1) Given:

$$g_1 = f_{11} + f_{2} + f_{2}$$
 $g_2 = f_{11} + f_{2} + f_{2}$
 $g_3 = f_{11} + f_{2} + f_{3}$

Take fourier transform on both sides and use F(1*9) = F(1) F(9)

 $G_1 = F_1 + H_2 F_2$ $G_2 = H_1 F_1 + F_2$ $G_3 = H_4 F_1 + F_3$ $G_4 = G_4 F_4$ $G_5 = G_6 F_6$ $G_7 = G_7 F_6$ $G_7 = G_7 F_8$ $G_7 = G_7$ $G_$

Solving the two linear equations in F., F., we get

$$F_1 = G_1 - H_2 G_2$$
, $F_2 = G_2 - H_1 G_1$
 $1 - H_1 H_2$ $1 - H_1 H_2$

$$= \int_{1}^{-1} \left(\frac{\zeta_{1} - H_{2} \zeta_{2}}{1 - H_{1} H_{2}} \right), \quad f_{3} = F^{-1} \left(\frac{\zeta_{3} - H_{1} \zeta_{3}}{1 - H_{1} H_{2}} \right)$$

The problem with this formula is that since h, h, are blue kesnels, H, and H, will be low paus filters which are close to I for small frequencies. So we can't extract low frequency components in F, F, since denominator will be close to 0, which is problematic since natural images have significant contribution of low frequency components.