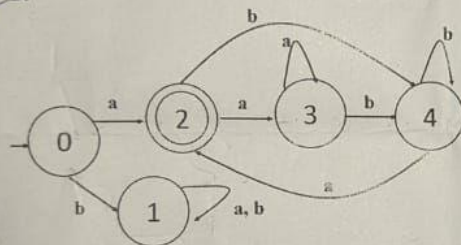




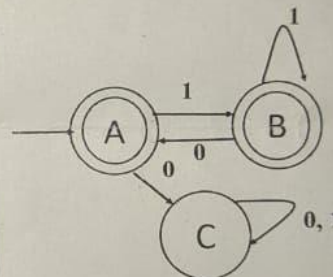
**Question-1) (20 marks):**

- A. What is the difference between the compiler and the Interpreter? List the main Implementation Techniques of Compiler.
- B. Describe the languages denoted by the following regular expressions:
  1.  $1(1+0)^*1$
  2.  $1^*01^*01^*01^*$
- C. Show the finite state machine in **graph form** for each of the following languages (in each case the input alphabet is  $\{a,b\}$ ):
  1. All strings which contain exactly one a.
  2. All strings which end with ab.
- D. Write the regular expression for the following finite state machines:

1.



2.



**Question-2) (20 marks):**

- A. Consider the following grammar:  $S \rightarrow aSbS \mid bSaS \mid \epsilon$ 
  1. Is the grammar ambiguous or unambiguous? Justify your answer.
- B. Show three different derivations using the following grammars with starting nonterminal S

$$S \rightarrow 0S \mid 1A$$

$$A \rightarrow 1S \mid 0$$



**Question-1) (15 marks):**

A. Consider the following grammar:  $S \rightarrow aSbS \mid bSaS \mid \epsilon$

1. Is the grammar ambiguous or unambiguous? Justify your answer?

B. Show one-state pushdown machine and recursive descent parser (Only S0) for the following grammar:

$S \rightarrow 0S1 \mid 1$

$S \rightarrow 0S1$   
 $S \rightarrow 1$

C. Show the sequence of stacks for the pushdown machine you created above in Q1(B) for this input string, 010010.

**Question-2) (15 marks):**

A. Describe the languages denoted by the following regular expressions:

1.  $a(a+b)^*a$
2.  $a^*ba^*ba^*ba^*$

B. Write the regular expressions for each of the following languages (in each case the input alphabet is {a,b}):

1. Strings containing an odd number of the character b
2. Strings containing the substring abb

C. Show a finite state machine for the language which accepts any string having an odd number of 1's and an odd number of 0's.

**Question-3) (20 marks):**

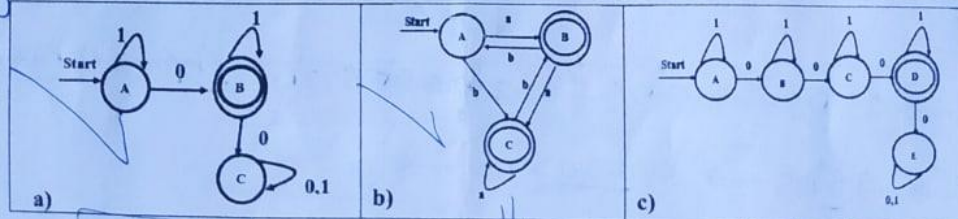
A. Is the following grammar is LL(1)? Why?

$S \rightarrow Aa$   
 $A \rightarrow BD$   
 $B \rightarrow b \mid \epsilon$   
 $D \rightarrow d \mid \epsilon$

B. Show the sequence of stack and input configurations as the string caabaab

$S \rightarrow S a B \mid c$   
 $B \rightarrow ab$

C. For each of the following finite state machines, write the regular expressions to specify each of the languages specified by the following finite state machines?



$1^*01^*$

$1^*01^*01^*$



**Question-4) (20 marks):**

A. Find the selection set for each rule of the following grammar?

$S \rightarrow a b S d$   
 $S \rightarrow b a S d$   
 $S \rightarrow d$

B. Show three different derivations using the following grammars with starting nonterminal S.

$S \rightarrow 0 S \mid 1 A$   
 $A \rightarrow 1 S \mid 0$

C. Show the sequence of stack, input, action, and goto configurations for the input  $(var*var)+var$  with a shift reduce parser, using the following grammar.

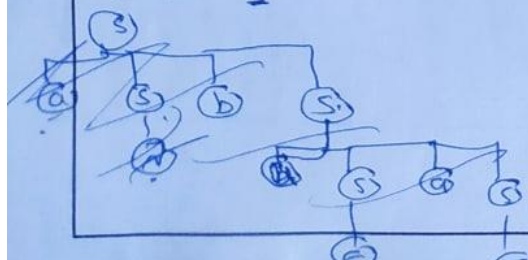
1.  $Expr \rightarrow Expr + Term$
2.  $Expr \rightarrow Term$
3.  $Term \rightarrow Term * Factor$
4.  $Term \rightarrow Factor$
5.  $Factor \rightarrow ( Expr )$
6.  $Factor \rightarrow var$

Action Table						
	+	*	(	)	var	←
∇			shift (		shift var	
Expr 1	shift +					Accept
Term 1	reduce 1	shift *		reduce 1		reduce 1
Factor 3	reduce 3	reduce 3		reduce 3		reduce 3
(			shift (		shift var	
Expr 5	shift +			shift )		
)	reduce 5	reduce 5		reduce 5		reduce 5
+			shift (		shift var	
Term 2	reduce 2	shift *		reduce 2		reduce 2
*			shift (		shift var	
Factor 4	reduce 4	reduce 4		reduce 4		reduce 4
var	reduce 6	reduce 6		reduce 6		reduce 6

GoTo Table			
	Expr	Term	Factor
∇	push Expr 1	push Term 2	push Factor 4
Expr 1			
Term 1			
Factor 3			
(	push Expr 5	push Term 2	push Factor 4
Expr 5			
)			
+		push Term 1	push Factor 4
Term 2			
*			push Factor 3
Factor 4			
Var			

1-  $S \rightarrow a b s$   
 2-  $S \rightarrow b s a s$   
 3-  $S \rightarrow \epsilon$

$s \xrightarrow{1} a b s \xrightarrow{3} a b s \xrightarrow{2} a b s a s \xrightarrow{1} a b a b$   
 $s \xrightarrow{1} a b s \xrightarrow{2} a b s a s \xrightarrow{3} a b a b$



With my best wishes  
 Dr. Ibrahim A. Elgendy



**Question-1) (20 marks):**

- A. Describe the languages denoted by the following regular expressions:
1.  $a(a+b)^*a$
  2.  $a^*ba^*ba^*ba^*$
- B. For each of the above regular expressions, list four strings which are in its language.
- C. Write the regular expressions for each of the following languages (in each case the input alphabet is  $\{a,b\}$ ):
1. Strings containing an odd number of the character b
  2. Strings containing the substring abb
- D. Show a finite state machine for the language which accepts any string having an odd number of 1's and an odd number of 0's.

**Question-2) (20 marks):**

- A. Consider the following grammar:  $S \rightarrow S + S \mid S * S \mid a$
1. Give a parse tree for the string  $a+a*a$ .
  2. Is the grammar ambiguous or unambiguous? Justify your answer?
- B. Show one-state pushdown machine and recursive descent parser (Only S()) for the following grammar:
- $$S \rightarrow 0S1$$
- $$S \rightarrow 1$$
- C. Show the sequence of stacks for the pushdown machine you created above in Q2(B) for this input string, 010010.

**Question-3) (20 marks):**

- A. Consider the following grammar:

$S \rightarrow SaB$   
 $S \rightarrow b$   
 $B \rightarrow a$   
 $B \rightarrow Bba$

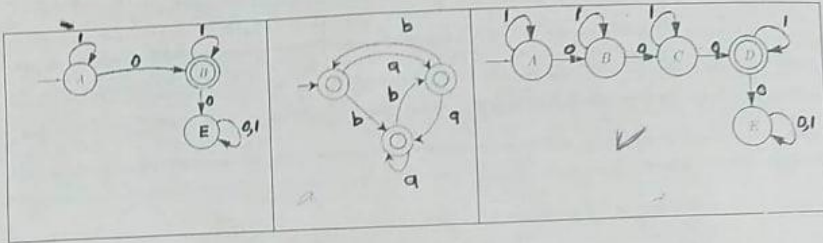
Is this grammar LL(1)? Why?

- B. Show the sequence of stack and input configurations as the string caab

$S \rightarrow SaB$   
 $S \rightarrow c$   
 $B \rightarrow ab$

$S \rightarrow SaB \rightarrow caB \rightarrow caab$

- C. For each of the following finite state machines, write the regular expressions to specify each of the languages specified by the following finite state machines?



**Question-4) (20 marks):**

- A. Find the selection set for each rule of the following grammar?

$S \rightarrow a b S d$

$S \rightarrow b a S d$

$S \rightarrow d$

- B. Show the sequence of stack, input, action, and goto configurations for the input  $(var+var)*var$  with a shift reduce parser, using the following grammar.

1.  $Expr \rightarrow Expr + Term$
2.  $Expr \rightarrow Term$
3.  $Term \rightarrow Term * Factor$
4.  $Term \rightarrow Factor$
5.  $Factor \rightarrow ( Expr )$
6.  $Factor \rightarrow var$

With my best wishes  
Dr. Ibrahim A. Elgenly

**Question 2 (10 marks):**

1. Consider the following grammar:

$$S \rightarrow SAB \mid \lambda$$

$$A \rightarrow AaB \mid a$$

$$B \rightarrow AS \mid b$$

Is the grammar ambiguous or unambiguous? Justify your answer.

2. Show a finite state machine in table form and regular expressions for the language, where the alphabet is  $\{0, 1\}$

- a) Strings containing an even number of 0 and ending with 0.
- b) Strings containing 0100.

a) <u>FSM</u>	b) <u>FSM</u>
<u>RE</u>	<u>RE</u>

3. Construct the finite state machine in graph form which specifies the same language as each of the following regular expressions. The alphabet is the binary digits  $\{a, b, c\}$ .

- a)  $c(a+b)^*c$
- b)  $(bb)^*(aa)^*cc$

a)	b)

With my best wishes  
Dr. Ibrahim A. Elgendy



Faculty of Computers and Information  
Department: Computer Science  
2<sup>nd</sup>, Semester Mid-Term Exam.  
Date: 17/11/2022

Menoufia University



Subject: Compiler Design  
Year: 2022/2023  
Time allowed: 50 Minutes  
Full Mark: 20

Name:

Section:

Answer the following questions (Only one answer for each question)

Question 1 (10 marks):

1. What's the difference between Bootstrapping and Cross Compiling with an example for each one?

Bootstrapping	Cross Compiling

2. Show a one-state pushdown machine and recursive descent parser for the following grammar:

$$S \rightarrow aSbS \mid bSaS \mid \lambda$$

One-state Pushdown Machine	Recursive Descent Parser

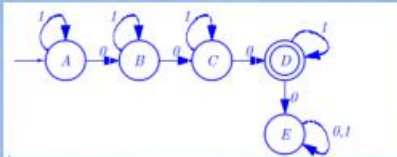
3. Show the sequence of stacks for the pushdown machine you created above for this input string, aababbba.

**Question-2 (10 marks):**

1/ Show a finite state machine in either state graph or table form for the language

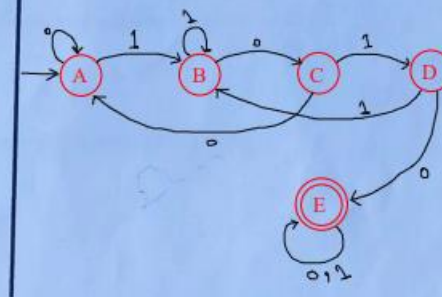
- a) Strings containing exactly three zeros.  
b) Strings containing 1010.

2/ Strings containing exactly three zeros



	0	1
A	B	A
B	C	B
C	D	C
D	E	D
E	E	E

c) Strings containing 1010



3/ Write regular expressions for each description. The alphabet is the binary digits {0, 1}.

- a) All strings which contain three sequential ones.  
b) All strings which contain exactly one 0.  
c) All strings which contain at least three zeros.  
d) All strings which contain an even number of 1s and any number of 0s.

a)	$(0+1)^*111(0+1)^*$	b)	$1^*01^*$
c)	$(0+1)^*0(0+1)^*0(0+1)^*0(0+1)^*$	d)	$0^*(10^*10^*)^*$

Describe the languages denoted by the following regular expressions

- a)  $a(a+b)^*a$   
b)  $a^*ba^*ba^*ba^*$

a)	Strings start by a and end by a	b)	Strings containing at least three b
لازم كل string ال يطلع من هذه ال language وينتهي بحرف ال a وينتهي بحرف ال a		string يحتوي على الاقل ثلاثة من ال b	
aa , aaa , aba , aaba , aababa		bbb , abbb , abababa , aabaabaabaa	

اللهم صلي وسلم وبارك علي محمد في المأ الاعلي الي يوم الدين

With my best wishes  
Dr. Ibrahim A. Elgendy



Name:	Section:
-------	----------


Answer the following questions:

Question-1 (10 marks):

1/ Show one-state pushdown machine and recursive descent parser (**Only S()**) for the following grammar:

$$S \rightarrow 0.51$$
$$S \rightarrow 1$$

### One-state Pushdown Machine

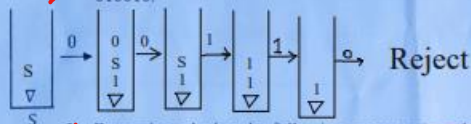
	0	1	
S	Rep(1S0) Retain	Rep(1) Retain	Reject
0	pop advance	Reject	Reject
1	Reject	pop advance	Reject
$\nabla$	Reject	Reject	Accept

initial

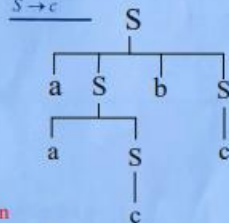
## Recursive Descent Parser

```
void S0 {
    if(inp=='0'){
        inp = getInp();
        S0;
    }
    if(inp=='1')
        inp = getInp();
    else reject();
}
else if(inp=='1')
    inp = getInp();
else reject();
}
```

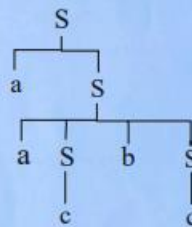
2. Show the sequence of stacks for the pushdown machine you created above for this input string, 010010.



Determine whether the following grammar is ambiguous. If so, show two different derivation trees for the same string of terminals, and show a left-most derivation corresponding to each tree.

$$S \rightarrow aSbS$$
$$S \rightarrow aS$$
$$\underline{S \rightarrow c}$$


left most derivation

$$S \Rightarrow aSbS \Rightarrow aaSbS \Rightarrow \dots \Rightarrow aacbS \Rightarrow \dots \Rightarrow \underline{aacbc}$$


left most derivation

$$S \Rightarrow aS \Rightarrow aaSbS \Rightarrow aacbS \Rightarrow \underline{aacbc}$$

this is Ambiguous

**Question-3) (20 marks):**

A. Show a one-state pushdown machine and recursive descent parser (Only S0) for the following grammar:

$$S \rightarrow 1S0 \mid 0$$

B. Show the sequence of stacks for the pushdown machine you created above in Q3(A) for this input string, 11000.

**Question-4) (20 marks):**

A. Is the following grammar is LL(1)? Why?

$$S \rightarrow Aa$$

$$A \rightarrow BD$$

$$B \rightarrow b \mid \epsilon$$

$$D \rightarrow d \mid \epsilon$$

B. Show the sequence of stack, input, action, and goto configurations for the input (var\*var)+(var\*var) with a shift reduce parser, using the following grammar.

1.  $\text{Expr} \rightarrow \text{Expr} + \text{Term}$
2.  $\text{Expr} \rightarrow \text{Term}$
3.  $\text{Term} \rightarrow \text{Term} * \text{Factor}$
4.  $\text{Term} \rightarrow \text{Factor}$
5.  $\text{Factor} \rightarrow ( \text{Expr} )$
6.  $\text{Factor} \rightarrow \text{var}$

Action Table						
	+	*	(	)	var	←
∇			shift (		shift var	
Expr 1	shift +					Accept
Term 1	reduce 1	shift *		reduce 1		reduce 1
Factor 3	reduce 3	reduce 3		reduce 3		reduce 3
(			shift (		shift var	
Expr 5	shift +			shift )		
)	reduce 5	reduce 5		reduce 5		reduce 5
+			shift (		shift var	
Term 2	reduce 2	shift *		reduce 2		reduce 2
*			shift (		shift var	
Factor 4	reduce 4	reduce 4		reduce 4		reduce 4
var	reduce 6	reduce 6		reduce 6		reduce 6

GoTO Table			
	Expr	Term	Factor
∇	push Expr 1	push Term 2	push Factor 4
Expr 1			
Term 1			
Factor 3			
(	push Expr 5	push Term 2	push Factor 4
Expr 5			
)			
+		push Term 1	push Factor 4
Term 2			
*			push Factor 3
Factor 4			
Var			

With my best wishes  
Dr. Ibrahim A. Elgandy