

Algebra_Lineal_180622

June 18, 2022

```
[13]: #Vectores  
#Creando una variable con una lista simple de python  
v1py = [2,4,6]  
v1py
```

```
[13]: [2, 4, 6]
```

```
[14]: type(v1py)
```

```
[14]: list
```

```
[4]: #Importando numpy  
import numpy as np
```

```
[8]: #Crear array de numpy con unos  
v1numpy = np.ones(3)  
v1numpy
```

```
[8]: array([1., 1., 1.])
```

```
[15]: type(v1numpy)
```

```
[15]: numpy.ndarray
```

```
[24]: #Crear un array de numpy con valores pre-definidos  
v2numpy = np.array([1,3,5])  
v2numpy
```

```
[24]: array([1, 3, 5])
```

```
[21]: #Crear un array con un rango definido  
v3numpy = np.arange(1,4)  
v3numpy
```

```
[21]: array([1, 2, 3])
```

```
[26]: #Obtner un elemento por indice es igual que en las listas  
v3numpy[1]
```

[26]: 2

```
[27]: #Creando una nueva lista para el ejemplo  
v2py = [3,6,9]
```

```
[28]: #Comportamiento suma de listas  
v1py + v2py
```

[28]: [2, 4, 6, 3, 6, 9]

```
[29]: #Comportamiento suma de numpy arrays  
v1numpy + v2numpy
```

[29]: array([2., 4., 6.])

```
[30]: #Multiplicar lista por escalar  
v2py * 5
```

[30]: [3, 6, 9, 3, 6, 9, 3, 6, 9, 3, 6, 9, 3, 6, 9]

```
[31]: #Multiplicar array de numpy por escalar  
v2numpy * 5
```

[31]: array([5, 15, 25])

```
[32]: #Resta de arrays  
v2numpy - v1numpy
```

[32]: array([0., 2., 4.])

```
[33]: #Resta imposible de listas  
v1py - v2py
```

```
-----  
TypeError                                Traceback (most recent call last)  
/var/folders/vq/wc9_6gmX0h7gnvz5psj3xdnh0000gn/T/ipykernel_2150/2238391382.py i:  
↳<module>  
----> 1 v1py - v2py  
  
TypeError: unsupported operand type(s) for -: 'list' and 'list'
```

```
[34]: x = np.arange(1,5)  
y = np.array([2,4,6,8])  
x, y
```

[34]: (array([1, 2, 3, 4]), array([2, 4, 6, 8]))

```
[35]: #Producto punto, escalar o interior  
#Python puro  
sum(x*y)
```

[35]: 60

```
[36]: #numpy  
np.dot(x,y)
```

[36]: 60

```
[37]: #calculo de la norma  
np.linalg.norm(x)
```

[37]: 5.477225575051661

```
[41]: #MATRICES  
#Creando matrices en python con numpy  
A = np.array([[1, 3, 2],  
              [1, 0, 0],  
              [1, 2, 2]])  
A
```

[41]: array([[1, 3, 2],
 [1, 0, 0],
 [1, 2, 2]])

```
[42]: B = np.array([[1, 0, 5],  
                  [7, 5, 0],  
                  [2, 1, 1]])  
B
```

[42]: array([[1, 0, 5],
 [7, 5, 0],
 [2, 1, 1]])

```
[43]: #Multiplicar matriz por escalares  
A * 3
```

[43]: array([[3, 9, 6],
 [3, 0, 0],
 [3, 6, 6]])

```
[44]: #Suma de matrices (requerido que sean del mismo tamaño)  
A + B
```

```
[44]: array([[2, 3, 7],
           [8, 5, 0],
           [3, 3, 3]])
```

```
[45]: #Resta de matrices (requerido que sean del mismo tamaño)
A -B
```

```
[45]: array([[ 0,  3, -3],
           [-6, -5,  0],
           [-1,  1,  1]])
```

```
[46]: #Para ver la dimensión o tamaño de la matriz
A.shape
```

```
[46]: (3, 3)
```

```
[47]: #Ver la cantidad de elemntos que tiene mi matriz
A.size
```

```
[47]: 9
```

```
[53]: #Ejemplo de multiplicación de matrices - Ejemplo de cración de matrices con
      ↪arange y reshape
A = np.arange(1, 13).reshape(3, 4)
A
```

```
[53]: array([[ 1,  2,  3,  4],
           [ 5,  6,  7,  8],
           [ 9, 10, 11, 12]])
```

```
[54]: B = np.arange(8).reshape(4,2)
B
```

```
[54]: array([[0, 1],
           [2, 3],
           [4, 5],
           [6, 7]])
```

```
[55]: #Multiplicacion de matrices
A @ B
```

```
[55]: array([[ 40,  50],
           [ 88, 114],
           [136, 178]])
```

```
[57]: #No se cumple la propiedad comutativa
B @ A
```

```

-----
ValueError                                Traceback (most recent call last)
/var/folders/vq/wc9_6gmX0h7gnvz5psj3xdnh0000gn/T/ipykernel_2150/1888990598.py in
↳ <module>
      1 #No se cumple la propiedad conmutativa
----> 2 B @ A

ValueError: matmul: Input operand 1 has a mismatch in its core dimension 0, with
↳ gufunc signature (n?,k),(k,m?)->(n?,m?) (size 3 is different from 2)

```

```

[62]: #Creando una matriz identidad
      I = np.eye(2)
      I

```

```

[62]: array([[1., 0.],
            [0., 1.]])

```

```

[63]: A = np.array([[4,7],
                    [2,6]])
      A

```

```

[63]: array([[4, 7],
            [2, 6]])

```

```

[64]: A @ I

```

```

[64]: array([[4., 7.],
            [2., 6.]])

```

```

[65]: I @ A

```

```

[65]: array([[4., 7.],
            [2., 6.]])

```

```

[66]: #Calculo del determinante
      np.linalg.det(A)

```

```

[66]: 10.000000000000002

```

```

[67]: C = np.arange(1, 10).reshape(3, 3)
      C

```

```

[67]: array([[1, 2, 3],
            [4, 5, 6],
            [7, 8, 9]])

```

```
[68]: np.linalg.det(C)
```

```
[68]: 0.0
```

```
[69]: #Transponiendo una matriz  
A = np.arange(6).reshape(3, 2)  
A
```

```
[69]: array([[0, 1],  
          [2, 3],  
          [4, 5]])
```

```
[70]: np.transpose(A)
```

```
[70]: array([[0, 2, 4],  
          [1, 3, 5]])
```

```
[71]: #Calculo de la matriz inversa  
A = np.array([[4,7],  
              [2,6]])  
A
```

```
[71]: array([[4, 7],  
          [2, 6]])
```

```
[72]: A_inv = np.linalg.inv(A)  
A_inv
```

```
[72]: array([[ 0.6, -0.7],  
          [-0.2,  0.4]])
```

```
[73]: B = np.array([[1, 1, 0],  
                  [2, -1, 1],  
                  [0, 3, 0]])
```

```
[74]: B_inv = np.linalg.inv(B)  
B_inv
```

```
[74]: array([[ 1.         ,  0.         , -0.33333333],  
          [ 0.         ,  0.         ,  0.33333333],  
          [-2.         ,  1.         ,  1.         ]])
```

```
[ ]:
```