Hazel PHI: 10-modules

June 16, 2021

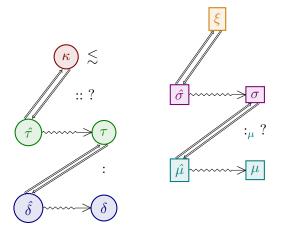
prerequisites

- Hazel PHI: 9-type-aliases-redux
 - github
 - $\ current \ commit: \ 4410cd565ce717707e580e44f64868d3175fe2a6$
- (optional) Hazel PHI: 1-labeled-tuples
 - github
 - current commit: 0a7d0b53ee7286d03ea3be13a7ac91a86f1c90b1

how to read

800000	kinds	D08000	temperment
008000	types (constructors)	800080	signatures
000080	terms	008080	modules

notes



external typ/sig/mod syntax not written out yet (waiting for construction dust to settle); patterns not handled yet—will be left till end.

syntax

kind of types singleton kind kind hole dependent function kind

```
HTyp
                                                                                                                     type variable
                                       := t
                                             bse
                                                                                                                         base type
                                                                                                                        type binop
                                             	au_1 \oplus 	au_2
                                                                                                                           list type
                                                                                                                    type function
                                             \lambda t :: \kappa.\tau
                                                                                                                 type application
                                             \{lab_1 \hookrightarrow \tau_1, \dots \ lab_n \hookrightarrow \tau_n\}
                                                                                               labelled product type (record)
                                                                                                        module type projection
                                                                                                                 empty type hole
                                             (|\tau|)
                                                                                                            nonempty type hole
               base type
                               bse
                                             Int
                                             Float
                                             Bool
          HTyp BinOp
   external expression
                                             signature s = \hat{\sigma} in \hat{\delta}
                                             module m=\hat{\mu} in \hat{\delta}
                                            module m:_{\mu}s=\hat{\mu} in \hat{\delta}
                                             functor something = something in \hat{\delta}
                                                                                                       module term projection
                                \delta
   internal expression
                                       ::=
                                             \boldsymbol{x}
                                             signature s = \sigma in \delta
                                             module m:_{\mu} s = \mu in \delta
                                             functor something = something in \delta
                                             \mu.lab
                                                                                                       module term projection
                                                                                                               signature variable
               signature
                                       ::=
                                             \{sdecs\}
                                                                                                             structure signature
                                                                                                                functor signature
                                             \Pi_{m:\mu\sigma_1}.\sigma_2
                                                                                                           empty signature hole
                                                                                                      nonempty signature hole
                 module
                                                                                                                 module variable
                                       ::=
                                             \{sbnds\}
                                                                                                                         structure
                                             \lambda m:_{\mu} \sigma.\mu
                                                                                                                            functor
                                                                                                             functor application
                                             \mu_1 \; \mu_2
                                             \mu.lab
                                                                                                          submodule projection
                                             empty module hole
                                             (\mu)
                                                                                                         nonempty module hole
signature declarations
                             sdecs
                                             sdec, sdecs
 signature declaration
                                             type lab
                              sdec
                                             type lab = \tau
                                             val lab:	au
                                             module lab:_{\mu}\sigma
                                             functor lab:_{\mu}\sigma
    structure bindings sbnds
```

contexts

 $\Gamma, x:\tau; \Phi, t::\kappa; \Xi, m:_{\mu}\sigma; \Delta, ?$

statics

 $\Delta; \Phi \vdash \kappa_1 \lesssim \kappa_2$ κ_1 is a consistent subkind of κ_2

KCSubsumption

 $\frac{test}{test}$

elab

 $\Gamma; \Phi; \Xi \vdash \hat{\delta} \Rightarrow \tau \leadsto \delta \dashv \Delta \mid \hat{\delta} \text{ synthesizes type } \tau \text{ and elaborates to } \delta \text{ with hole context } \Delta$

SynElabLetMod

$$\frac{\Gamma; \Phi; \Xi \vdash \hat{\mu} \ \Rightarrow \ \sigma \leadsto \mu \dashv \Delta_1 \qquad \Gamma; \Phi; \Xi, m:_{\mu}\sigma \vdash \hat{\delta} \ \Rightarrow \ \tau \leadsto \delta \dashv \Delta_2}{\Gamma; \Phi; \Xi \vdash \mathsf{module} \ m = \hat{\mu} \ \mathsf{in} \ \hat{\delta} \ \Rightarrow \ \tau \leadsto \mathsf{module} \ m = \mu \ \mathsf{in} \ \delta \dashv \Delta_1 \cup \Delta_2}$$

SynElabLetModAnn

$$\frac{\Phi;\Xi\vdash\hat{\sigma}\ \Rightarrow\ \xi\leadsto\sigma\dashv\Delta_1\qquad \Gamma;\Phi;\Xi\vdash\hat{\mu}\ \Leftarrow\ \sigma\leadsto\mu\dashv\Delta_2\qquad \Gamma;\Phi;\Xi,m:_{\mu}\sigma\vdash\hat{\delta}\ \Rightarrow\ \tau\leadsto\delta\dashv\Delta_3}{\Gamma;\Phi;\Xi\vdash\operatorname{module}\ m:_{\mu}\hat{\sigma}=\hat{\mu}\ \operatorname{in}\ \hat{\delta}\ \Rightarrow\ \tau\leadsto\operatorname{module}\ m:_{\mu}\sigma=\mu\ \operatorname{in}\ \delta\dashv\Delta_1\cup\Delta_2\cup\Delta_3}$$

SynElabModTermPrj

$$\overline{\Gamma; \Phi; \Xi \vdash \hat{\mu}.lab} \Rightarrow \rightsquigarrow \dashv$$

 $\Phi;\Xi\vdash\hat{\tau}\Rightarrow\kappa\leadsto\tau\dashv\Delta$ $\hat{\tau}$ synthesizes kind κ and elaborates to τ with hole context Δ

SynElabModTypPrj $\Phi;\Xi \vdash m \Rightarrow \sigma \leadsto m \dashv \Delta \quad something\sigma\kappa$ $\Phi;\Xi \vdash m.lab \Rightarrow \kappa \leadsto m.lab \dashv \Delta$

 $\Phi; \Xi \vdash \hat{\tau} \leftarrow \kappa \leadsto \tau \dashv \Delta$ $\hat{\tau}$ analyzes against kind κ and elaborates to τ with hole context Δ $\Gamma; \Phi; \Xi \vdash \hat{\mu} \Rightarrow \hat{\sigma} \leadsto \mu \dashv \Delta$ $\hat{\mu}$ synthesizes signature σ and elaborates to μ with hole context Δ

SynElabConsStruct

 $\Gamma; \Phi; \Xi \vdash \hat{\mu} \leftarrow \sigma \leadsto \mu \dashv \Delta$ $\hat{\mu}$ analyzes against signature σ and elaborates to μ with hole context Δ $\Gamma; \Phi; \Xi \vdash \hat{sbnd} \Rightarrow sdec \leadsto sbnd \dashv \Delta$ \hat{sbnd} synthesizes declaration sdec and elaborates to sbnd with hole context Δ

 ${\tt SynElabTypeSbnd}$

$$\frac{\Phi;\Xi\vdash\hat{\tau}\ \Rightarrow\ \kappa\leadsto\tau\dashv\Delta}{\Gamma;\Phi;\Xi\vdash\mathsf{type}\ t=\hat{\tau}\ \Rightarrow\ \mathsf{type}\ t=\tau\leadsto\mathsf{type}\ t=\tau\dashv\Delta}$$

SynElabValSbnd

$$\frac{\Phi;\Xi\vdash\hat{\tau}\ \Rightarrow\ \kappa\leadsto\tau\dashv\Delta_1\qquad \Gamma;\Phi;\Xi\vdash\hat{\delta}\ \Leftarrow\ \tau\leadsto\delta\dashv\Delta_2}{\Gamma;\Phi;\Xi\vdash \mathsf{let}\ x:\hat{\tau}=\hat{\delta}\ \Rightarrow\ \mathsf{val}\ x:\tau\leadsto\mathsf{let}\ x:\tau=\delta\dashv\Delta_1\cup\Delta_2}$$

SynElabModSbnd

$$\frac{\Gamma;\Phi;\Xi\vdash\hat{\mu}\ \Rightarrow\ \sigma\leadsto\mu\dashv\Delta}{\Gamma;\Phi;\Xi\vdash \mathrm{module}\ m=\hat{\mu}\ \Rightarrow\ \mathrm{module}\ m{:}_{\mu}\sigma\leadsto\mathrm{module}\ m{:}_{\mu}\sigma=\mu\dashv\Delta}$$

 ${\tt SynElabModAnnSbnd}$

$$\frac{\Phi;\Xi\vdash\hat{\sigma}\ \Rightarrow\ \xi\leadsto\sigma\dashv\Delta_1\qquad \Gamma;\Phi;\Xi\vdash\hat{\mu}\ \Leftarrow\ \sigma\leadsto\mu\dashv\Delta_2}{\Gamma;\Phi;\Xi\vdash\mathrm{module}\ m:_{\mu}\hat{\sigma}=\hat{\mu}\ \Rightarrow\ \mathrm{module}\ m:_{\mu}\sigma\leadsto\mathrm{module}\ m:_{\mu}\sigma=\mu\dashv\Delta_1\cup\Delta_2}$$