QI)

A and B are invertible i.e. $|A| \neq 0$ d

18| $\neq 0$ & also $|A^{-1}| = 1$ and $|B^{-1}| = 1$

C XI = IXI

CMN=

Q2) Let Matouse A= 2a+64 2a+5b 22+46 2a+75 2aBl 20 + 7 5

2a+Sb 2a+6b 2a+5b 1a+66 2a+76 2a+6b La+7b 2a+8b

of Now using Elementary Row Transformation matricely (which does not change he value of determinant) -) Adding or subtracting scalar multiply of one now to another downstand through the is an

Now, $R_2 \rightarrow R_2 = \left(\frac{R_1}{2} + \frac{R_3}{2}\right)$ gues 2a+4b 2a+5b 2a+6b 0 0 0 2a+7b 2a+8b

The 2nd hour of his matrice is Da gette row, so he value of determinant = 0 Hence IAI = 0

Harshir Mawandia

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(13) $W = \{(x,y,z) \in \mathbb{R}^3 \mid ax + by + cz = d\}$

Let u, v E W, such Mont $u = (x_1, y_1, z_1)$ and $u = (x_2, y_2, z_2)$

Now we know

ax, + by, + c2, = d

an 2 + 642+ cz 2 = d

Now far w to be a subspace of R3 (f) xu + Bv ∈ W for all x, B ∈ F

 \Rightarrow $\times (x, y_1, 2) + \beta(x_2, y_2, 2)$

=> (x >1, + b>1, ~ + p = 42, + p = 2)

For this to belond to W

we have

a(xx,+ B)() + b(xy2+ By2) + ac(x2,+ B22)=1 x (an, + by, +c2,) + B(an, + by, +c2) = d

Harshit Marrandlai

20200510348

from 1 and 1



Rd + Bd = d

 $d(x+\beta)=d$

d(x+ p-1) = 0

lither d = 0 or $\kappa + \beta$ or = 1we know x+p will not always be 1

they can be any value in F

1 d = 0

Hence Proved

$$A \times ady A = |A|I = |A|00...n$$

$$0 |A|0...n$$

$$0 |A|$$

$$1 |A|A$$

$$1 |A|A$$

taking determinant both side; are I

$$|A \times adj A| = |A|I| = |A| 000$$

$$0 |A| 0 0$$

$$0 |A| |A|$$

$$0 |A| |A|$$

· Lut IA = 1