

## **Answer 2**

```
% HARSHIT RAI
```

```
% 2017152
```

```
%%
```

```
% Message signal
```

```
clear all;
```

```
clc;
```

```
fs=200*1000; % Sampling frequency of original signal : almost continuous
```

```
ts=1/fs;
```

```
n=1000; % Generate 1000 cycles
```

```
t= 0:ts:n*ts-ts ; % From 0 to ts in step of (n*ts-ts)
```

```
fm=1*1000; % Frequency of message signal
```

```
tm=1/fm;
```

```
am=2; % Amplitude of message signal
```

```
mt=am*sin(2*pi*fm*t); % Message signal
```

```
subplot(2,1,1)
```

```
plot(t,mt)
```

```
title('Message Signal')
```

```
xlabel('Time axis');
```

```
ylabel('Amplitude');
```

```
hold on;
```

```
%%
```

```
% Phase modulated signal
```

```
fc=6.5*1000; % Frequency of carrier signal
```

```
tc=1/fc;
```

```
kp=pi/2; % Phase modulation index
```

```
ac=1; % Amplitude of carrier signal
```

```
pt=ac*sin((2*pi*fc*t)+(kp*mt)); % Phase modulated signal
```

```
subplot(2,1,2)
```

```
plot(t,pt)
title('Phase modulated signal')
xlabel('Time axis');
ylabel('Amplitude');
hold on;
```

## **Answer 1**

A) If quantization levels are increased, then the quantization error decreases. Because they are inversely proportional.

$$\text{Error} = (2 * \text{Amplitude}) / (L)$$

B) If sampling frequency is increased, then the quantization error decreases. Because now more number of samples are recorded and therefore error also gets decreased.

## **CODE**

```
% HARSHIT RAI
% 2017152

%%
% Input Sinusoid
clear all;
clc;

fm=1*1000; % Message signal frequency
tm=1/fm;

fs=250*1000; % Sampling frequency of original signal : almost continuous
ts=1/fs;

n=5; % Generate 5 cycles
```

```

a=2; % Amplitude of sinusoid
t= 0 : ts : (n*tm-ts) ; % From 0 to ts in step of (n*tm-ts)

mt=a*sin(2*pi*fm*t); % Analog Input Signal

subplot(3,1,1);
plot(t,mt);
title('Analog Input Signal');
xlabel('Time');
ylabel('Amplitude');

%%
% Sampling

fs1=20*1000; % Sampling frequency
ts1=1/fs1;
t1= 0 : ts1 : (n*tm-ts1) ; % Time index
mt1=a*sin(2*pi*fm*t1);

subplot(3,1,2);
plot(t,mt);
title('Sampled Signal');
xlabel('Time');
ylabel('Amplitude');
hold on;
stem(t1,mt1);

%%
%Quantisation

bit=3; % Quantization bit for 8 levels
l=2^bit;
del=2*a/l; % Step size

samples=length(mt); % Total number of samples
levels=zeros(1,samples); % Array for quantization levels
error=zeros(1,samples); % Array for quantization error

up=a-del/2; % Maximum voltage
down=-a+del/2; % Minimum voltage

%In the below "for loop" we are mapping the sample values to their quantization levels

```

```

for h=down:del:up % Iterating from lowest to the highest level
    for r=1:samples % For all samples
        % If the sample value lies within the range  $-\text{del}/2 < \text{sample} < \text{del}/2$ 
        if(((h-del/2)<mt(r))&&(mt(r)<(h+del/2)))
            levels(r)=h;
            error(r)=mt(r)-h; % Error= Actual value - apparent value
        end
    end
end
end

```

```

subplot(3,1,3);
plot(t,levels,t1,mt1);
title('Quantized Signal');
xlabel('Quantization intervals');
ylabel('Quantization levels');

```

```

%%
% Code generator

```

```

codegenerator=zeros(1,samples); % Array for binary code generator

```

```

for p=2:samples % For all samples
    if(levels(p)==down+(0*del))
        codegenerator(p)=000;
    end
    if(levels(p)==down+(1*del))
        codegenerator(p)=001;
    end
    if(levels(p)==down+(2*del))
        codegenerator(p)=010;
    end
    if(levels(p)==down+(3*del))
        codegenerator(p)=011;
    end
    if(levels(p)==down+(4*del))
        codegenerator(p)=100;
    end
    if(levels(p)==down+(5*del))
        codegenerator(p)=101;
    end
    if(levels(p)==down+(6*del))
        codegenerator(p)=110;
    end
end

```

```
    if(levels(p)==down+(7*del))
        codegenerator(p)=111;
    end

end

%%
% Quantization error

display(error);
```