

Quiz 11 – Solution

Consider natural-joining two relations $R(A, B)$ and $S(B, C)$ using the simple sort-based join algorithm (where input relations are completely sorted first).

Suppose $M = 100$ pages, $B(R) = 5,000$ blocks, and $B(S) = 20,000$ blocks. Assume all memory is used in the join process (including sorting). Also assume that the situation described in class where there are too many join tuples does **not** occur here.

1. [6 points] Describe the steps in sorting R and S (i.e., for each pass, how many runs are generated at each pass and the size of each run).

For R :

Pass 1: Split R into runs of size $M \rightarrow$ get 50 sorted lists of size 100 [1]

Pass 2: Merge 50 runs \rightarrow get 1 sorted list of size 5,000 [1]

For S :

Pass 1: Split S into runs of size $M \rightarrow$ get 200 sorted lists of size 100 [1]

Pass 2: Merge $M-1 = 99$ runs (one output buffer is needed) \rightarrow get 1 sorted list of size 9,900

Merge another $M-1 = 99$ runs \rightarrow get 1 sorted list of size 9,900

Merge the left 2 runs \rightarrow get 1 sorted list of size 200 [2]

Pass 3: Merge 3 runs \rightarrow get 1 sorted list of size 20,000 [1]

2. [2 points] What is the cost (# of block I/O's) of the above sorting process?

For R : $2B(R) * 2 = 20,000$ [1]

For S : $2B(S) * 3 = 120,000$ [1]

Total: 140,000

3. [2 points] What is the **total** cost of the join algorithm (ignore the cost of writing the join results)?

Cost of sorting: 140,000

Cost of joining: $B(R) + B(S) = 25,000$

Total: 165,000