## In [1]:

```
# importing libraries

import numpy as np
from PIL import Image
%pylab inline
import matplotlib.pyplot as plt
import matplotlib.image as mpimg
import cv2
```

Populating the interactive namespace from numpy and matplotlib

## In [2]:

```
# displaying the input images
img=mpimg.imread('1.jpg') # R
imgplot = plt.imshow(img)
plt.show()

img=mpimg.imread('2.jpg') # G
imgplot = plt.imshow(img)
plt.show()

img=mpimg.imread('3.jpg') # B
imgplot = plt.imshow(img)
plt.show()

img=mpimg.imread('4.jpg') # I
imgplot = plt.imshow(img)
plt.show()
```

500

ó

100

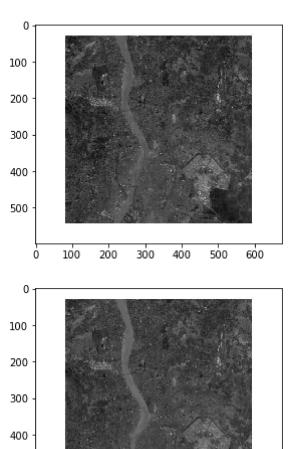
200

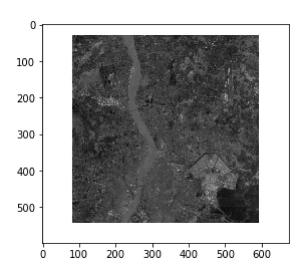
300

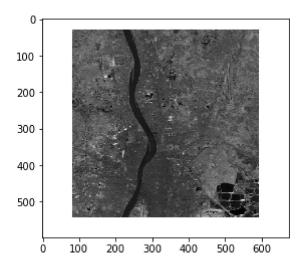
400

500

600







# In [3]:

```
#loading images for R, G, B and I

im1 = Image.open('1.jpg')
im2 = Image.open('2.jpg')
im3 = Image.open('3.jpg')
im4 = Image.open('4.jpg')

pix1 = im1.load()
pix2 = im2.load()
pix3 = im3.load()
pix4 = im4.load()
```

### In [4]:

```
# creating feature vector from 4 images
feature_vec = []
for i in range(83, 595) : # 512 rows
    for j in range(30, 542) : # 512 cols
        feature_vec_row = []
        feature_vec_row.append(pix1[i, j][0])
        feature_vec_row.append(pix2[i, j][0])
        feature_vec_row.append(pix3[i, j][0])
        feature_vec_row.append(pix4[i, j][0])
        feature_vec.append(feature_vec_row)
feature vec = np.array(feature vec)
print(feature vec)
feature vec.shape
[[ 73
      78 77 108]
 [ 77
      84
          82 122]
 [ 78
      79 69 111]
 [255 255 255 255]
 [255 255 255 255]
 [228 227 239 237]]
Out[4]:
(262144, 4)
In [5]:
# mean of columns in feature vector
mean = np.mean(feature_vec, axis = 0)
mean
Out[5]:
array([67.15812683, 71.31724167, 67.04650497, 79.61330032])
In [6]:
# deviation from mean matrix
dev_mat = feature_vec - mean
print(dev mat.shape)
# transpose of deviation matrix
dev mat T = np.transpose(dev mat)
print(dev_mat_T.shape)
(262144, 4)
(4, 262144)
```

```
In [7]:

# calculating covariance matrix

cov_mat = np.dot(dev_mat_T, dev_mat) / 262144.0
print(cov_mat)

[[504.33096057 416.76361732 431.3597766 122.47733488]
[416.76361732 410.2218713 404.30558589 160.82630961]
[431.3597766 404.30558589 508.21863578 145.87713339]
[122.47733488 160.82630961 145.87713339 670.51164576]]

In [8]:

# eigenvectors and eigenvalues
eigen_val, eigen_vec = np.linalg.eig(cov_mat)
print(eigen_val)
print(eigen_vec)
eigen_vec1 = eigen_vec[:, 0]
eigen_vec2 = eigen_vec[:, 1]
```

```
eigen vec3 = eigen vec[:, 2]
eigen_vec4 = eigen_vec[:, 3]
# getting eigenvectors
eigen_vec1 = np.resize(eigen_vec1, (4, 1))
eigen_vec2 = np.resize(eigen_vec2, (4, 1))
eigen vec3 = np.resize(eigen vec3, (4, 1))
eigen_vec4 = np.resize(eigen_vec4, (4, 1))
print(eigen_vec1)
print(eigen_vec2)
print(eigen_vec3)
print(eigen_vec4)
[1395.57017911 588.83933778
                               76.49759434
                                              32.37600218]
[[ 0.55853844  0.23482448  0.60221068  -0.51984092]
 [ 0.51904139  0.12821887  0.18113632  0.8254366 ]
 [ 0.56100149  0.19031695  -0.77731541  -0.21174875]
```

```
[[0.55853844]
[0.51904139]
[0.56100149]
[0.32234791]]
[[ 0.23482448]
[ 0.12821887]
[ 0.19031695]
[-0.94456172]]
[[ 0.60221068]
[ 0.18113632]
[-0.77731541]
[ 0.01768292]]
[[-0.51984092]
[ 0.8254366 ]
[-0.21174875]
[-0.05985231]]
```

#### In [9]:

```
# checking correctness of eigenvectors
# sum of eigen values should be equal to sum of diagonal elements of covariance matrix

sum_eigen_values = sum(eigen_val)

sum_diagonal_cov = 0.0
for i in range(4):
    sum_diagonal_cov = sum_diagonal_cov + cov_mat[i][i]

print(sum_diagonal_cov)
print(sum_eigen_values)
```

2093.2831134134267 2093.283113413426

### In [10]:

```
# can either create a complete new fecature matrix of size (262144 x 4) or 4 fetaure ve
ctros of size (262144 x 1)

# final feature matrix of size (262144 x 4)
final_feature_vector = np.dot(feature_vec, np.transpose(eigen_vec))

# final feature vectors of size (262144 x 1)
final_feature_vector1 = np.dot(feature_vec, eigen_vec1)
final_feature_vector2 = np.dot(feature_vec, eigen_vec2)
final_feature_vector3 = np.dot(feature_vec, eigen_vec3)
final_feature_vector4 = np.dot(feature_vec, eigen_vec4)

len(final_feature_vector)
```

#### Out[10]:

262144

### In [11]:

```
# creating blank images for final output

pc1 = Image.new('RGB', (512, 512))
pc1.save('blank1.png')
pix_pc1 = pc1.load()

pc2 = Image.new('RGB', (512, 512))
pc2.save('blank2.png')
pix_pc2 = pc2.load()

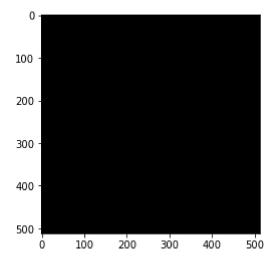
pc3 = Image.new('RGB', (512, 512))
pc3.save('blank3.png')
pix_pc3 = pc3.load()

pc4 = Image.new('RGB', (512, 512))
pc4.save('blank4.png')
pix_pc4 = pc4.load()

# printing one blank image for demo
plt.imshow(pc1)
```

### Out[11]:

#### <matplotlib.image.AxesImage at 0x1c3b10d15c8>



#### In [12]:

### In [13]:

```
# image corresponding to highest value of eigenvalue

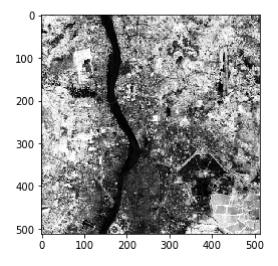
final_file = 'pca_output1.png'
pc1.save(final_file)

img = cv2.imread(final_file,0)
equ = cv2.equalizeHist(img)
cv2.imwrite(final_file, equ)

img = cv2.imread(final_file)
plt.imshow(img)
```

#### Out[13]:

<matplotlib.image.AxesImage at 0x1c3b105eb08>



## In [14]:

```
# image corresponding to second highest value of eigenvalue

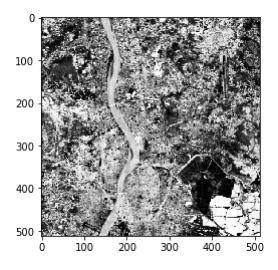
final_file = 'pca_output2.png'
pc2.save(final_file)

img = cv2.imread(final_file,0)
equ = cv2.equalizeHist(img)
cv2.imwrite(final_file, equ)

img = cv2.imread(final_file)
plt.imshow(img)
```

# Out[14]:

<matplotlib.image.AxesImage at 0x1c3b0e33048>



## In [15]:

```
# image corresponding to second smallest value of eigenvalue

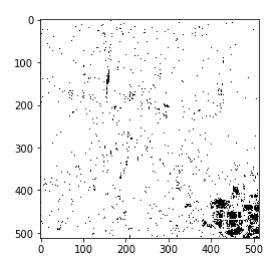
final_file = 'pca_output3.png'
pc3.save(final_file)

img = cv2.imread(final_file,0)
equ = cv2.equalizeHist(img)
cv2.imwrite(final_file, equ)

img = cv2.imread(final_file)
plt.imshow(img)
```

## Out[15]:

### <matplotlib.image.AxesImage at 0x1c3b0fc4588>



## In [16]:

```
# image corresponding to smallest value of eigenvalue

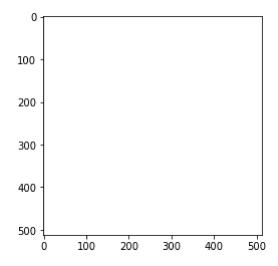
final_file = 'pca_output4.png'
pc4.save(final_file)

img = cv2.imread(final_file,0)
equ = cv2.equalizeHist(img)
cv2.imwrite(final_file, equ)

img = cv2.imread(final_file)
plt.imshow(img)
```

## Out[16]:

<matplotlib.image.AxesImage at 0x1c3b53b9748>



## In [ ]: