

Python Lists & Loops

Lists

- List items are ordered, changeable, and allow duplicate values.

```
fruits = ["apple", "banana", "cherry"]
```

- List items are **indexed**

- the first item has index `[0]`, the second item has index `[1]` etc.

```
>>> fruits[2]
```

```
'cherry'
```

- Lists are mutable

```
>>> fruits[1]='plum'
```

```
>>> fruits
```

```
['apple', 'plum', 'cherry']
```

```
>>> len(fruits)
```

```
3
```

Lists

append(), pop() & extend()

```
>>> fruits = ["apple","banana","cherry"]
>>> fruits
['apple', 'banana', 'cherry']
>>> fruits.append('mango')
>>> fruits
['apple', 'banana', 'cherry', 'mango']
>>> x=fruits.pop()
>>> x
'mango'
>>> fruits
['apple', 'banana', 'cherry']
>>> fruits2=['mango','pear']
>>> fruits.extend(fruits2)
>>> fruits
['apple', 'banana', 'cherry', 'mango', 'pear']
```

Accessing List Elements & Slicing

- `fruits[-1]` - last element (-i mean len-i)
- `fruits[i:j]` new sublist called a **slice** consisting of items from i to j-i
- eg if `fruits=['apple', 'plum', 'cherry', 'mango', 'pear']`
- `fruits[1:3]` is `['plum', 'cherry']`
- `fruits[1:]` means slice till end of the list similar `fruits[:2]` from beginning
- **concatenation +**
- `fruits[1:] + fruits[:2]`
`['plum', 'cherry', 'mango', 'pear', 'apple', 'plum']`

List Data Types

- A list can contain different data types:

```
>>>list = ["abc", 34, True, 40, "male"]
```

```
>>>type(list)
```

```
<class 'list'>
```

```
>>> type(list[0])
```

```
<class 'str'>
```

```
>>> type(list[1])
```

```
<class 'int'>
```

Complexity of Basic List Operations

Get Item $O(1)$

Set Item $O(1)$

Get Length $O(1)$

Append* $O(1)$ [*on average]

Pop last $O(1)$

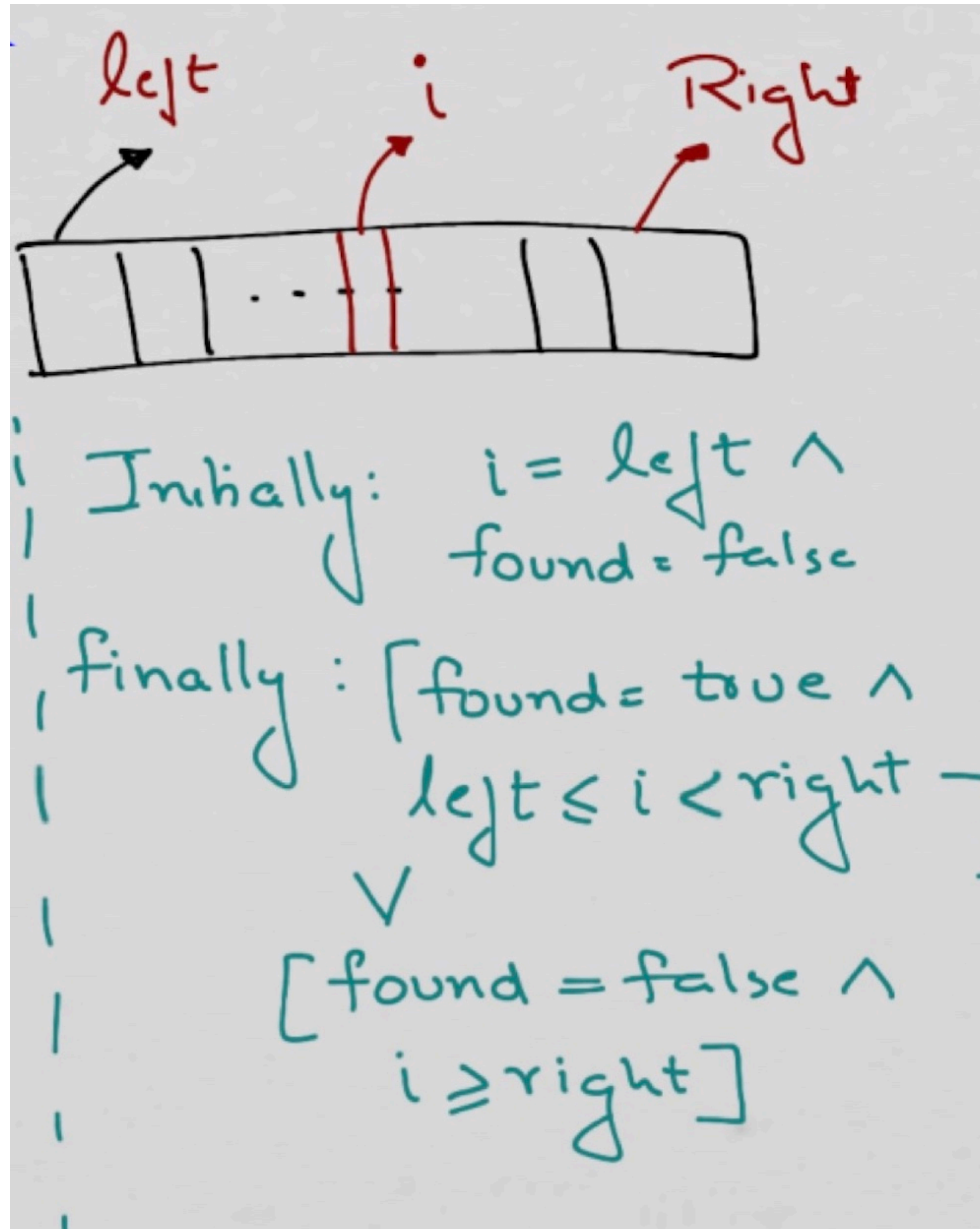
Extend $O(k)$

Get Slice $O(k)$

Sequential Search

Search for x in List A between left & right position


```
def SeqSearch (A, x, left, right):
```



Sequential Search

Search for x in List A between left & right position

```
def SeqSearch (A, x, left, right):  
    1 # assert:  $A[\text{left}, \dots, \text{right}]$  and  $x$  is established  
    i = left  
    found = False  
    3 # found = false  $\Leftrightarrow (x \notin A[\text{left}, \dots, i-1] \wedge \text{left} \leq i \leq \text{right})$   
    while ((not found) and (i < right)):  
        if (A[i] == x):  
            found = True  
        else:  
            i = i + 1  
    2 # assert: (found at i) or  $(x \notin A[\text{left}, \dots, \text{right}])$   
  
    if found:  
        print i  
    else:  
        print "not found"
```



Initially: $i = \text{left} \wedge \text{found} = \text{false}$
finally: $[\text{found} = \text{true} \wedge \text{left} \leq i < \text{right}] \vee [\text{found} = \text{false} \wedge i \geq \text{right}]$

For loop and range

- When you want to do something for every item of a list you can use the for statement

```
for item in L:
```

```
    S
```

```
def seqSearch(A,x,left,right):
```

```
    found=false
```

```
    for item in A[left:right]:
```

```
        if item == x:
```

```
            found= true
```

```
            break
```

```
    return found
```

range

- The `range()` function returns a sequence of numbers, starting from 0 by default, and increments by 1 (by default), and stops before a specified number

`range([start], stop, [step])`

`range(3, 8)=[3,4,5,6,7]`

`range(3, 8, 2)=[3,5,7]`

example:

```
l = [10, 20, 30, 40]
```

```
sum=0
```

```
for index in range(len(l)):
```

```
    sum=sum+l[index]
```

```
print(sum)
```

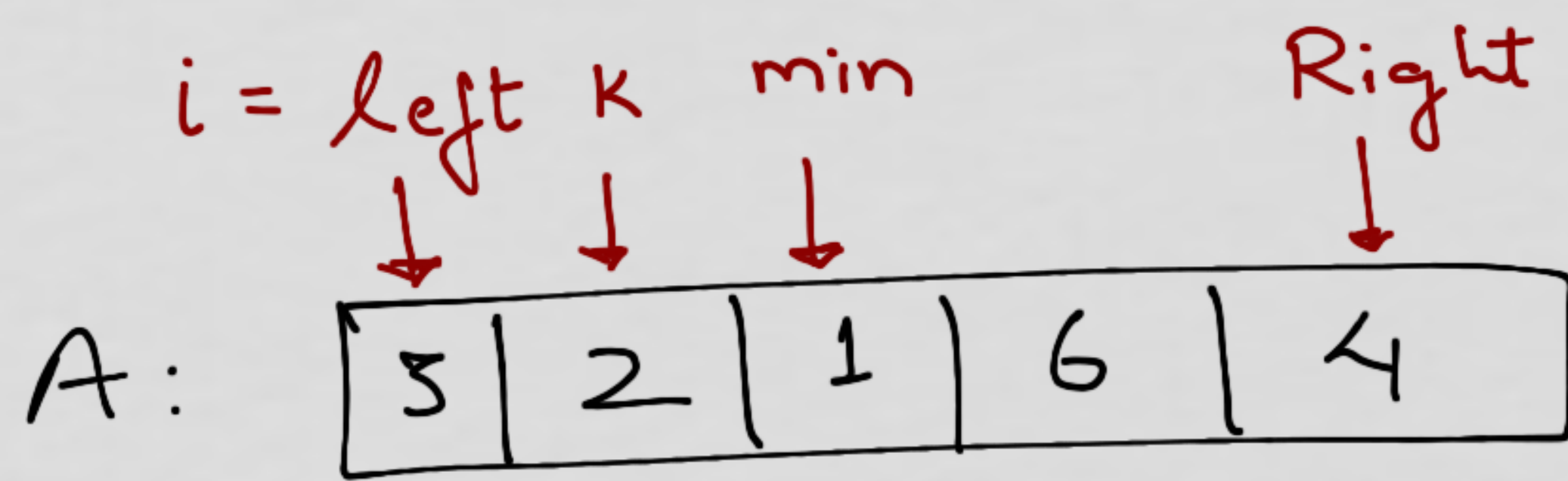
Eg: Using Arrays & loops

Selection Sort $i = \text{left}$ i $i = \text{Right}$

A:

3	2	1	6	4
---	---	---	---	---

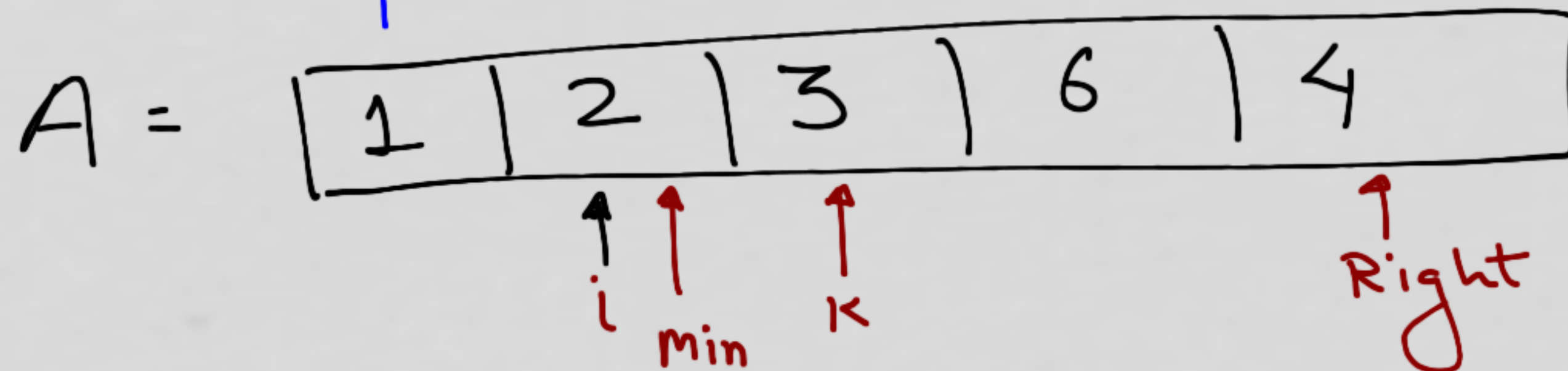
Strategy: Search the minimum value in the array
and place it at the start of the
array



Initially : $i = \text{left}$, unsorted

Finally : $i = \text{right}$, sorted

Swap $A[i]$ and $A[\text{min}]$



Example

A=[5,2,1,6,4], left=0 right=4

[5,2,**1**,6,4] i=0 min=1 at position 2 => swap A[2] and A[i]

[**1**,2,5,6,4] i=1 min is 2 at position 1 => no need to swap

[**1**,**2**,5,6,4] i=2 min is 4 at position 4 => swap A[2] and A[i]

[**1**,**2**,**4**,6,5] i=3

[**1**,**2**,**4**,5,6] i=4

Selection Sort

```
def SelSort(A,left,right):  
    for i in range(left, right):  
        # INV left<=i<right A[left:i] is a sorted list in ascending order and is  
        # less than all elements in remaining list A[i:right])  
        min=i  
        for k in range(i+1,right):  
            #INV that A[min] is the minimum of A[i:k]  
            if A[k] < A[min]:  
                min=k  
        # Finally A[min] is the minimum of A[i:right]  
        A[i],A[min]=A[min],A[i]
```

```
l=[2,9,3,5,66,1]
```

```
SelSort(l,0,len(l))
```

```
print(l)
```

```
[1, 2, 3, 5, 9, 66]
```


def SelSort (A, left, right):

$i = \text{left}$

while ($i \leq \text{right}$):

$\text{min} = i$

$k = i + 1$

while ($k \leq \text{right}$):

if ($A[k] < A[\text{min}]$):

$\text{min} = k$

$k = k + 1$

$A[i], A[\text{min}] = A[\text{min}], A[i]$

$i = i + 1$

→ assert: $A[\text{left}, \dots, \text{right}]$ is established

→ assert: $A[\text{left}, \dots, i-1]$ is sorted,
 $\text{left} \leq i \leq \text{right} + 1$

→ assert: min s.t. $A[\text{min}] \leq \text{all } A[i, \dots, k-1]$,
 $i \leq \text{min} \leq \text{right}$, $i+1 \leq k \leq \text{right} + 1$

→ assert: $\exists \text{min} \in [i, \text{right}]$ s.t.
 $A[\text{min}] \leq \text{all } A[i, \dots, \text{right}]$

→ assert: $A[\text{left}, \dots, \text{right}]$ is sorted

Selection Sort : Complexity

- Space?
- Time?

Selection Sort : Complexity

- Space?
 - $O(1)$ constant space beyond the space for original list
- Time?
 - finding minimum is linear so $n + (n-1) + (n-2) \dots + 1 = O(n^2)$