Don Bosco Institute of Technology, Kurla

EXPERIMENT NO:2

Title: A program for binary multiplication

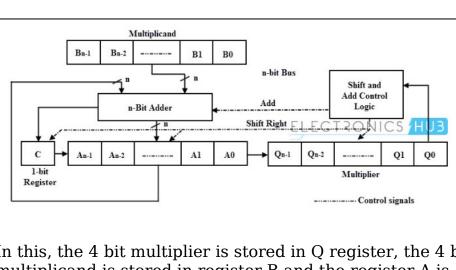
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Subject: PA

EXPERIMENT NO:2 Simulate binary multiplication

Simulate binary multiplication	
AIM	Write a program to simulate binary multiplication
LEARNING	To implement the operation of the arithmetic unit including
OBJECTIV	the implementation of fixedpoint multiplication for unsigned
E	numbers.
LEARNING	
OUTCOME	for simulating hardware operation for binary multiplication.
OCIOOME	lor officially flaraware operation for officially manufaction.
	CSL 403.1: Ability to compile a code for computer operations.
LAB	COL 100.1. Indinty to compile a code for compation operations.
OUTCOME	
PROGRAM	PO11,
OUTCOME	PO52,
JC 1001-1E	P083,
	PO93,
	PO122, PSO12
	Remembe
BLOOM'S	
TAXONO	r, Understa
MY	nd
LEVEL	iiu
LEVEL	As in himomy manch on contains theme are only 0 and 1 masses
	As in binary number system there are only 0 and 1 present
	as digits so we have to know the fundamental interrelation
THEORY	between these two digits during multiplication. Like in case
	of binary addition and binary multiplication there are also
	four steps to be followed during a bigger multiplication or we can say these fundamental steps as well.
	we can say these fundamental steps as well. $1 \times 1 = 1$
	$ \begin{array}{ccc} 1 & X & 1 & = & 1 \\ 1 & X & 0 & = & 0 \end{array} $
	$ \begin{array}{ccc} 1 & X & 0 & = & 0 \\ 0 & X & 1 & = & 0 \end{array} $
	$\begin{array}{ccc} 0 & X & I &= 0 \\ 0 & X & 0 &= 0 \end{array}$
	As we can see that if we can compare these rules of binary
	multiplication with that of decimal multiplication we will
	not have any difference at all. So it is a comparatively easy
	method than the previously discussed two operations.



In this, the 4 bit multiplier is stored in Q register, the 4 bit multiplicand is stored in register B and the register A is initially cleared to zero. The multiplication process starts with checking of the least significant bit of B whether it is 0 or 1.

If the B0 = 1, the number in the multiplicand (B) is added with the least significant bits of the A register and all bits of C, A and Q registers are shifted to the right one bit. If the bit B0 = 0, the combined C and Q registers are shifted to the right by one bit without performing any addition. This process is repeated for n times for n bit numbers. This method of binary multiplication is called as parallel multiplier.

Consider the below figure in which the multiplier and multiplicand values are given as 1011 and 1101 which are loaded into the Q and A registers respectively. Initially the register C is zero and hence the A register is zero, which stores the carry in addition.

Since the B0 =1, then the number in the B is added to the bits of A and produce the addition result as 1101, and the Q and A register are shifted their values one bit right so the new values during the first cycle are 0110 and 1101 respectively.

This process has to be repeated four times to perform the 4 bit multiplication. The final multiplication result will be available in the A and Q registers as 10001111 as shown in the figure.

SOFTWARE USED

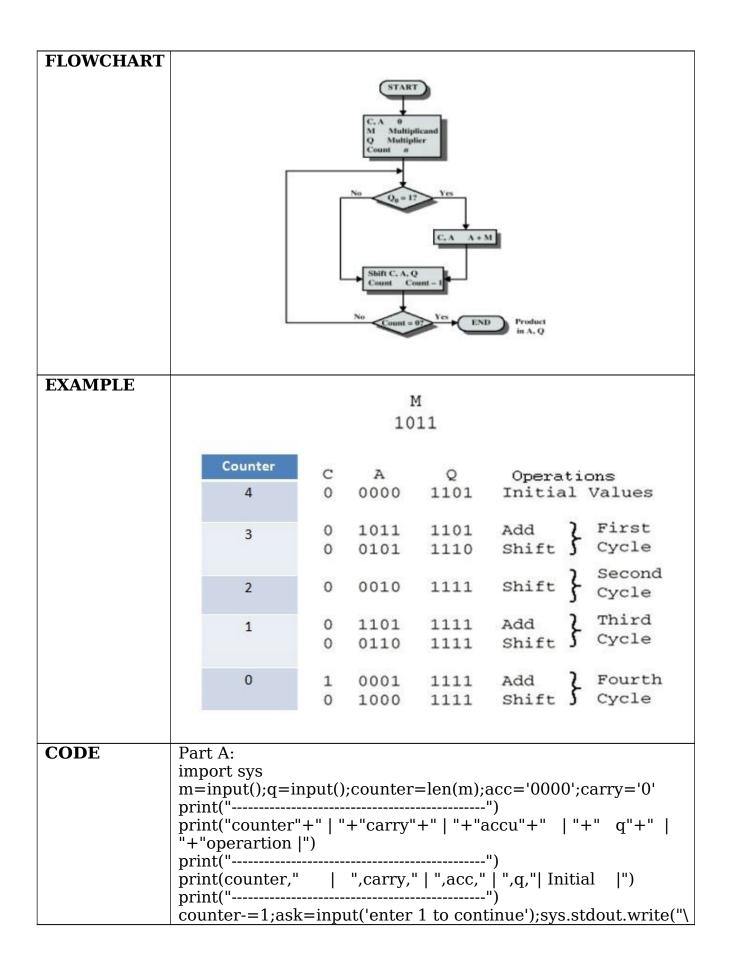
C/C++/Java/Python

STEPS TO EXECUTE THE PROGRAM

- 1. Take two 4 bit binary numbers from the user (M=Multiplicand & Q=Multiplier).
- 2. Intialise the counter with the count of number of bits .
- 3. Intialise A and C to zero ,where A is accumulator which stores the MSB of the result and C is the carry which stores

the required value after partial addition. Multiplier Q stores the LSB of the result.

- 4. Check LSB bit of Q,If 1 change C and A=A+M and shift C,A,Q towards right.
- 5. Check LSB bit of Q,If 0 shift C,A,Q towards right.
- 6. Check the counter, if it is 1, move to step 4, otherwise store the result in A and Q.



```
033[F") ,sys.stdout.write("\033[K")
while (ask=='1' and counter!=-1):
     if(q[len(q)-1]=='1'):
          #sum
          sum=str(bin(int(m,2) + int(acc,2))[2:]).zfill(5)
          carry=sum[0]
          acc=sum[1:]
          print(counter," | ",carry," | ",acc," | ",q," | add
|")
     else:
          carry=acc[0]
     ##rs
     q = (acc[3] + q)[:4]
     acc=(carry+acc)[:4]
    print(counter," | ",carry," | ",acc," | ",q," | shift print("-----")
                                                         |")
     counter-=1;ask=input('enter 1 to
continue');sys.stdout.write("\033[F");sys.stdout.write("\
033[K")
  0111
  0010
          | 0 | 0000 | 0001 | shift
              0 | 0111
  2
Part B:
import sys
m=input();q=input();counter=len(m);acc='0000';carry='0'
print("-----")
print("-----")
print("counter"+" | "+"carry"+" | "+"accu"+" | "+" q"+" |
"+"operartion |")
print("-----")
counter-=1;ask=input('enter 1 to continue');sys.stdout.write("\
033[F") ,sys.stdout.write("\033[K")
while (ask = -1)' and counter! = -1):
     if(q[len(q)-1]=='1'):
          #sum
```

```
sum=str(bin(int(m,2) + int(acc,2))[2:]).zfill(5)
          carry=sum[0]
          acc=sum[1:]
         print(counter," | ",carry," | ",acc," | ",q," | add
|")
    else:
         carry=acc[0]
    ##rs
    q = (acc[3] + q)[:4]
    acc = (carry + acc)[:4]
    print(counter," | ",carry," | ",acc," | ",q," | shift
                                                    |")
    print("------
    counter-=1;ask=input('enter 1 to
continue');sys.stdout.write("\033[F");sys.stdout.write("\
033[K")
case 1:
 111
 10
 counter | carry | accu | q | operartion
             0 | 0000 | 10 | Initial
               0 | 0000 | 01 | shift
                                01 | add
                      0111
                                10 | shift
                      0011
case 2:
 10
 111
 counter | carry | accu
                     0000
                     0010
               0
                     0001
               0
                     0011
                               011 | add
               0
                     0001
                               101
                                    shift
 0
               0
                     0011
                               101 | add
                     0001
                               110
```

CONCLUSIO	We have successfully implemented fixed point multiplication
N	for unsigned numbers . The binary inputs were taken from the user and the steps of the process were displayed in a tabular
	format. The additional scope of the experiment was to multiply
	binary number of variable length.
REFERENCE	1. William Stallings, "Computer Organization and
S	Architecture: Designing for Performance", Pearson
	Publication, 10 th Edition, 2013
	2. B. Govindarajulu, "Computer Architecture and
	Organization: Design
	Principles and Applications", Second Edition, McGrawHill
	(India)