HAWASSI-AB

User Manual

HAWASSI

by
© LabMath-Indonesia
ver.1.150829

mail address	: LabMath-Indonesia
	Lawangwangi - LMI
	Jl. Dago Giri No.99
	Warung Caringin, Mekarwangi
	Bandung 40391, Indonesia
e-mail	: hawassi@labmath-indonesia.org
home page	: www.hawassi.labmath-indonesia.org

Contents

Preamble

Waves are fascinating, important and challenging.
The importance can be substantiated from some well-known observations:
- Half of the world population lives less than 150 km from the coast
- The sea is a relatively easy medium for transport of people and goods (half of all the world crude oil and increasingly more natural gas) and for intercontinental telecommunication through cables
- Ocean resources of food and minerals are only at the start of discovery, profits from wind parks and harvesting of wave energy in coastal areas is expanding.

Therefore, a sustainable and safe development of the oceanic and coastal areas is of paramount importance. Nowadays that means that for the design of harbours, breakwaters and ships, calculations are performed with increasingly more accurate and fast simulation tools. Tools that are, packaged in software, based on the basic physical laws that describe the properties of waves, the wave-ship interaction, the forces on structures, etc.

HAWASSI software is aimed to contribute to extend the accuracy, capability and speed of existing numerical methods and software using applied-mathematical modelling methods that are at the basis.
A basis with a rich history that is fascinating and challenging. Starting in the 18th century with Euler who generalized Newton's law for fluids, in the 19th century Airy 'solved' the problem to describe small amplitude surface water waves. In that same century, many renowned scientists like Scott Russel, Stokes, Boussinesq, Rayleigh and Korteweg & De Vries investigated the nonlinear aspects of finite amplitude waves. As much as possible without the need to fully calculate the internal fluid motion; started with Boussinesq in an approximative way, this was formulated accurately in the 1960-1970's by Zakharov and Broer by providing the Hamiltonian form of the dynamic equations.
HAWASSI software is based on these last findings, with methods for making the principal description into a practical (numerical) modelling and implementation tool.

The first release of the software deals with wave propagation, but the developers are in the process to extend the capabilities to include coupled wave-ship interactions, amongst others, in later releases.
We sincerely hope that the use of the software, just as the design of it has been, will be fascinating and challenging for students and academicians as well as for practitioners; from both groups we hope to receive comments and suggestions for further improvements and extensions in a way that can be profitable for both sides.

Let nature tell its secrets
Listen to the physics in its mathematical language
Restrain from idealization
Only then models will serve us in abundance

1 Introduction

This document is the Manual of HAWASSI-AB software that serves as a guide for using and running the software.

HAWASSI-AB simulates phase resolved waves in 1 Horizontal Direction (1HD, long crested waves), as are generated in wave tanks to simulate on scale coastal and oceanic waves above flat and varying bathymetry, and with (partially) reflecting walls and damping zones.

Section 2 describes briefly the mathematical background and the capabilities of the code, such as the various dispersive and nonlinear properties, together with the features of the software; it is advised to read this Section before continuing to the rest of the manual[1].

Section 3 provides a step-by-step installation procedure of the software.

A condensed description to handle the software, regarding GUIs and input/output parameters, is given in Section 4.

Section 5 describes briefly the 18 TestCases that show capabilities of the code and its use. (More test-cases will become available on www.hawassi.labmath-indonesia.org)

DEMO-version with restricted functionality
The Demo-version of HAWASSI-AB has restricted functionality and facilities:
- ➢ Only exact dispersion
- ➢ Only linear and 2nd order nonlinearity
- ➢ Only non-breaking waves
- ➢ Partially reflective wall with reflection coefficient the same for all frequencies
- ➢ No internal flow calculations
- ➢ Comparison of demo-simulations with AB-simulations using full functionality (instead of comparing with measurement data)

Full functionality and facilities under licence
- • Licence for *University Thesis Projects*
- • *Research Licence* for extending capabilities and/or functionalities
- • *Licence for companies / commercial use*, tailor made on demand; all proceeds will be used at Foundation Yayasan AB for improving/extending the software

  Visit www.hawassi.labmath-indonesia.org for further information

  or send email to licence@hawassi.labmath-indonesia.org

---

[1] Users with limited experience in mathematical-physical wave modelling may consult the service booklet [1]
Water Wave Modelling & Simulation, with Introduction to HAWASSI-software, YAB LabMath

2 Description of HAWASSI-AB

2.1 Introduction HAWASSI-AB

This section provides background information of HAWASSI-AB about the basic scientific ideas.
HAWASSI – AB is a software package for the simulation of realistic waves in wave tanks (1HD), i.e. long-crested waves as can appear in oceanic and coastal areas, with the option of reflections from walls with various reflection properties.

The acronym HAWASSI stands for

Hamiltonian Wave-Ship-Structure Interaction.

HAWASSI –AB is a spatial-spectral implementation of the **Analytic Boussinesq** Model (AB).
Presently the code is for simulation of wave-structure interactions; coupled wave-ship interaction is foreseen in future releases.

Underlying Modelling Methods

HAWASSI-AB is based on the following principles
- The free surface dynamics for inviscid, incompressible fluid in irrotational motion is governed by a set of Hamilton equations for the surface elevation η and the potential ϕ at the surface.
- With $H(\phi,\eta)$ the Hamiltonian, the sum of potential and kinetic energy, the Hamilton equations are given by (Zakharov 1968, Broer 1974)

$$\begin{cases} \partial_t \eta = \delta_\phi H(\phi,\eta) \\ \partial_t \phi = -\delta_\eta H(\phi,\eta) \end{cases}$$

  Here ∂_t denotes the time derivative and δ_ϕ the variational derivative with respect to ϕ and similarly for η.
- By approximating the kinetic energy functional $K(\phi,\eta)$ explicitly as an expression in η and ϕ the simulation of the interior flow can be avoided, the Boussinesq character of the code.
- The way of approximating $K(\phi,\eta)$ is based on Dirichlet's principle for the boundary-value problem in the fluid domain. By restricting the set of competing functions in the minimization, an approximation of $K(\phi,\eta)$ is obtained. The variational derivative

$$\delta_\phi K(\phi,\eta) = \partial_N \Phi$$

  is the corresponding consistent approximation of the Dirichlet-to-Neumann operator.
- The (approximate) Hamilton system conserves the (approximate) positive definite total energy exactly, avoiding sources of instability.
- The time dynamics is explicit, no CFL-conditions are required. Time stepping is done with matlab odesolver code, with automatic variable time step.

In AB (with exact dispersion) the interior flow is approximated by using a nonlinear extension of the potential as given by the Airy theory of small amplitude waves, and Taylor expansion of the kinetic energy leading to Hamiltonian consistent approximations.

Numerical Implementation

Fourier Integral Operators (FIO's) multiply the Fourier Transform of a function by the symbol of the operator. These are generalizations of (Pseudo-) Differential Operators since for FIO the symbol will depend both on the wave number and on the spatial variable; the spatial dependence is for nonlinear extensions and varying bottom. FIO's are used in a spatial-spectral implementation; these are approximated by interpolation techniques to enable efficient Fast FT-methods [13]. Localization methods (a difficult point in Fourier-type implementations) have been successfully implemented to deal with walls, run-up, breaking waves, etc. [5]

2.2   Units and computational grid

HAWASSI-AB expects all quantities to be expressed in S.I units: *m, kg, s* (meter, kilogram, second). As a consequence, the wave height and water depth are in *m*, wave period in *s*, etc.

2.3 Model features and capabilities

HAWASSI-AB accounts for the following physical circumstances and phenomena of waves in 1 HD, i.e. *long -crested waves*.

2.3.1 Geometry

Simulation interval and Grid

A uniform grid is defined by specifying an *x*-interval $\left[x_{left}, x_{right} \right]$ and a grid with grid size

$$dx = \left(x_{right} - x_{left} \right) / \left(N - 1 \right) \text{ where } N = 2^p \text{ with } p \text{ an integer.}$$

Wave numbers k in Fourier space are defined in accordance with the spatial grid:

$$k = \left[-\left(N / 2 \right) + 1 : N / 2 \right] \times dk, \text{ with } dk = 2\pi / \left(x_{right} - x_{left} \right)$$

Fourier Boundary

For the use of Fast Fourier Transformations, all quantities (except bathymetry) are tapered to vanish near the end points; this takes place is the so-called Fourier Boundary, the length of which can be specified. The Fourier Boundary should be such that reflection of outgoing waves has to be prevented; hence the Fourier Boundary also acts as a ***damping zone***.

Walls [5]

The position of a wall inside the simulation interval can be specified. Depending on the reflection properties, the following choices can be made:

➢ A ***uniform, partially reflecting wall*** by specifying the reflection coefficient in [0,1] for all wave lengths (frequencies)
➢ A *frequency depending (non-uniform) partially reflecting wall* by providing a reflection function with reflection coefficients depending on frequency in the input panel, using only the frequency *f* as variable in matlab-formula style.

2.3.2 Bathymetry and run-up

The ***bathymetry*** can be user-specified. The software provides parameterized bathymetries, for flat bottom (depth), and linear sloping (parts of the) bottom, including run-up.

Bottom friction

Bottom friction can be applied at a specified part of the bottom; in the bottom friction formula

$$R_f = -\frac{C_f}{D + \eta} u \left| u \right|$$

typical values for the friction coefficient are $C_f \in \left(10^{-3}, 10^{-2} \right)$ depending on Reynolds number and bottom.

2.3.3 Embedded wave influxing of various wave types

Wave influxing [9]

In AB the wave influxing is done through a source in the continuity equation.

The **influx position** and a **time signal** of the desired elevation at the influx position have to be specified. A choice can be made between

uni-directional influxing: for waves propagating in one direction,
in the direction of the positive (**uni+**) or negative (**uni-**) x-axis,

or **bi-directional influxing** for waves running symmetrically in both directions.

The spatial extent over which the influxing takes place can be chosen:

With a **point-influx** the 'generation area' is restricted to the immediate neighbourhood of the influx point (using Dirac delta-functions). Then the desired time signal is modified into a (much) higher modified time signal to guarantee the correct waves being influxed.

A smoother influx (better suited for high, steep waves) is **area-** (or **area-short**) **influxing**; then the waves are generated over a broader interval, better suited for high, steep waves.

Nonlinear adjustment zone [9]

In order to prevent spurious modulations in the influxed wave when using a nonlinear wave model, a nonlinear adjustment zone of length to be specified has to be applied; in the adjustment zone a coefficient in front of the nonlinear terms in the Hamiltonian grows from 0 at the influx point to 1 at the end of the zone. Typically, especially for harmonic waves, the required length will be at least 2 times the peak-wavelength (and substantially more for steeper waves on shallower water).

Wave types

Any type of waves can be influxed from a **user-specified time signal**.

The software makes it possible to specify parameters for **harmonic waves** and for **irregular waves** with Jonswap (JS) spectrum; for irregular waves, the phases are chosen randomly. The parameterized influx signal will be stored for possible re-use for comparison of different evolution models.

Any influx signal will start and end by default with a smooth **ramp function**, the length of which can be specified as a number of periods.

2.3.4 Initial value problems

Instead of wave influxing, data for an initial value problem (**initial elevation profile** and **initial potential**) can be user-specified or chosen from predefined parameterized cases: a 'Gaussian' as a single hump, and 'Nwave' for an N-wave shaped wave, all with zero initial velocity.

The Gaussian is given by specifying the three parameters in

$$\eta(x,0) = A\exp\left(-(x-x_c)^2\big/\sigma^2\right)$$

and the N-wave is the derivative with adjusted amplitude.

2.3.5 Model versions (evolution equations)

All combinations are possible of choices for dispersion (also user-specified), nonlinearity, and breaking, with various choices for each item as described below.

2.3.5.1 Dispersion

The main property of HAWASSI-AB is that it can handle **exact dispersion** of small-amplitude (so-called *linear*) waves of any wave length, owe to the Fourier character and implementation of AB.

As a consequence, the continuity equation is exactly satisfied above flat bottom, and in a very good approximation above varying bottom.

Besides that, mainly for *educational/academic purposes*, to enable simulations for models with approximate dispersion, other predefined or user-defined dispersive models can be chosen:

➢ **Shallow Water (SW) dispersion**
➢ **KdV (Korteweg-de Vries) dispersion** [KdV 1895]
➢ **BBM (Benjamin-Bona-Mahony) dispersion** [BBM 1972]
➢ **User-specified dispersion** to be specified in input panels.

For the given or user-specified dispersion, all nonlinear terms are calculated consistently, above flat as well as above varying bottom.

A brief explanation is given, referring to the table for the explicit expressions. The exact dispersion relation $\omega = \Omega_{ex}(k)$ is the correct expression for small amplitude waves. For $kd \to 0$, i.e. 'rather' long waves or 'rather' shallow water, this relation can be Taylor expanded, leading to

➢ **SW dispersion** (first order Taylor) $\omega = \Omega_{SW}(k)$, which gives a translation of waves of any wave length with the limiting speed $c_0 = \sqrt{gd}$
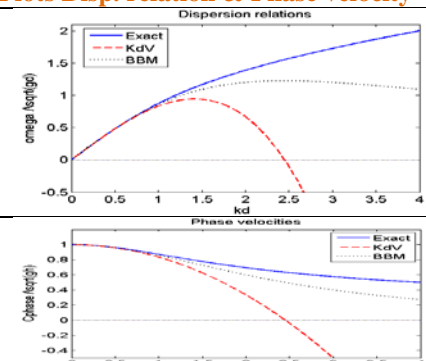
➢ **KdV – dispersion** (3th order Taylor) $\omega = \Omega_{KdV}(k)$; note that short waves with $kd > \sqrt{1/6}$ will travel in the opposite direction.
   Remarks: Since influxing uses properties of the group-velocity, *Uni-directional influxing* in the KdV model will show the short waves running in the 'wrong' direction, corresponding to the dispersion relation. *Bi-directional influxing* will include these wrongly-directed waves, which is *not* corresponding to the original KdV dispersion relation for uni-directional waves.

➢ **BBM-dispersion** $\omega = \Omega_{BBM}(k)$, same as KdV in 3th order, but uni-directional

Note: To avoid problems with too poor dispersion, KdV and BBM uses exact dispersion for influxing.

In the table the explicit formulas and plots for the various cases are given.

Model	Dispersion relation	Plots Disp. relation & Phase velocity
Exact dispersion	$\omega = \Omega_{ex}(k) = sign(k)\sqrt{gk\tanh(kd)}$	
Shallow Water	$\omega = \Omega_{SW}(k) = c_0 k \qquad$ with $c_0 = \sqrt{gd}$	
KdV	$\omega = \Omega_{KdV}(k) = c_0 k\left(1 - \tfrac{1}{6}(kd)^2\right)$	
BBM	$\omega = \Omega_{BBM}(k) = c_0 k \Big/ \left(1 + \tfrac{1}{6}(kd)^2\right)$	
User-specified	Provide *dispersion relation* and *group velocity* in input panels, using only wave number **k** and depth **d** as variables, in matlab-formula style.	

2.3.5.2 Nonlinearity

The *order of nonlinearity* of the Hamiltonian System (HS) is specified by the number in the present version of HAWSSI-AB

HS*m* for orders *m=1* (**linear**), *2, 3* and *4*

To avoid aliasing in the Fourier implementation, the wave numbers have to be restricted to be at most a fraction *1/(2m)*, with *m* the so-called *cutfrac* in the input for the specified code. (Note: This cut only applies to the terms in the nonlinear equation; the spatial grid remains as determined by *p*, i.e. 2^p gridpoints.)

2.3.5.3 Breaking [10]

Breaking of waves is modelled with an eddy viscosity method; to initiate the breaking process, the value of a kinematic initiation **breaking criterion** has to be specified, the quotient of fluid velocity at the crest and the velocity of the crest: *U/C*, usually in the interval *[0.6, 1]*

2.3.6 Internal flow calculations [5]

As an option it is possible to calculate (in a post-processing step, but indicated in the preparation-step)

- ➢ the *horizontal and vertical velocities and accelerations* of the interior fluid motion,
- ➢ all components of the total *pressure*,

at a user defined grid in horizontal and vertical direction in a specified time interval.

2.4 Software facilities

Facilities of the software include (to be described in Section 4)

- *GUI for input* of wave characteristics and model parameters, with efficient project management
- *GUI for post-processing* of the output of the wave simulation and comparison with data
- *GUI for internal flow calculations*
- *Wave Calculator*
- *Time partitioned simulation* to reduce (computer) hardware requirements
- *Pre-processing step* with warnings/suggestions for improved settings
- 18 *TestCases* (see Chapter 5) with examples of various kind, several of which include measurement data to compare with simulations.
- *Comparison with experimental data* that have been reported in various publications (see the references in Section 6 and the examples of *TestCases* in Section 5).

3 Installing HAWASSI-AB software

`

The HAWASSI-AB installer will install the HAWASSI-AB code, including documentation.
HAWASSI-AB software is programmed under the MATLAB environment. The compiled MATLAB applications can be run on PC's that do not have MATLAB installed using the MATLAB Compiler Runtime (MCR). The MCR will install MATLAB Runtime Libraries on the computer. The installation consists therefore of two main steps: the installation of MCR and the installation of HAWASSI-AB.

3.1 System requirements

HAWASSI-AB (v.1.1) can run on Windows operating system with 64bit architecture. The minimum memory (RAM) needed is 2GB (for some test cases and extensive applications 4GB RAM or more).

3.2 First step: Installing MCR

The HAWASSI-AB package (v.1.1) requires MCR installer for version *MATLAB R2014b* for Windows operating system 64bit. The MCR installer can be downloaded directly from the MATLAB website: http://www.mathworks.com/products/compiler/mcr/; after downloading install the MCR by double clicking the installer and following the instruction in the installation wizard.

3.3 Second step: Installing HAWASSI-AB

After installing MCR, the installation of HAWASSI-AB can be started by double clicking the AB-installer '**setup_HAWASSI_AB_v1.1.exe**' and following the instructions in the installation wizard.
During the installation process a *copyright and non-liability agreement* should be accepted to be able to proceed.
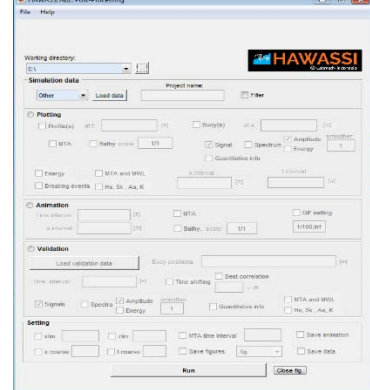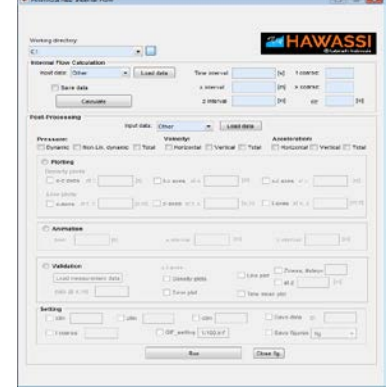After the installation is finished, start HAWASSI-AB from the shortcut on the Desktop. In the Main-GUI that appears, under 'Help' go to 'Activation' and load '*licence.lic*'. Closing the software and starting again, the licence will have been activated and the software can run for the licence-period. If a new version is downloaded and installed, the same licence.lic file will be valid for the new version until expiration time.
In the Help- Menu of Main-GUI, the 'Documentation' will show this manual.
Test Cases can be found in 'User \ My Documents \HAWASSI-AB1 \Testcases'.

4 GUI's of HAWASSI-AB

For ease of operation, HAWASSI-AB software includes three GUI's, Graphical User Interfaces, as input-output managers.

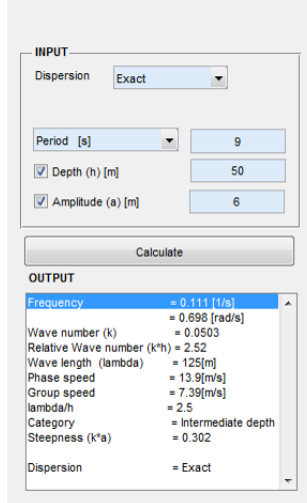|		
Main GUI for providing input for the simulation	**Post-Processing GUI** for specifying output of the simulation	**Internal Flow GUI** for calculating interior flow properties

The GUI's will be described briefly in the next 3 sections. The meaning of most required input fields needs no or little explanation; the choices that can be made will be described. The function of, and required input format for input panels is indicated when the cursor is moved over it; when an optional panel is checked, additional input fields may appear that have to be filled out.

User-input is accepted for various purposes to replace pre-programmed choices; this is the case for

- influx signal
- initial wave profile
- Bathymetry
- dispersion function
- measurement data for comparison with simulations

The required lay-out of such files or formula's is described in Section 4.4.

There is a simple *Wave-Calculator* that expects as input the period, frequency or wave-length of a harmonic wave and the depth, and will then calculate all other wave-relevant quantities; by also specifying the amplitude, the calculated steepness is added.
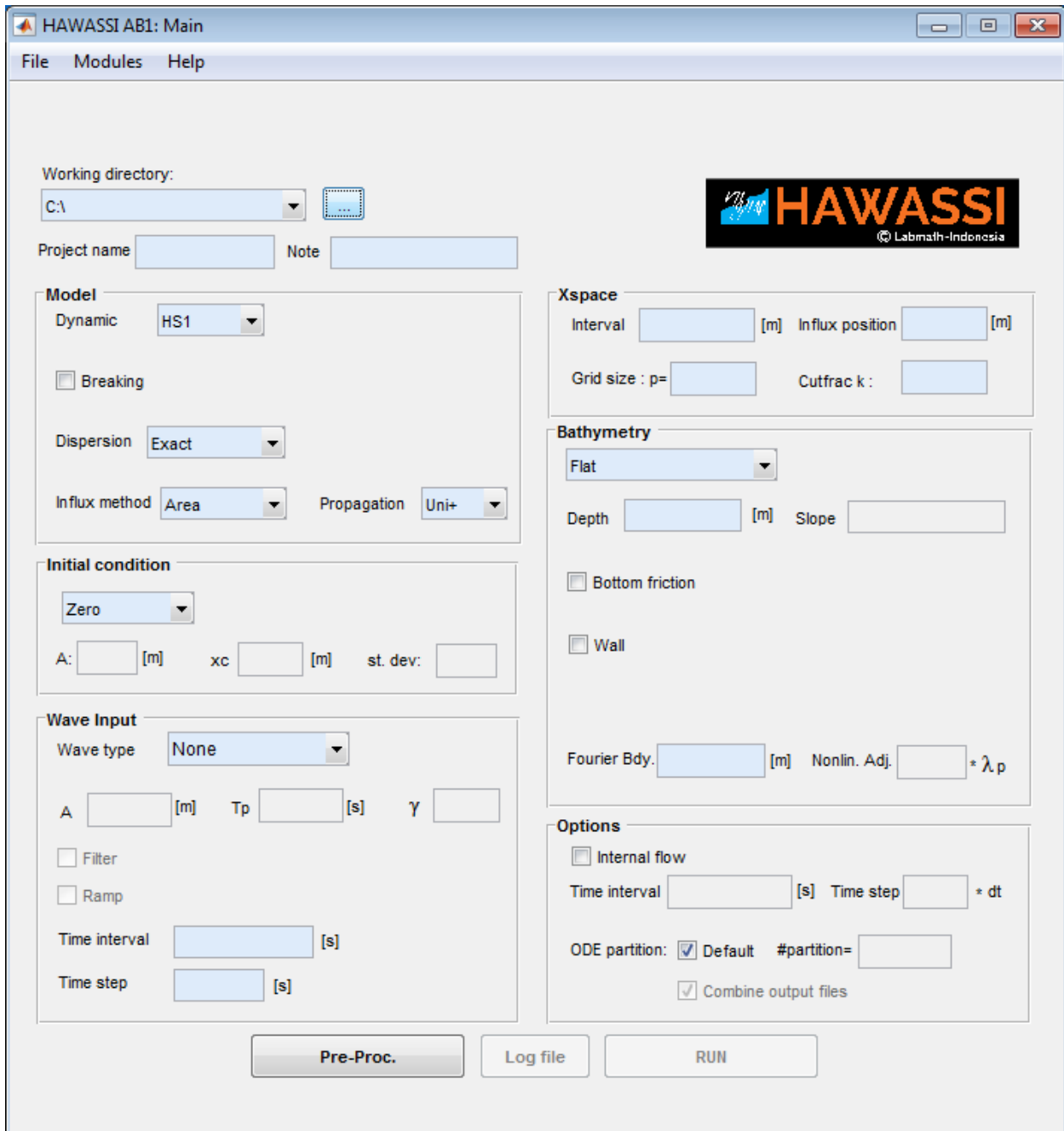
4.1 Main GUI

Choosing the wave model characteristics, wave parameters, the domain, input signal and initial profile are all managed in the Main GUI. An overview of the GUI with its main functionalities and input requirements is shown in the Figure below; some of the ingredients are described thereafter.

Opening *File* will show

➢ **Open Project**: to go to a 'project' that has been created before (including the provided test cases) from which data can be loaded to be inserted in the GUI.

➢ **Save Project**: Saves all data entered in the GUI (after pre-processing this info will be stored)

➢ **Clear**: clears the GUI from inserted input

➢ Quit HAWASSI

Opening *Modules* will give possibility to activate the **Post-Processing GUI**, the **Internal Flow GUI** and the **Wave Calculator**.

Help contains info about the loaded version in **About**, this manual in **Documentation**, and **Activation** is used for loading the licence (first use) or renewing the licence.

The **Working Directory** can be chosen and specified; the software will create a new folder named 'Output' if the working directory does not contain this folder yet; if the folder already exists, it will keep and use it. By specifying a '**Project Name**', the software will create a subfolder with that name under 'Output'. *ALL* output of a simulation will be stored in this subfolder, together with selected output of post-processing. A *User Note* gives the possibility to provide details or a short description of the specific simulation; this text will be copied to the log-file.

Input panels are separated to provide various details of the simulation to be executed:

➢ **Model**

➢ **Initial condition**

➢ **Wave Input**

➢ **Xspace**

➢ **Bathymetry**

➢ **Options**: there are two major options:

  o **Internal Flow**: details can be given of the times at which in a *post*-processing step interior flow properties have to be calculated (see the Interior Flow GUI)

  o **ODE partition**: to reduce hardware requirements, it is possible to split one simulation time interval in various consecutive time intervals; the data of each subinterval will be stored at the end of that time interval, so that memory requirements and size of data are restricted. The option to collect the data in one file after finishing the simulation can be checked.

Clicking the **Pre-Proc** (pre-processing) button will prepare the input before the actual evolution simulation starts. A *pop-up figure* will summarise graphically the input, including the geometric lay-out and the quality of dispersion used in the computation compared to exact dispersion. Warnings /suggestions may be given to optimise the results of the simulation; the input can be changed, after which a new Pre-Proc step is required.
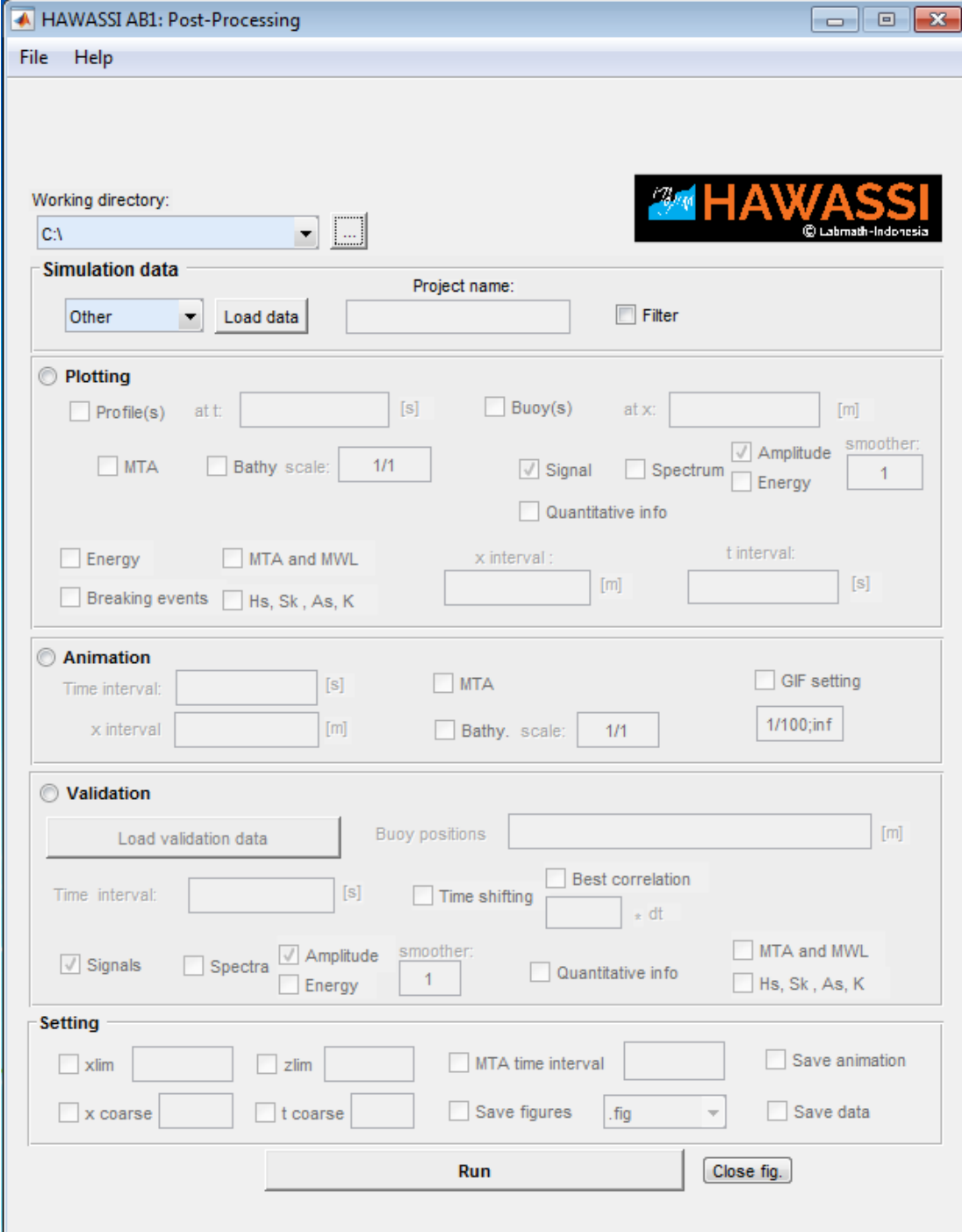
The **log-file** is available after Pre-Proc, and contains info about the waves to be simulated; note that calculated data may slightly differ from input values because of the statics used to calculate wave length, period etc. The log-file will be updated after finishing the calculation with info about the computation time. Successive simulations under the same 'Project Name' will be added successively in the log-file, but files of computations will be overwritten (as warned on the GUI).

At the bottom of the screen there will be **warnings/suggestions** when specifying input.

After '**RUN**', during the simulation a time-indicator estimates the remaining time.

4.2   Post-Processing GUI

After a simulation is finished the Post-Processing (PP) GUI will automatically pop-up loaded with the simulation data. The GUI can also be called directly from the Main GUI, and selected data can be loaded.

The working directory will be as selected in Main-GUI after automatic pop-up when a simulation is finished. Else the directory can be selected.

There are several panels in the PP-GUI:

➢ **Simulation data** is automatically loaded with results after finishing a simulation case; data of previous projects (including Test Cases) can be selected to be loaded using 'Other' .

➢ **Plotting** *Profile and Buoy* to plot (multiple) wave profile(s)/time-signal(s) at specified time(s)/ position(s), with various options to include spectra, bottom, MTA (maximal temporal crests and troughs), and *quantitative information* (see below)

➢ **Animation**, with options to make a gif-movie, on specified *x*- and *t*- interval

➢ **Validation**, to compare simulation results with experimental data or other simulations For comparing at a certain position a time signal as simulated with a signal from a measurement or a previous simulation, there is the option **Time shifting** to shift the simulated signal: automatically optimized for best correlation or with a user-specified number of time steps. Quantitative information is provided also (see below)

➢ **Setting**, options for any of the above graphical/animation output methods. (Be aware that coarsening may change the quality, such as time traces or profiles, spectra, etc, and will influence the validation results.)

Quantitative information

To analyse properties of simulated results, and/or to compare simulation results with experimental data or other simulations, two formats are available:

➢ **Graphical output**: for time signals at specified positions calculated (amplitude or energy) spectra, spatial values of the **Energy**, of **MTA** and **MWL** (height of Mean Water Level), **Hs**, **Skewness**, **Asymmetry** and **Kurtosis** and a position vs. time plot of **breaking events**.

➢ **Quantitative information** for time signals at a specified position:
  o the *correlation* of the signals (for validation)
  o the value (or quotient) of the **Variance, Skewness, Asymmetry** and **Kurtosis** of simulated and measured signal

The definitions of these quantities is as follows, for signals with zero-mean and with $<>$ denoting time averaging.

The **correlation** of the simulated signal *s(t)* and the measured signal *m(t)* is

$$corr(s,m) = \langle s.m \rangle \Big/ \sqrt{\langle s^2 \rangle . \langle m^2 \rangle}$$

and for a signal *s* (with *H* the Hilbert transform)
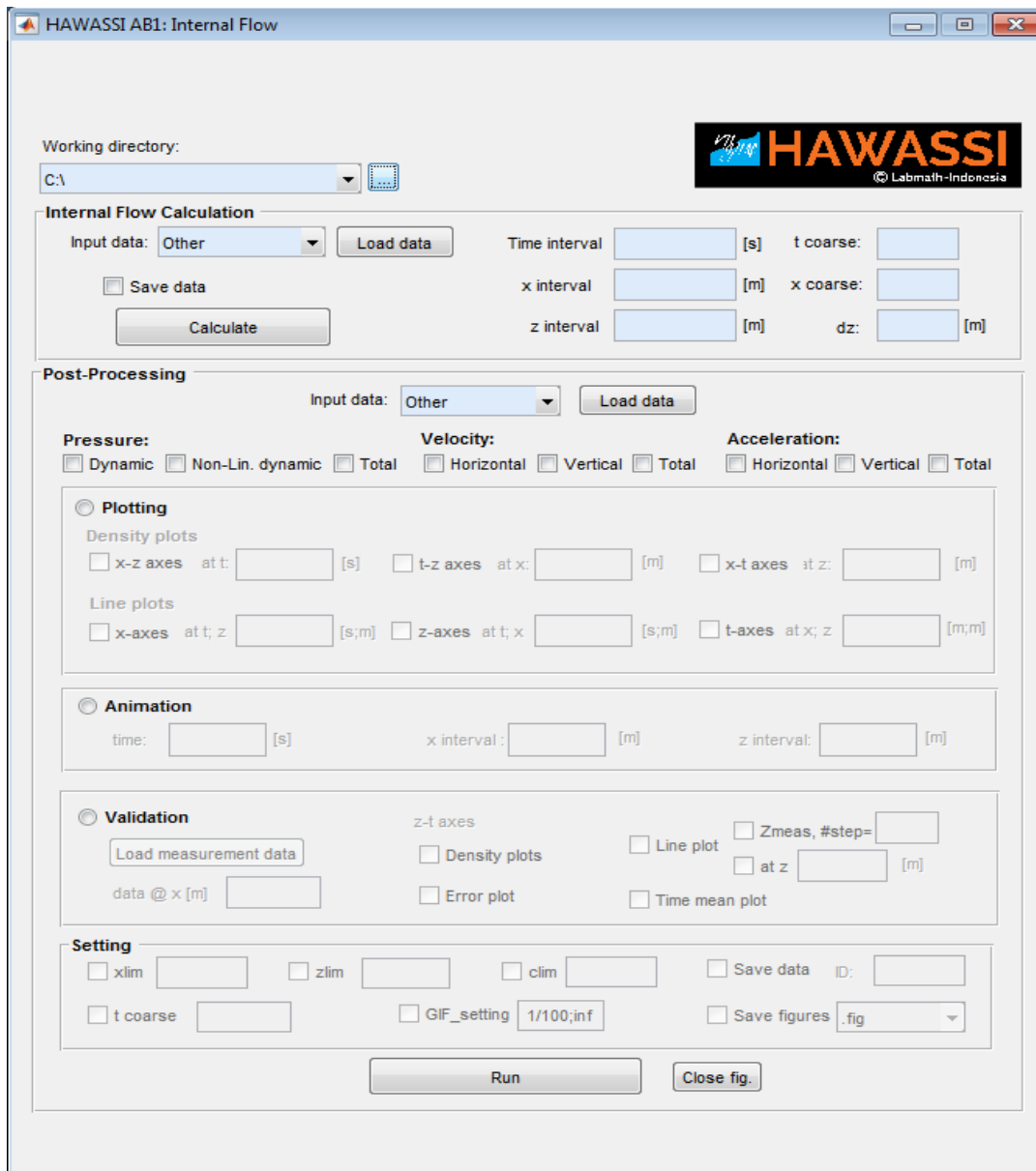
$$H_s = 4\sqrt{\text{var}}, \quad \text{var} = \langle s^2 \rangle, \quad Sk = \langle s^3 \rangle \Big/ \langle s^2 \rangle^{3/2}, \quad As = \langle (Hs)^3 \rangle \Big/ \langle s^2 \rangle^{3/2}, \quad Ku = \langle s^4 \rangle \Big/ \langle s^2 \rangle^2$$

4.3   Internal Flow GUI

In order to calculate (a posteriori) internal flow properties, it is needed that *before the simulation is started* this has been indicated in the Main-GUI, since some data during the calculation will be stored to be used for the interior flow calculations. This storage will slow down the simulation, and therefore the times of interest can be indicated. Quantities that can be computed are

➢   the ***horizontal and vertical velocities and accelerations*** of the interior fluid motion,
➢   each of the components of the total ***pressure***.

Be aware that the amount of data can become very large, depending on the chosen discretization settings.

4.4 Required lay-out of user defined input files

User input of data-files for various purposes need to be prepared with an extension (.mat, .dat, .txt, etc) with a specified format as described below.

4.4.1 Influx time signal

A 2-column matrix (*time, elevation*)

first column the (equidistant) time ([s]),
second column the corresponding elevation ([m]).

4.4.2 Initial wave profile

A 3-column matrix (*space point x, elevation*)

first column the (equidistant) x-value ([m]) (covering the whole interval; if only partially, the data will be taken to have value 0),
second column the prescribed elevation ([m]),
third column the prescribed tangential velocity (space derivative of the potential, [m/s])

4.4.3 Bathymetry

A 2-column matrix (*space point x, bathymetry*)

first column the (equidistant) *x*-value ([m]) (covering the whole interval),
second column the corresponding bathymetry ([m]).

4.4.4 External measurement data

Time signals at *m* measurement positions. Matrix with (*m+1*) columns:

First row, columns 2 to *m*+1: specify measurement position (*0, position x_1, …, position x_m*)
Next rows: time and elevation at the measurement positions (*time, elevation_1, …, elevation_m*)

4.4.5 Interior flow External measurement data

Make a separate file for each horizontal measurement point with a name depending on the quantity that has been measured, for instance ***data_U_X1.mat*** , for a measurement of horizontal (U) or vertical (V) velocity at position ***X1***. Each data file has the following format.

Time signals at *m* measurement positions in the vertical direction: matrix (*2+T_length, (m+1)*)

(*1, 1*) = [horizontal position *x*], (*1, 2*) = [water depth at position *x*];
(*2, 2: m+1*) = [vertical positions of measurement];
(*3: T(end),1:m+1*) = [*time, u_1: u_m*]

4.4.6 Dispersion relation

The software can handle different dispersion relations. Default is the exact dispersion, but other dispersion relations for Shallow Water, KdV and BBM dispersion are predefined and can be dealt with for simulations of nonlinear waves over bathymetry.

A user defined dispersion relation can be given through input-panels in matlab-formula style. Needed are the

➢ ***dispersion relation*** $\omega = \Omega_{user}(k,d)$ (which should be defined as an odd function) and

➢ the corresponding ***group velocity*** $V_{user} = d\Omega_{user}/dk$.

5 Test cases

HAWASSI-AB provides 18 Test-cases which are identified with a code of which the first letter has the following meaning:

F: for various cases of non-breaking waves above Flat bottom

B: for various cases of non-breaking waves above non-flat bathymetry

Br: for various cases of breaking waves above flat or varying bottom

R: for run-up on a coast

The basic properties of the test cases are listed with references to relevant publications in the next sections.

5.1 Non-breaking waves above flat bottom

5.1.1 1F001Foc: MARIN_202002, Strong focussing wave

```
Dynamic Model          : HS2F
Dispersion Model       : OmExact
Bathymetry             : Flat; Depth: 1[m]

Significant wave Height (Hs)  : 0.013[m]
Peak period (Tp)              : 1.304[s]
Peak frequency (nu)           : 4.817[rad/s]
Peak wave-number (kp)         : 2.404
Peak wave-length              : 2.613[m]
Peak phase speed              : 2.003[m/s]
Steepness (kp*(Hs./2))        : 0.015
Relative wave-length(lambda/h): 2.6133
                  (kp*h)      : 2.404
Category                      : Intermediate depth
```
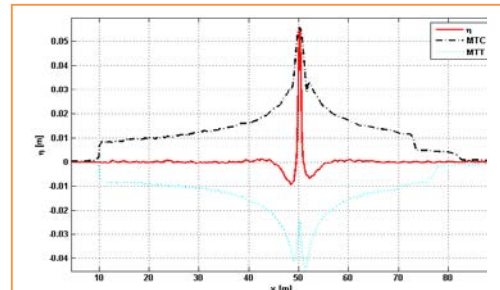

Focussing wave: using dispersion to generate high waves in wave tanks.
Simulation of MARIN – measurement.

5.1.2 IF002Draup: MARIN204001, Draupner Wave

```
Dynamic Model          : HS2F
Dispersion Model       : OmExact
Bathymetry             : Flat; Depth: 1[m]

Significant wave Height (Hs)  : 0.076[m]
Peak period (Tp)              : 2.061[s]
Peak frequency (nu)           : 3.048[rad/s]
Peak wave-number (kp)         : 1.156
Peak wave-length              : 5.437[m]
Peak phase speed              : 2.638[m/s]
Steepnest (kp*(Hs./2))        : 0.044
Relative wave-length(lambda/h): 5.437
                  (kp*h)      : 1.156
Category                      : Intermediate depth
```
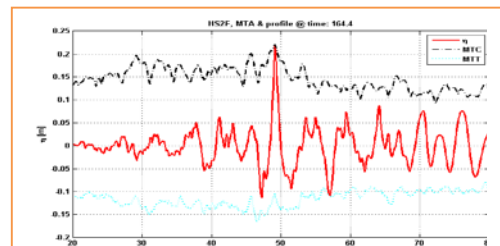

Environmental *Freak Wave*, measured at the Draupner platform in the NorthSea 1995 (18.5 crest height on 75m depth); here for simulation in MARIN wave tank.
Simulation of MARIN – measurement

5.1.3 IF003Irreg MARIN_224002F, Irregular wave in deep water

```
Dynamic Model          : HS4F
Dispersion Model       : OmExact
Bathymetry             : Flat; Depth: 510[m]
Significant wave Height (Hs)  : 9.829[m]
Peak period (Tp)              : 13.887[s]
Peak frequency (nu)           : 0.452[rad/s]
Peak wave-number (kp)         : 0.021
Peak wave-length              : 301.056[m]
Peak phase speed              : 21.679[m/s]
Steepness (kp*(Hs./2))        : 0.103
Relative wave-length(lambda/h): 0.59031
                  (kp*h)      : 10.644
Category                      : Deep water
```
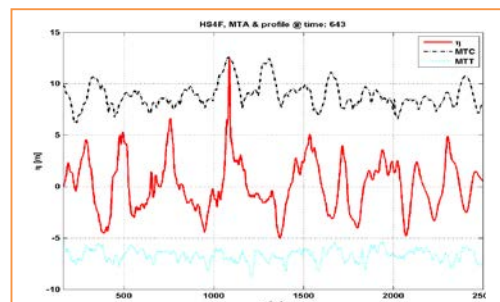

Observe nonbreaking freak wave on deep water
Simulation of MARIN – measurement

5.1.4 IF004Wall AB1_Wall, Full wave reflection from wall [5]

```
Dynamic Model        : HS1FWall
Dispersion Model     : OmExact
Bathymetry           : Flat; Depth: 5[m]
Signal type              : Harmonic
Significant wave Height (Hs)  : 0.1[m]
Peak period (Tp)             : 2[s]
Peak frequency (nu)          : 3.141[rad/s]
Peak wave-number (kp)        : 1.006
Peak wave-length             : 6.247[m]
Peak phase speed             : 3.123[m/s]
Steepness (kp*(Hs./2))       : 0.05
Relative wave-length(lambda/h): 1.2494
                  (kp*h)     : 5.029
Category                     : Deep water
```
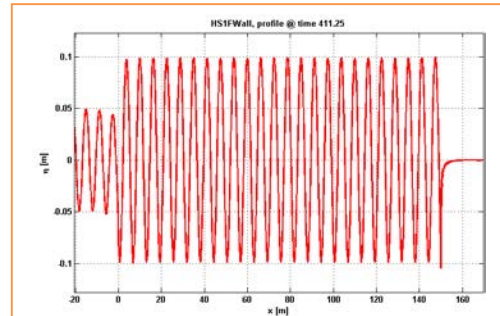

Full wave reflection of a linear harmonic wave from a wall

5.1.5 1F005WallFreq, Frequency dependent wall reflection [5]

```
Dynamic Model        : HS2FWall
Dispersion Model     : OmExact
Bathymetry           : Flat; Depth: 25[m]
Signal type              : User-defined
Significant wave Height (Hs)  : 0.1[m]
Peak period (Tp)             : 12.362[s]
Peak frequency (nu)          : 0.508[rad/s]
Peak wave-number (kp)        : 0.036
Peak wave-length             : 172.264[m]
Peak phase speed             : 13.935[m/s]
Steepness (kp*(Hs./2))       : 0.002
Relative wave-length(lambda/h): 6.8906
                  (kp*h)     : 0.912
Category                     : Intermediate depth
```
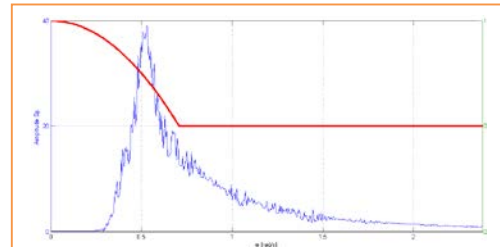

Reflection of an irregular wave with *frequency dependent reflection* at a wall: from full reflection of long waves to half for short waves, shown in the spectrum plot (red line)

5.1.6 1F006Bor, Undular bore

```
Dynamic Model        : HS2F
Dispersion Model     : OmExact
Bathymetry           : Flat; Depth: 1[m]
INITIAL VALUE PROBLEM
```


Undular bore, non-breaking. Settings and results as in *Wei e.a.*

See also Testcase 1FBr005Bor (section 5.2.5) for the breaking bore

5.2   Breaking waves above flat bottom

5.2.1   1FBr001Foc   MARIN203001, Strong focussing wave

```
Dynamic Model         : HS4brF
Dispersion Model      : OmExact
Bathymetry            : Flat; Depth: 1[m]
Signal type                 : User-defined
Significant wave Height (Hs) : 0.038[m]
Peak period (Tp)            : 1.446[s]
Peak frequency (nu)         : 4.346[rad/s]
Peak wave-number (kp)       : 1.998
Peak wave-length            : 3.145[m]
Peak phase speed            : 2.176[m/s]
Steepnest (kp*(Hs./2))      : 0.038
Relative wave-length(lambda/h): 3.1454
                    (kp*h)  : 1.998
Category                    : Intermediate depth
```
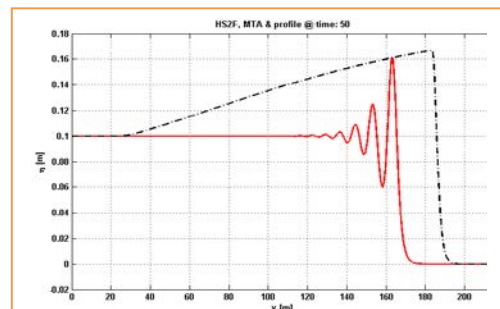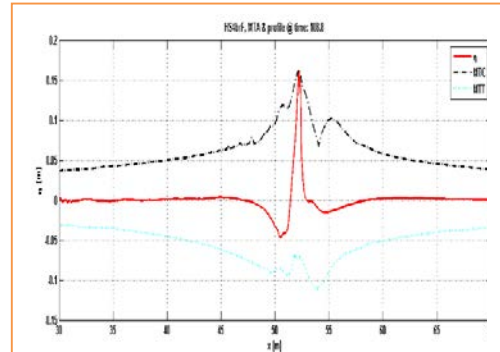

Strong focussing, breaking wave
Simulation of MARIN – measurement.

5.2.2   1FBr002Foc   TUD1403Foc7, Focussing Breaking Wave [3]

```
Dynamic Model         : HS3brF
Dispersion Model      : OmExact
Bathymetry            : Flat; Depth: 2.132[m]
Significant wave Height (Hs) : 0.078[m]
Peak period (Tp)            : 1.99[s]
Peak frequency (nu)         : 3.157[rad/s]
Peak wave-number (kp)       : 1.041
Peak wave-length            : 6.038[m]
Peak phase speed            : 3.034[m/s]
Steepness (kp*(Hs./2))      : 0.04
Relative wave-length(lambda/h): 2.832
                    (kp*h)  : 2.219
Category                    : Intermediate depth
```
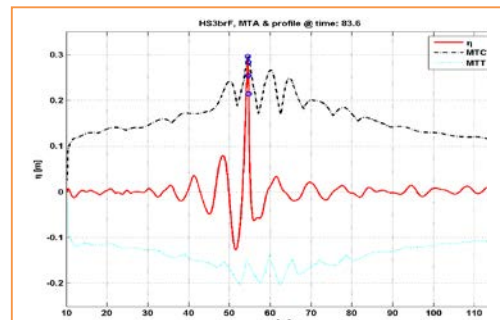

Strong focussing breaking wave
Simulation of TUD – measurement.

5.2.3   1FBr003BiB   TUD1403Bi8, Bichromatic wave breaking

```
Dynamic Model         : HS3brF
Dispersion Model      : OmExact
Bathymetry            : Flat; Depth: 2.132[m]
Significant wave Height (Hs) : 0.356[m]
Peak period (Tp)            : 1.634[s]
Peak frequency (nu)         : 3.845[rad/s]
Peak wave-number (kp)       : 1.511
Peak wave-length            : 4.157[m]
Peak phase speed            : 2.544[m/s]
Steepness (kp*(Hs./2))      : 0.269
Relative wave-length(lambda/h): 1.9498
                    (kp*h)  : 3.222
Category                    : Deep water
```


Bichromatic breaking wave

5.2.4   1FBr004Ir   MARIN_223002F, Irregular wave breaking [10]

```
Dynamic Model          : HS4brF
Dispersion Model       : OmExact
Bathymetry             : Flat; Depth: 510[m]

Significant wave Height (Hs)  : 10.23[m]
Peak period (Tp)              : 12.656[s]
Peak frequency (nu)           : 0.496[rad/s]
Peak wave-number (kp)         : 0.025
Peak wave-length              : 250.057[m]
Peak phase speed              : 19.758[m/s]
Steepness (kp*(Hs./2))        : 0.129
Relative wave-length(lambda/h): 0.49031
                    (kp*h)    : 12.815
Category                      : Deep water
```


Irregular wave breaking
Simulation of MARIN – measurement.

5.2.5   1FBr005Bor   Undular_breaking bore [5]

```
Dynamic Model          : HS2brF
Dispersion Model       : OmExact
Bathymetry             : Flat; Depth: 1[m]
INITIAL VALUE PROBLEM
```
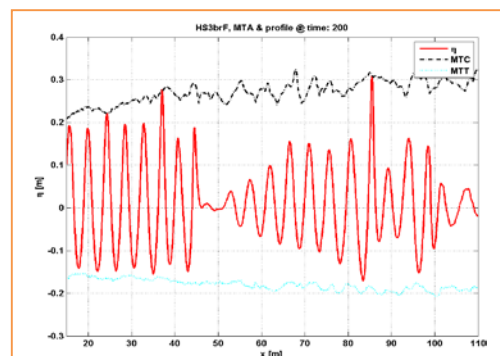

Breaking undular bore, at two different times. Settings and results as *Wei e.a.*, for higher amplitudes for which no validation data are available.
See also Testcase 1F006Bor (section 5.1.6) for the non-breaking bore

5.3 Non-breaking waves above non-flat bathymetry

5.3.1 2B001IrSlope MARIN_103001, Irregular wave above a slope [5, 13]

```
Dynamic Model          : HS2B
Dispersion Model       : OmExact
Bathymetry             : Slope;
Max Depth: 0.6[m] Min Depth : 0.3[m]
Slope: 0.05[m] Foot slope position: -30[m]

Significant wave Height (Hs) : 0.062[m]
Peak period (Tp)             : 1.701[s]
Peak frequency (nu)          : 3.694[rad/s]
Peak wave-number (kp)        : 1.769
Peak wave-length             : 3.551[m]
Peak phase speed             : 2.088[m/s]
Steepness (kp*(Hs./2))       : 0.055
Relative wave-length(lambda/h): 5.9186
                   (kp*h)    : 1.062
Category                     : Intermediate depth
```
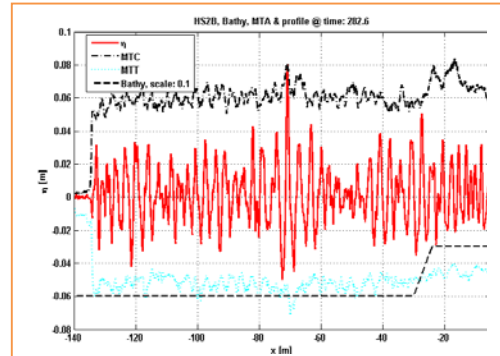

Non-breaking irregular wave over slope.
Observe Freak Wave above deep part at
x=-71, t=282.8
Simulation of MARIN – measurement.

5.3.2 2B002HarmBar, Harmonic over bar

```
Dynamic Model          : HS2U
Dispersion Model       : OmExact
Bathymetry             : Under-water bar;

Significant wave Height (Hs) : 0.027[m]
Peak period (Tp)             : 2.026[s]
Peak frequency (nu)          : 3.101[rad/s]
Peak wave-number (kp)        : 1.675
Peak wave-length             : 3.75[m]
Peak phase speed             : 1.851[m/s]
Steepness (kp*(Hs./2))       : 0.023
Relative wave-length(lambda/h): 9.3752
                   (kp*h)    : 0.67
Category                     : Intermediate depth
```
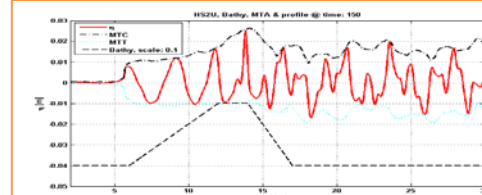

Harmonic waves over under water bar.
Strong mode generation: compare spectra
at *x=8* (red) and *x=16* (black) below
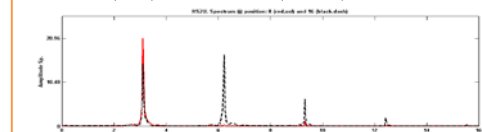
Simulation of Beji & Battjes Experiment

5.3.3 2B003IrBar, Irregular wave over bar

```
BB94SL:Jonswap;Low Freq: Non breaking
Dynamic Model          : HS2U
Dispersion Model       : OmExact

Significant wave Height (Hs) : 0.021[m]
Peak period (Tp)             : 1.666[s]
Peak frequency (nu)          : 3.772[rad/s]
Peak wave-number (kp)        : 2.109
Peak wave-length             : 2.979[m]
Peak phase speed             : 1.788[m/s]
Steepness (kp*(Hs./2))       : 0.022
Influx position              : 5.7157[m];
Relative wave-length(lambda/h): 7.447
                   (kp*h)    : 0.844
Category                     : Intermediate depth
```
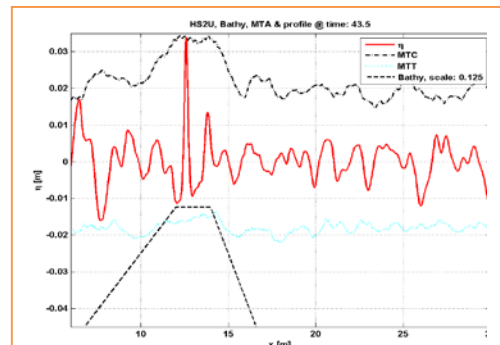

Simulation of Beji & Battjes Experiment

5.4 Breaking waves above bathymetry

5.4.1 2BBr001HarmBar [10]

```
Dynamic Model          : HS2brU
Dispersion Model       : OmExact
Bathymetry             : Under-water bar

Significant wave Height (Hs)  : 0.058[m]
Peak period (Tp)              : 2.537[s]
Peak frequency (nu)           : 2.476[rad/s]
Peak wave-number (kp)         : 1.305
Peak wave-length              : 4.816[m]
Peak phase speed              : 1.898[m/s]
Steepnest (kp*(Hs./2))        : 0.038
Relative wave-length(lambda/h): 12.0391
                   (kp*h)     : 0.522
Category               : Intermediate depth
```
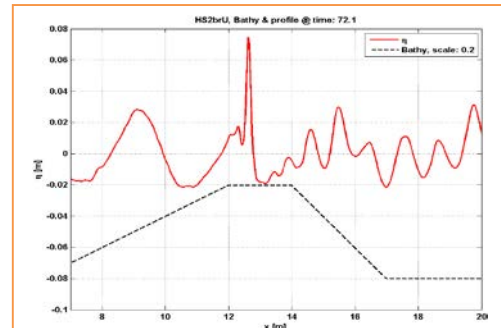

Breaking harmonic waves over bar
Simulation of Beji & Battjes experiment

5.4.2 2BBr002IrBar Irregular wave, Spilling breaker [5]

```
Dynamic Model          : HS2brU
Dispersion Model       : OmExact
Bathymetry             : Under-water bar

Significant wave Height (Hs)  : 0.035[m]
Peak period (Tp)              : 1.898[s]
Peak frequency (nu)           : 3.31[rad/s]
Peak wave-number (kp)         : 1.806
Peak wave-length              : 3.479[m]
Peak phase speed              : 1.832[m/s]
Steepness (kp*(Hs./2))        : 0.032
Relative wave-length(lambda/h): 8.6966
                   (kp*h)     : 0.722
Category               : Intermediate depth
```
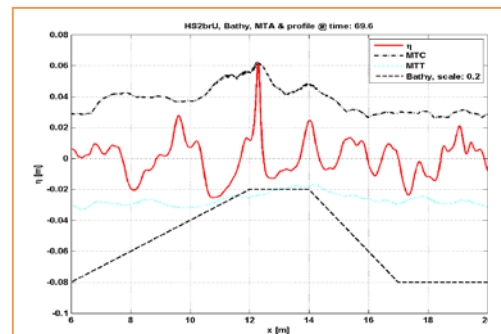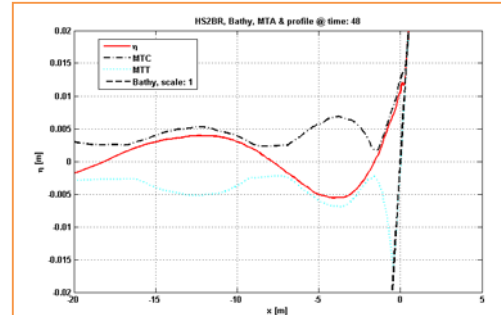

Spilling breaker over bar
Simulation of Beji & Battjes experiment

5.5 Run-up of waves (breaking and non-breaking)

5.5.1 3R001Harm: Harmonic Run-up (non-breaking)

```
Dynamic Model          : HS2BR
Dispersion Model       : OmExact
Bathymetry             : Slope (Shore);
     Max Depth: 0.5[m]
Signal type                  : Harmonic
Significant wave Height (Hs) : 0.006[m]
Peak period (Tp)             : 10[s]
Peak frequency (nu)          : 0.62[rad/s]
Peak wave-number (kp)        : 0.281
Peak wave-length             : 22.384[m]
Peak phase speed             : 2.207[m/s]
Steepness (kp*(Hs./2))       : 0.001
Relative wave-length(lambda/h): 44.7688
                (kp*h)       : 0.14
Category                     : Shallow water
```


Harmonic nonbreaking wave run-up on 1:25 coast

5.5.2 3RBr001Harm: Spilling Breaker Run-up (with interior flow) [5]
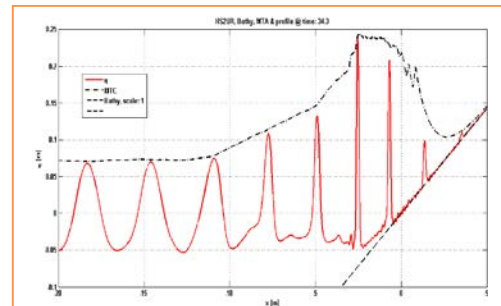
```
Dynamic Model          : HS2brUR
Dispersion Model       : OmExact
Bathymetry             : Slope (Shore);
     Max Depth: 0.4[m]
Signal type                  : Harmonic
Significant wave Height (Hs) : 0.125[m]
Peak period (Tp)             : 2[s]
Peak frequency (nu)          : 3.141[rad/s]
Peak wave-number (kp)        : 1.7
Peak wave-length             : 3.695[m]
Peak phase speed             : 1.847[m/s]
Steepness (kp*(Hs./2))       : 0.106
Relative wave-length(lambda/h): 9.2387
                (kp*h)       : 0.68
Category                     : Intermediate depth
```


Harmonic wave run-up on 1:35 coast, spilling breaker

Simulation, including interior flow properties, of Ting & Kirby experiment

6 References

6.1 References to basic papers and applications

1. E. van Groesen & Andonowati, Hamiltonian Boussinesq formulation of Wave-Ship interactions, Part 1: Evolution equations, submitted
2. R. Kurnia, T. van den Munckhof, C.P. Poot, P. Naaijen, R.H.M. Huijsmans & E. van Groesen, Simulations for design and reconstruction of breaking waves in a wavetank, *OMAE 2015* Vol2,41633, 7 pages
3. R. Kurnia & E. van Groesen, Spatial-spectral Hamiltonian Boussinesq wave simulations, Advances in Computational and Experimental Marine Hydrodynamics, VOL. 2 Conference Proceedings, 2015, pp. 19-24, *ISBN: 978-93-80689-22-7*R.
4. Kurnia & E. van Groesen, Localization for spatial-spectral implementations of 1D Analytic Boussinesq equations, *Wave Motion* to be published
5. R. Kurnia & E. van Groesen, Design of Wave Breaking Experiments and A-Posteriori Simulations, Memorandum 2042, (January 2015), http://www.math.utwente.nl/publications ISSN 1874−4850
6. R. Kurnia & E. van Groesen, Localization in Spatial-Spectral Methods for Water Wave Applications, *Proceedings ICOSAHOM* 2014, Submitted
7. W. Kristina. O. Bokhove & E. van Groesen, Effective coastal boundary conditions for tsunami wave run-up over sloping bathymetry, *Nonlin.Processes GeoPhys*, **21**(2014) 987-1005
8. Lie S Liam, D. Adyia & E. van Groesen, Embedded wave generation for dispersive surface wave models, *Ocean Engineering* **80** (2014) 73-83
9. R. Kurnia & E. van Groesen, High Order Hamiltonian Water Wave Models with Wave-Breaking Mechanism, *Coastal Engineering* **93** (2014) 55–70
10. Lie She Liam, Mathematical modelling of generation and forward propagation of dispersive waves PhD-Thesis UTwente, 15 May 2013
11. A.L. Latifah & E. van Groesen, Coherence and Predictability of Extreme Events in Irregular Waves, *Nonlin. Processes Geophys*, **19** (2012)199-213
12. E. van Groesen & I. van der Kroon, Fully dispersive dynamic models for surface water waves above varying bottom, Part 2: Hybrid spatial-spectral implementations, *Wave Motion* **49** (2012) 198-211
13. E. van Groesen & Andonowati, Fully dispersive dynamic models for surface water waves above varying bottom, Part 1: Model equations, *Wave Motion* **48** (2011) 657-666
14. E. van Groesen & Andonowati, Time-accurate AB-simulations of irregular coastal waves above bathymetry, Proceedings of the *Sixth International Conference on Asian and Pacific Coasts* (APAC 2011) December 14 – 16, 2011, Hong Kong, China, World Scientific ISBN: 978-981-4366-47-2, pp.1854-1864
15. E. van Groesen, T. Bunnik & Andonowati, Surface wave modelling and simulation for wave tanks and coastal areas, *International Conference on Developments in Marine CFD, 18 - 19 November 2011, Chennai, India,* RINA, ISBN: 978-1-905040-92-6, p. 59-63
16. L. She Liam & E. van Groesen, Variational derivation of KP-type equations, *Physics Letters A*, **374**(2010) 411-415
17. E. van Groesen, Andonowati, L. She Liam & I. Lakhturov, Accurate modelling of uni-directional surface waves, *Journal of Computational and Applied Mathematics* 234 (2010) 1747-1756
18. E. van Groesen, L. She Liam, I. Lakhturov & Andonowati, Deep water Periodic waves as Hamiltonian Relative Equilibria, *Proceedings of Waves 2007*, N. Biggs e.a. (eds), Reading UK, 23-27 July 2007, pp. 482-484;
19. E. van Groesen & Andonowati, Variational derivation of KdV-type of models for surface water waves, *Physics Letters A* **366** (2007)195-201

6.2 Other references

Beji & Battjes
- S. Beji &J. Battjes, Numerical simulation of nonlinear wave propagation over a bar, *Coastal Engineering* **23** (1994) 1 – 16.
- S. Beji & J. Battjes, Experimental investigation of wave propagation over a bar, *Coastal Engineering* **19** (1993) 151 – 162.

BBM
- T.B. Benjamin, J.L. Bona & J.J. Mahony, On model equations for long waves in nonlinear dispersive systems, *Phil. Trans. Roy. Soc. London* **A272** (1972)47

Broer
- L.J.F. Broer, Approximate equationsn for long water waves, *Appl. Sc. Res.*, **31**(1975)377-395

KdV
- D.J. Korteweg & G. de Vries, On the change of form of long waves advancing in a rectangular canal and anewtype of long stationary waves, *Phil. Mag.* **39**(1895)422

Ting& Kirby
- F. C. Ting & J. T. Kirby, Observation of undertow and turbulence in a laboratory surf zone, *Coastal Engineering* **24** (1994) 51 – 80.

Wei e.a.
- G. Wei, J. T. Kirby, S. T. Grilli & R. Subramanya, A fully nonlinear Boussinesq model for surface waves. Part 1. Highly nonlinear unsteady waves, *Journal of Fluid Mechanics* **294** (1995) 71–92.

YAB LabMath,
- YAB LabMath , Water Wave Modelling & Simulation, with Introduction to HAWASSI-software

Zakharov
- V.E. Zakharov, Stability of periodic waves of finite amplitude on the surface of a deep fluid, *J. of Mechanics and Technical Physics* **2**(1968)190-194