

# Learning How to Say It: Language Generation post Deep Learning

Alexander M Rush

# Machine Learning for Text Generation

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- Input  $\textcolor{red}{x}$ , *what to talk about*

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- Input  $x$ , *what to talk about*
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- Model  $f(\cdot; \theta)$ , learned from data

# Talk about Text (Summary)

(? w/ Facebook)

*x*

Cambodian leader Hun Sen on Friday rejected opposition parties' demands for talks outside the country, accusing them of trying to "internationalize" the political crisis.

*f*



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$f$



$y_1:T$

Cambodian government rejects opposition's call for talks abroad

# Sentence Summarization



## Talk about Text (Summary)

London, England (reuters) – Harry Potter star Daniel Radcliffe gains access to a reported \$20 million fortune as he turns 18 on monday, but he insists the money won't cast a spell on him. Daniel Radcliffe as harry potter in "Harry Potter and the Order of the Phoenix" to the disappointment of gossip columnists around the world , the young actor says he has no plans to fritter his cash away on fast cars , drink and celebrity parties . " i do n't plan to be one of those people who , as soon as they turn 18 , suddenly buy themselves a massive sports car collection or something similar , " he told an australian interviewer earlier this month . " i do n't think i 'll be particularly extravagant " . " the things i like buying are things that cost about 10 pounds – books and cds and dvds . " at 18 , radcliffe will be able to gamble in a casino , buy a drink in a pub or see the horror film " hostel : part ii , " currently six places below his number one movie on the uk box office chart . details of how he 'll mark his landmark birthday are under wraps . his agent and publicist had no comment on his plans . " i 'll definitely have some sort of party , " he said in an interview ...



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Harry Potter star Daniel Radcliffe gets \$20m fortune as he turns 18 monday. Young actor says he has no plans to fritter his cash away. Radcliffe 's earnings from first five potter films have been held in trust fund.

# Document Summarization



# Talk about Data

(?)

TEAM	WIN	LOSS	PTS	FG_PCT	RB	AS ...
Heat	11	12	103	.49	47	27
Hawks	7	15	95	.43	33	20

PLAYER	AS	RB	PT	FG	FGA	CITY ...
Tyler Johnson	5	2	27	8	16	Miami
Dwight Howard	11	17	23	9	11	Atlanta
Paul Millsap	2	9	21	8	12	Atlanta
Goran Dragic	4	2	21	8	17	Miami
Wayne Ellington	2	3	19	7	15	Miami
Dennis Schroder	7	4	17	8	15	Atlanta
Rodney McGruder	5	5	11	3	8	Miami
...						



# Talk about Data

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The Atlanta Hawks defeated the Miami Heat, 103 - 95, at Philips Arena on Wednesday. Atlanta was in desperate need of a win and they were able to take care of a short-handed Miami team here. Defense was key for the Hawks, as they held the Heat to 42 percent shooting and forced them to commit 16 turnovers. Atlanta also dominated in the paint, winning the rebounding battle, 47 - 34, and outscoring them in the paint 58 - 26. The Hawks shot 49 percent from the field and assisted on 27 of their 43 made baskets. This was a near wire-to-wire win for the Hawks, as Miami held just one lead in the first five minutes. Miami ( 7 - 15 ) are as beat-up as anyone right now and it's taking a toll on the heavily used starters. Hassan Whiteside really struggled in this game, as he amassed eight points, 12 rebounds and one blocks on 4 - of - 12 shooting ...

# E2E Challenge 2018

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<b>MR</b>	name[The Golden Palace], eatType[coffee shop], food[Fast food], priceRange[cheap], customer rating[5 out of 5], area[riverside]
<b>Reference</b>	A coffee shop located on the riverside called The Golden Palace, has a 5 out of 5 customer rating. Its price range are fairly cheap for its excellent Fast food.

---

Submitter	Affiliation	System name	P?	BLEU	NIST	METEOR	ROUGE_LA	CIDEr
HarvardNLP & Henry Elder	Harvard SEAS & Adapt	main_1_support_3		0.6737	8.6061	0.4523	0.7084	2.3056
Biao Zhang	Xiamen University	bzhang_submit	✓	0.6545	8.1840	0.4392	0.7083	2.1012
HarvardNLP & Henry Elder	Harvard SEAS & Adapt	main_1_support_2		0.6618	8.6025	0.4571	0.7038	2.3371
Shubham Agarwal	NLE	submission_third		0.6676	8.5416	0.4485	0.6991	2.2276
Shubham Agarwal	NLE	submission_second		0.6669	8.5388	0.4484	0.6991	2.2239
Thomson Reuters NLG	Thomson Reuters	NonPrimary_4_test_output_beam_5_model_13_post		0.6742	8.6590	0.4499	0.6983	2.3018
Thomson Reuters NLG	Thomson Reuters	NonPrimary_3_test_output_beam_5_model_11_post		0.6805	8.7777	0.4462	0.6928	2.3195
Chen Shuang	Harbin Institute of Technology	Abstract-greedy		0.6635	8.3977	0.4312	0.6909	2.0788

# Talk about the Diagrams

(? w/ Bloomberg)

$$\mathcal{K}^L(\sigma = 2) = \begin{pmatrix} -\frac{d^2}{dx^2} + 4 - \frac{3}{\cosh^2 x} & \frac{3}{\cosh^2 x} \\ \frac{3}{\cosh^2 x} & -\frac{d^2}{dx^2} + 4 - \frac{3}{\cosh^2 x} \end{pmatrix},$$



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```
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```

$$A_0^3(\alpha' \rightarrow 0) = 2g_d \, \varepsilon_\lambda^{(1)} \varepsilon_\mu^{(2)} \varepsilon_\nu^{(3)} \left\{ \eta^{\lambda\mu} (p_1^\nu - p_2^\nu) + \eta^{\lambda\nu} (p_3^\mu - p_1^\mu) + \eta^{\mu\nu} (p_2^\lambda - p_3^\lambda) \right\}.$$

$$(\Lambda_{-0})^3 (\alpha' \prime \rightarrow 0) = 2 g_d \, \varepsilon_\mu^{(1)} \varepsilon_\nu^{(2)} \varepsilon_\lambda^{(3)} \left( \eta^{\lambda\mu} (p_{-1}^\nu - p_{-2}^\nu) + \eta^{\lambda\nu} (p_{-3}^\mu - p_{-1}^\mu) + \eta^{\mu\nu} (p_{-2}^\lambda - p_{-3}^\lambda) \right).$$

$$\left. \begin{array}{l} \eta^{\lambda\mu} (p_{-1}^\nu - p_{-2}^\nu) + \eta^{\lambda\nu} (p_{-3}^\mu - p_{-1}^\mu) + \eta^{\mu\nu} (p_{-2}^\lambda - p_{-3}^\lambda) \\ \eta^{\lambda\mu} (p_{-1}^\nu - p_{-2}^\nu) + \eta^{\lambda\nu} (p_{-3}^\mu - p_{-1}^\mu) + \eta^{\mu\nu} (p_{-2}^\lambda - p_{-3}^\lambda) \end{array} \right) . \quad \text{\label{eq:17}}$$

$$\begin{cases} \delta_\epsilon B & \sim \epsilon F, \\ \delta_\epsilon F & \sim \partial \epsilon + \epsilon B, \end{cases}$$

$$\left. \begin{array}{l} \delta_\epsilon B & \sim \epsilon F, \\ \delta_\epsilon F & \sim \partial \epsilon + \epsilon B, \end{array} \right)$$

$$\int\limits_{\mathcal{L}_{d-1}^A} f(H)d\nu_{d-1}(H)=c_3\int\limits_{\mathcal{L}_2^A}\int\limits_{\mathcal{L}_{d-1}^L}f(H)[H,A]^2d\nu_{d-1}^L(H)d\nu_2^A(L).$$

$$\int \limits_{\{\mathcal{L}\}^{(d-1)}} f(H)d\nu_{(d-1)}(H)=c_{-3}\int \limits_{\{\mathcal{L}\}^{(2)}} \int \limits_{\{\mathcal{L}\}^{(d-1)}} f(H)[H,A]^{(2)}d\nu_{(d-1)}^{(L)}(H)d\nu_{(2)}^{(A)}(L).$$

$$J=\left(\begin{array}{cc}\alpha^t&\tilde{f}_2\\f_1&\tilde{A}\end{array}\right)\left(\begin{array}{cc}0&0\\0&L\end{array}\right)\left(\begin{array}{cc}\alpha&\tilde{f}_1\\f_2&A\end{array}\right)=\left(\begin{array}{cc}\tilde{f}_2Lf_2&\tilde{f}_2LA\\\tilde{A}Lf_2&\tilde{A}LA\end{array}\right)$$

$$\begin{aligned} J &= \left( \begin{array}{cc} \alpha^t & \tilde{f}_2 \\ f_1 & \tilde{A} \end{array} \right) \left( \begin{array}{cc} 0 & 0 \\ 0 & L \end{array} \right) \left( \begin{array}{cc} \alpha & \tilde{f}_1 \\ f_2 & A \end{array} \right) = \left( \begin{array}{cc} \tilde{f}_2Lf_2 & \tilde{f}_2LA \\ \tilde{A}Lf_2 & \tilde{A}LA \end{array} \right) \\ &= \left( \begin{array}{cc} \alpha^t \tilde{f}_2 & \alpha \tilde{f}_2 \\ f_1 \tilde{A} & f_2 A \end{array} \right) = \left( \begin{array}{cc} \tilde{f}_2Lf_2 & \tilde{f}_2LA \\ \tilde{A}Lf_2 & \tilde{A}LA \end{array} \right) \end{aligned}$$

$$\lambda_{n,1}^{(2)}=\frac{\partial \overline{H}_0}{\partial q_{n,0}}\;,\;lambda_{n,j_n}^{(2)}=\frac{\partial \overline{H}_0}{\partial q_{n,j_n-1}}-\mu_{n,j_n-1}\;,\;\;\;j_n=2,3,\cdots,m_n-1\;.$$

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$$(P_{ll'}-K_{ll'})\phi'(z_q)|\chi>=0$$

$$(P_{ll'}-K_{ll'})\phi'(z_{\langle q\rangle})|\chi>=0$$



## 1 Introduction

## 2 Current and Future Work: Deep Latent Variable Modeling

## 3 Future

NLP

# State-of-the-Art Natural Language Processing, circa 2009

## Task

Syntax

Surface Structure

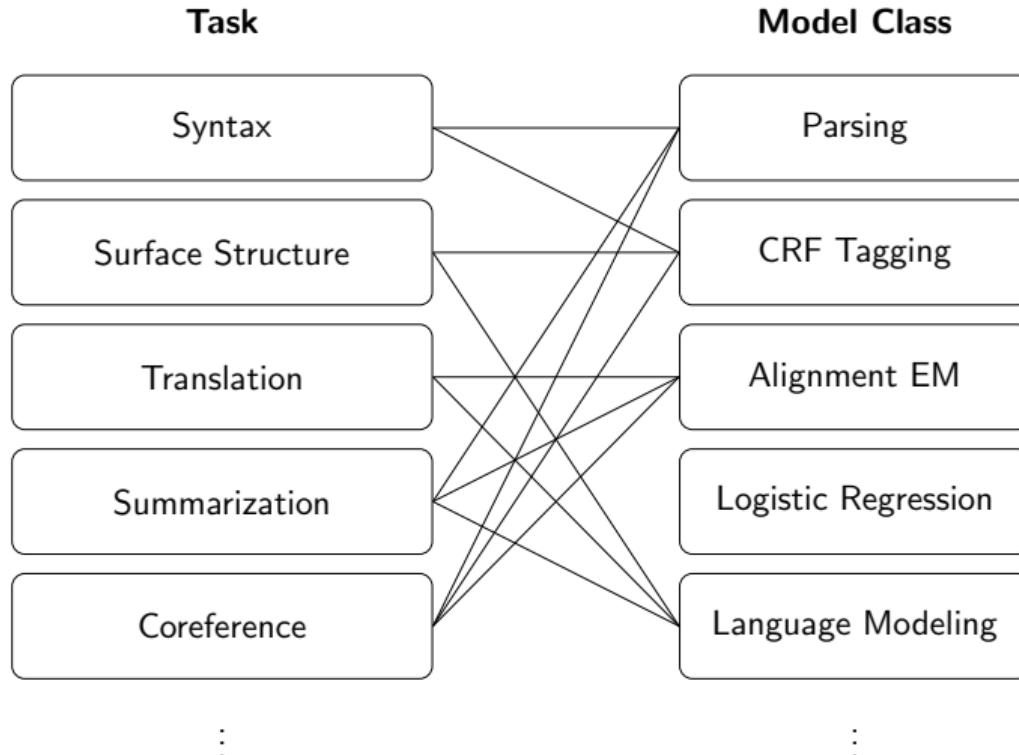
Translation

Summarization

Coreference

:

# State-of-the-Art Natural Language Processing, circa 2009



# State-of-the-Art Natural Language Processing, circa 2019

## Task

Syntax

Surface Structure

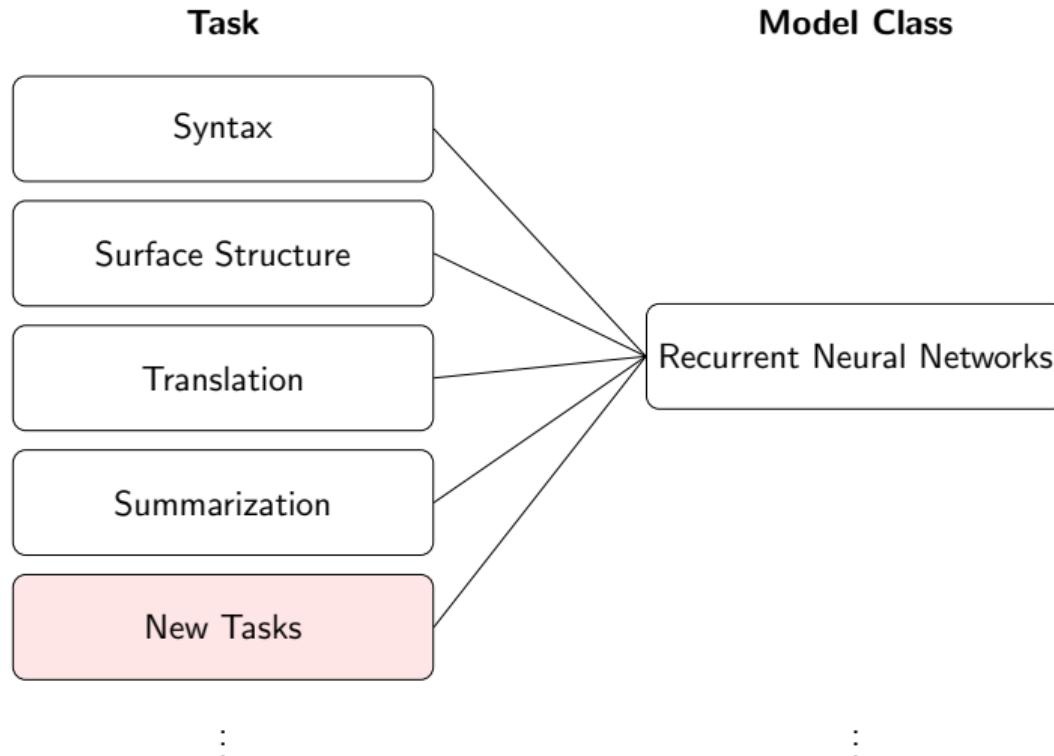
Translation

Summarization

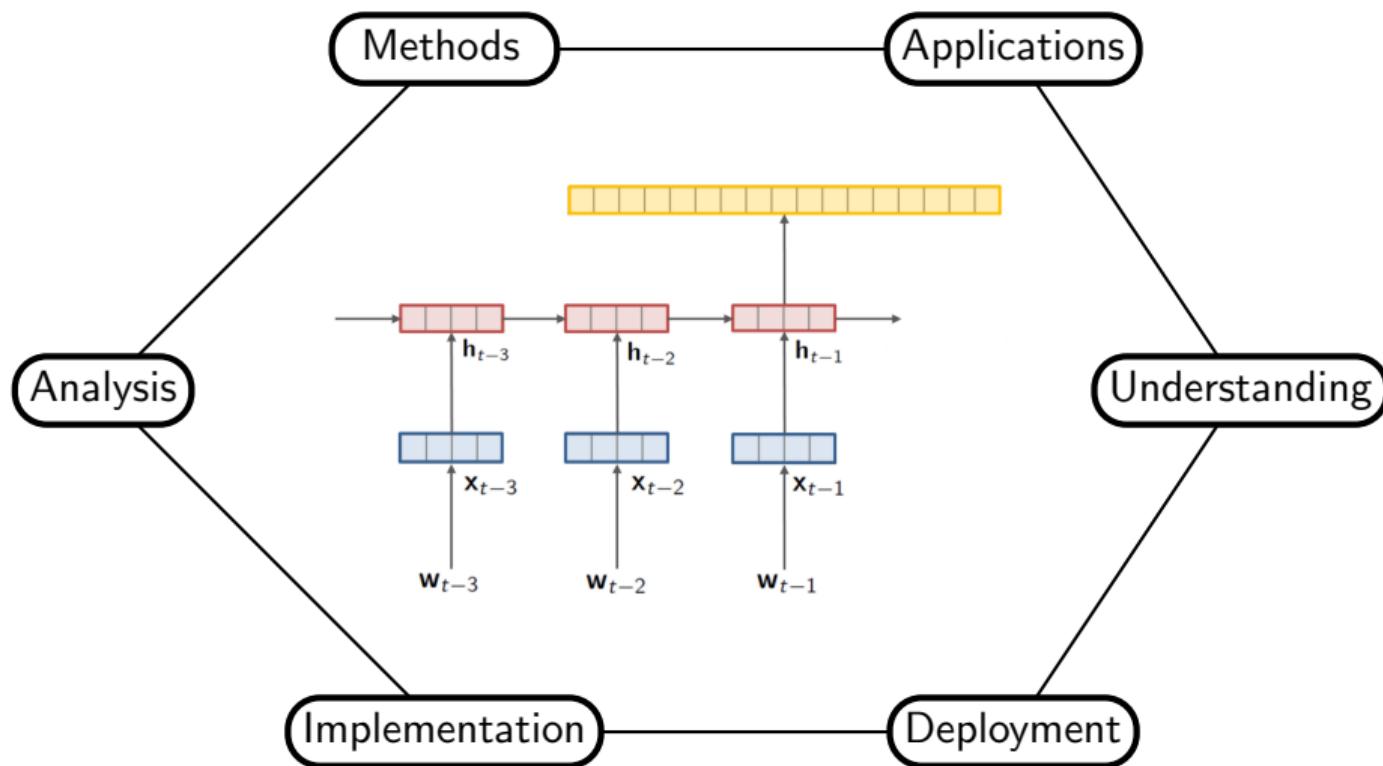
New Tasks

:

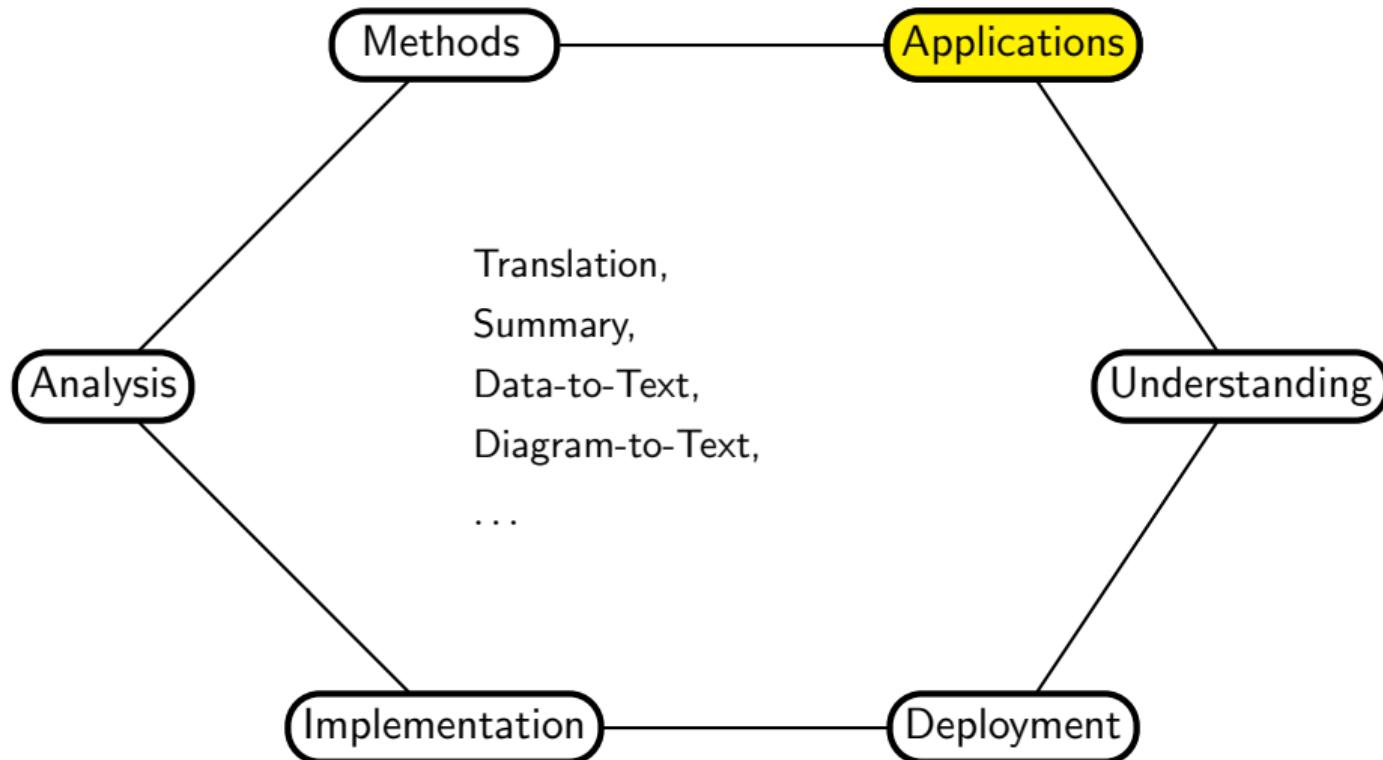
# State-of-the-Art Natural Language Processing, circa 2019



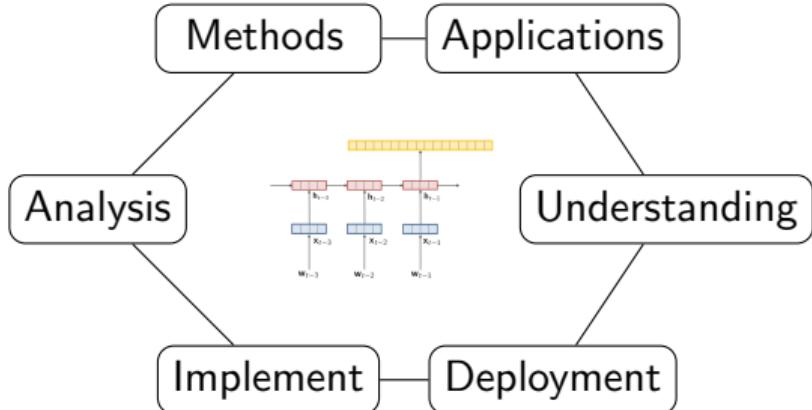
# Harvard NLP Deep Learning Research



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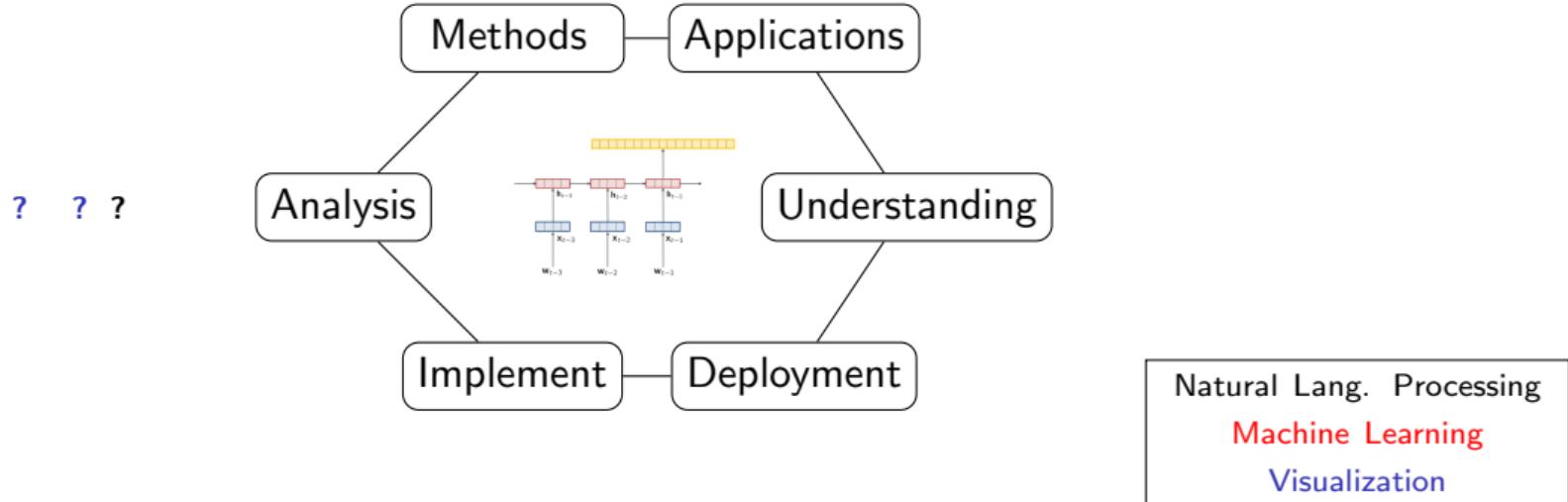


# Selected Harvard NLP Deep Learning Research

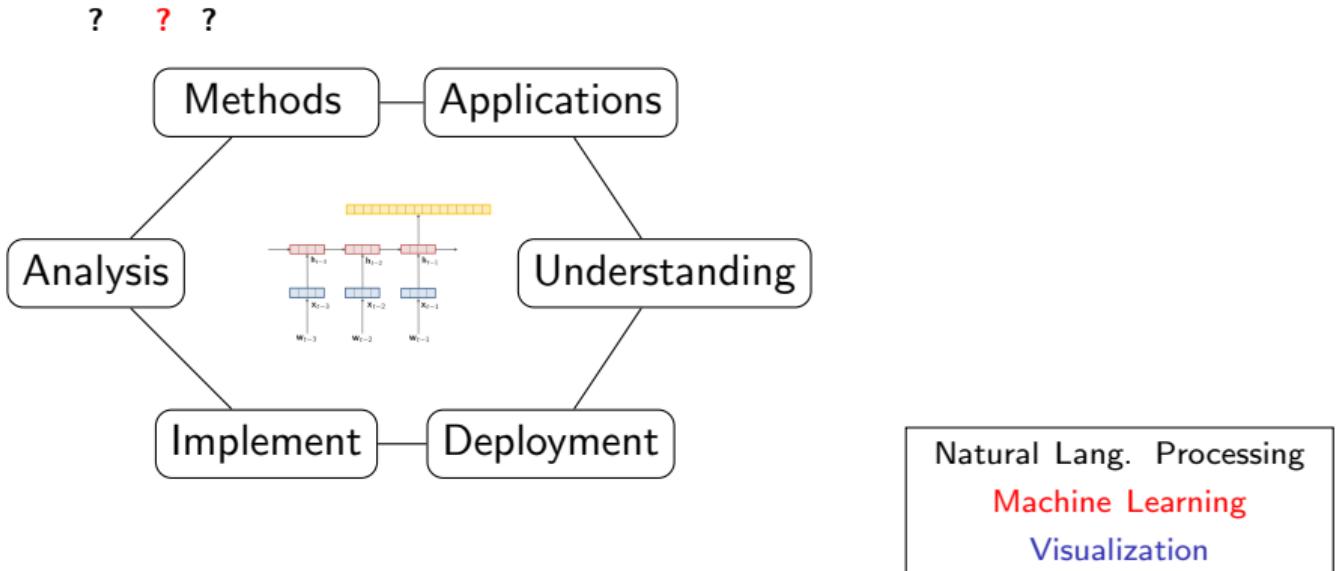


Natural Lang. Processing  
Machine Learning  
Visualization

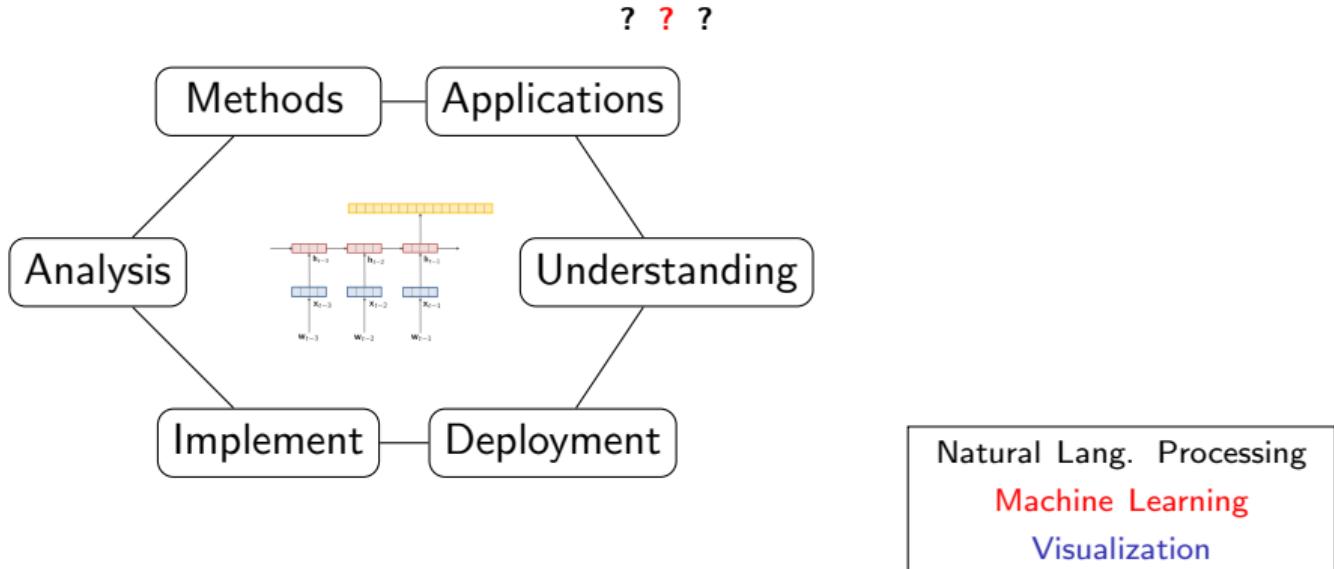
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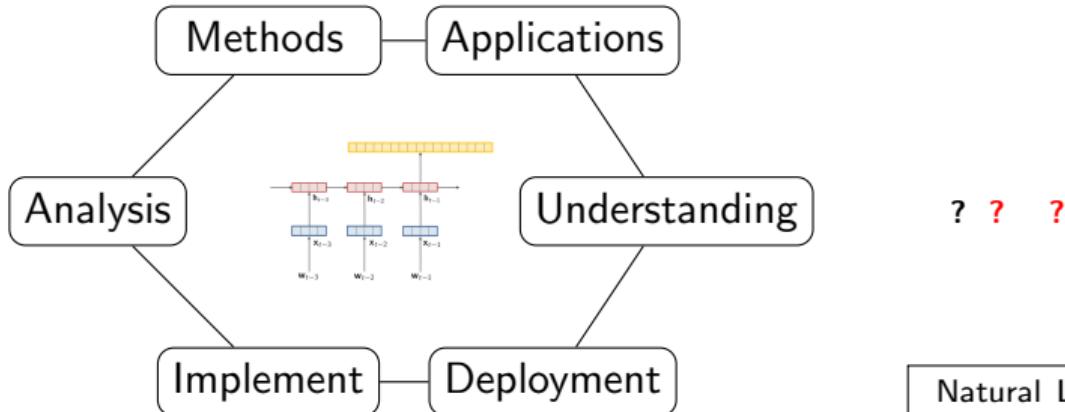
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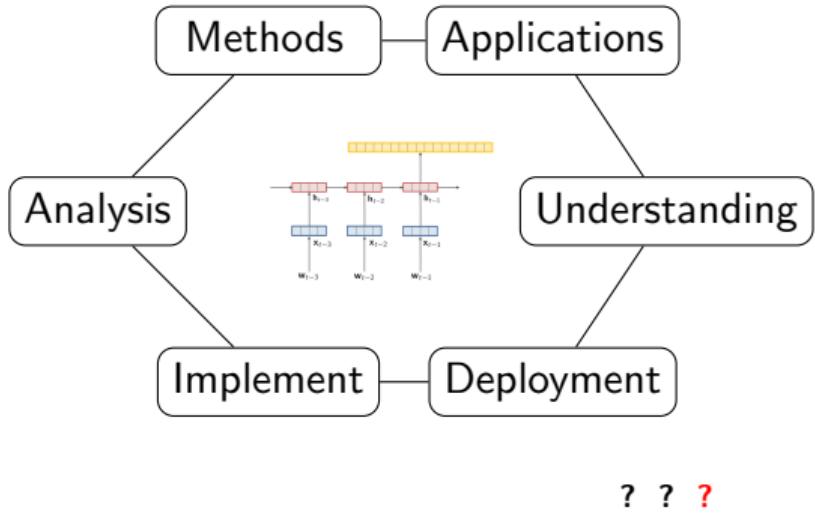


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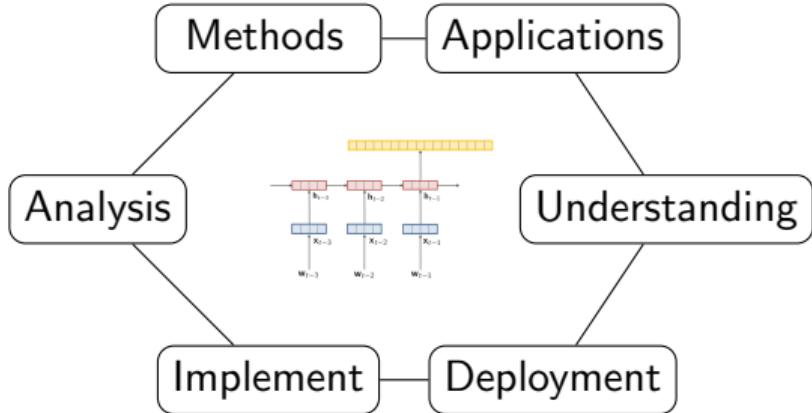
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# Selected Harvard NLP Deep Learning Research



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Machine Learning  
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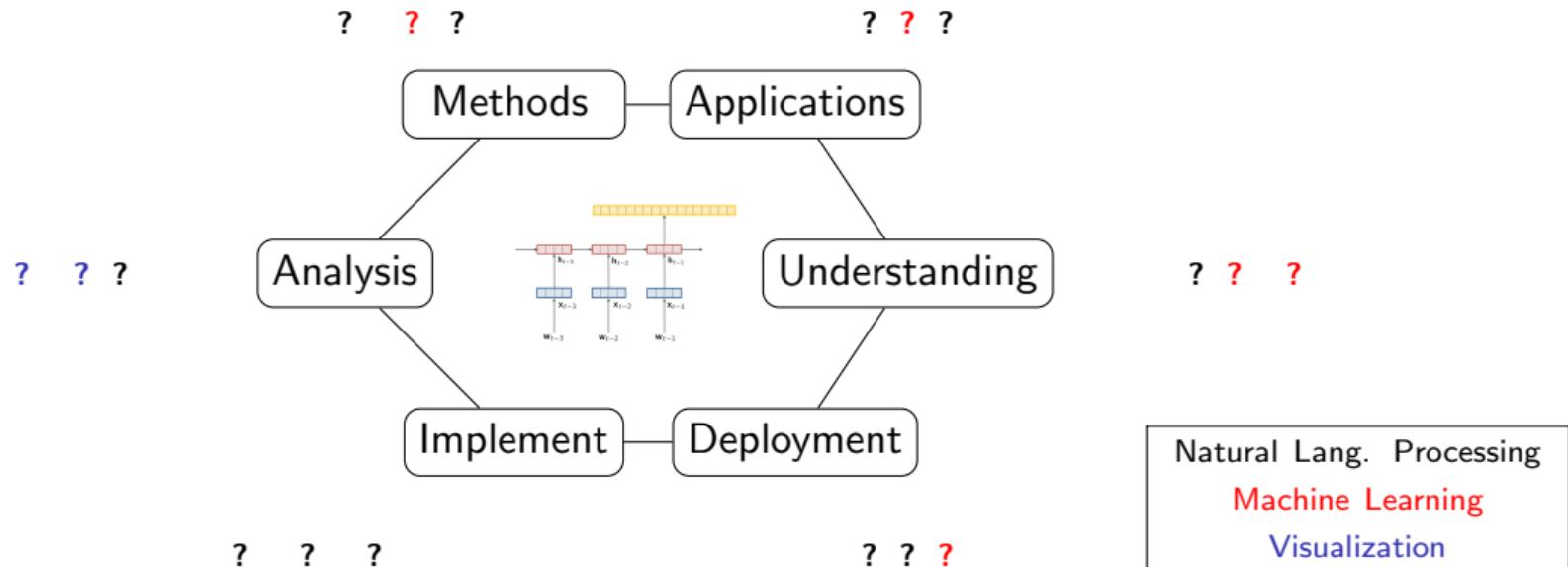
# Selected Harvard NLP Deep Learning Research



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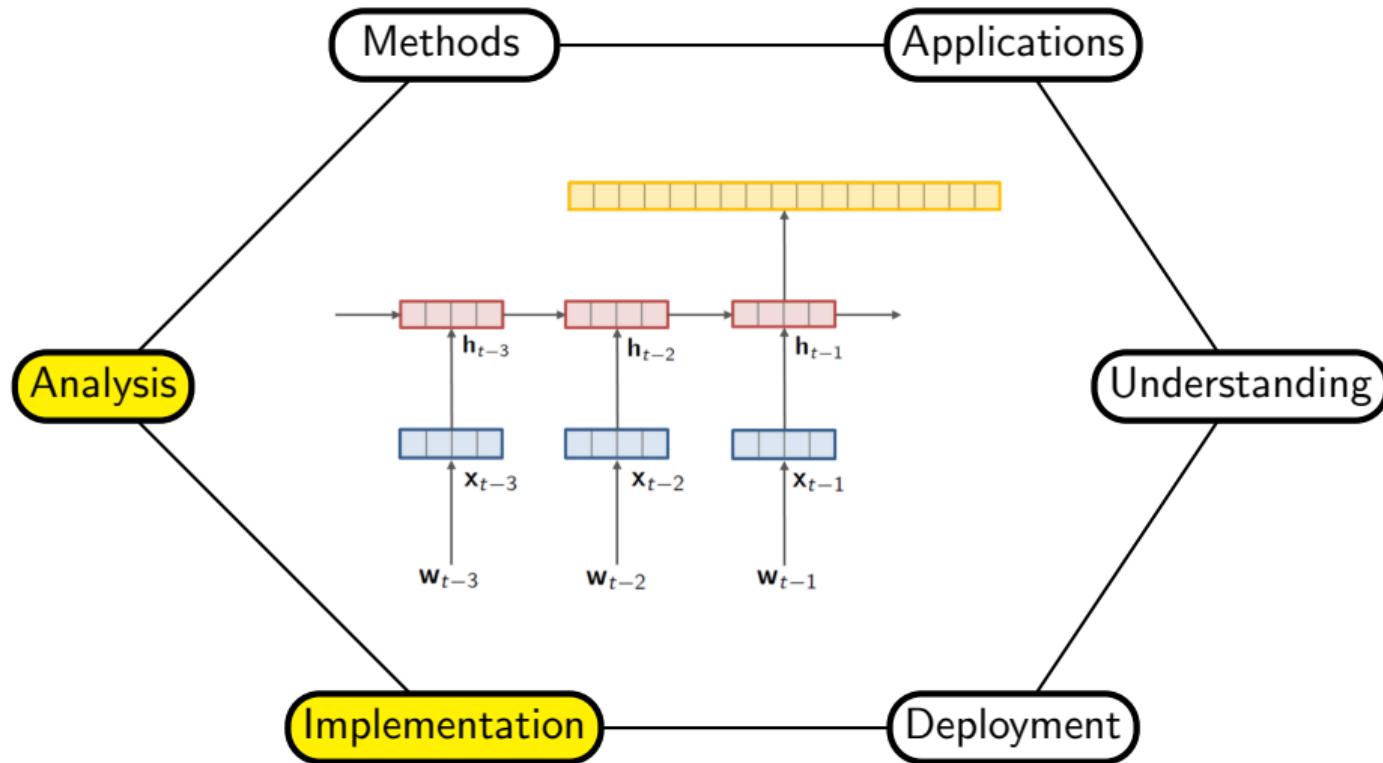
Natural Lang. Processing  
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# Research Direction



## Generation Setup (Reminder)

$$y_{1:T}^* = \arg \max_{y_{1:T}} f(y_{1:T}; x, \theta)$$

- Input  $x_{1:S}$ , *what to talk about*
- Output text  $y_{1:T}^*$ , *how to say it*
- Model  $f(\cdot; \theta)$ , learned from data

## Generation Setup (Reminder)

$$y_{1:T}^* = \arg \max_{y_{1:T}} f(y_{1:T}; \textcolor{red}{x}, \theta)$$

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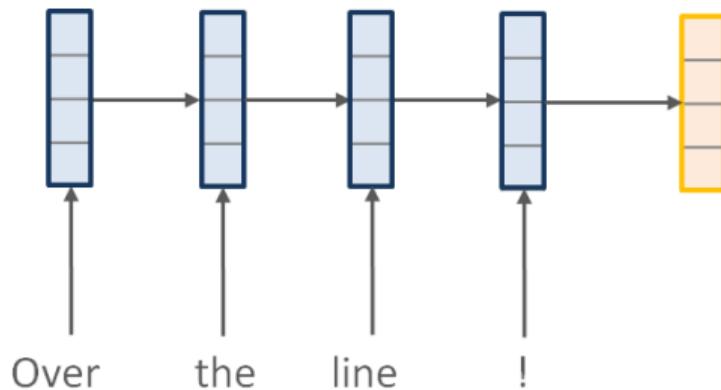
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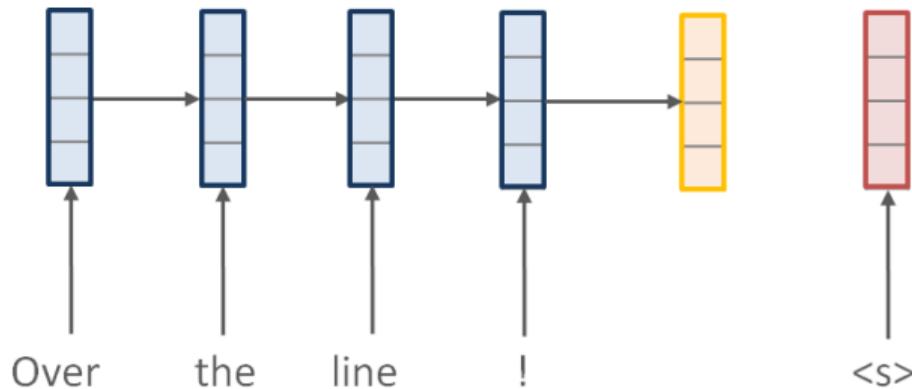
# Recurrent Neural Networks

Over the line !

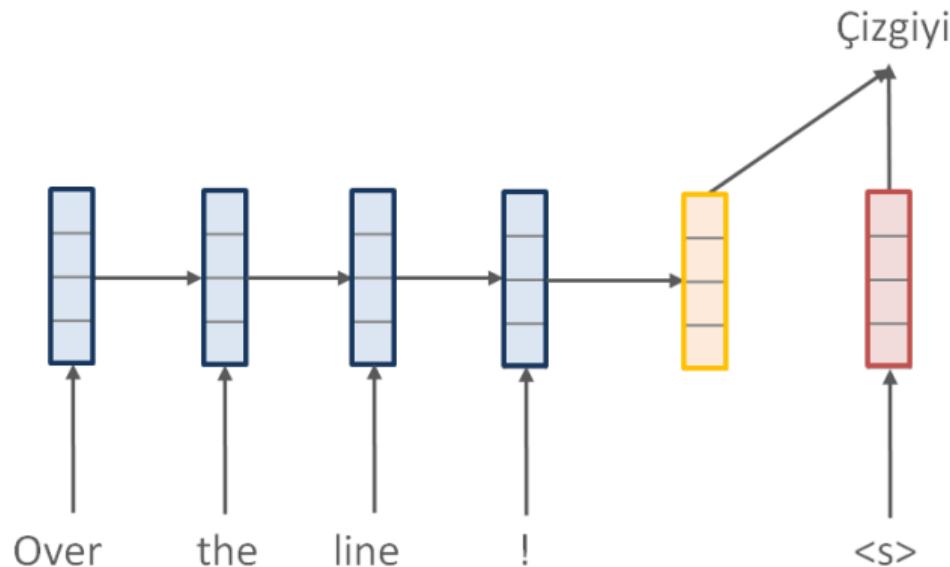
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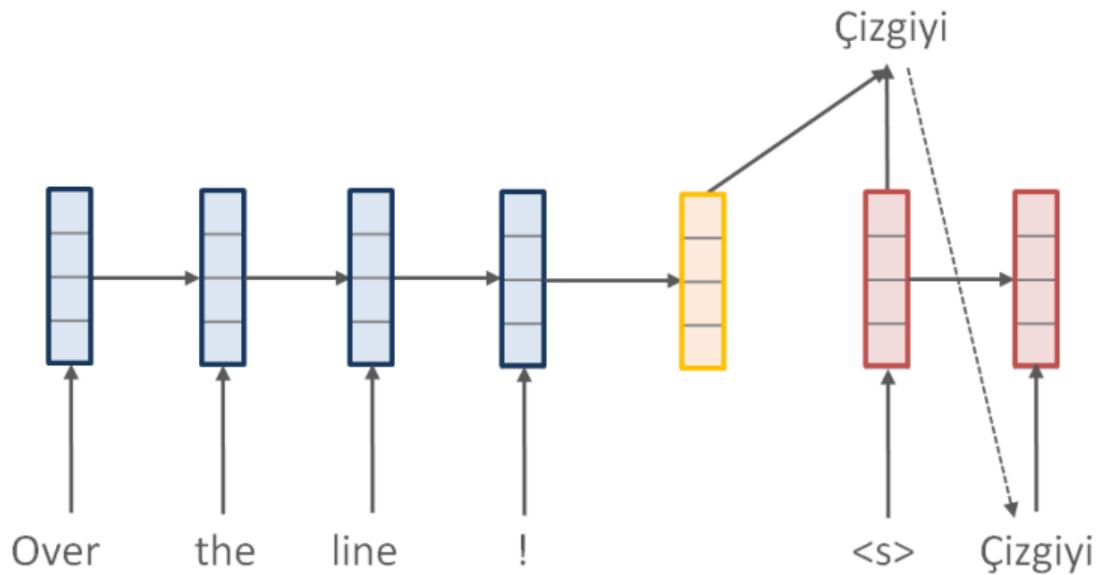
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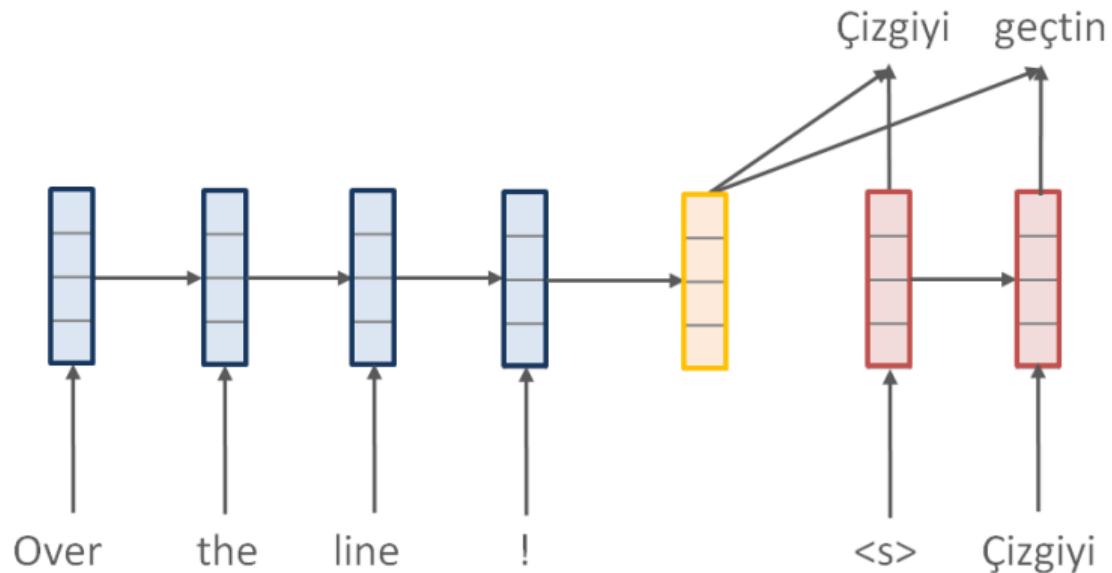
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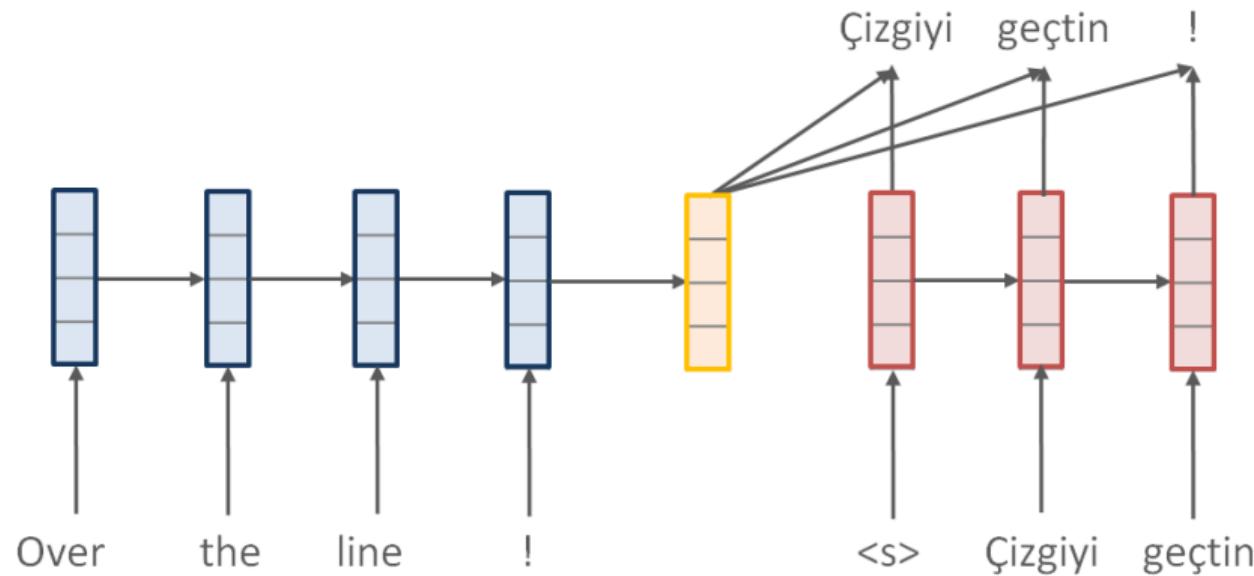
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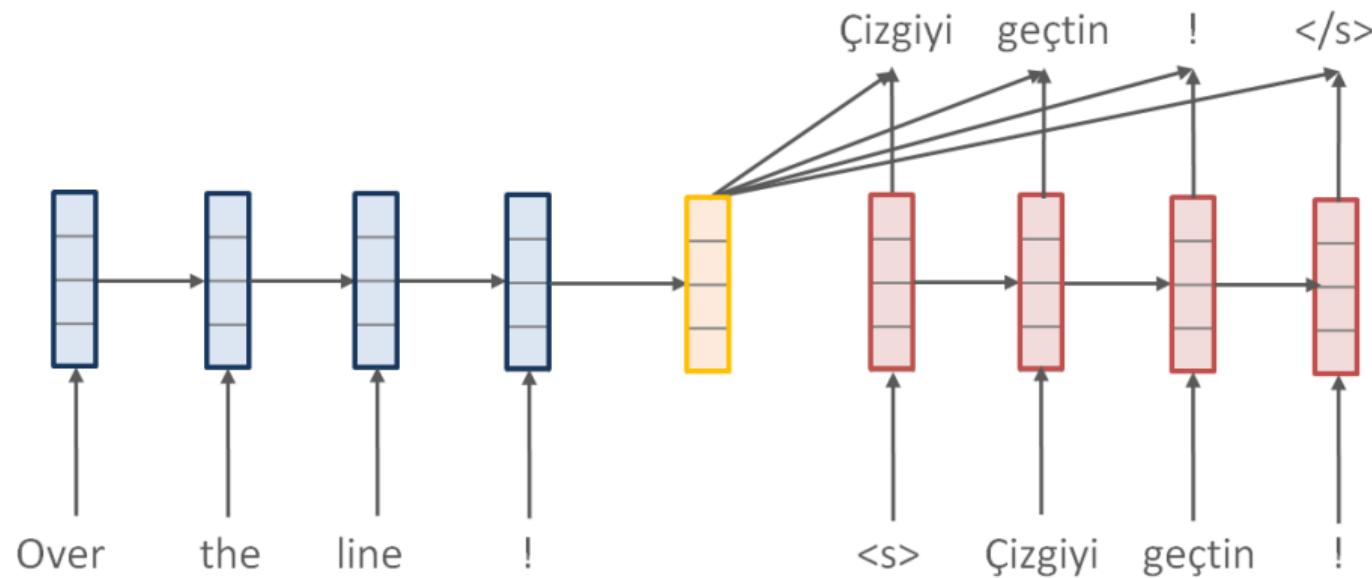
# Recurrent Neural Networks



# Recurrent Neural Networks



# Recurrent Neural Networks



# RNN Math

Encoder:

$$\mathbf{h}_s^x \leftarrow \text{RNN}(\mathbf{h}_{s-1}^x, x_s)$$

Context:

$$\mathbf{c} = \mathbf{h}_S^x$$

Decoder:

$$\mathbf{h}_t \leftarrow \text{RNN}(\mathbf{h}_{t-1}, y_t)$$

Prediction:

$$p(y_{t+1} \mid y_{1:t}, x) = \text{softmax}(\mathbf{W}[\mathbf{h}_t, \mathbf{c}])$$

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Generation:

$$\arg \max_{y_{1:T}} f(y_{1:T}; x, \theta) = \arg \max_{y_{1:T}} \log \sum_{t=1}^T p(y_t \mid y_{1:t-1}, x)$$

## Toy Example: Parenthesis Language

alphabet: ( ) 0 1 2 3 4

corpus: ( 1 ( 2 ) () ) 0 ( ( ( 3 ) ) 1 )

# LSTMVis - Parenthesis Language

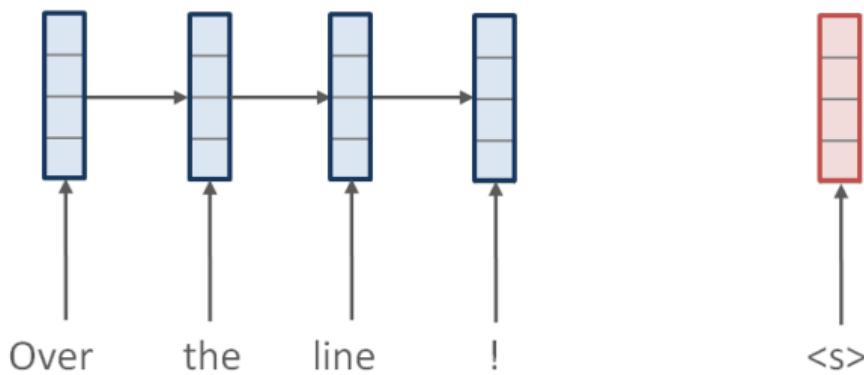
(? w/ IBM)

Temporary

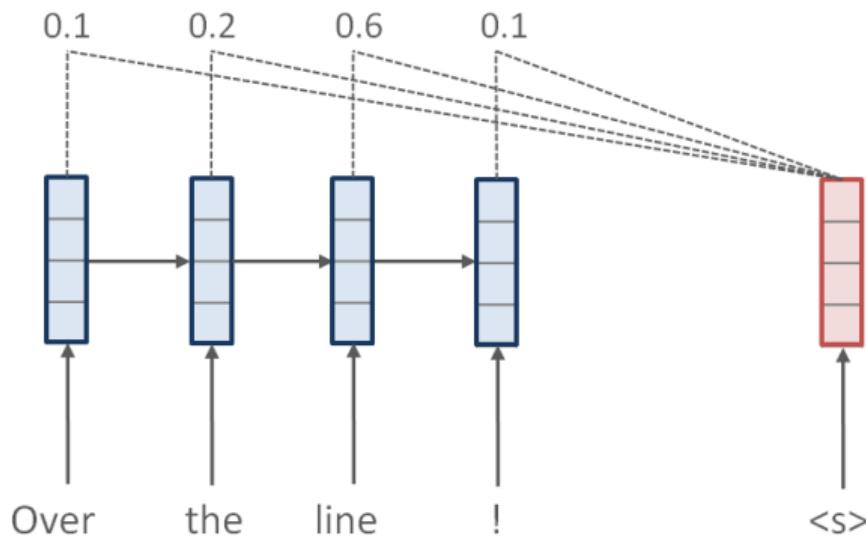
# LSTMVis - Natural Language

(? w/ IBM)

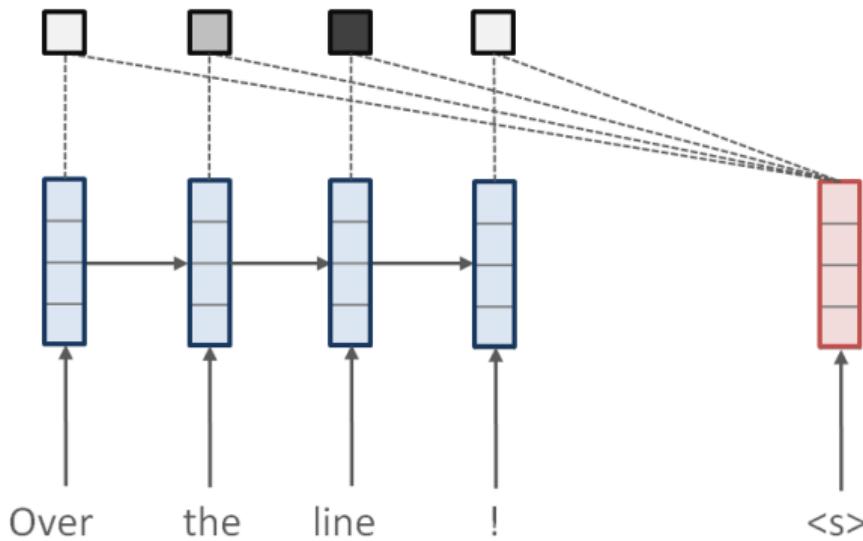
# Seq2Seq + Attention Model



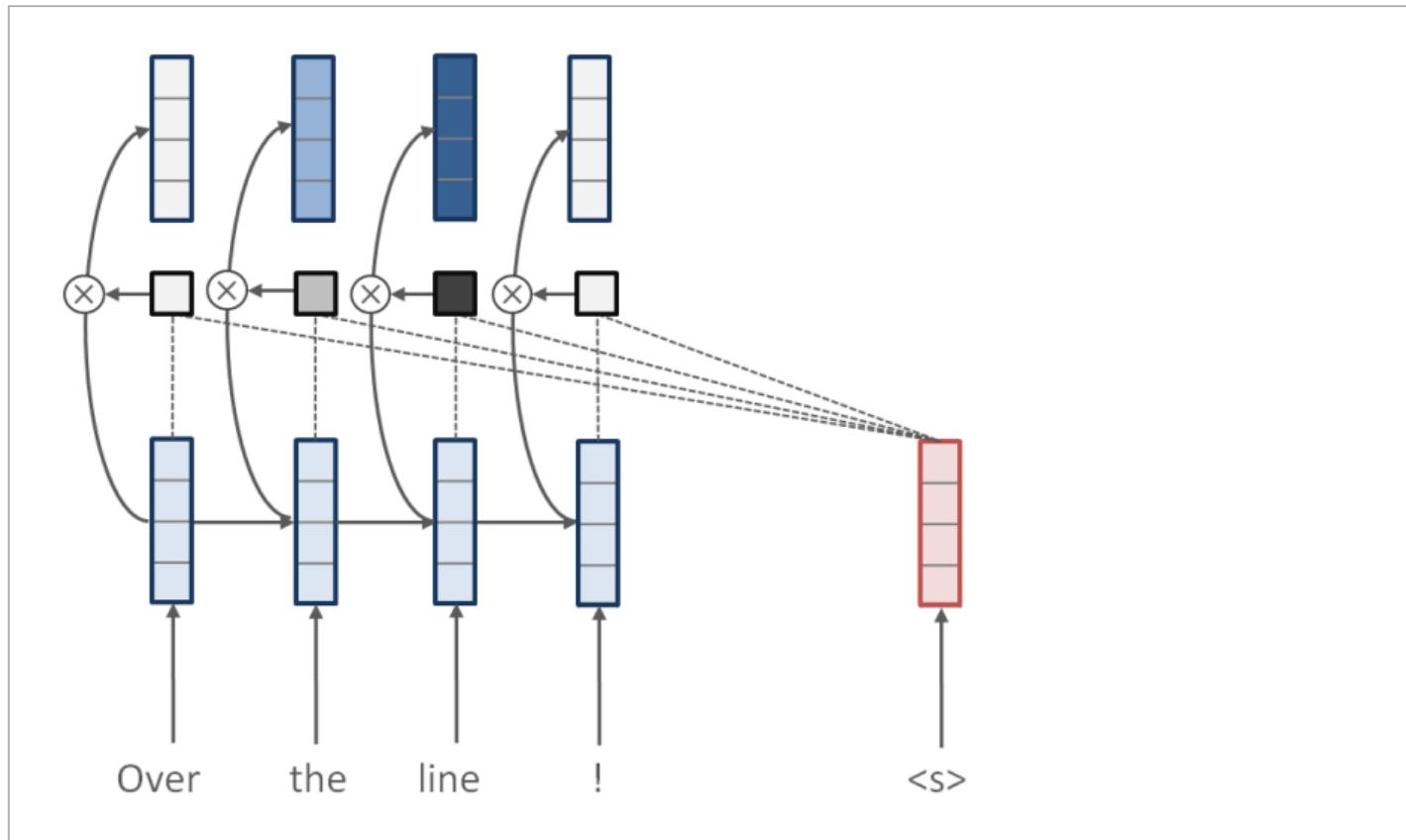
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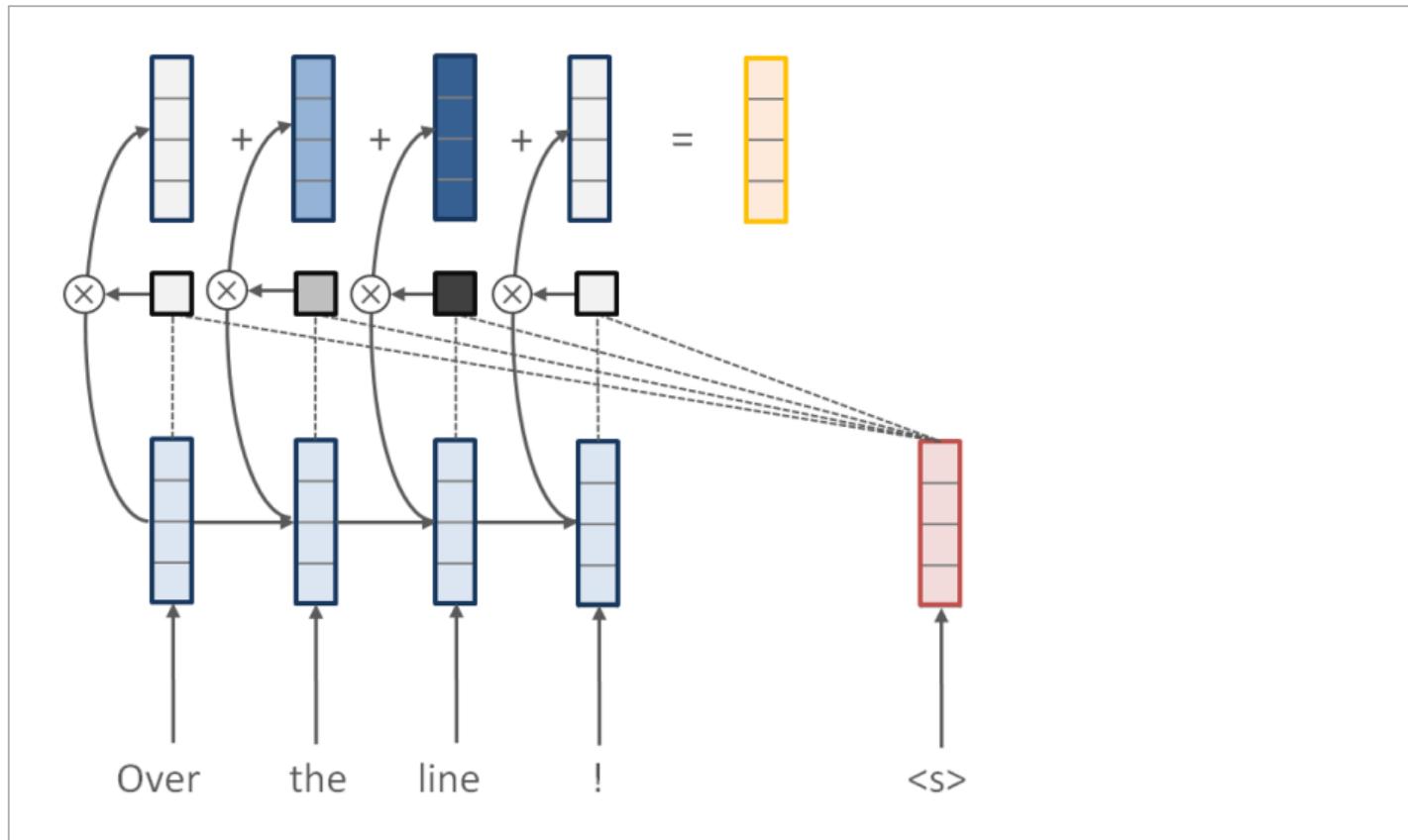
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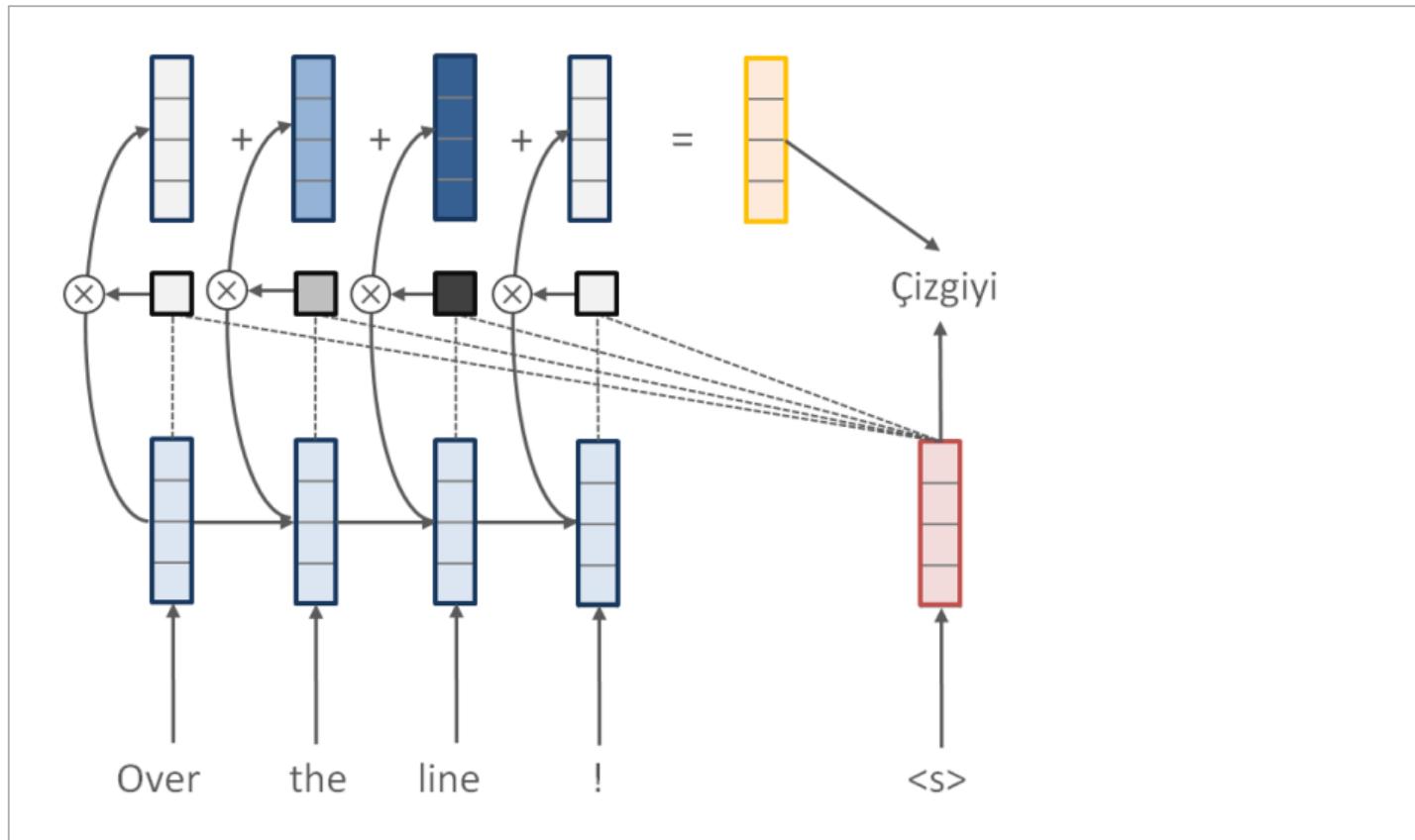
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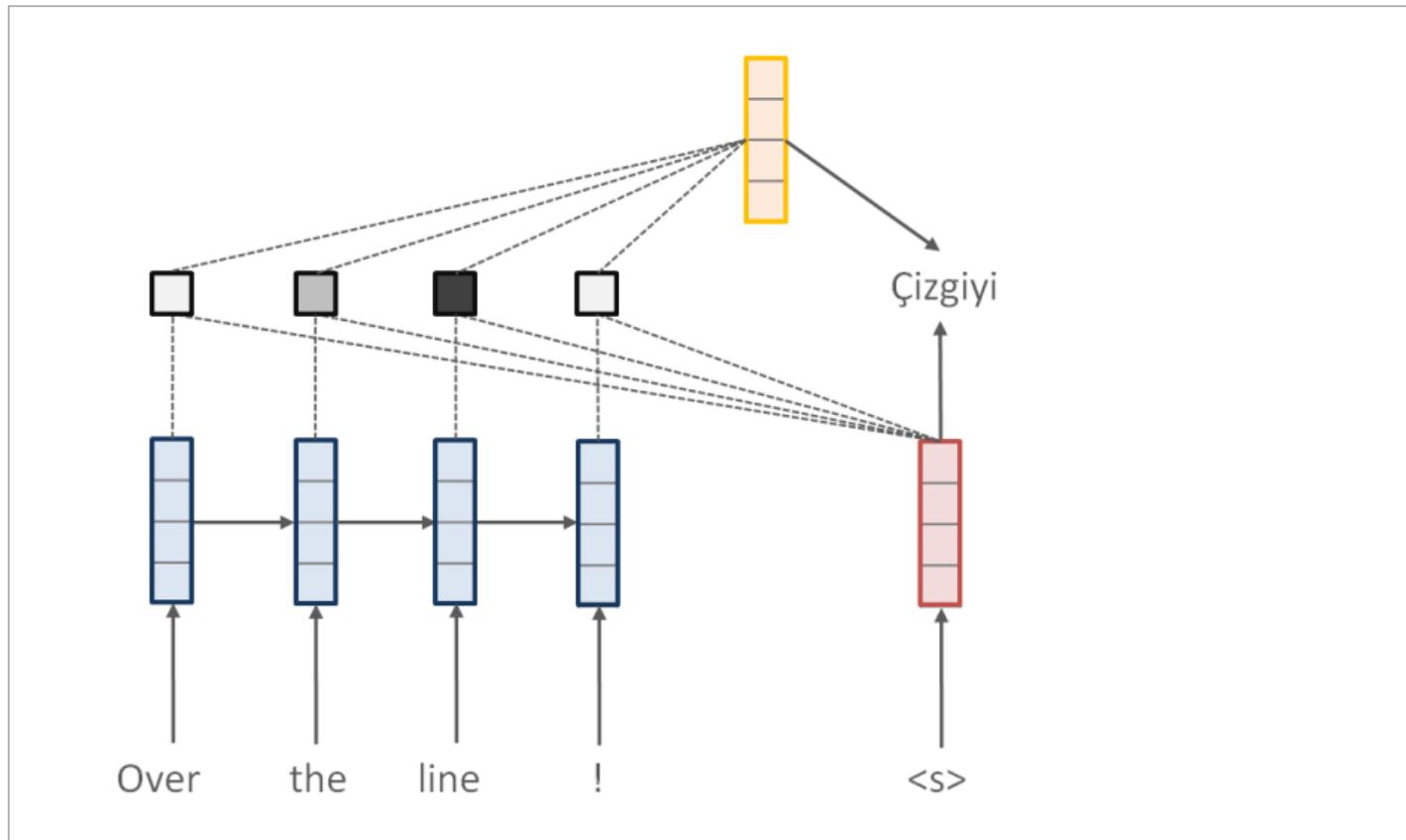
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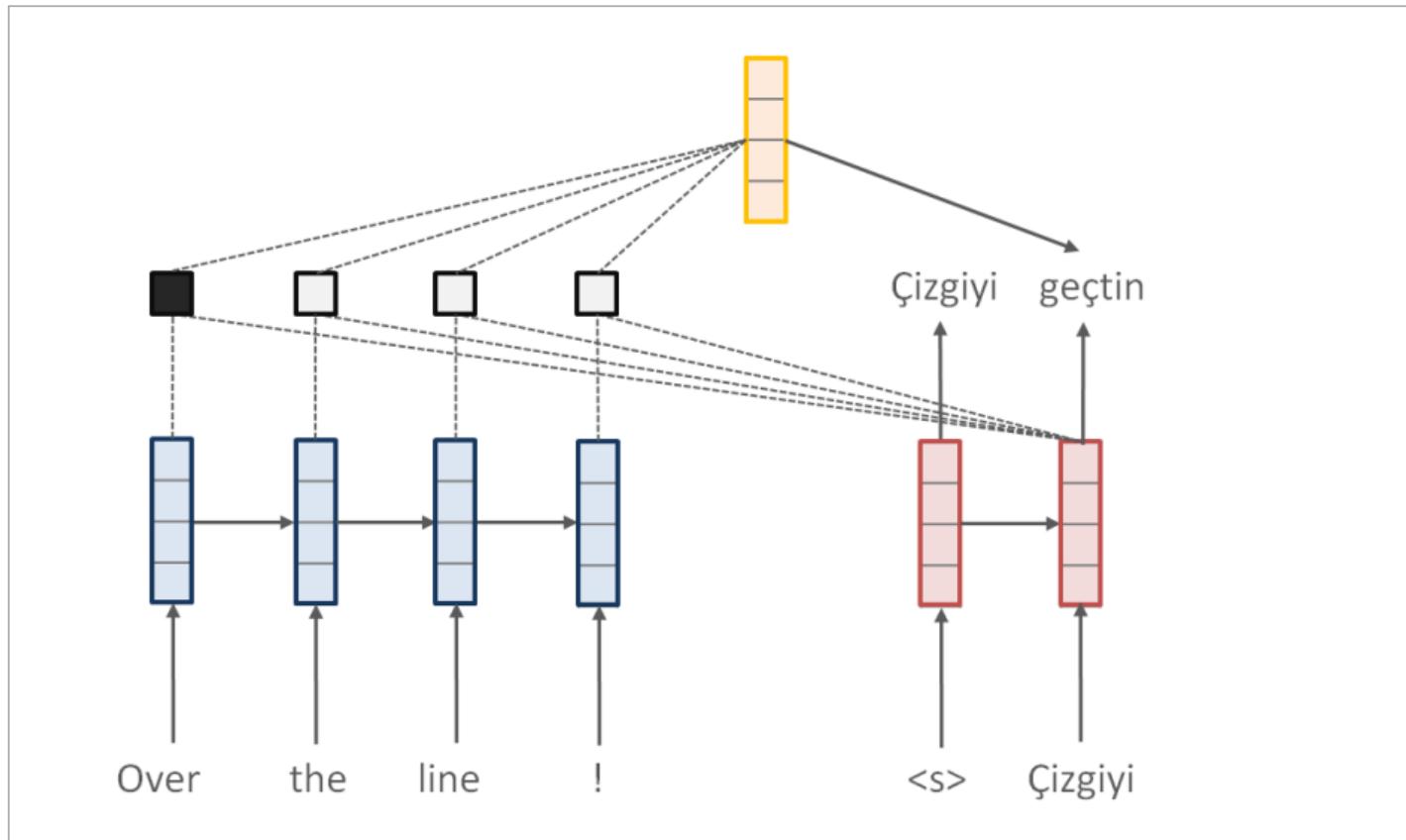
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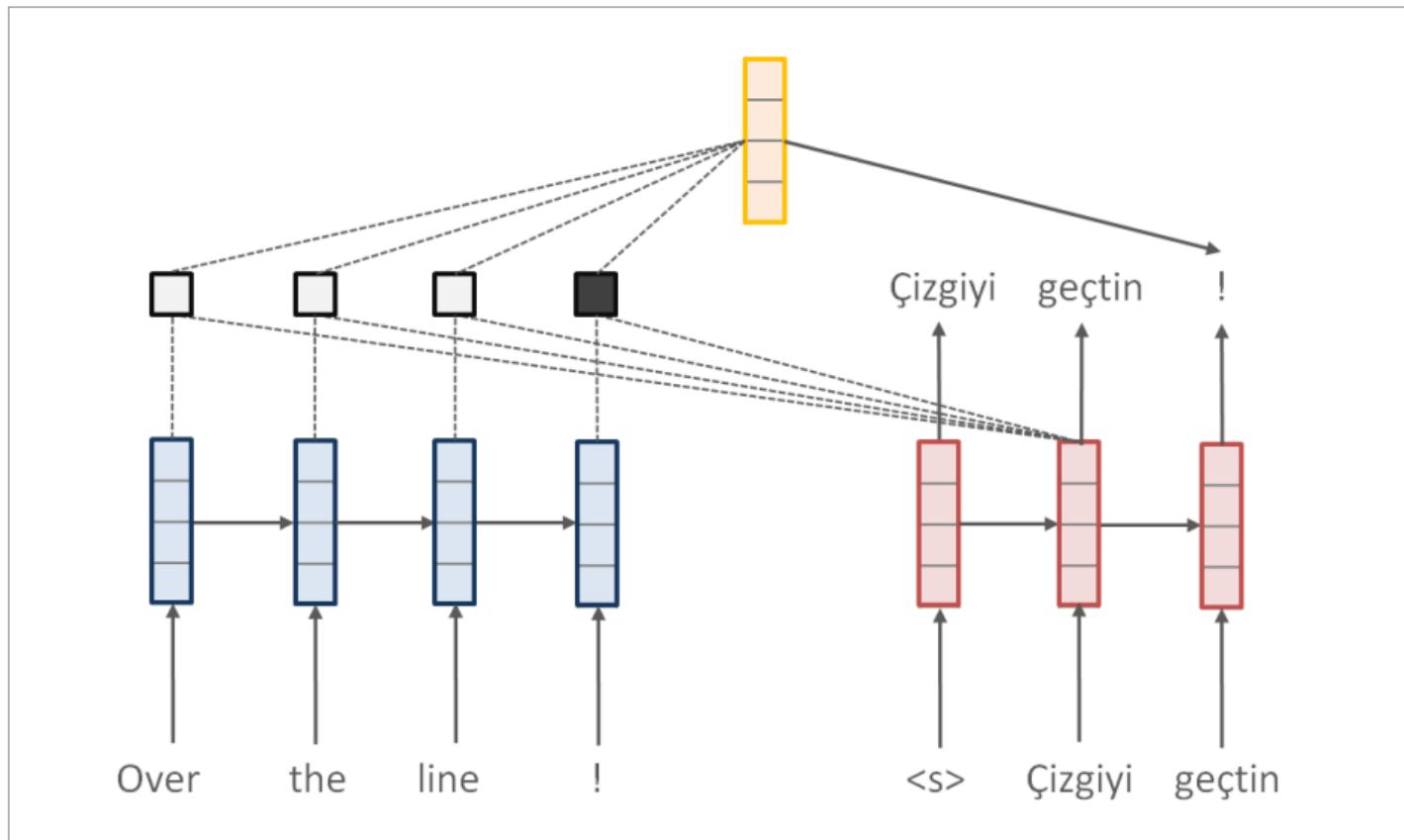
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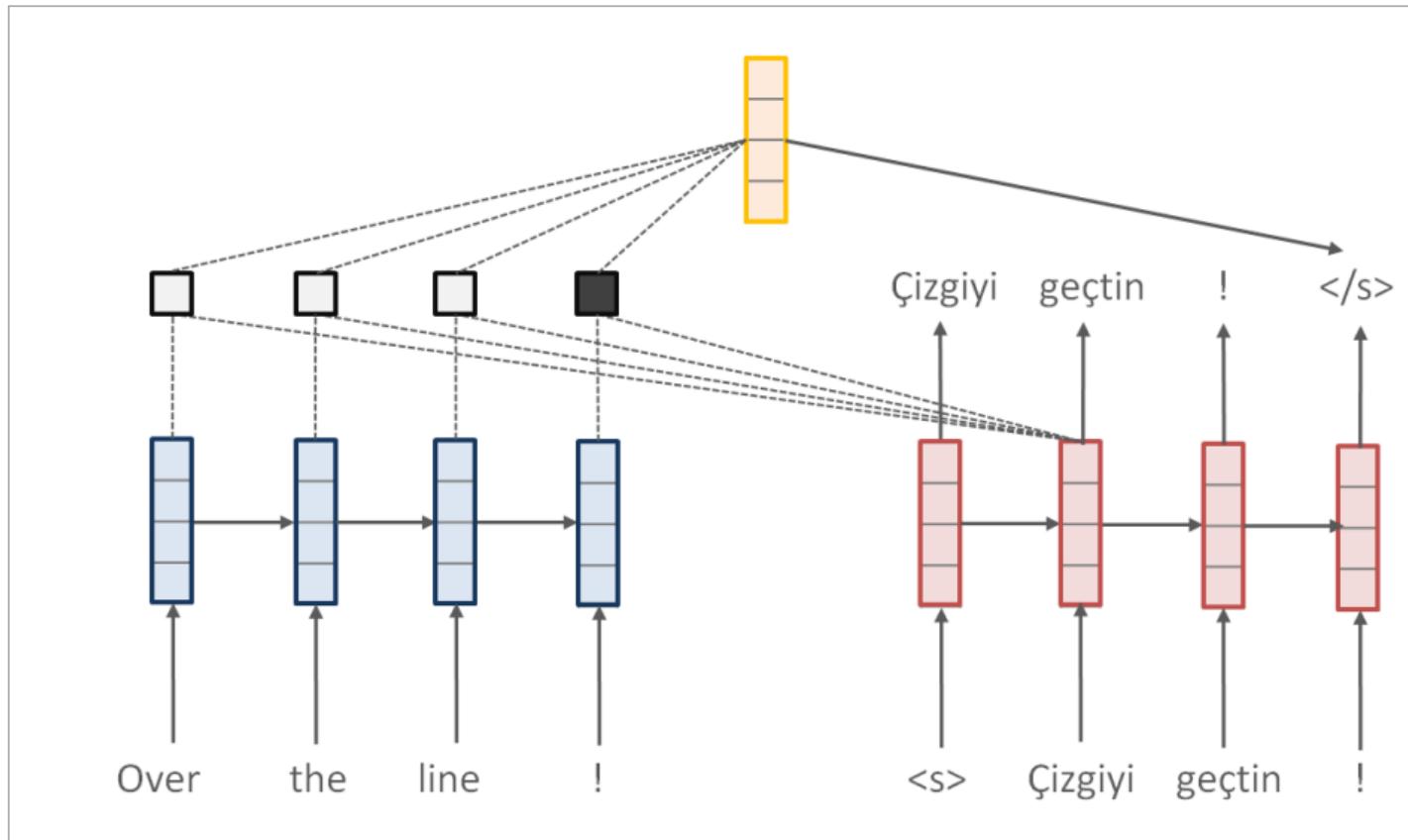
# Seq2Seq + Attention Model



# Seq2Seq + Attention Model



# Seq2Seq + Attention Model



# Attention Math

Encoder:

$$\mathbf{h}_s^x \leftarrow \text{RNN}(\mathbf{h}_{s-1}^x, x_s)$$

Attention

$$\alpha \leftarrow \text{softmax}([\mathbf{h}_1^x; \dots; \mathbf{h}_S^x]^\top \mathbf{h}_t) \quad \mathbf{c} \leftarrow \sum_{s=1}^S \alpha_s \mathbf{h}_s^x$$

Decoder:

$$\mathbf{h}_t \leftarrow \text{RNN}(\mathbf{h}_{t-1}, y_t)$$

Prediction:

$$p(y_{t+1} \mid y_{1:t}, x) = \text{softmax}(\mathbf{W}[\mathbf{h}_t; \mathbf{c}])$$

# Seq2SeqVis

(? w/ IBM)

Temporary



An open-source neural machine translation system.

English Français 简体中文 한국어  
日本語 Русский العربية

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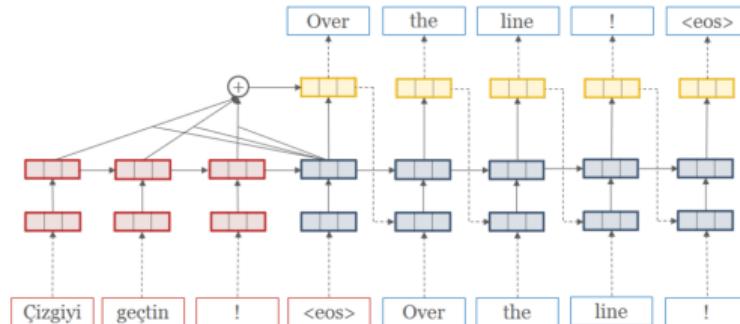
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# Home

OpenNMT is a industrial-strength, open-source (MIT) neural machine translation system utilizing the [Torch/PyTorch](#) mathematical toolkit.



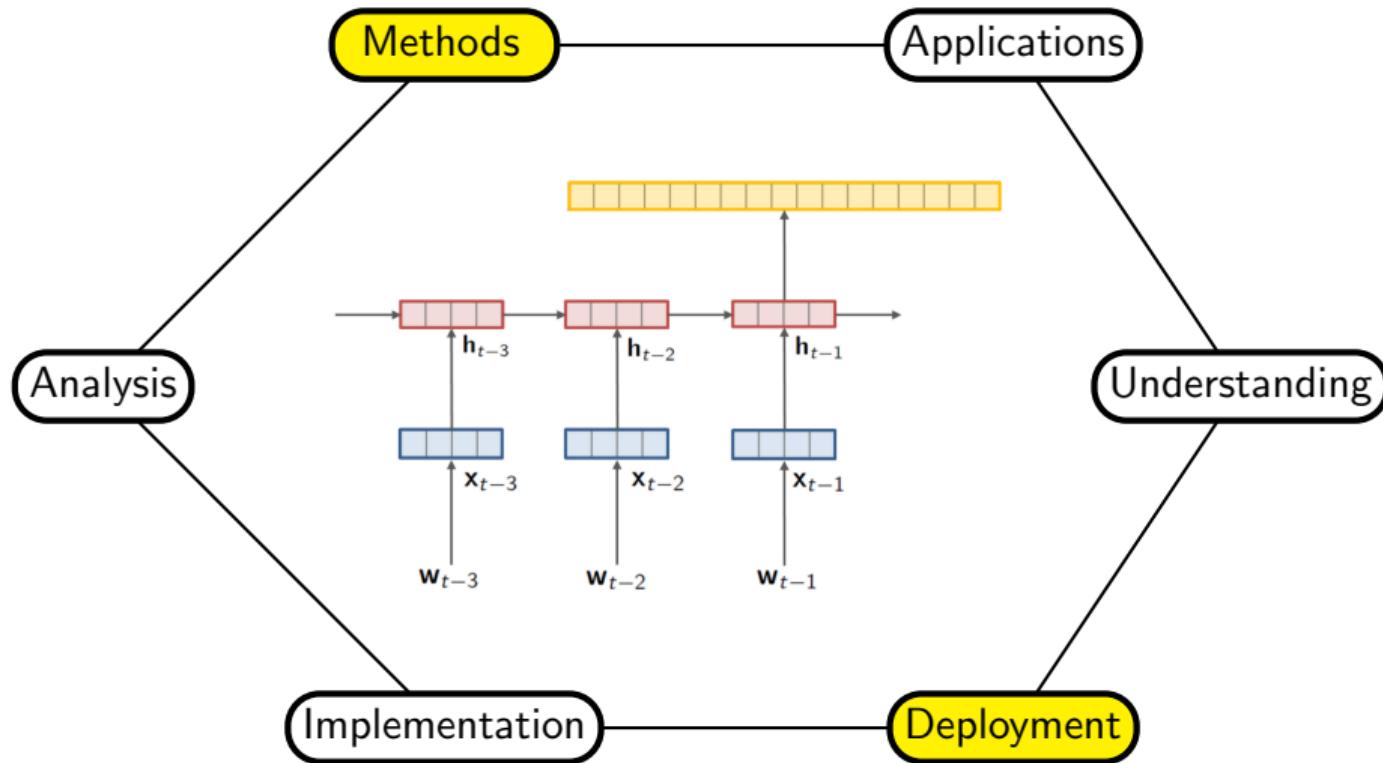
OpenNMT is used as provided in [production](#) by major translation providers. The system is designed to be simple to use and easy to extend, while maintaining efficiency and state-of-the-art translation accuracy.



- Collaborative open-source project started at Harvard, now self-sustaining.
- Used in production by Systran, Ubiquis, Booking.com, and others.
- Over 100 developers in France, China, Japan, Portugal, and the US.
- Designed to be research extensible to latest machine translation techniques.
- Pretrained models for translation as well as everything in this talk.



# Research Direction



# Structured Modeling

## Generation Setup (Reminder)

$$y_{1:T}^* = \arg \max_{y_{1:T}} f(y_{1:T}; x, \theta)$$

- Input  $x_{1:S}$ , *what to talk about*
- Output text  $y_{1:T}^*$ , *how to say it*
- Model  $f(\cdot; \theta)$ , learned from data

## Generation Setup (Reminder)

$$y_{1:T}^* = \arg \max_{y_{1:T}} f(y_{1:T}; \textcolor{red}{x}, \theta)$$

- Input  $\textcolor{red}{x}_{1:S}$ , *what to talk about*
- Output text  $y_{1:T}^*$ , *how to say it*
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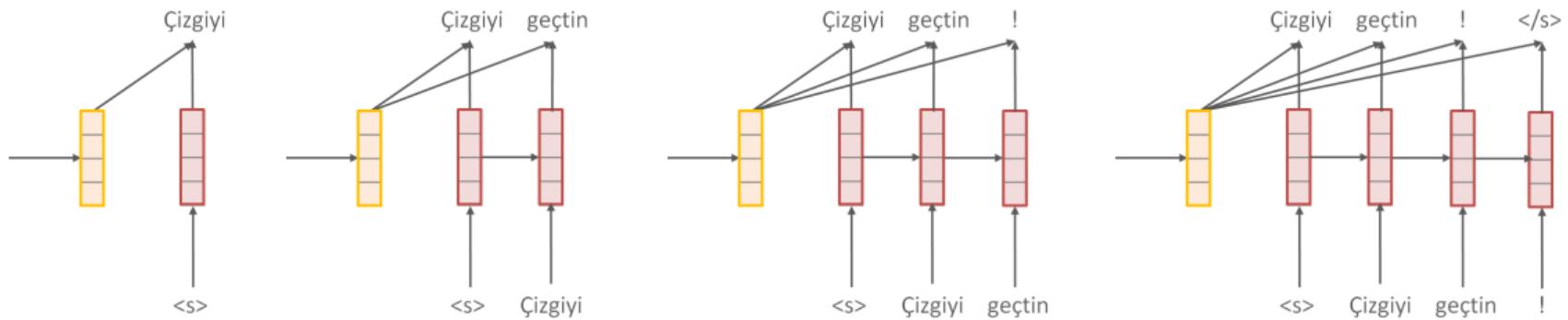
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# Training Seq2Seq

Parameters  $\theta$  are trained to predict the next word *given the true history*.

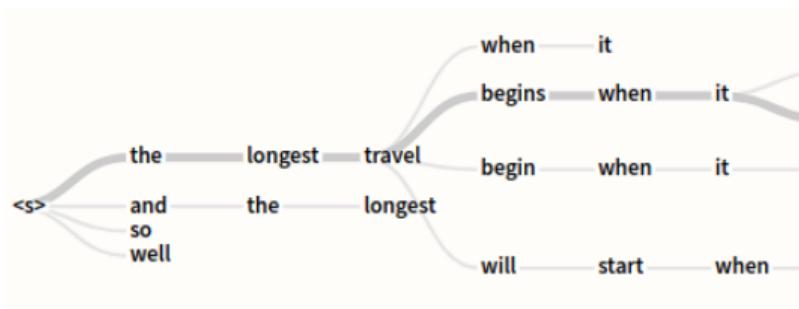
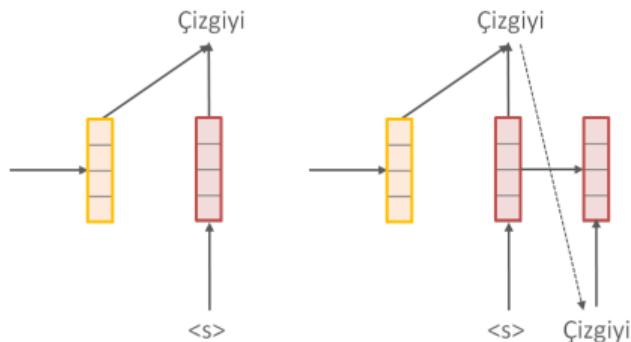


Pretend it is Multiclass classification:

$$\text{NLL}(\theta) = - \sum_t \log p(y_t | y_{1:t-1}, \mathbf{c}; \theta)$$

# Deploying Seq2Seq

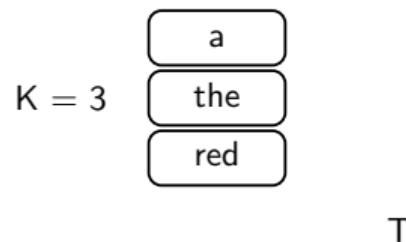
Parameters  $\theta$  is deployed to predict a next word *given the predicted history*.



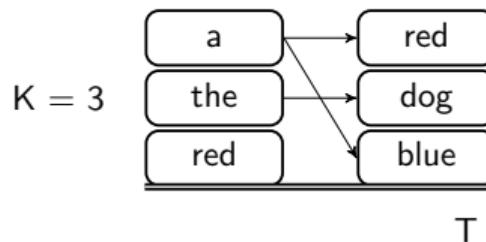
Deploy as a structured model:

$$y_{1:T}^* = \arg \max_{y_{1:T}} f(y_{1:T}; \theta) = \arg \max_{y_{1:T}} \sum_t \log p(y_t | y_{1:t-1}, \mathbf{c}; \theta)$$

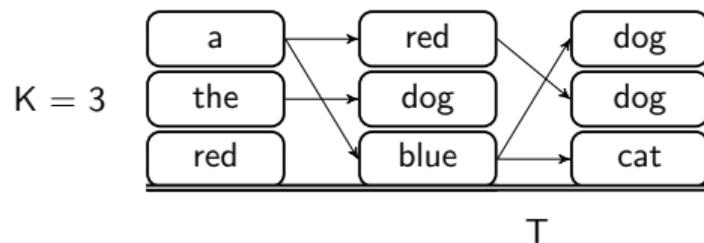
## Best Sequence Heuristic: Beam Search



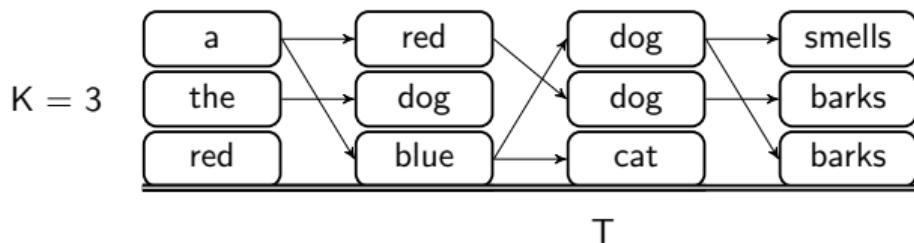
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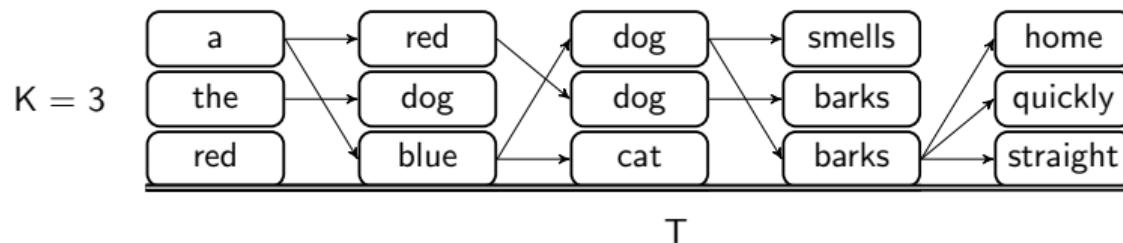
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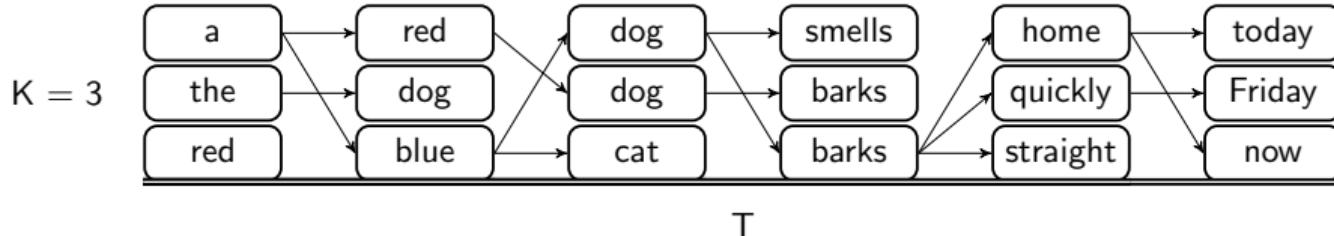
# Best Sequence Heuristic: Beam Search



# Best Sequence Heuristic: Beam Search



# Best Sequence Heuristic: Beam Search



- ① Compute the score of every possible next word.

$$f(y_t, y_{1:t-1}^{(k)}) \leftarrow \log p(y_t \mid y_{1:t-1}^{(k)}, \mathbf{c}) + \log p(y_{1:t-1}^{(k)} \mid \mathbf{c})$$

- ② Prune to only the  $K$  highest-scoring,

$$y_{1:t}^{(1:K)} \leftarrow K \arg \max_{y_{1:t}} f(y_t, y_{1:t-1}^{(k)})$$

# Theoretical Issues

## ① Exposure Bias

- Training by conditioning on true  $y_{1:t-1}$ .

## ② Metric Bias

- Training with local NLL, evaluate with hamming-style losses.

## ③ Label Bias

- Locally normalized models have known pathological issues.

# Work

Can we exploit discrete sequences to improve models for text generation?

Applications:

- (1) Sequence-to-Sequence as Beam Search Optimization for training.
- (2) Sequence Knowledge Distillation for deployment.

# Beam Search Optimization

(?)

Motivation: Can we fix target theoretical issues by unifying training and test objective?

## Change 1: Modify Scoring Function

Same model, but replace  $\log p(y_t|y_{1:t-1}^{(k)}, \mathbf{c}; \theta)$  with globally normalized  $f(y_t, y_{1:t-1}^{(k)}, \mathbf{c}; \theta)$

## Change 2: Run Beam Search During Training

- ① Compute the score of every possible next word.

$$f(y_t, y_{1:t-1}^{(k)}) \leftarrow \log p(y_t \mid y_{1:t-1}^{(k)}, \mathbf{c}) + \log p(y_{1:t-1}^{(k)} \mid \mathbf{c})$$

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## Change 3: Replace train to enforce beam-search margin

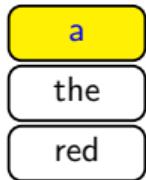
New Global Objective:

- Margin between gold seq  $y^{(g)}$  and last seq on beam  $y^{(K)}$

$$\mathcal{L}(\theta) = \sum_t \Delta(y_{1:t}^{(g)}, y_{1:t}^K) \left[ 1 - f(y_t^{(g)}, y_{1:t-1}^{(g)}, \mathbf{c}) + f(y_t^{(K)}, y_{1:t-1}^{(K)}, \mathbf{c}) \right]$$

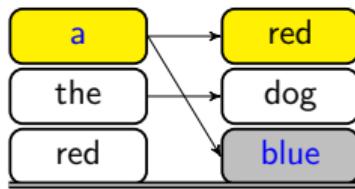
- Slack-rescaled, margin-based sequence criterion, at each time step.
- When violation occurs, target replaces current beam (learning as search optimization ?)

# Beam Search Optimization Training Example



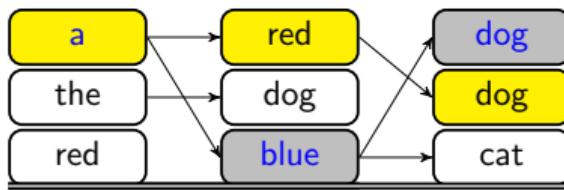
- Color Gold: target sequence  $y^{(g)}$
- Color Gray: violating sequence  $y^{(K)}$

# Beam Search Optimization Training Example



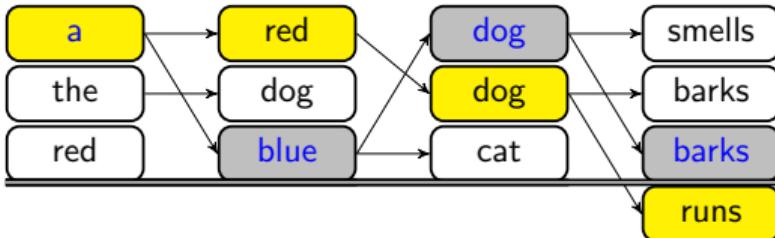
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# Beam Search Optimization Training Example



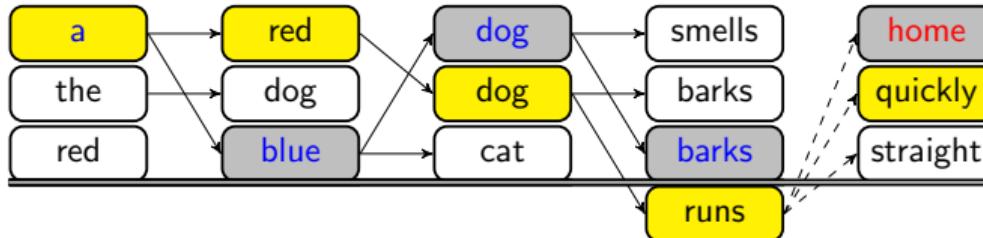
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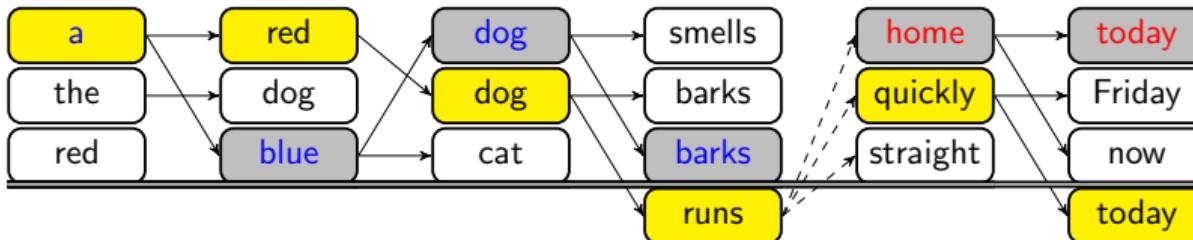
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# Beam Search Optimization Training Example



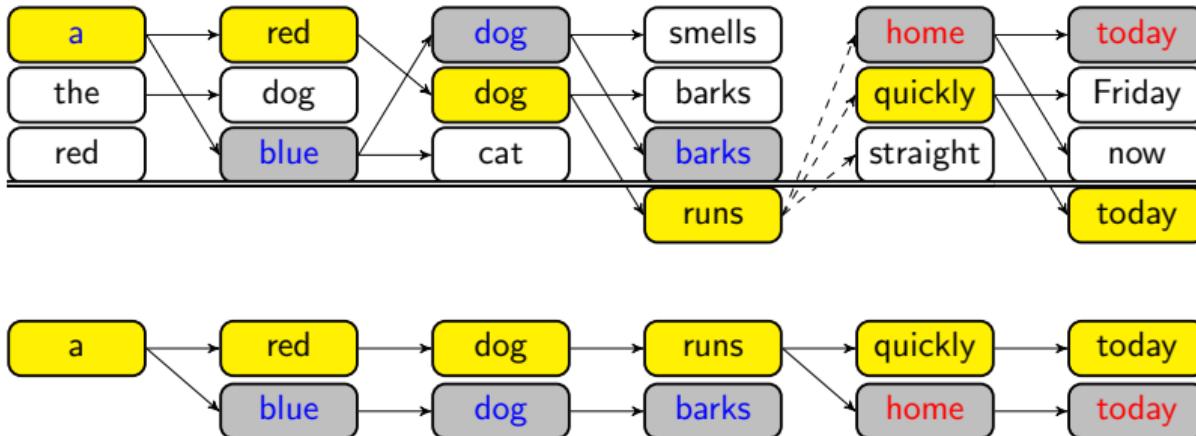
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# Beam Search Optimization Training Example



- Color Gold: target sequence  $y^{(g)}$
- Color Gray: violating sequence  $y^{(K)}$

# Structured Backpropagation



- Margin gradients are sparse, only violating sequences get updates.
- Backprop as efficient as standard models.

# Theoretical Issues Revisited

- Exposure Bias
  - Beam search at training
- Train/Test Loss Mismatch
  - Slack-rescaled margin can capture correct loss.
- Label Bias ?
  - Sequence regression is not locally normalized

	$K_e = 1$	$K_e = 5$	$K_e = 10$
Word Ordering (BLEU)			
seq2seq	25.2	29.8	31.0
BSO	28.0	33.2	34.3
BSO-Con	<b>28.6</b>	<b>34.3</b>	<b>34.5</b>

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Dependency Parsing (UAS/LAS)			
seq2seq	<b>87.33/82.26</b>	88.53/84.16	88.66/84.33
BSO	86.91/82.11	<b>91.00/87.18</b>	<b>91.17/87.41</b>
BSO-Con	85.11/79.32	<b>91.25/86.92</b>	<b>91.57/87.26</b>

	$K_e = 1$	$K_e = 5$	$K_e = 10$
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BSO-Con	85.11/79.32	<b>91.25</b> /86.92	<b>91.57</b> /87.26
Machine Translation (BLEU)			
seq2seq	22.53	24.03	23.87
BSO, SB- $\Delta$ , $K_t=6$	<b>23.83</b>	<b>26.36</b>	<b>25.48</b>
XENT	17.74	$\leq 20.5$	$\leq 20.5$
DAD	20.12	$\leq 22.5$	$\leq 23.0$
MIXER	20.73	-	$\leq 22.0$

Goal: Compress text generation models.

- **Pruning:** Prune weights based on importance criterion ??
- **Knowledge Distillation:** Train a *student* model to learn from a *teacher* model ???.

Other methods:

- low-rank matrix factorization of weight matrices ?
- weight binarization ?
- weight sharing ?

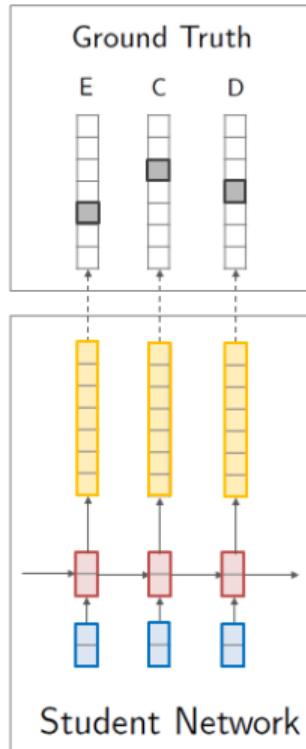
# Baseline Model

Standard model minimize  $\text{NLL}(\theta)$ :

$$-\sum_t \log p(y_t = y_t^{(g)} | y_{1:t-1}^{(g)}, \mathbf{c}; \theta)$$

where  $y_t^{(g)}$  is the ground truth word at time  $t$ .

Cross-entropy with ground truth.

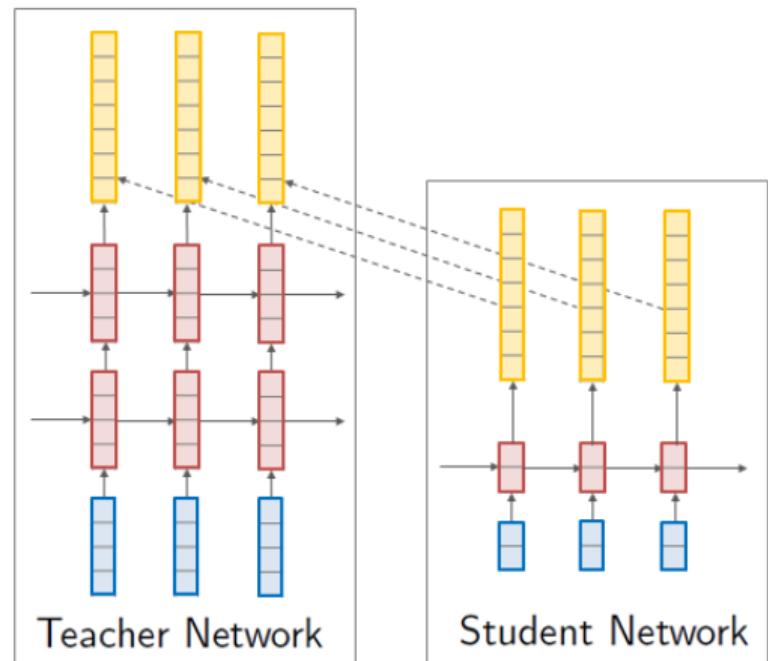


# Standard Method: Word-Level Knowledge Distillation

Teacher network:  $q(y_t | y_{1:t-1}, \mathbf{c}; \theta_T)$

Minimize cross-entropy between teacher  
and student distribution  $\mathcal{L}_{\text{WORD-KD}}(\theta)$

$$-\sum_t \sum_v q(y_t = v | y_{1:t-1}^{(g)}, \mathbf{c}; \theta_T) \times \\ \log p(y_t = v | y_{1:t-1}^{(g)}, \mathbf{c}; \theta)$$



## Sequence-Level Knowledge Distillation

Proposal: Replace multi-class with sequence distribution. Instead of word NLL,

$$-\sum_t \sum_v q(y_t = v | y_{1:t-1}^{(g)}, \mathbf{c}; \theta_T) \times \log p(y_t = v | y_{1:t-1}^{(g)}, \mathbf{c}; \theta)$$

Minimize cross-entropy between  $q$  and  $p$  implied sequence-distribution

$$-\sum_{v_1} \dots \sum_{v_T} q(y_{1:T} = v_{1:T} | \mathbf{c}; \theta_T) \times \log p(y_{1:T} = v_{1:T} | \mathbf{c}; \theta)$$

However, as before this term is intractable.

# A Simple Approximation

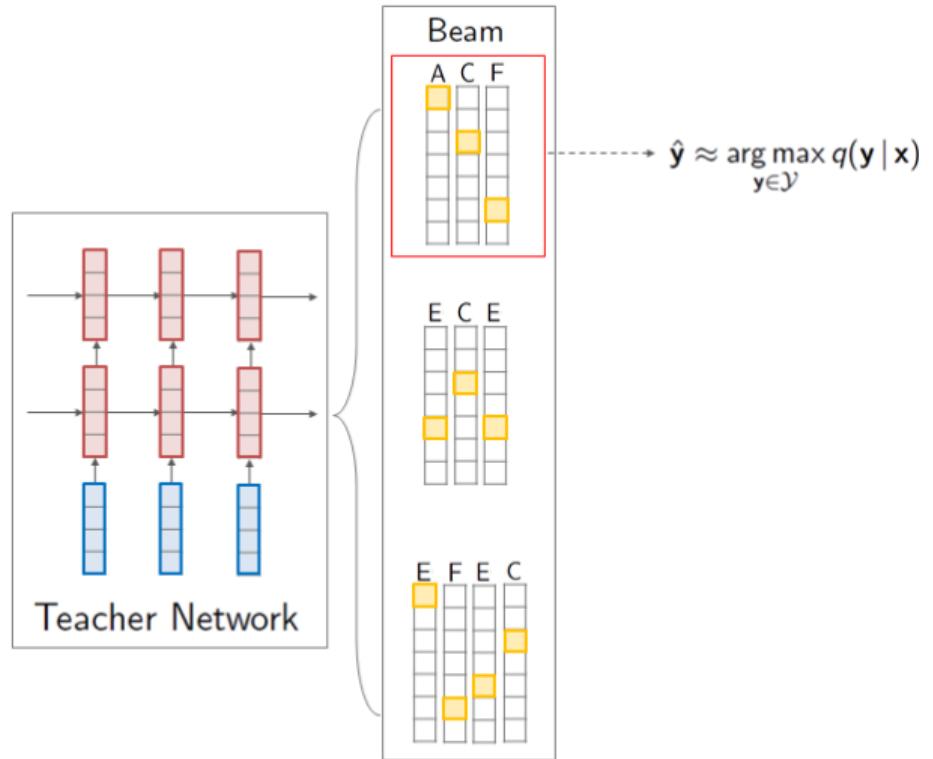
Approximate  $q(y_{1:T} | \mathbf{c})$  with mode

$$q(y_{1:T} | \mathbf{c}) \approx \mathbf{1}_{\{y\}} \{\arg \max q(y_{1:T} | \mathbf{c})\}$$

Roughly obtained with beam search

$$y_{1:T}^* \approx \arg \max_{y_{1:T}} q(y_{1:T} | \mathbf{c})$$

Empirically, point estimate captures significant mass

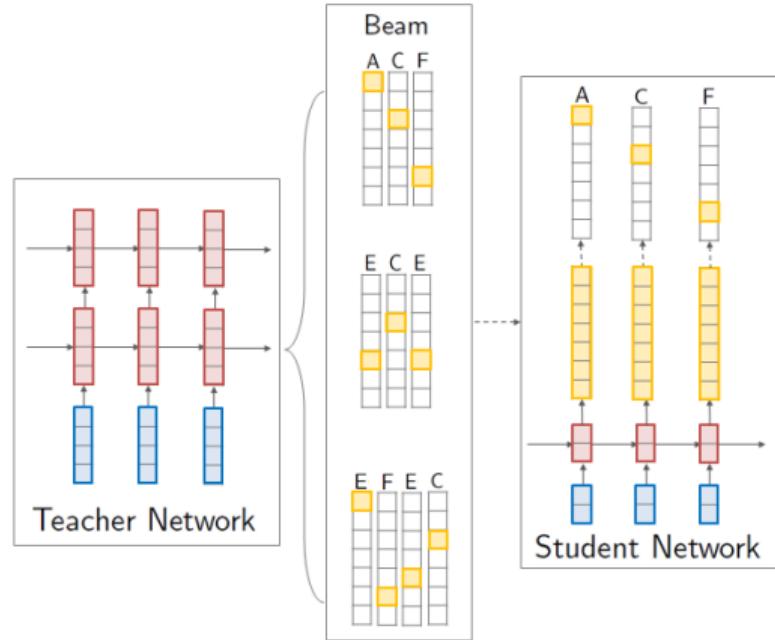


# Sequence-Level Knowledge Distillation

$$\mathcal{L}_{\text{SEQ-KD}}(\theta) = -\log p(y_{1:T}^* | \mathbf{c}; \theta)$$

$$\approx -\sum_{v_{1:T}} q(y_{1:T} = v_{1:t} | \mathbf{c}; \theta_T) \log p(y_{1:T} | \mathbf{c}; \theta)$$

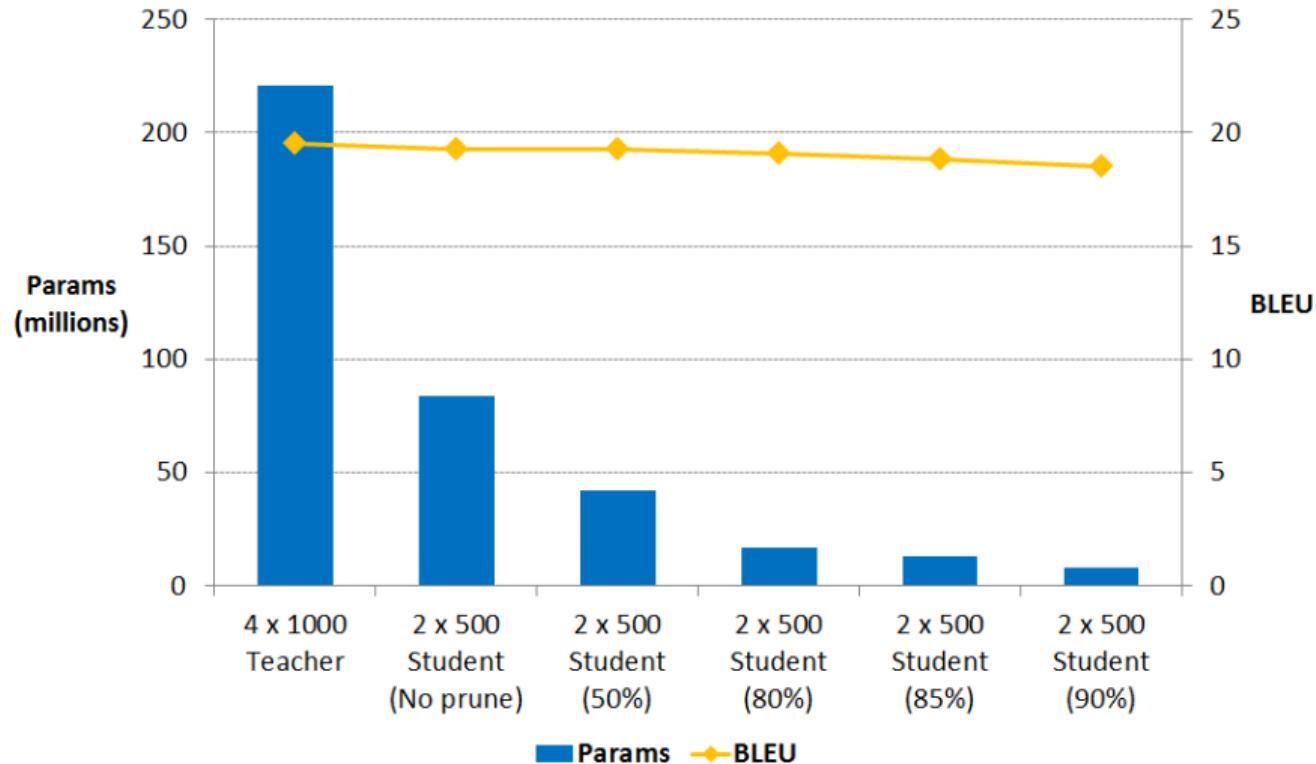
Simplest model: train the student model on  $y^*$  with NLL



## Results: English → German

Model	$\text{BLEU}_{K=1}$	$\Delta_{K=1}$	$\text{BLEU}_{K=5}$	$\Delta_{K=5}$	PPL	$p(y^*)$
$4 \times 1000$						
Teacher	17.7	—	19.5	—	6.7	1.3%
Seq-Inter	19.6	+1.9	19.8	+0.3	10.4	8.2%
$2 \times 500$						
Student	14.7	—	17.6	—	8.2	0.9%
Word-KD	15.4	+0.7	17.7	+0.1	8.0	1.0%
Seq-KD	18.9	<b>+4.2</b>	19.0	+1.4	22.7	16.9%
Seq-Inter	18.9	<b>+4.2</b>	19.3	<b>+1.7</b>	15.8	7.6%

# Combining Knowledge Distillation and Pruning



# Application

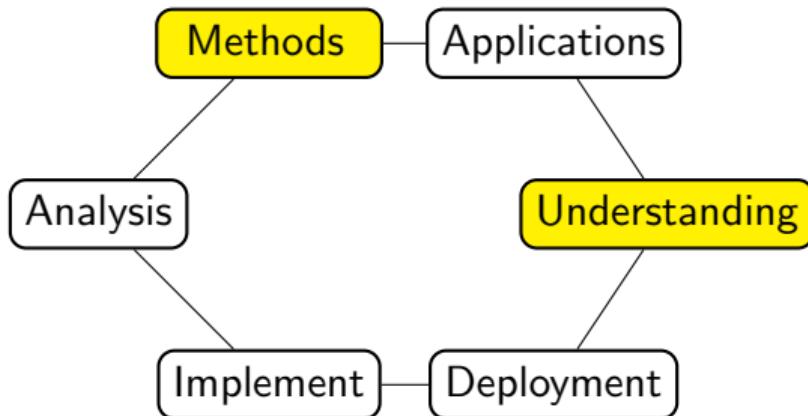


1 Introduction

2 Current and Future Work: Deep Latent Variable Modeling

3 Future

# Research Direction



## Method: Deep Latent-Variable Models

Goal: Expose specific choices as explicit *discrete* latent variables.

$$p(y, z; \theta).$$

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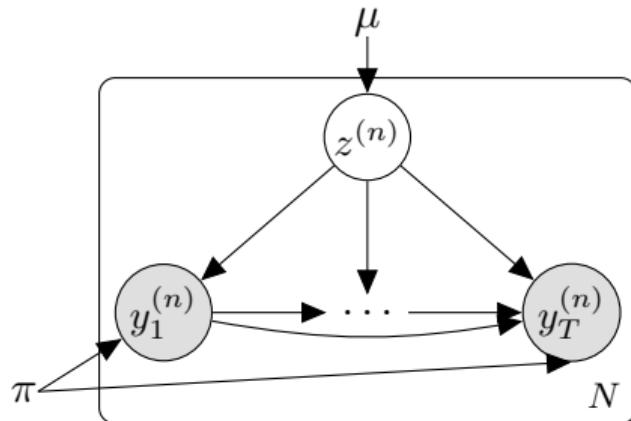
- $y$  is our observed data
- $z$  is a collection of problem-specific latent variables
- $\theta$  are the deterministic, neural network parameters.

# Example Model: Mixture of RNNs

Generative process:

- ① Draw cluster  $z \in \{1, \dots, K\}$  from a Categorical.
- ② Draw words  $y_{1:T}$  from RNNLM with parameters  $\pi_z$ .

$$p(y, z; \theta) = \mu_z \times \text{RNNLM}(y_{1:T}; \pi_z)$$



## Main Requirement: Posterior Inference

For models  $p(y, z; \theta)$ , we'll be interested in the *posterior* over latent variables  $z$ :

$$p(z | y; \theta) = \frac{p(y, z; \theta)}{p(y; \theta)} = \frac{p(y | z; \theta)p(z; \theta)}{\sum_{z'} p(y | z'; \theta)p(z'; \theta)}.$$

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Why?

- Required for training
- Latent  $z$  gives separation of data.

How?

- Sum out over all discrete choices (e.g. run  $K$  RNNs).
- Variational inference based methods.

## In Applications: Copy-Attention (Gu et al, 2016) (Gulcehre et al, 2016)

Let  $z$  be a binary latent variable.

- If  $z = 1$ , let the model generate a new word.
- If  $z = 0$ , let the model copy a word from the source.

Inference:

### Pointer-generator model + coverage summary

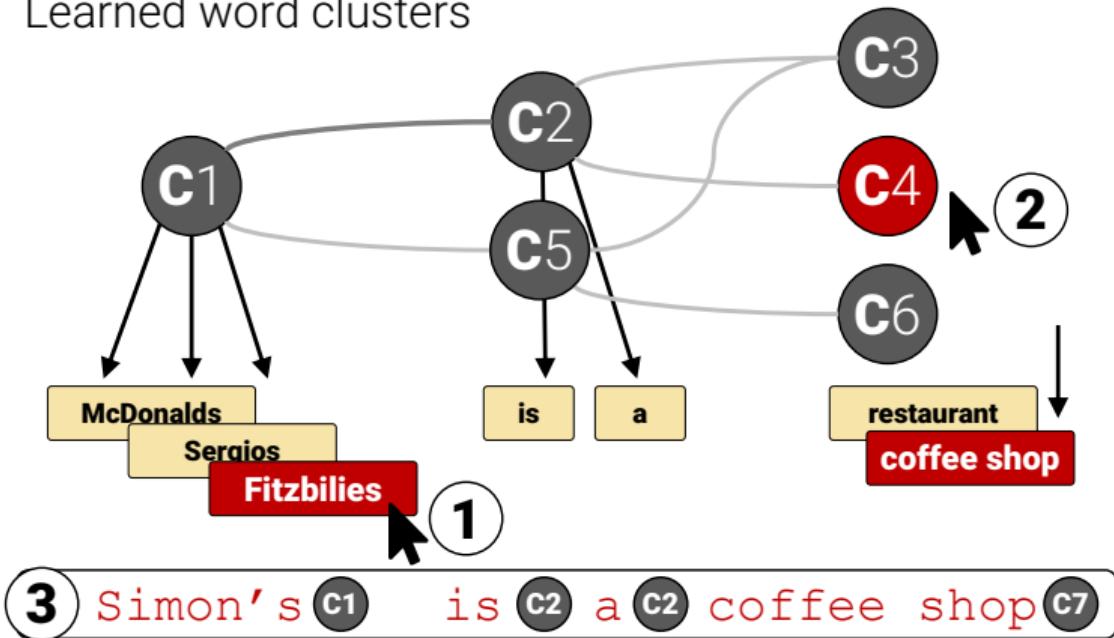
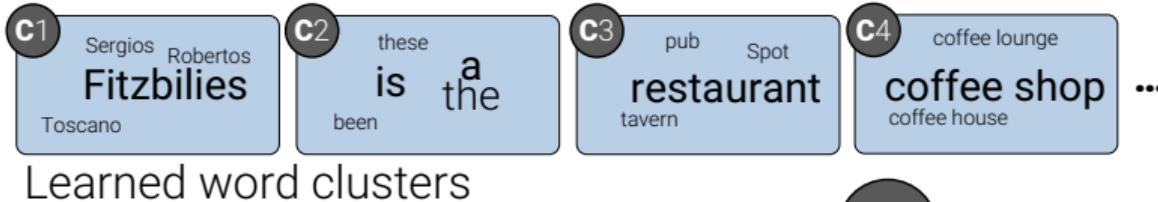
```
francis saili has signed a two-year deal to join munster later this year .  
the 24-year-old was part of the new zealand under-20 side that won the junior world championship in italy in 2011 ,  
saili 's signature is something of a coup for munster and head coach anthony foley .
```

(See et al, 2017)

# Latent Variable Models for Generation

- Can we develop other discrete latent-variable models for generation?
- Perhaps each important aspect of generation can be built-in directly.
- Goals:
  - Model Control
  - Model Debugging
  - Model Uncertainty

# Approach 1: Learning Neural Templates



# Standard Copy Generation Approach

## Step 1: Encode the Source

Fitzbillies,ty[coffee shop],pr[< £20],food[Chinese],cust[3/5],area[city centre]

## Step 2: Generate with Copy Decoder

Fitzbillies is a coffee shop providing Chinese food in the moderate price range . It is located in the city centre . Its customer rating is 3 out of 5.

# (Neural) Template Generation Approach

## Step 1: Encode the Source

Fitzbillies,ty[coffee shop],pr[< £20],food[Chinese],cust[3/5],area[city centre]

## (Neural) Template Generation Approach

## Step 1: Encode the Source

Fitzbillies,ty[coffee shop],pr[< £20],food[Chinese],cust[3/5],area[city centre]

## Step 2: Select a Template

The \_\_\_\_\_ is a \_\_\_\_\_ is an expensive providing serving offering food cuisine foods in the high moderate less than average price price range ...  
... located in the ... Its customer rating is  
. | It is | located near near | — | . | Their customer rating is | — out of — | .  
... Customers have rated it

# (Neural) Template Generation Approach

## Step 1: Encode the Source

Fitzbillies,ty[coffee shop],pr[< £20],food[Chinese],cust[3/5],area[city centre]

## Step 2: Select a Template

The — | is a  
— | is an | expensive | — | providing  
... | ... | serving | offering | — | food  
| ... | cuisine | foods | in the | high  
| ... | ... | ... | less than average | moderate  
| ... | ... | ... | ... | price  
| ... | ... | ... | ... | ... | price range |  
  
. | It is | located in the | — | Its customer rating is  
| located near | near | . | Their customer rating is  
| ... | ... | ... | Customers have rated it | — out of — | .

## Step 3: Fill-in Each Segment

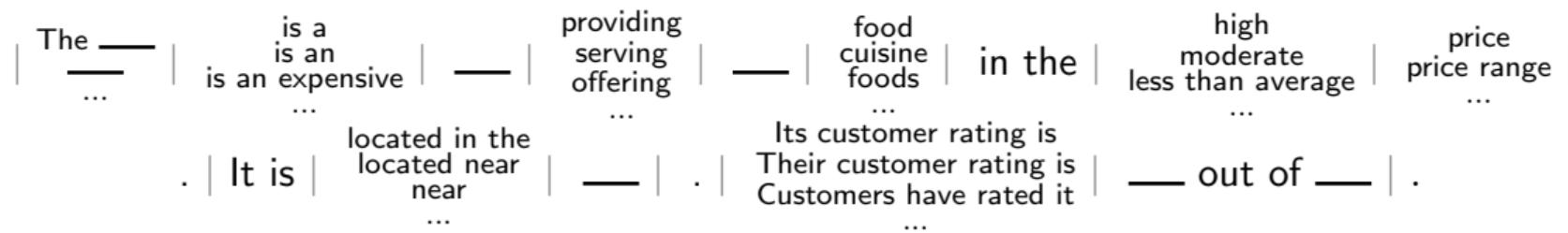
|| Fitzbillies ||

# (Neural) Template Generation Approach

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Fitzbillies,ty[coffee shop],pr[< £20],food[Chinese],cust[3/5],area[city centre]

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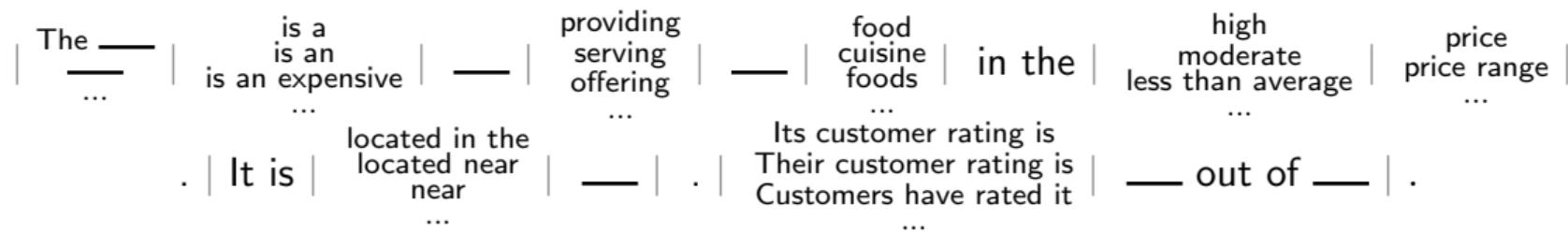
|| Fitzbillies || is a ||

# (Neural) Template Generation Approach

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## Step 2: Select a Template



## Step 3: Fill-in Each Segment

|| Fitzbillies || is a || coffee shop ||

# (Neural) Template Generation Approach

## Step 1: Encode the Source

Fitzbillies,ty[coffee shop],pr[< £20],food[Chinese],cust[3/5],area[city centre]

## Step 2: Select a Template

The — | is a  
— | is an | expensive | — | providing  
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| ... | ... | ... | ... | price  
| ... | ... | ... | ... | ... | price range |  
  
. | It is | located in the | ... | Its customer rating is  
| ... | located near | ... | Their customer rating is  
near | ... | Customers have rated it | ... | out of | .  
| ... | ... | ... | ... | ... | ... |

## Step 3: Fill-in Each Segment

|| Fitzbillies || is a || coffee shop || providing || Chinese || food || in the || moderate || price  
range || . || It is || located in the || city centre || . ||

# Criteria

- ① Interpretable in its content selection.

*Decisions are localized to a segment of the template.*

- ② Easily controllable in terms of style and form.

*Alternative realizations through different templates.*

# Criteria

- ① Interpretable in its content selection.

*Decisions are localized to a segment of the template.*

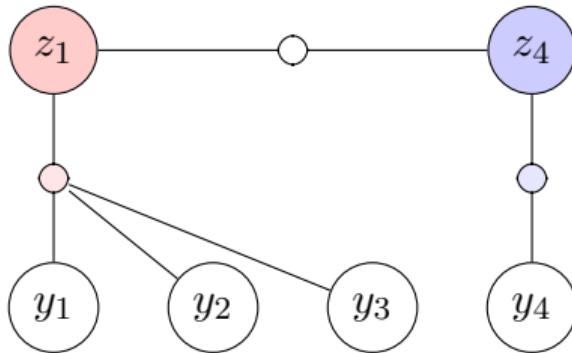
- ② Easily controllable in terms of style and form.

*Alternative realizations through different templates.*

**However:** templates feel much less “end-to-end”. How can we learn them from data?

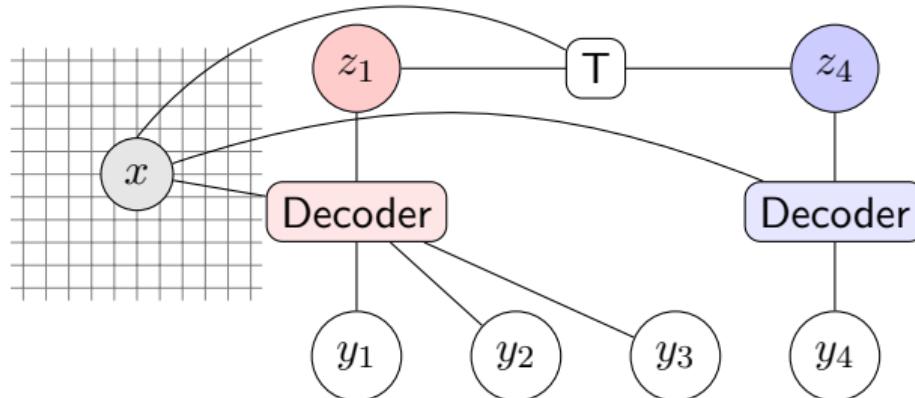
## Technical Methodology: Hidden Semi-Markov Model

- HMM: discrete latent states with single emissions (e.g. words).
- HSMM: discrete states produce multiple emissions (e.g. phrases).
- Parameterized with *transition*, *emission*, and *length* distributions.



# Technical Methodology: Neural Hidden Semi-Markov Model

- Employ HSMM as a conditional latent variable language model,  $p(y_1, \dots, y_T, z | x)$ .
- Transition Distribution: NN between states.
- Emission Distribution: Seq2Seq+Copy-Attention, one per state  $k$ .



## Technical Methodology: Learning Templates

- Fit model by maximizing log-marginal likelihood on training data.

$$\max_{\theta} \sum_j \ln \sum_z p(y^{(j)}, z | x^{(j)}; \theta)$$

Details: Pre-score segmentations, HSMM forward algorithm for sum, backprop with autograd, all inference is exact.

## Technical Methodology: Learning Templates

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Details: Pre-score segmentations, HSMM forward algorithm for sum, backprop with autograd, all inference is exact.

- Compute argmax segmentations to find common *templates*.

$$z^{(j)} = \arg \max_z p(y^{(j)}, z | x^{(j)}; \theta)$$

[The Wrestlers]<sub>185</sub> [is a]<sub>29</sub> [coffee shop]<sub>164</sub> [that serves]<sub>188</sub> [English]<sub>139</sub> [food]<sub>18</sub> [in  
the]<sub>32</sub> [moderate]<sub>125</sub> [price range]<sub>180</sub> [.]<sub>90</sub>

# Neural Template

The — | is a — | providing — | food — | high — | price  
— | is an expensive | serving — | cuisine — | moderate — | price range  
... | ... | offering | foods | less than average | ...  
| ... | ... | ... | ... | ...  
. | It is | located in the — | Its customer rating is — | .  
| located near — | Their customer rating is — | .  
near | ... | ... | ... | ...  
| ... | ... | ... | ... | .  
| ... | ... | ... | ... | .

## Experimental Setup

- Two datasets, E2E challenge and WikiBio
- Training with 35 and 65 state models, each 1x300 LSTMs.
- Extract 100 most common templates for each.
- Vocabulary limited to non-copy-able words.
- Generation with beam search with a pre-selected template.

# E2E Challenge

	BLEU	NIST
<hr/>		
Val		
Substitution	43.71	6.72
Neural Template	66.06	7.93
Full Neural Model	69.25	8.48
<hr/>		
Test		
Substitution	43.78	6.88
Neural Template	56.72	7.63
Full Neural Model	65.93	8.59
<hr/>		

# WikiBio

	BLEU	NIST	ROUGE-4
Conditional KN-LM	19.8	5.19	10.7
NNLM (field)	33.4	7.52	23.9
NNLM (field & word)	34.7	7.98	25.8
Neural Template	33.8	7.51	28.2

- Custom KN and NNLM Baselines from LeBret et al (2016)

k

# Interpretability

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## kenny warren

---

**name:** kenny warren, **birth date:** 1 april 1946,

**birth name:** kenneth warren deutscher, **birth place:** brooklyn, new york,

**occupation:** ventriloquist, comedian, author,

**notable work:** book - the revival of ventriloquism in america

---

1. kenny warren deutscher ( april 1, 1946 ) is an american ventriloquist.
  2. kenny warren deutscher ( april 1, 1946 , brooklyn,) is an american ventriloquist.
  3. kenny warren deutscher ( april 1, 1946 ) is an american  
ventriloquist, best known for his the revival of ventriloquism.
  4. “kenny” warren is an american ventriloquist.
  5. kenneth warren “kenny” warren (born april 1, 1946 ) is  
an american ventriloquist, and author.
-

# Controllability

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## The Golden Palace

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name[The Golden Palace], type[coffee shop], food[Chinese],  
priceRange[cheap] custRating[5 out of 5], area[city centre],

---

1. The Golden Palace is a coffee shop located in the city centre.
  2. In the city centre is a cheap Chinese coffee shop called  
The Golden Palace.
  3. The Golden Palace that serves Chinese food in the cheap  
price range. It is located in the city centre. Its customer  
rating is 5 out of 5.
  4. The Golden Palace is a Chinese coffee shop.
  5. The Golden Palace is a Chinese coffee shop  
with a customer rating of 5 out of 5.
-

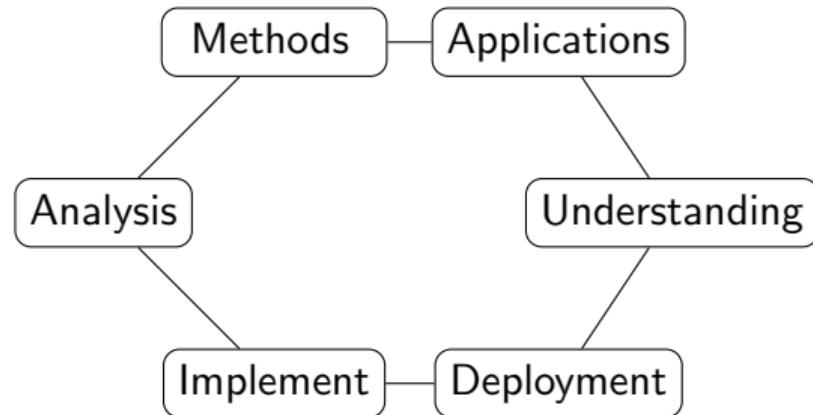
1 Introduction

2 Current and Future Work: Deep Latent Variable Modeling

3 Future

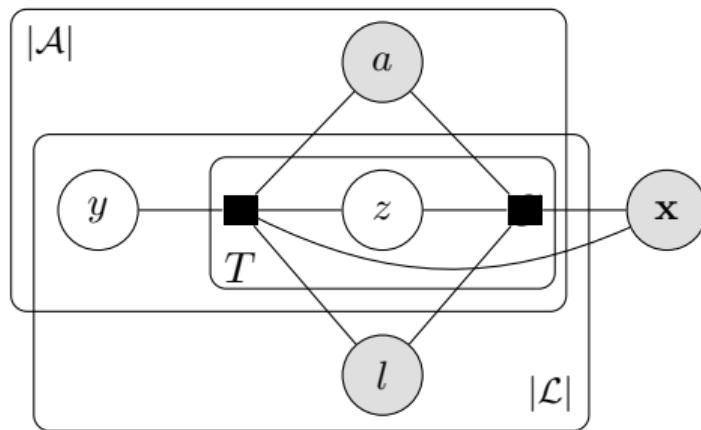
# Future Work

NLP post deep learning



# Probabilistic Programming

(Preprint)



# Reasoning-Based Models

# Hardware for NLP

(Preprint)

# Long-Form Generation with Reasoning



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