MLL 100

Introduction to Materials Science and Engineering

Lecture-4

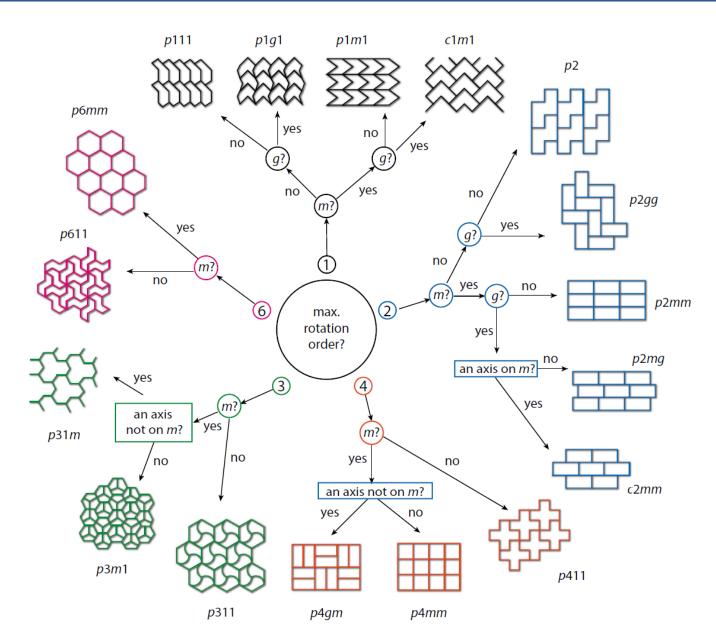
Dr. Sangeeta Santra (<u>ssantra@mse.iitd.ac.in</u>)



What we learnt in Lecture-3?

- Primitive and non-primitive unit cell
- → 2-D lattices
- \bigcirc Plane groups

Algorithm for plane group determination



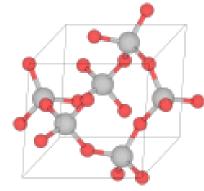
- What is the rotation axis of highest order?
- 2) Is mirror plane present?
- 3) Is glide plane (*g*) present which does not result from any combination of rotation, translation and reflection?
- 4) Is any rotation axis of arbitrary order (not necessarily the one with the highest
- 5) order) present but not on a mirror?
- 6) Is rotation axis of any order present on a mirror?

Crystal

Homogeneous, anisotropic solid states, whose building blocks are three-dimensional periodically ordered

krystallos







Homogeneous: Uniform chemical composition

Milk

Horlicks

Milk with honey

Quartz

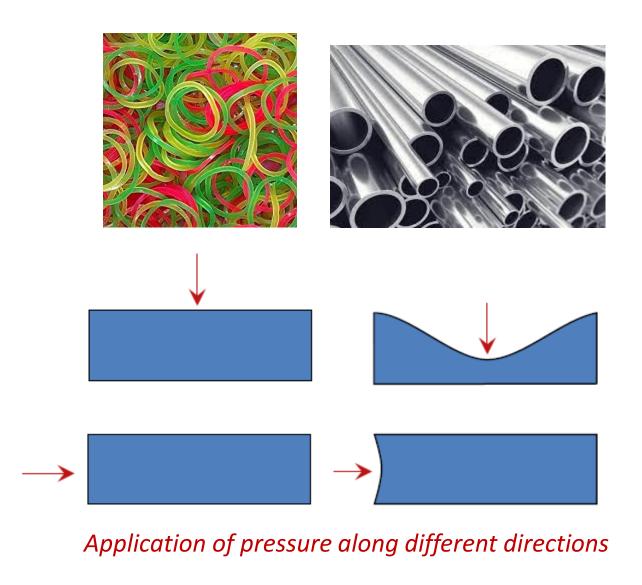


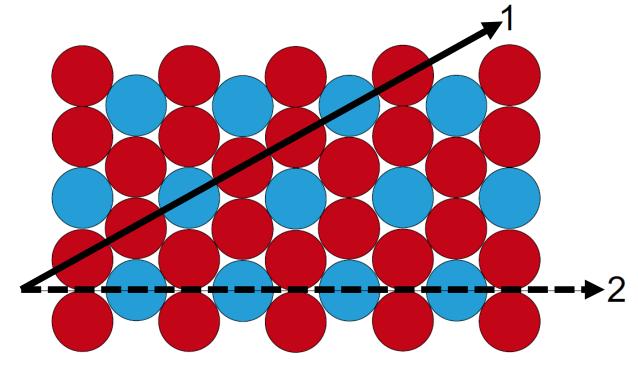




Anisotropy

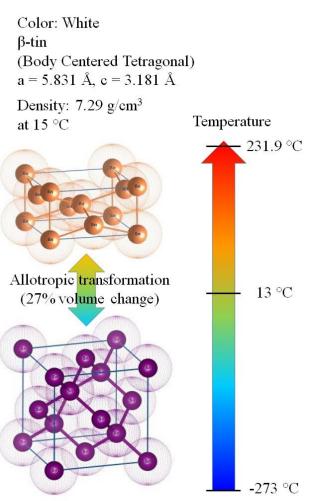
Directional dependent properties





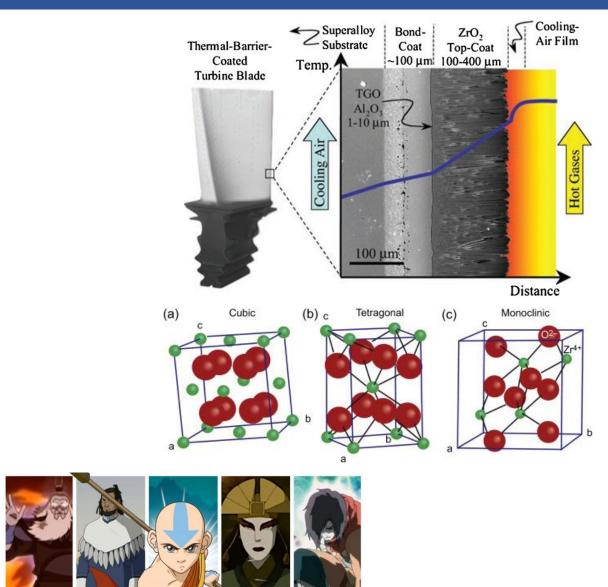
Importance of crystal systems

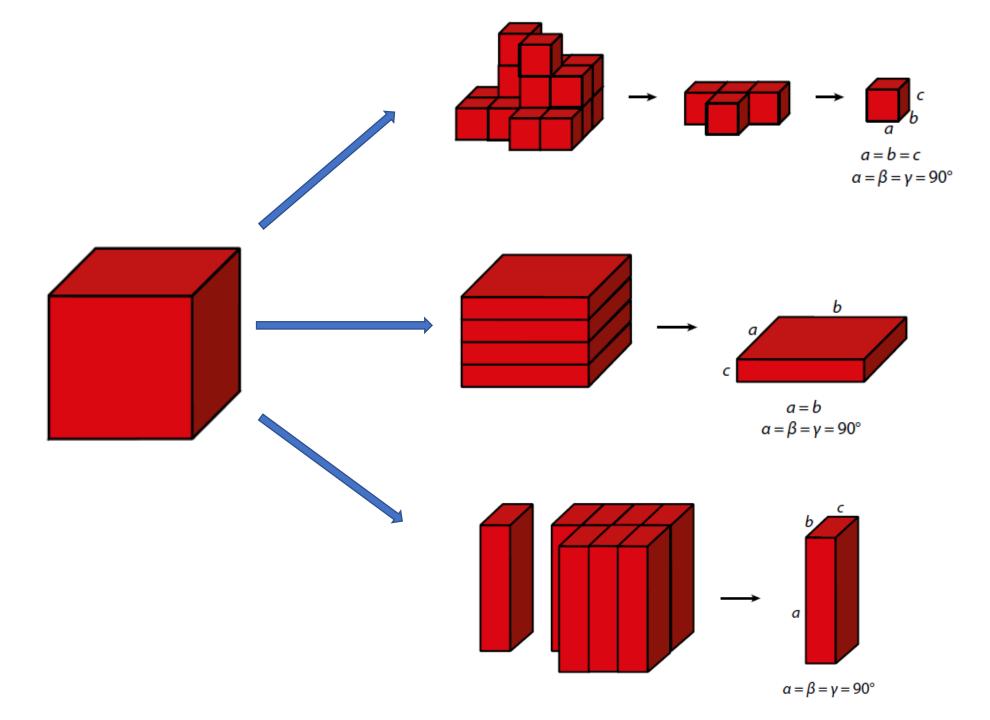


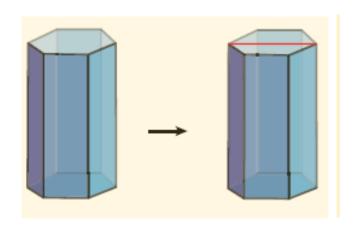


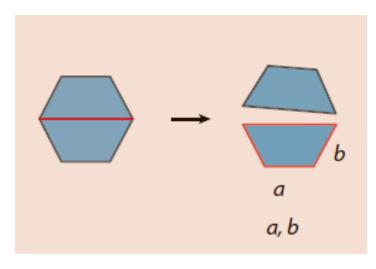


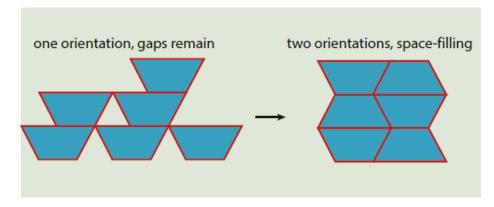
Color: Grey α -tin (Diamond cube) a = 6.489 ÅDensity: 5.77 g/cm³ at 13 °C

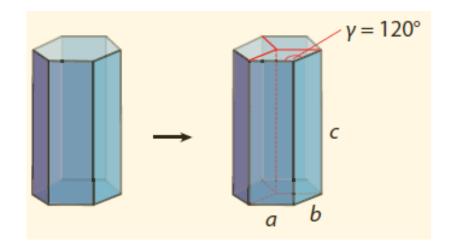


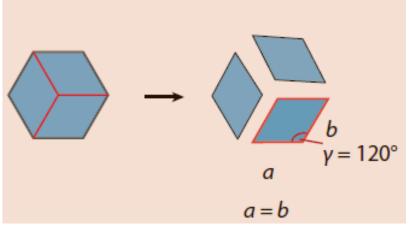


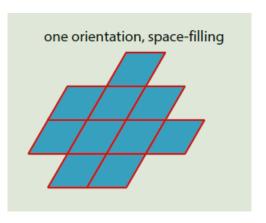


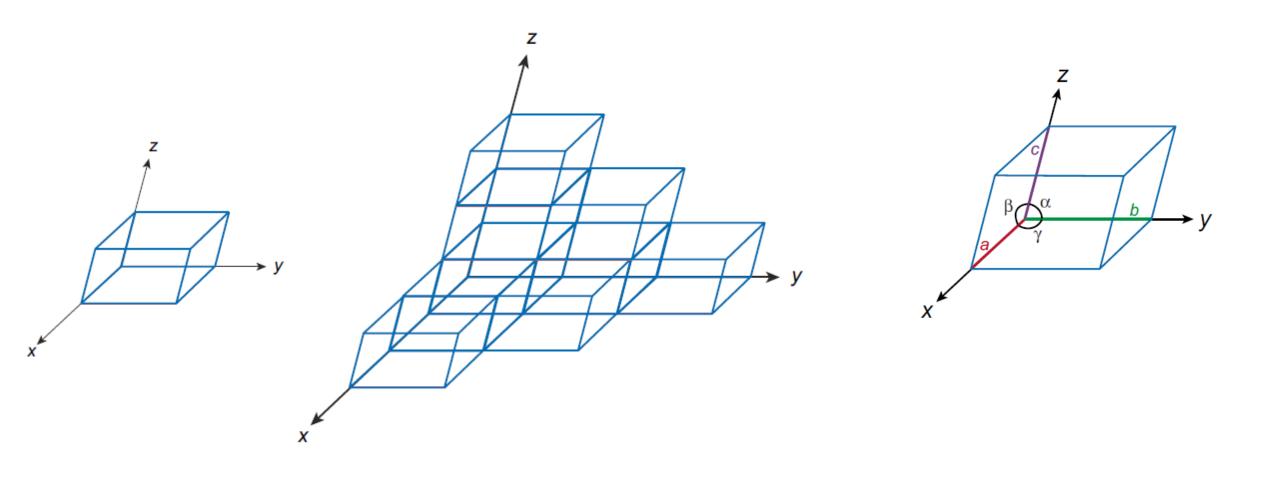








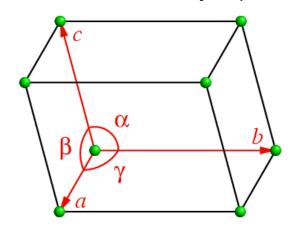




Unit cell: Smallest unit which builds up the entire crystal by repeating translations along all three spatial directions

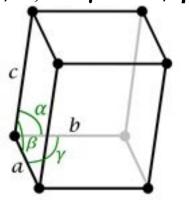
Crystal systems

Triclinic $a \neq b \neq c$; $\alpha \neq \beta \neq \gamma$



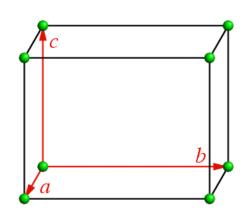
2 Monoclinic

$$a \neq b \neq c$$
; $\alpha = \gamma = 90^{\circ} \neq \beta$



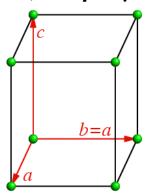
3 Orthorhombic

$$a \neq b \neq c$$
; $\alpha = \beta = \gamma = 90^{\circ}$



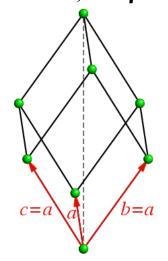
Tetragonal

$$a = b \neq c$$
; $\alpha = \beta = \gamma = 90^{\circ}$



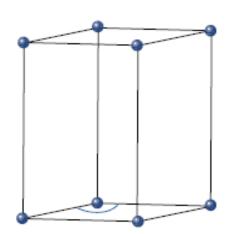
Trigonal

$$a = b = c$$
; $\alpha = \beta = \gamma \neq 90^{\circ}$



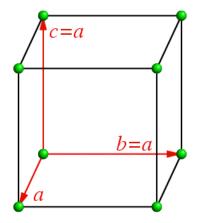
Hexagonal

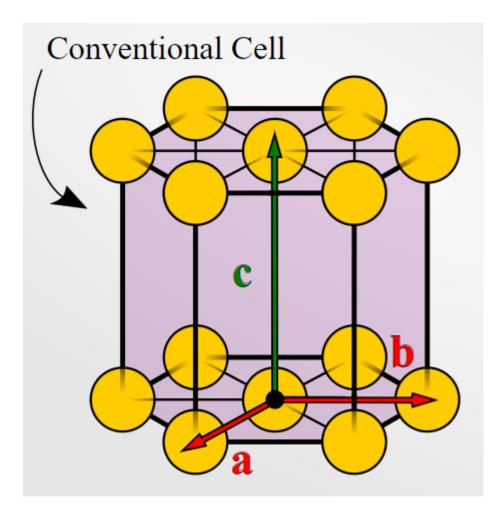
$$a = b \neq c; \alpha = \beta = 90^{\circ}; \gamma = 120^{\circ}$$
 $a = b = c; \alpha = \beta = \gamma = 90^{\circ}$

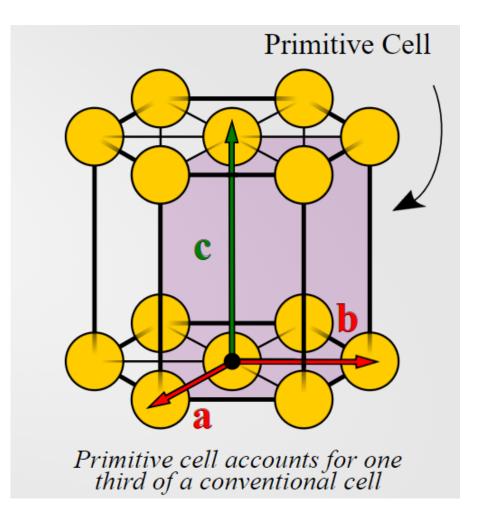


Cubic

$$a = b = c$$
; $\alpha = \beta = \gamma = 90^{\circ}$

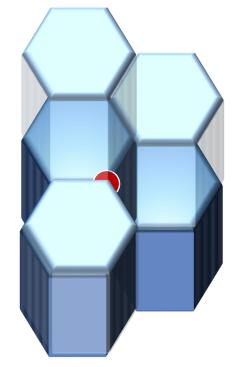


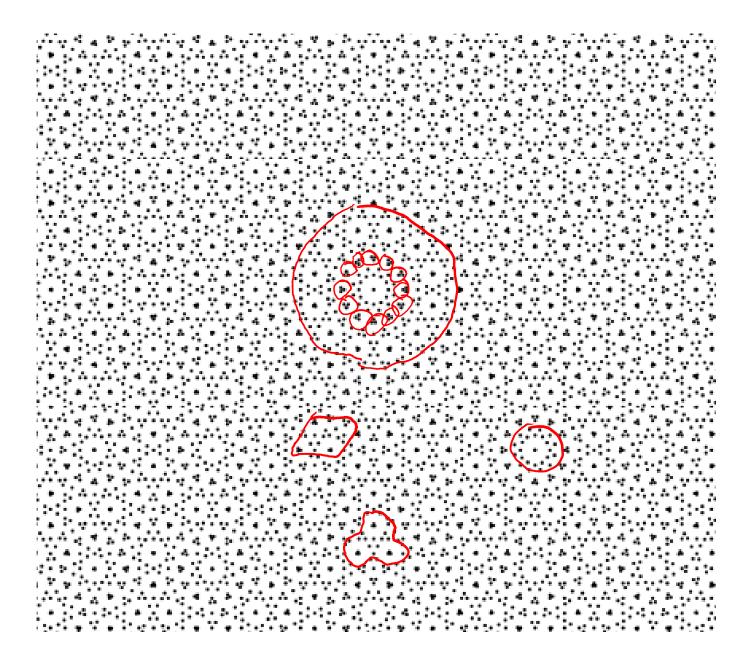




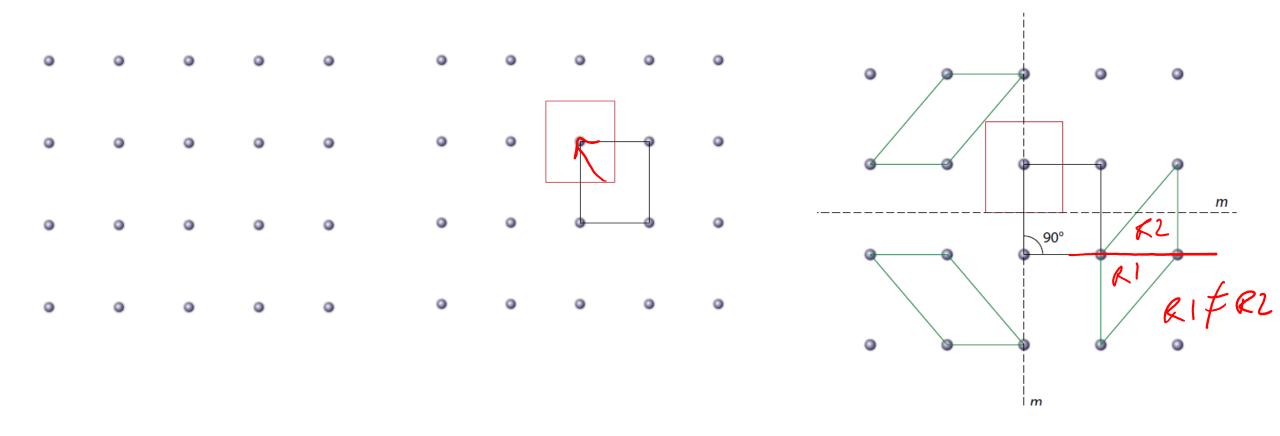


Three

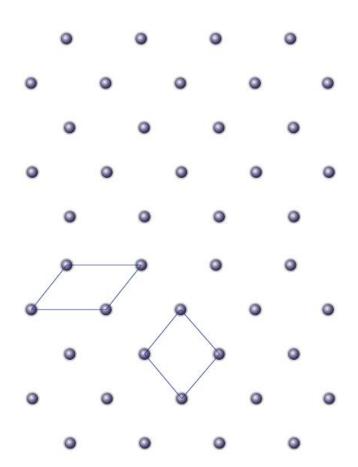


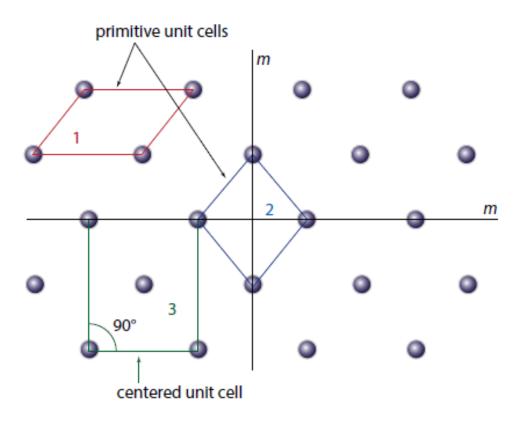


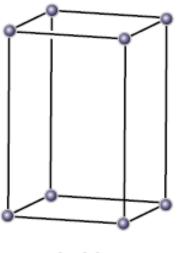
Marroquin pattern

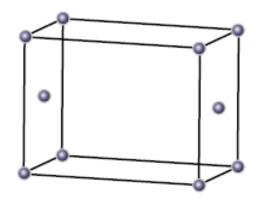


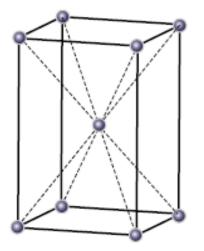
- Unit cell as small as possible ----> Lattice vectors as short as possible.
- Unit cell should reflect the symmetry of the lattice ----> Lattice vectors should run parallel to symmetry axes or perpendicular to planes of symmetry.
- Lattice vectors should be orthogonal (or hexagonal) ----> Enclose an angle of 90° (or 120°)

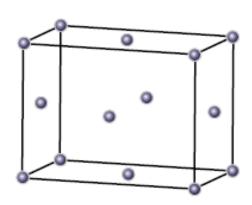












primitive

single-sided face-centered

body-centered

all-sided face-centered

P

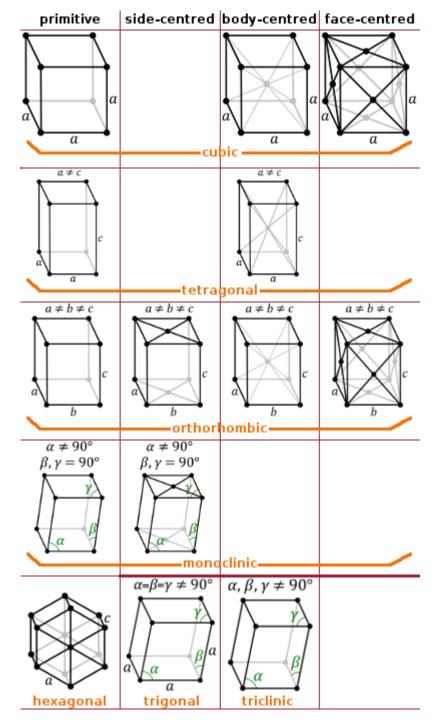
C(AB)

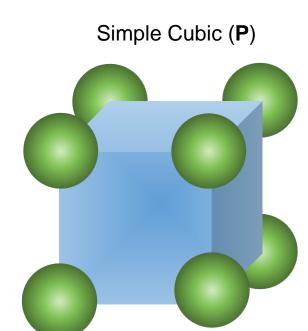
Т

F

End-centred

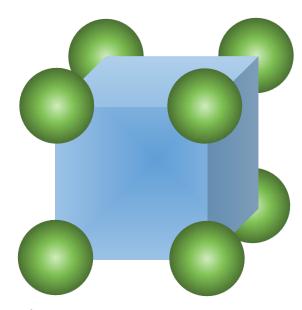
14 Bravais lattices





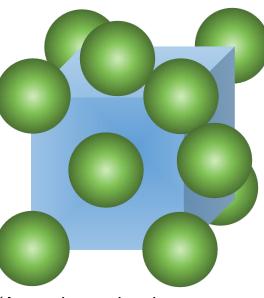
(Atoms located only at the corners of the unit cell)



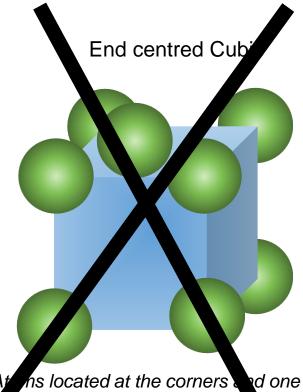


(Atoms located at the corners and centre of the unit cell)

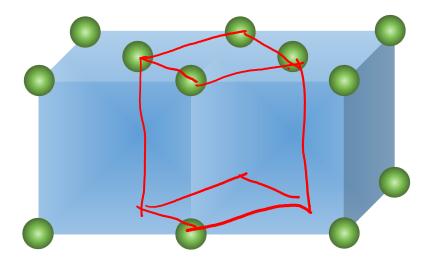




(Atoms located at the corners and faces of the unit cell)



(At this located at the corners and one of the opposite faces of the unit will)



Why is there no end-centred cubic unit cell?

End-centred cubic ~ Primitive Tetragonal

| Why is there no body-centred monoclinic Bravais lattice? |
|---|
| Why can not a face centred cubic lattice be considered a body-centred tetragonal lattice? |