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## Practical 9 Lagrange interpolation

AIM:- To estimate the values of Exp[0.5], Exp[-0.7] and Exp[0.3] by constructing the lagrange's form of interpolating polynomial for f passing through (-1,Exp[-1]), (0,1) and (1,Exp[1])

```
lo[1] = Lagrange1[x_{,} f_{,} y_{,}] := Module[{}, s = 0; m = Length[x]; p = 1;
       For [i = 1, i c m, i = i + 1,
        For [j = 1, j c m, j = j + 1,
            p = p x (y - x[[j]]) / (x[[i]] - x[[j]]); Continue;];];
        s = s + p x f[[i]]; p = 1;];
       Print["Function value at y=", s];
       Print["Absolute error=", Abs[s - Exp[y]]];]
ln[2]:= x = \{-1, 0, 1\};
   f = \{ Exp[-1], 1, Exp[1] \};
    Lagrangel x, f, 0.5
    Function value at y=1.72337
    Absolute error=0.0746495
In[5]:= Lagrange1 x, f, - 0.7
    Function value at y=0.443469
    Absolute error=0.0531166
In[6]:= Lagrange1 x, f, 0.3
    Function value at y=1.40144
    Absolute error=0.0515788
In[7]:= Clear f, x, s, i, j
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ln[8]:= Lagrange2 [xi_, f_, x_] := Module [{}, s = 0; m = Length [xi]; p = 1;
       For [i = 1, i c m, i = i + 1,
        For [j = 1, j c m, j = j + 1,
          If[j i,
            p = p x (x - xi[[j]]) / (xi[[i]] - xi[[j]]); Continue; ];];
         s = s + p x f[[i]]; p = 1;];
       Print["The polynomial is"];
       Print "p", m - 1, "= ", Simplify s ;
ln[9]:= xi = \{0, 1, 3\};
    f = \{1, 3, 55\};
     Lagrange2 xi, f, x
     The polynomial is
     p2 = 1 - 6x + 8x^2
In[12]:= Lagrange2 xi, f, 2
     The polynomial is
    p2 = 21
```