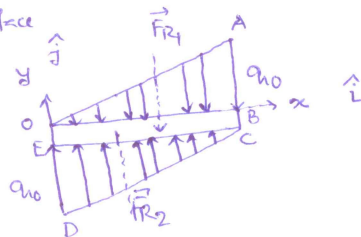


Q 2.4 (e) pg. 227

The resultant of the parallel force distributions of the upper surface makes the loading surface (a triangle OBA).

$$\therefore \vec{F}_{R1} = \frac{1}{2} q_0 L (-\hat{j}) \text{ acting through the centre of mass of the triangle, whose distance from the point O is } \vec{OR}_1 = \frac{2L}{3} \hat{i}$$



Similarly, the resultant of the parallel force distributions of the lower surface makes the loading surface (a triangle ECD)

$$\therefore \vec{F}_{R2} = \frac{1}{2} q_0 L (\hat{j}), \text{ acting at a distance } \frac{L}{3} \hat{i} \text{ from O} + (-b\hat{j})$$

$$\therefore \text{Total Resultant } \vec{F}_R = \vec{F}_{R1} + \vec{F}_{R2} = 0$$

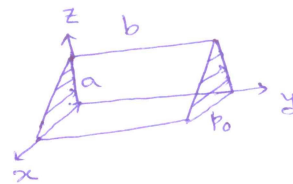
The force distributions \vec{F}_{R1} and \vec{F}_{R2} makes a couple because they are parallel to itself.

$$\therefore \text{Couple} = M_o = F_{R1} d = F_{R1} \left(\frac{2L}{3} - \frac{L}{3} \right) = \frac{L}{3} \frac{1}{2} q_0 L = \frac{q_0 L^2}{6}$$

acting perpendicular to xy plane.

Q 2.4 (b) pg. 227

The parallel force distributions make triangular shape (loading surface) through out the length b.



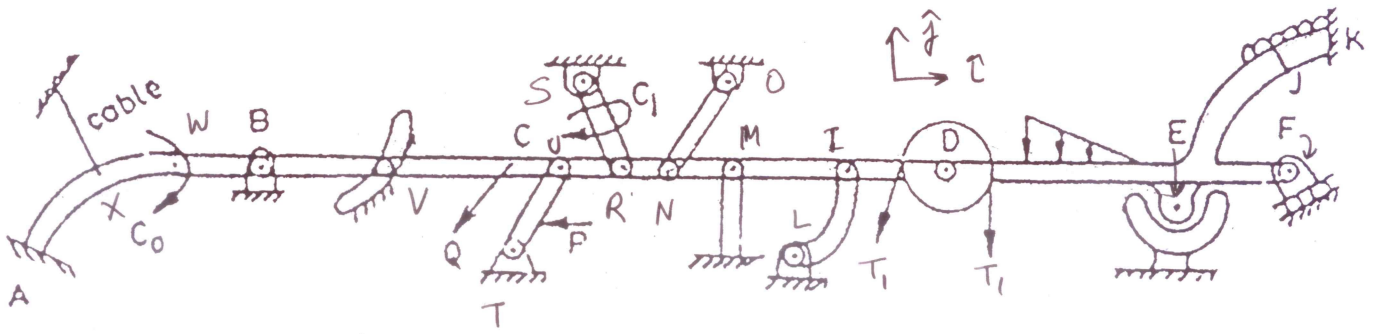
\therefore The resultant of the force distribution is given

$$\text{by } \vec{F}_R = \left(\frac{1}{2} b_0 a \right) b (-\hat{i}) = \frac{1}{2} b_0 ab (-\hat{i})$$

As the resultant acting at the centre of mass of the loading surface, then the centre of the parallel force distribution would be

$$\vec{r}_R = \frac{b}{2} \hat{j} + \frac{a}{3} \hat{k}$$

Q 2.7 (a) pg. 229



Given: i) Coplanar loading ii) All members are light
iii) All contacts are smooth (i.e. frictionless).

The reactions at any support are determined by the types of motion constrained by the support. Coplanar loading \Rightarrow forces in the $x-y$ plane and moments are all in the \hat{k} direction.

A — Fixed end \Rightarrow Force in the $x-y$ plane (direction not known) + Moment \odot

X — Cable \rightarrow Tension along the cable.

W — Concentrated couple C_0

B — Hinge \Rightarrow Force in the $x-y$ plane (direction unknown).

V — no friction \Rightarrow Force normal to the slot.

C — Concentrated force Q .

U — UT is not a 2 force member; Hinge at U \Rightarrow Force in the $x-y$ plane (direction not known)

R \rightarrow SR is not a 2 force member \rightarrow the couple C_1 can be viewed as 2 forces \Rightarrow Similar to V.

N — NO is a 2 force member \Rightarrow Force along NO.

M — Extended hinge \Rightarrow Similar to B.

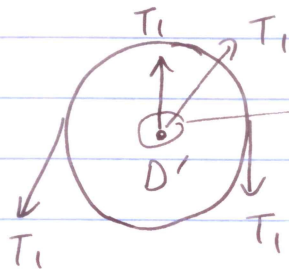
I — IL is a 2 force member \Rightarrow Force along IL.

D \rightarrow No friction in the bearing \Rightarrow forces T_1 can be shifted to D.

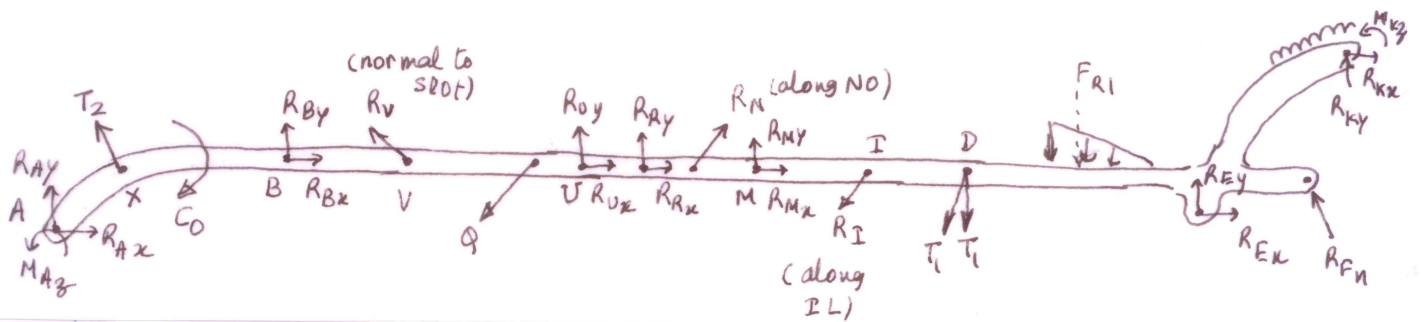
E — Ball + socket \equiv hinge for coplanar loading

F - Roller \Rightarrow no constraint along the roller \Rightarrow force perpendicular to roller
 K - fixed end \rightarrow similar to A.

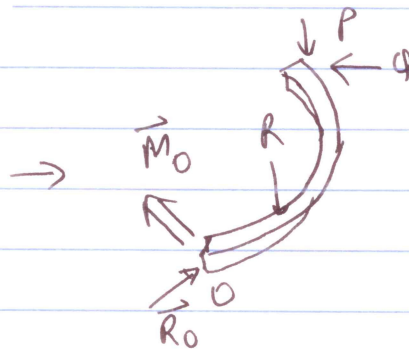
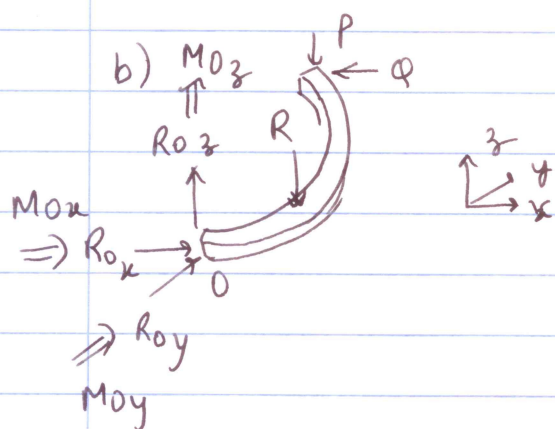
Consider the disc at D. No friction \Rightarrow to keep the disc in equilibrium we need two forces at the centre to counteract the 2 tensions T_1 .



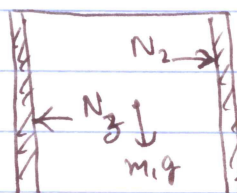
reactions to these two forces appear at D on the rod.



Q 2.13 (b) and (g) pg. 236-237



d) Body ① appears to be a hollow cylinder (no bottom surface).



$\uparrow N$ (some where on the rim.)

Q 2.16 (a) pg. 284

Since the body is translating, all points have the same acceleration. $\Rightarrow \vec{a}_{C/I} = \vec{a}_{A/I}$
 $\Rightarrow \vec{F}_R$ acts at C along CF.

Hence the valid points for $\vec{M}_O = \vec{H}_O$ are:
N, H, J, C, E, F, M, D and L.

$\vec{M}_O = 0$ for: E, C, F, K, N, and L.