

## Setup and solve the eigenvalue problem

We'll solve for the first nmodes modes, and report the compute time (in seconds).

Convert eigenvalues into mode frequencies.

```
In [19]: | Grid[Transpose[{Range[nmodes], freqs = c * Sqrt[lambda] / (2 * Pi)}], Alignment -> Right]
          1 5.60269 × 10 6
Out[19]:
                 15.1726
                 26.1368
          3
                 28.5475
                 33.1735
          6
                  34.307
                 39.1793
          8
                 41.6354
          9
                 44.4054
         10
                 45.9726
        11
                 48,6021
        12
                 49.4015
        13
                 53.6681
        14
                 55.9967
         15
                 56.5588
                 58,1418
        16
         17
                  59.453
         18
                 61.7291
        19
                 62,7865
         20
                 64.7603
```

## Visualize the room modes

Plot one of the mode shapes (mode number 12) using 3D density plot, and report the compute time.

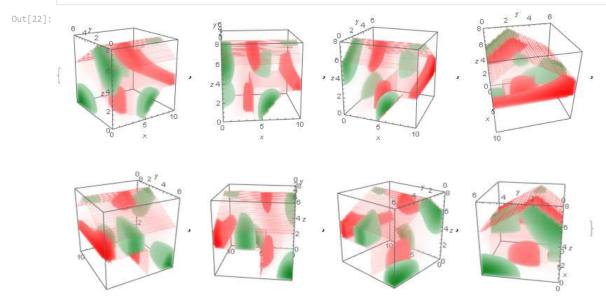
This actually takes significantly more computation time than solving the eigenvalue problem  $\ensuremath{\ \, \ \, }$ 

If we are using Mathematica, the 3D density plot generated is a 3D object and we can spin it around.

However, Wolfram on Jupyter notebook only supports static pictures, but we can generate multiple views by specifying a series of view point locations.

```
In [22]: r = 30;
theta = Pi/3;
```

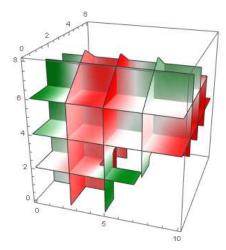
```
Table[Show[denplot, AxesLabel -> \{x, y, z\}, ViewVector -> FromSphericalCoordinates[\{r, theta, phi\}], \{phi, -3*Pi/4, Pi, Pi/4\}]
```



Other methods to present the results — slice density plots.

```
In [28]: Show[slice1, slice2, slice3]
```

Out[28]:



A series of slices. Unfortunately, Wolfram doesn't offer slice plots with transparency.

Out[29]:

