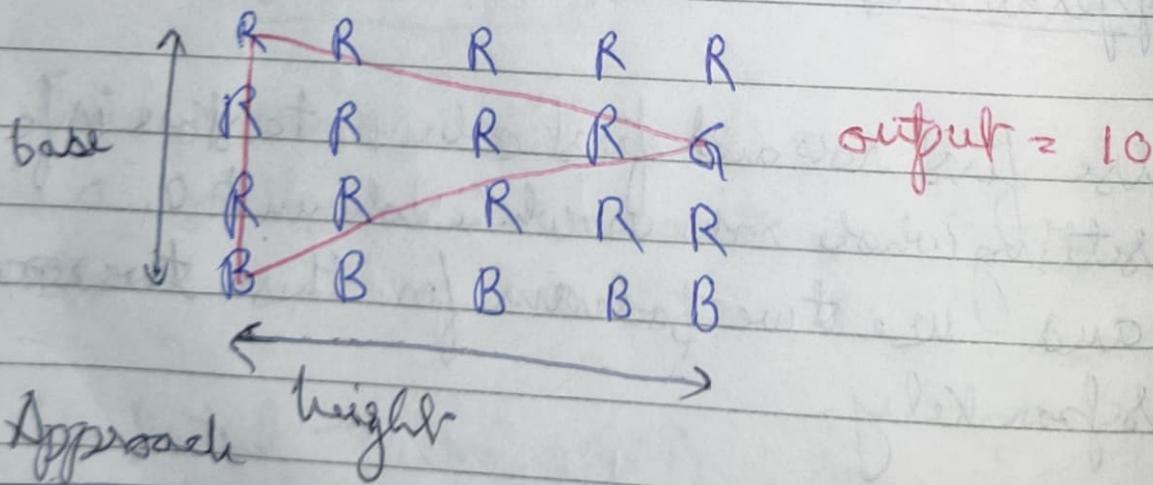
g → green find area of largest triangle

b → blue whole base is parallel to y axis.

that have all vertices of different
 colour.

Q

Example :-



As area of triangle is $\frac{1}{2} \times \text{base} \times \text{height}$.

And base is given to be parallel to y axis.

- For a fixed base if we move the third vertex we notice that the height of the triangle is described by its x -coordinate only. (Area of Δ inscribed b/w same parallels is equal).
- Our goal is to find farthest 3rd coordinate i.e. farthest point for each base.

Solution:

- Keep leftmost and rightmost column values of x, y and b in variables.
 $lx = \inf, rx = -1, lb = \inf, rb = -1, ly = \inf, ry = -1$
- Traverse matrix and update respective 6 variables.
- Print any $z \geq 0$ in column major order
- Traverse matrix again and now calculate area for each possible base and S .
- Return $max. ans$;

Find Permutation - IBof $\text{long}(ch - 1)$

Given the int n and a ~~char~~ string containing of D and I. Return permutation of nos 1 to n that satisfies the given scheme.

↓ ↘
Permutation Increment

Expected time and space complexity: $O(n)$.

Example:- $n=3$
 $s = "ID"$

output: [1, 3, 2].

Approach #Recursion

Keep a set of ~~used~~ all numbers and keep substituting the smallest remaining for an increment and the largest remaining for a decrement. As it automatically makes the next element to be larger or smaller respectively.

Ex:- $n=5$ $s = "DIDD"$

output: [5, 1, 4, 3, 2]

Maximum Consecutive Gap - Rat(L)

Given an unsorted array, find the maximum difference between successive elements in its sorted form.

Solution 1.

Use Bucket sort to sort the array that will take $O(n)$ time and $O(n)$ space.
Then compute the desired.

Solution 2

Use Bucketing.

The idea is that answer will be minimum if (m and n) are adjacent. And our answer will be minimum if all the 'gap's are equal.

So array will be

$m_{n+1}^{1\text{st}}$ gap, $m_{n+2}^{2\text{nd}}$ gap, $m_{n+3}^{3\text{rd}}$ gap $m_{n+(n-1)}^{(n-1)\text{th}}$ gap

This gap can be calculated as

$$\text{max} = \text{min} + (n-1) \times \text{gap}$$

$$\therefore \text{gap} = \frac{\text{max} - \text{min}}{(n-1)}$$

So if we create $(n-1)$ buckets like

$$[\text{min}, \text{min} + \text{gap}), [\text{min} + \text{gap}, \text{min} + 2 \times \text{gap}) \dots$$

There will only be $n-1$ such buckets
(we can calculate for max separately)

Alg:

Traverse the array and store values in these buckets

The difference between elements in ~~any~~ one bucket
is redundant ~~and~~ as there should be at least a
difference of 'gap' to contribute for our ans.

Traverse these buckets and compare diff between minimum element of current ~~array~~^{bucket} and maximum element of previous bucket.

Ques 10)

Triplets with sum between given range

Given an array of real numbers (in string format) greater than 0.

Find if there exists a triplet (a, b, c) such that $1 < a + b + c < 2$

$O(n^3)$ solution expected.

You can convert string to double for calculations.

Approach (quite non-intuitive)

You can convert string to double using `std::atof(arr[i])`

Now we will use bucketing.

Find missing and Duplicate Number

Given an array of integers 1 to n. (Distinct)
Each integer appears exactly once except A which is repeated once and B which is missing.

Find A and B.

Time O(n) space O(1)

Approach 1.

We have two variables ~~extra~~ n (missing) and y (repeating). As we know numbers are fixed (n) and are distinct.

We can form two equations in terms of sum of n Nos. and sum of squares of n Nos.

Then solve linear eqn in two variable.

Approach 2

Use the array itself as a hash by increasing the corresponding index by n and taking division and modulus afterwards.

Approach-3 (Aditya Karna)

* Use swap sort:

Exploits the fact that our range of numbers is fixed. So we can sort by swapping the number i with the place where it should be in the sorted array (As no. are fixed to lie between 1 and n).

N/3 repeated number in a array -
With $O(1)$ space,

Given a read only array of n integers. Find an element that appears more than $n/3$ times in the array. If not return -1.

Approach: Moore's Voting Algorithm

Standard to find majority element

Majority demand; An element that occurs more than n/k times.

Algarif

→ First step gives the element that maybe the majority element.

In second step we check if it is or ~~not~~ not,

Coder: ~~int~~ MajorInduct~~s~~, count ← 1.

loop (i < n) {

if ($arr[maj_index] = arr[i]$)
 Count++;

else

Count -;

if (count == 0) {

May-Inden-i

Count = 1

6

Afterwards just check if it is or not.

Now for $n/3$ repeated number

Code:

first $\leftarrow \text{INT_MAX}$, second $\leftarrow \text{INT_MAX}$

Count1 $\leftarrow 0$, Count2 $\leftarrow 0$.

loop(i, 0, n, & i < n; i++) {

if (first == arr[i])

Count1++;

else if (second == arr[i])

Count2++;

else if (Count1 == 0) {

Count1 = 1

first = arr[i]

else if (Count2 == 0) {

Count2 = 1

} else if (second == arr[i])

{ else {

Count1--;

Count2--;

} end-loop. } afterwards check for majority

First Missing Integer - TB

Given an unsorted integer array, find the first missing +ve integer.

Ex: [3, 4, +1, 9] output: 2.

$O(n)$ time constant space.

Sol:- Use swap sort.

Find K closest element

Given an array and two integers k and m. find K closest elements to m.

Approach 1: Use vector<pair<int, int>> $O(n \log n)$

$\downarrow \quad \downarrow$

abs(arr[i]-m), arr[i]

Sort and print elements from first k pairs.

Approach 2: Use heap instead of sorting in above approach. $O(n \log k)$

Variation - The given array is in sorted form.

~~Approach-3~~ ~~$O(n \log n)$~~ of $\log(n/k) + k$

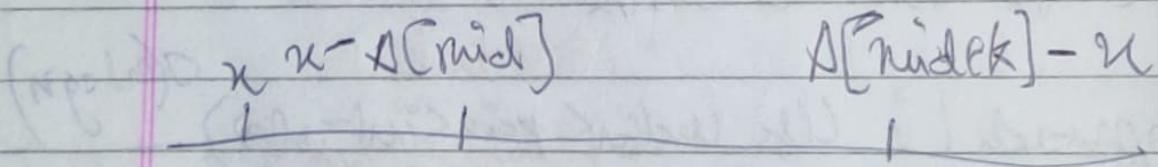
Using Binary search

Take window of mid to mid+k, slide it on the array by condition of binary search search.

We compare the distance between

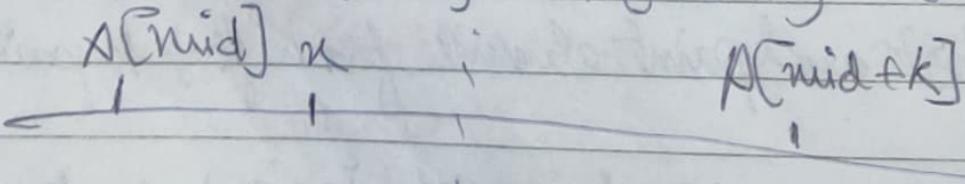
$x - A[\text{mid}]$ and $A[\text{mid}+k] - x$

Case 1: $x - A[\text{mid}] \geq A[\text{mid}+k] - x$



Window needs to move left.

Case 2: $x - A[\text{mid}] < A[\text{mid}+k] - x$



Window needs to move right left.

Case-3:- $x - A[mid] > A[mid+k] - x$

 $x[A[mid]]$ $x[A[mid+k]]$

~~A[mid]~~ Window needs to move right.

Case-4:- $x - A[mid] > A[mid+k] - x$

 $x[A[mid]]$ $x[A[mid+k]]$ x

Window needs to move right.

Code :- $l \leftarrow 0, r \leftarrow n-k-1$

while ($l \leq r$) {

$m = l + (r-l)/2$

 if ($x - arr[m] \leq arr[m+k] - x$) {

$r = m-1$ // move left;

 } else

$l = m+1$ // move right

return last location of window.

Find K^{th} smallest Pair Distance

Distance \rightarrow absolute diff b/w two nos.

Given an intg array, find K^{th} smallest
dist among all pairs.

Ex: $\{1, 6, 1\}$ $K = 3$ output = 5.

Approach (Painter Partition Prob.)

(Use binary search on answer.)

~~Sort~~ Sort the array.

Our answer lies b/w 0 and (max-min).

\Rightarrow guess the answer ~~can~~ and count possible
no. of pairs with diff \leq guess.

Do that,

Use sliding window approach.

We maintain the ~~of~~ loop invariant: left is the
~~smallest value such that~~ ~~an~~ $\text{arr}[\text{right}] - \text{arr}[\text{left}]$
 \leq guess. Then add the number of possible lefts for the
~~given~~ right.

Burst Balloons - LeetCode

n balloons, each ~~will be~~ painted with a number.
Burst all the balloons.

when burst i^{th} balloon we get $\text{arr}[i-1]^*$ $\text{arr}[i]^*$ $\text{arr}[i+1]$ coins. If $i-1$ and $i+1$ goes out of bounds multiply & with 1.

Output: max coin that we can earn.

Approach (MCM) $O(n^3)$

* Reverse thinking

~~Arranging balloons in such a way that they do not overlap.~~

first of all, to compensate for out of bounds,

Append 1 to both the ends of the array.

Now we will try combinations for
left + 1 to right - 1.

) the i^{th} balloon here will be burst last and ~~rest~~

the rest of the balloons from left to $i-1$ and
 $i+1$ to right - 1 are already processed and burst

by recursive call.

S
W
A
L
D
P
N
R
E
C
H
I
T
U
B
F
G
M
Y
Code:-

```
int memo(arr, l, r)
    if (l == r - 1) // as we have already eliminated
                    // out of boundary, this
                    // will result in 0.
    return 0;
```

int ans = 0;

```
for (i = l + 1; i < r; i++)
```

```
ans = max(ans, arr[l] * arr[i] * arr[r])
```

```
+ solve(arr, l, i)
```

```
+ solve(arr, i, r));
```

return ans;

⇒ ^{dp} Initially grand append (Is both sides of
the array ↑ in main function.

Minimum cost to merge stones - LC Hard

There are n piles of stones arranged in a row. The i th pile has stones $[i]$.

A move consists of merging exactly k consecutive piles into one pile. And the cost of the move is equal to the total number of stones in these K piles.

Return minimum cost to merge all piles of stones to one pile. If impossible, return -1.

Prefer Leetcode Solution OR Cideg

Too hard !

Binary Indexed Tree

Binary No.

$$\mu = 110110100$$

can be represented as

$$\mu_2 = a1b \rightarrow \text{all } a^8 (000\ldots0)$$

→ Rightmost set bit,

- μ_2 2's complement of μ

$$= (\mu')' + 1$$

$$= (a1b)' + 1$$

$$= a'0(111\ldots1) + 1$$

$$= a'1(000\ldots0)$$

$$= a'1b$$

$\mu_2 = a1b$ ~~is~~ and $-\mu_2 = a'1b$

$$\therefore \mu_2(-\mu) = (00\ldots0)1(000\ldots0)$$

→ Rightmost set bit of μ

To remove rightmost set bit of n
do

$$n - (n \& (-n))$$

- Binary index tree is an array. $\text{bit}[N]$
- Every index stores a partial sum.

$i \rightarrow \text{index}$ $j \rightarrow \text{remove last bit of } i$

$\text{bit}[i]$ will store sum from $j+1$ to i .

$\text{sum}(l, r) = \text{bit}[r] + \text{bit}[r-1] + \dots + \text{bit}[l]$

int sum(int i) {
 int ans = 0;
 while (i > 0) {
 ans += bit[i];
 i = i - (i & (-i));
 }
 return ans;
}

return ans

1st Choice

$$(1,2) \text{ Query} = \text{sum}(2) - \text{sum}(l-1)$$

~~2nd~~

How to construct bit array:-

Suppose we want to add x to the i th element.

Initially put all zero's in the bit array.

(Use 1 based indexing)

To update, update indices by adding the last set bit (the number in every iteration).

update (int i, int n) {

 while ($i <= N$) { always adds
not updates.

 bit[i] += n // update

 i = i $\Delta (-1)$ // next,

} }

Stock Span Problem

Given a series of daily prices of a stock.

Span S_i of the i^{th} day i is defined as the maximum number of consecutive days just before the given day, for which the price of the stock on the current day is less than or equal to its price on the given day.

Print span values at every day.

Example: $[100, 80, 60, 70, 60, 75, 85]$

Output:- 1 1 2 1 4 6

Approach - Standard problem of stack.

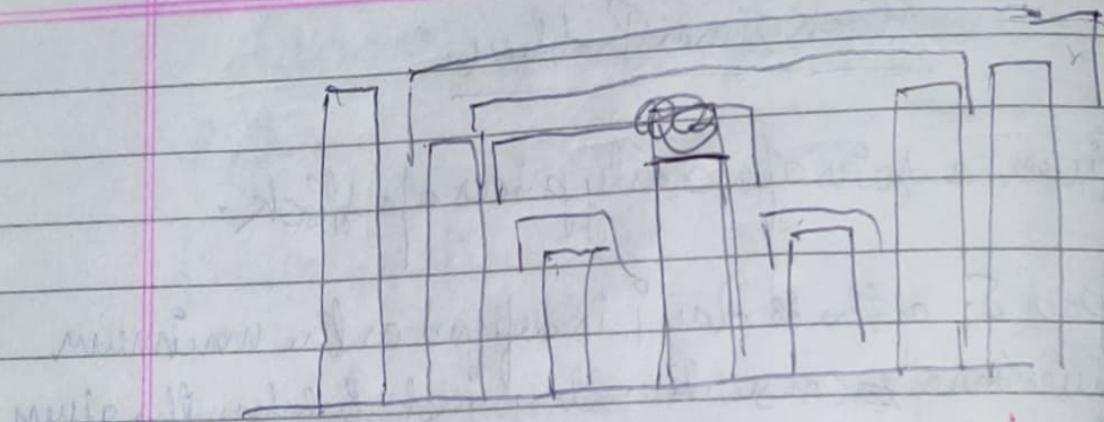
Time:- $O(n)$ Space $O(n)$.

$Span[i] = \text{distance from nearest greater element}$

~~to right~~ left

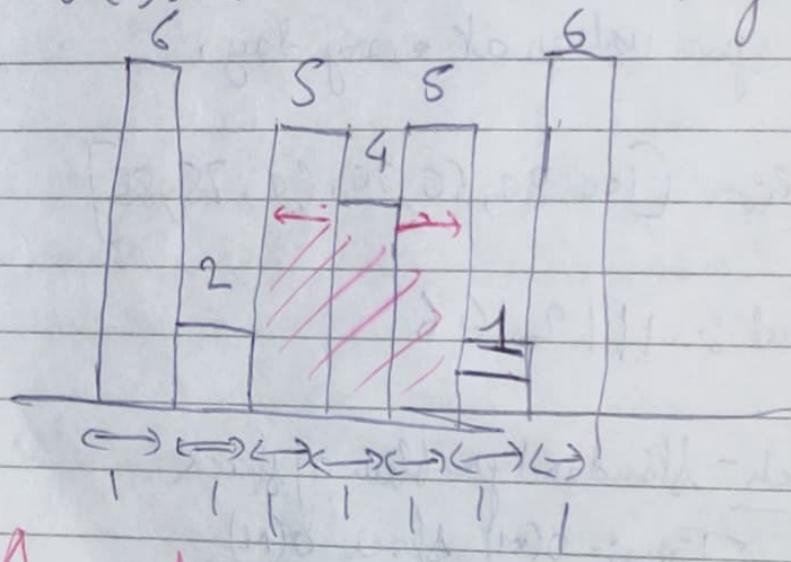
Find nearest greater element to left using stack and keeping its index with it.

Then simply calculate the distance.



~~Maximise Area Histogram~~

$\text{arr}[]: \langle 2, 5, 4, 5, 1 \rangle \rightarrow \text{height}$



Approach

A long histogram can be extended to its left and right histograms to subdivide a rectangular area under and until.

$\text{height}(\text{left}) \geq \text{height}(i) \text{ and } \text{height}(\text{right}) \geq \text{height}(i)$

We will extend a histogram from both sides until we get an element smaller than its height.

So basically, to extend every histogram we will find nearest smaller element to left and nearest smaller element to right for it. And then calculate the area subtended by the extended histogram.

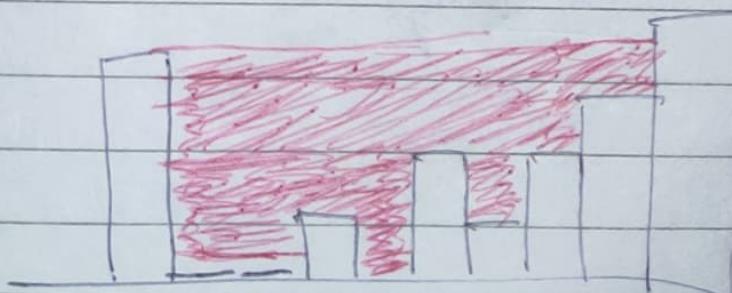
any $= \max(\text{ans}, \dots)$

$$(\text{msr}[i] - \text{nl}[i] - 1) * \text{height}[i]$$

Maximum Area Rectangle - Binary Matrix

Approach \rightarrow Refer Video of Aditya Verma.

Rainwater Trapping



Approach

Area of Water = $\frac{1}{2}$ height of water

above each building.

Calculated by

min man to left, man to right
- height(i)

Precompute man to Left and
man to Right of arrays.

Then calculations,

$O(n)$

* Rainwater trapping and maximum area histogram
are really different, just look similar.
They.

Pythagorean Triplets

$$a^2 + b^2 = c^2$$

a, b and c are ~~not~~ integers.

They can also be written as

$$a = m^2 - n^2$$

$$b = 2mn$$

$$c = m^2 + n^2$$

as,

$$\left. \begin{array}{l} a^2 = m^4 + n^4 - 2m^2 \times n^2 \\ b^2 = 4 \times m^2 \times n^2 \\ c^2 = m^4 + n^4 + 2m^2 \times n^2 \end{array} \right\} \quad a^2 + b^2 = c^2$$

This will generate these triplets in $O(k)$ time
 where k is no. of ~~by~~ pythagorean triplets required.