# Physics Behind the Simulation: A CS251 Report by Group 11.

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The Formula for the time period of a pendulum is: [3]

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$$s_y = u_y t + \frac{1}{2}gt^2 \tag{2}$$

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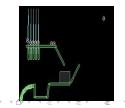
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## References



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