

## Recursion in C

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### Consider a function

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```
#include <stdio.h>
void callMe(){

    printf("Hello World\n");
}
void main(){
    callMe();
}
```

Output

Hello World

## Consider a function

```
#include <stdio.h>
void callMe(){

    printf("Hello World\n");
    callMe();
}
void main(){
    callMe();
}
```

### Output

```
Hello World
Hello World
Hello World
...
...
```

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3

## Consider a function

```
#include <stdio.h>
void callMe(){

    printf("Hello World\n");
    callMe();
}
void main(){
    callMe();
}
```

### Output

```
Hello World
Hello World
Hello World
...
...
```



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4

## What is Recursion?

- When a function calls itself, the phenomenon is called **RECURSION**.
- Self-calling functions are often called recursive function.
- For successful recursion the self calling must be stopped.

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5

## How to stop?

```
#include <stdio.h>
void callMe(int n){
    if(n == 0) return;
    printf("Hello World\n");
    callMe(n-1);
}
void main(){
    callMe(2);
}
```

### Output

```
Hello World
Hello World
```



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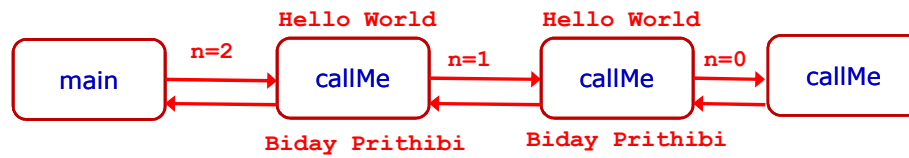
6

## Another example

```
#include <stdio.h>
void callMe(int n){
    if(n == 0) return;
    printf("Hello World\n");
    callMe(n-1);
    printf("Biday Prithibi\n");
}
void main(){
    callMe(2);
}
```

### Output

```
Hello World
Hello World
Biday Prithibi
Biday Prithibi
```



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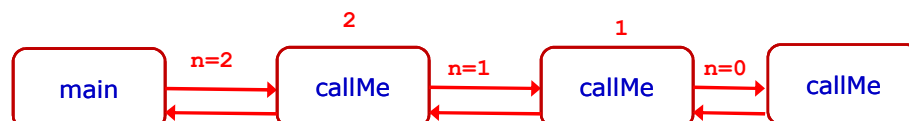
7

## Printing numbers (downward)

```
#include <stdio.h>
void callMe(int n){
    if(n == 0) return;
    printf("%d\n",n);
    callMe(n-1);
}
void main(){
    callMe(2);
}
```

### Output

```
2
1
```



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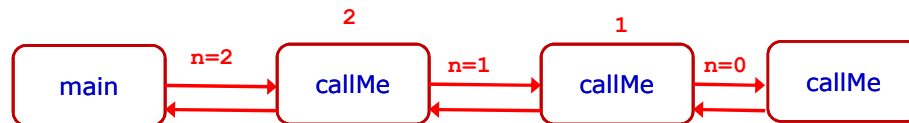
8

## Printing numbers (upward)

```
#include <stdio.h>
void callMe(int n){
    if(n == 0) return;
    callMe(n-1);
    printf("%d\n",n);
}
void main(){
    callMe(2);
}
```

Output

1  
2



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9

**We did some analysis of recursion. Now we will see some problem solving using recursion.**

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10

## Recursion main logic

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- a) Find **Recursive Definition (RD)** of the problem
- b) Find **Base** case where we do not need any recursion
- c) Put Base case inside **if** block and recursive part under **else** block.

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11

## Problem 1

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Write down a recursive function that will recursively compute summation of all natural numbers up to N. N will be a parameter to your function.

Solution: 
$$\text{sum}(N) = 1 + 2 + 3 + \dots + \text{sum}(N-1) + N$$

**Recursive Definition:**  $\text{sum}(N) = N + \text{sum}(N-1)$

**Base Case:**  $\text{sum}(1) = 1$

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12

## Solution

- Find **Recursive Definition** (RD) of the problem
- Find **Base** case where we do not need any recursion
- Put Base case inside **if** block and recursive part under **else** block.

Solution:

$$\text{sum}(N) = 1 + 2 + 3 + \dots + (N-1) + N$$

**Recursive Definition:**  $\text{sum}(N) = N + \text{sum}(N-1)$

**Base Case:**  $\text{sum}(1) = 1$

```
int sum(int n){
    int r;
    if(n == 1) r = 1;
    else r = n + sum(n-1);
    return r;
}

void main(){
    int x = sum(3);
    printf("%d",x);
}
```

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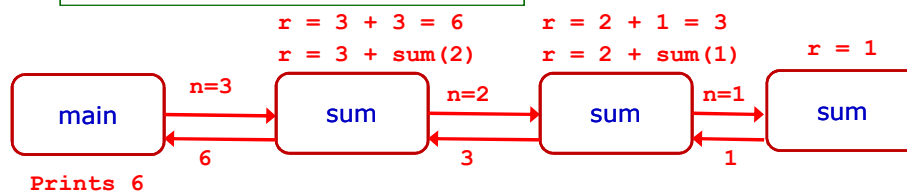
13

## Analysis

```
int sum(int n){
    int r;
    if(n == 1) r = 1;
    else r = n + sum(n-1);
    return r;
}

void main(){
    int x = sum(3);
    printf("%d",x);
}
```

**Solution:**  $N = 3$   
 $\text{sum}(3) = 1 + 2 + 3 = 6$



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14

## Problem 2

Write down a recursive function that will compute factorial of N recursively. N will be a parameter to your function.

Solution: 
$$\text{fact}(N) = 1 \times 2 \times 3 \times \dots \times \text{fact}(N-1) \times N$$

Recursive Definition:  $\text{fact}(N) = N \times \text{fact}(N-1)$

Base Case:  $\text{fact}(0) = 1$

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15

## Solution

- Find **Recursive Definition** (RD) of the problem
- Find **Base** case where we do not need any recursion
- Put Base case inside **if** block and recursive part under **else** block.

Solution:

$$\text{fact}(N) = 1 \times 2 \times 3 \times \dots \times (N-1) \times N$$

Recursive Definition:  $\text{fact}(N) = N \times \text{fact}(N-1)$

Base Case:  $\text{fact}(0) = 1$

```
int fact(int n){
    int r;
    if(n == 0) r = 1;
    else r = n * fact(n-1);
    return r;
}

void main(){
    int x = fact(2);
    printf("%d",x);
}
```

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16

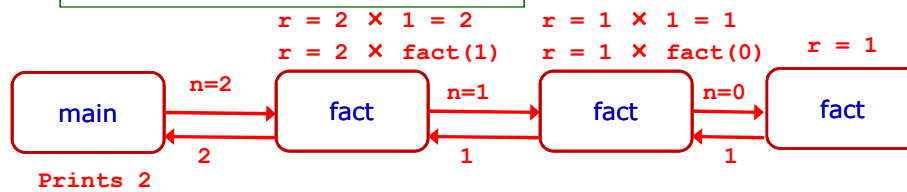


## Analysis

```
int fact(int n){
    int r;
    if(n == 0) r = 1;
    else r = n * fact(n-1);
    return r;
}

void main(){
    int x = fact(2);
    printf("%d",x);
}
```

**Solution: N = 2**  
 $\text{fact}(2) = 1 \times 2 = 2$



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17

## Problem 3

**Write down a recursive function that will compute  $x^N$  recursively. Both  $x$ ,  $N$  will be a parameter to your function.**

**Solution:**

$$\text{power}(x, N) = \overbrace{x \times x \times x \times \dots \times x}^{x^{N-1}} \times x$$

**Recursive Definition:**  $\text{power}(x, N) = x \times \text{power}(x, N-1)$

**Base Case:**  $\text{power}(x, 0) = 1$

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18

## Solution

- Find **Recursive Definition** (RD) of the problem
- Find **Base** case where we do not need any recursion
- Put Base case inside **if** block and recursive part under **else** block.

Solution:

$$\text{power}(x, N) = x \times x \times x \times \dots \times x$$

**Recursive Definition:**  $\text{power}(x, N) = x \times \text{power}(x, N-1)$

**Base Case:**  $\text{power}(x, 0) = 1$

```
int power(int x, int n){
    int r;
    if(n == 0) r = 1;
    else r = x * power(x, n-1);
    return r;
}

void main(){
    int y = power(3, 2);
    printf("%d", y);
}
```

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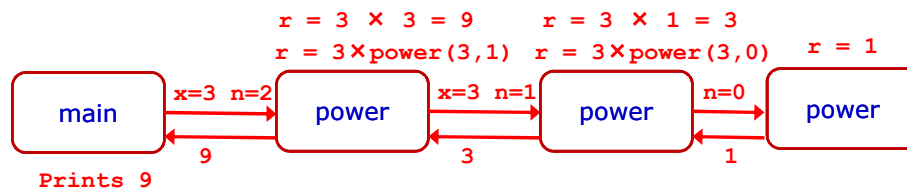
19

## Analysis

```
int power(int x, int n){
    int r;
    if(n == 0) r = 1;
    else r = x * power(x, n-1);
    return r;
}

void main(){
    int y = power(3, 2);
    printf("%d", y);
}
```

**Solution:**  $x = 3, N = 2$   
 $\text{power}(3, 2) = 3 \times 3 = 9$



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20