

### DFT and Circular Convolution

Compute and compare the eight point circular convolution for the following sequences  $x_1(n)$  and  $x_2(n)$  using

- (a) the circular convolution definition and
- (b) the DFT method.

$$\begin{aligned}x_1(n) &= (1/4)^n & 0 \leq n \leq 7 \\x_2(n) &= \cos(3\pi/8 * n) & 0 \leq n \leq 7\end{aligned}$$

#### using DEFINITION & DFT method

```
clc
clear
close all
%%
n = 0:1:7;
N=length(n);
x1((0<=n)&(n<=7)) = (1/4).^n((0<=n)&(n<=7));
x2((0<=n)&(n<=7)) = cos(3*pi/8.*n((0<=n)&(n<=7)));
for n1 = 1:N
def(n1) = 0;
for l = 1:N
k = n1-l+1;
if(k<=0)
k=N+k;
end
def(n1) = def(n1)+x1(l)*x2(k);
end
end
subplot(211);
stem(n,def);
title('using definition');

circ = ifft(fft(x1).*fft(x2));
subplot(212);
stem(n,circ);
title('using dft');
```

