# EEE-2103: Electronic Devices and Circuits

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### **SCR Control Circuits**

#### 180° phase control:

 $R_1$  and  $C_1$  determine triggering angle between  $0^{\circ} \sim 180^{\circ}$ 

 $R_2$  restricts  $I_G$ .

-ve half-cycle  $\rightarrow$ 

 $C_1$  is charged via  $D_1$  to -ve peak.

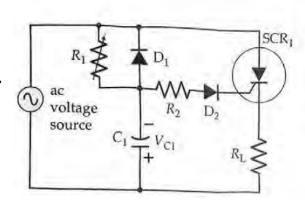
After -ve peak  $\rightarrow$ 

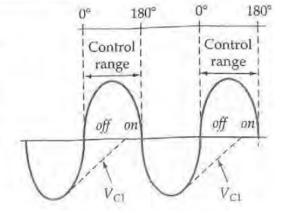
 $D_1$  and  $D_2$  are reverse-biased

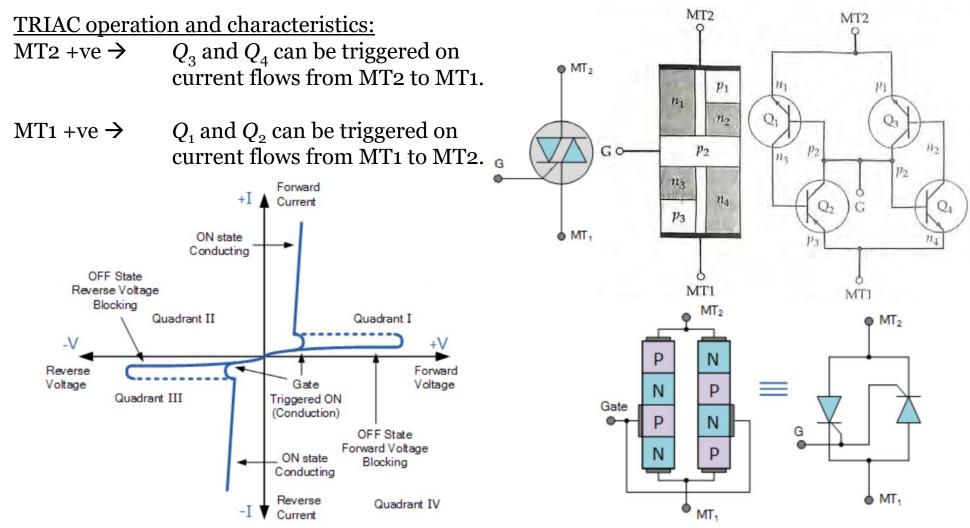
 $C_1$  discharges via  $R_1$ 

 $R_1 = 0 \rightarrow SCR_1$  switches on at  $0^\circ$ .

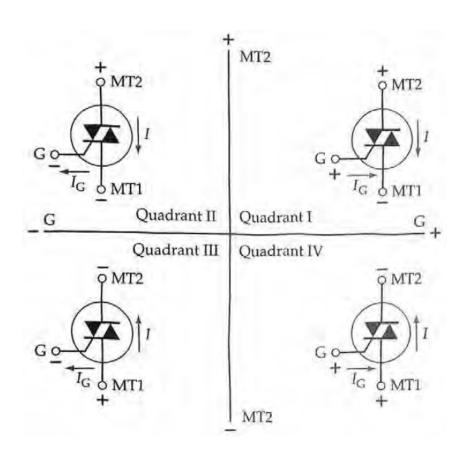
 $R_1 \approx \frac{0.75 \, T}{c_1 \ln 6} \rightarrow \text{SCR}_1 \text{ remains off till } 180^{\circ}.$ 

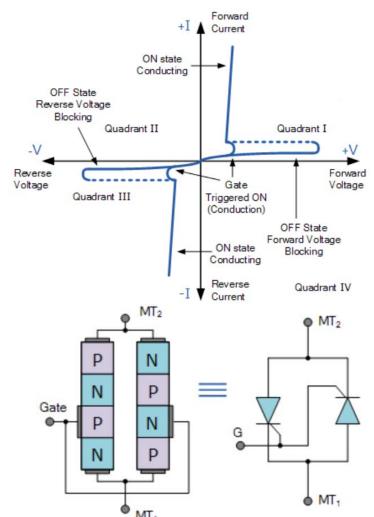






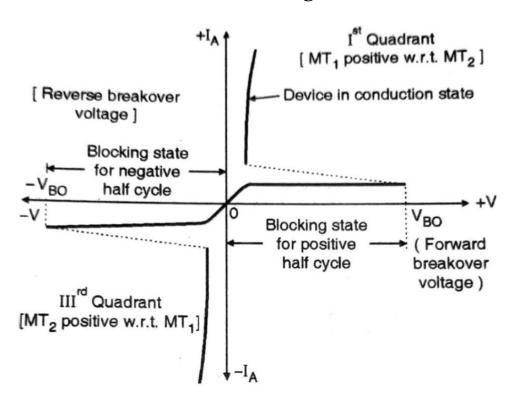
#### TRIAC triggering:

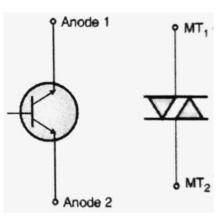


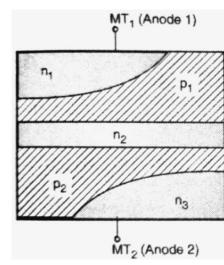


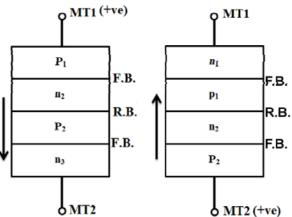
#### **DIAC:**

Low-current TRIAC without gate terminal.









#### TRIAC phase-control circuit:

 $Q_1$  is off at beginning of +ve half-cycle.

 $C_1$  is charged via  $R_1$  and  $R_2$ .

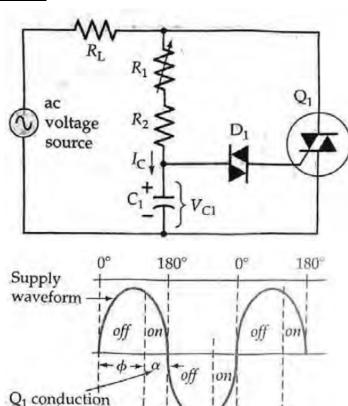
 $V_{C_1} = D_1$  switching voltage

 $Q_1$  gate triggering voltage

 $C_1$  discharges through  $D_1$  and  $Q_1 \rightarrow$  discharge current falls below  $D_1$  holding current.  $Q_1$  switches off at end of +ve half-cycle.

Process is repeated during -ve half-cycle.

 $Q_1$  conduction angle is controlled by  $R_1$ .



angle

Capacitor waveform

#### Problem-42:

Estimate the smallest conduction angle for  $Q_1$  for the circuit in Fig. 42. The supply is 115 V, 60 Hz, and the components are  $R_1$  = 25 k $\Omega$ ,  $R_2$  = 2.7 k $\Omega$  and  $C_1$  = 3  $\mu$ F. The  $D_1$  breakover voltage is 8 V and  $V_G$  = 0.8 V for  $Q_1$ .

At  $Q_1$  switch-on,  $V_{C1} = V_{D1} + V_G = 8 + 0.8 = 8.8 \text{ V}$ Average charging voltage,

$$E = 0.636 \times V_{ac(pk)} = 0.636 \times 1.414 \times 115 \approx 103 \text{ V}$$
 Average charging current,

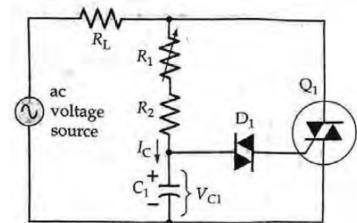
$$I_C \approx \frac{E}{R_1 + R_2} = \frac{103}{25 \times 10^3 + 2.7 \times 10^3} \approx 3.7 \text{ mA}$$

Charging time, 
$$t \approx \frac{C_1 V_{C1}}{I_C} = \frac{3 \times 10^{-6} \times 8.8}{3.7 \times 10^{-3}} \approx 7.1 \text{ ms}$$

$$T = 1/f = 1/60 = 16.7 \text{ ms}$$

$$Q_1$$
 switch-on point,  $\phi \approx \frac{t \times 360^0}{T} = \frac{7.1 \times 10^{-3} \times 360}{16.7 \times 10^{-3}} = 153^0$ 

Conduction angle, 
$$\alpha = 180^{\circ} - \phi = 180^{\circ} - 153^{\circ} = 27^{\circ}$$



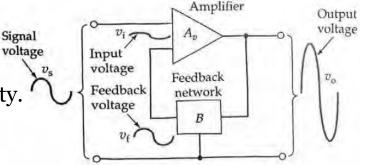
# **Series Voltage Negative Feedback**

#### Series negative feedback:

Small portion of  $V_{out}$  is fed back to input.

Feedback voltage is in series with signal voltage.

Polarity of feedback voltage is opposite to signal voltage polarity.



#### $v_i = v_s - v_f$

Overall voltage gain  $v_o/v_i$  is reduced.

Stability of voltage gain is improved.

#### Voltage gain:

Open-loop gain,  $A_v = v_o/v_i$ 

Feedback factor,  $B = v_f/v_o$ 

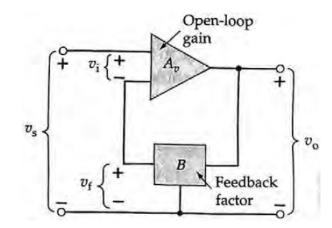
Input voltage,  $v_i = v_s - v_f = v_s - Bv_o$ 

Output voltage,  $v_o = A_v v_i = A_v (v_s - Bv_o) = A_v v_s - A_v Bv_o$ 

$$v_o(1 + A_v B) = A_v v_s$$

Closed-loop gain,  $A_{CL} = \frac{v_o}{v_s} = \frac{A_v}{1 + A_v B} \approx 1/B$  [ $A_v B >>1$ ]

Open-loop gain,  $A_v >>$  Closed-loop gain,  $A_{CL}$ 



# **Series Voltage Negative Feedback**

#### Problem-43:

Calculate the closed-loop gain for the negative feedback amplifier shown in Fig. 43. Also calculate the closed-loop gain when the open-loop gain is changed by  $\pm 50\%$ .

When  $A_v = 100000$ :

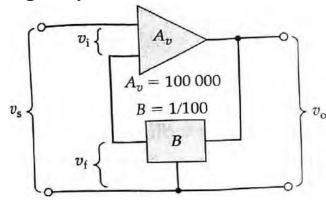
$$A_{CL} = \frac{A_v}{1 + A_v B} = \frac{100000}{1 + (100000/100)} = 99.9$$

When  $A_v = 150000$ :

$$A_{CL} = \frac{A_v}{1 + A_v B} = \frac{150000}{1 + (150000/100)} = 99.93$$

When  $A_v = 50000$ :

$$A_{CL} = \frac{A_v}{1 + A_v B} = \frac{50000}{1 + (50000/100)} = 99.8$$



# **Series Voltage Negative Feedback**

#### **Input impedance:**

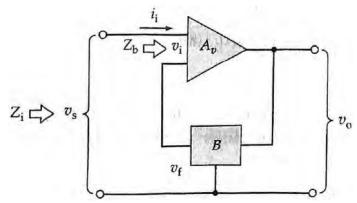
Input impedance without feedback,  $Z_b = v_i/i_i$ Input impedance with negative feedback,

$$Z_i = \frac{v_s}{i_i} = \frac{v_s \times Z_b}{v_i}$$

$$v_i = v_s - v_f = v_s - Bv_o = v_s - A_v Bv_i$$

$$v_i (1 + A_v B) = v_s$$

$$Z_i = (1 + A_v B) Z_b$$



#### Problem-44:

The input impedance of the amplifier in Fig. 44 is 1 k $\Omega$  when negative feedback is not used, and the open-loop voltage gain is 100000. Calculate the circuit input impedance with negative feedback.

$$\begin{split} B &= v_f/v_o = \frac{R_{F2}}{R_{F1} + R_{F2}} = \frac{560}{560 + 56 \times 10^3} = 1/101 \\ Z_i &= (1 + A_v B) Z_b = \left[ 1 + 100000 \frac{1}{101} \right] \times 1 \times 10^3 = 991 \text{ k}\Omega \\ Z_{in} &= Z_i ||R_1||R_2 = 991||68||33 = 21.7 \text{ k}\Omega \end{split}$$

