

Date

No

Bài 3. đề 1

a) Euler-cycle(u) {

Step 1: Initialize

Stack =  $\emptyset$ ;CE =  $\emptyset$ ;

push(stack, u);

Step 2: Loop

while (stack  $\neq \emptyset$ ) {

S = get(stack);

if (Adj(s)  $\neq \emptyset$ ) {

t = &lt;the first vertex in Adj(s)&gt;;

push(stack, t);

E = E  $\setminus$  {(s, t)};

}

else {

S = pop(stack);

S  $\Rightarrow$  CE

}

}

Step 3: Result

&lt;Overturning vertices in CE we get an Eulerian circuit&gt;

}



#	Date	Stack	No	CE	#	Stack	CE
1		3		∅	11	3, 2, 1, 5, 3, 4, 6, 7, 8	3
2		3, 2, 4		∅	12	3, 2, 1, 5, 3, 4, 6, 7, 10	3
3		3, 2, 1		∅	13	3, 2, 1, 5, 3, 4, 6, 7, 10, 1	3
4		3, 2, 1, 5		∅	14	3, 2, 1, 5, 3, 4, 6, 7, 10, 1, 9	3
5		3, 2, 1, 5, 3		∅	15	3, 2, 1, 5, 3, 4, 6, 7, 10, 1, 9, 6	3
6		3, 2, 1, 5, 3, 4		∅	16	3, 2, 1, 5, 3, 4, 6, 7, 10, 1, 9	3, 6
7		3, 2, 1, 5, 3, 4, 6		∅	17	3, 2, 1, 5, 3, 4, 6, 7, 10, 1, 9, 7	3, 6
8		3, 2, 1, 5, 3, 4, 6, 3		∅	18	3, 2, 1, 5, 3, 4, 6, 7, 10, 1, 9, 7, 10	3, 6
9		3, 2, 1, 5, 3, 4, 6,		3	19	3, 2, 1, 5, 3, 4, 6, 7, 10, 1, 9, 7, 10, 9	3, 6
10		3, 2, 1, 5, 3, 4, 6, 7		3	20	3, 2, 1, 5, 3, 4, 6, 7, 10, 1, 9, 7, 10	3, 6, 9

Move the vertices from stack to CE one by one until Stack = ∅  
 CE: 3, 6, 9, 10, 7, 9, 1, 10, 7, 6, 4, 3, 5, 1, 2, 3

Overturning vertices in CE we get Euler Circuit:

3-2-1-5-3-4-6-7-10-1-9-7-10-9-6-3



Date

No

Bài 3 đề 2

a) Hamilton(int k) {

for (y ∈ Adj[X[k-1]]) {

if ((k == n+1) && (y == v<sub>0</sub>)) {

Store\_Hol\_Cin(X[1], X[2], ..., X[n]);

else if (uncheck[y] == true) {

X[k] = y;

uncheck[y] = false;

Hamilton(k+1);

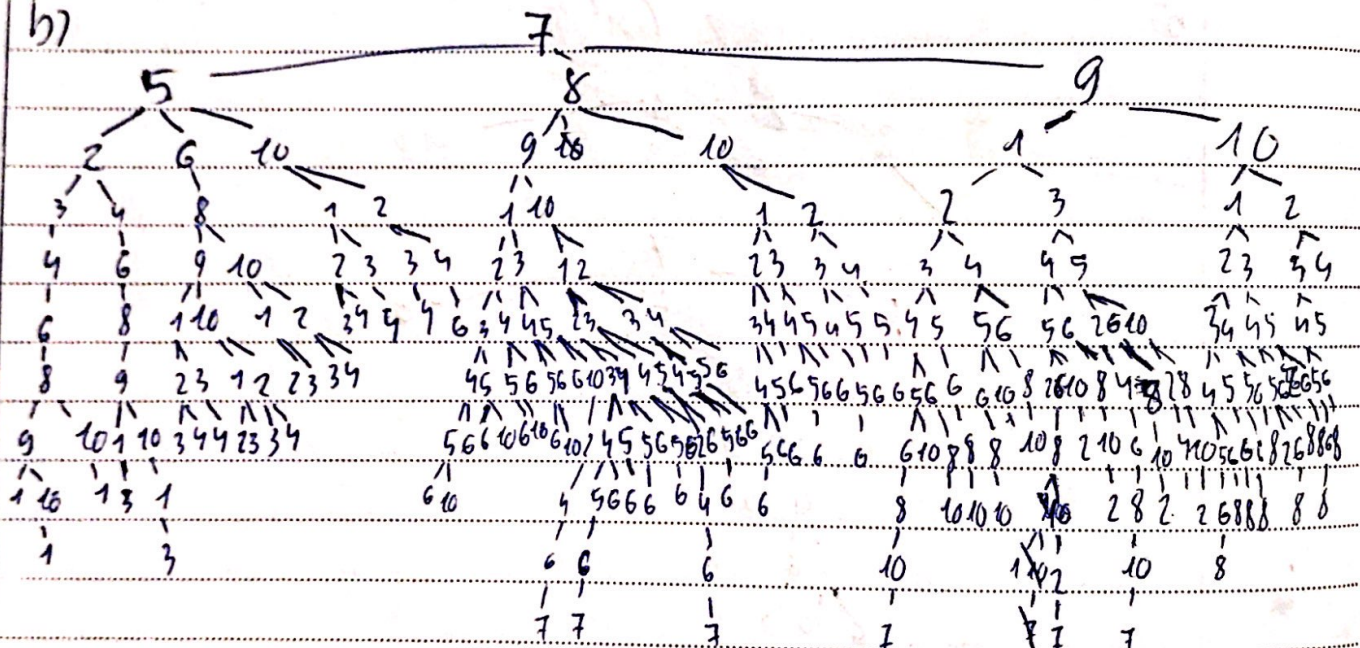
uncheck[y] = true;

}

}

}

b)



Hamilton circuits starting from vertex 7 of the given graph:

7 - 8 - 9 - 1 - 3 - 5 - 10 - 2 - 4 - 6 - 7

7 - 8 - 9 - 10 - 1 - 2 - 3 - 4 - 5 - 6 - 7

7 - 8 - 9 - 10 - 1 - 3 - 5 - 2 - 4 - 6 - 7

7 - 9 - 1 - 2 - 3 - 4 - 5 - 6 - 8 - 10 - 7

7 - 9 - 1 - 3 - 4 - 5 - 6 - 8 - 10 - 2 - 7

7 - 9 - 1 - 3 - 5 - 2 - 4 - 6 - 8 - 10 - 7



a2 Hamiltonian (link) }

~~for  $y \in \text{Ad}(X_{k-1})$~~ 

```
Stone_Hal_Gin(x[1], x[2], ..., x[n]);
```

a) Hamilton(int k) {

$$\text{for } (y \in A d; (x[k-1])) \{$$
$$\{ f \mid (k = n+1) \&\& (y = v_0) \}$$

Stone-Hal-Gn( $x[1], x[2], \dots, x[n]$ ):

```
else if (uncheckLy == true) {
```

$$X[k] = y;$$

```
uncheck[i] = false;
```

Hamilton  $(K+1)$ :

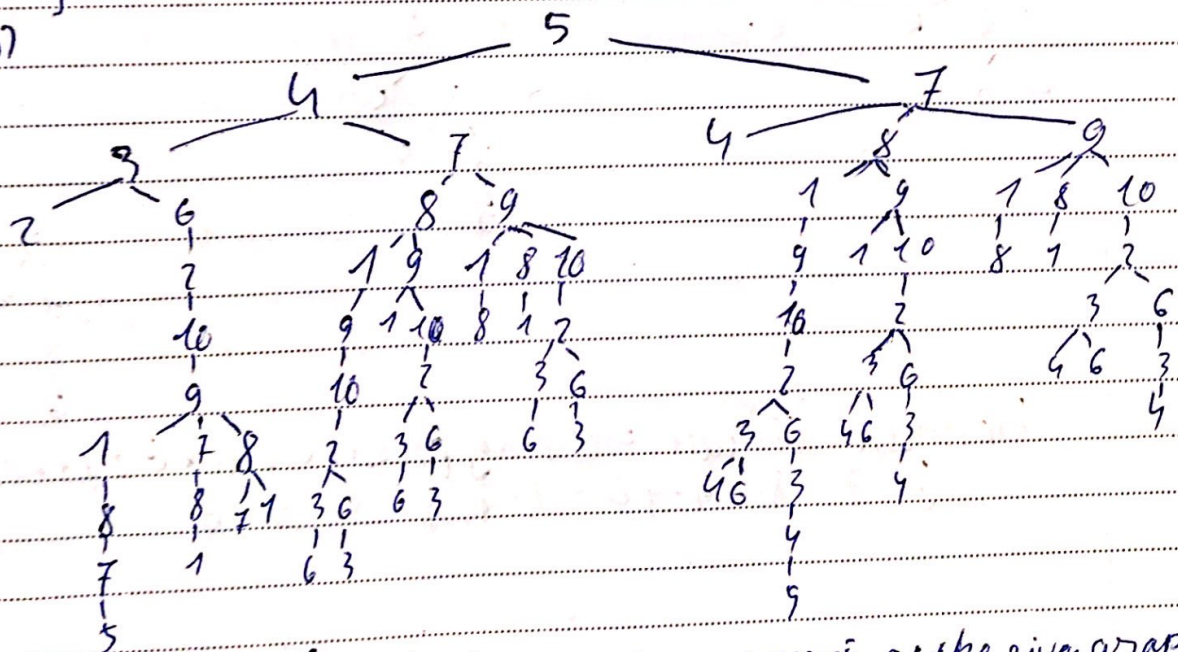
```
unCheck[y] = true;
```

}

3

3

b7



5-4-3-6-2-10-9-1-8-7-3

5-7-8-~~9~~-9-10-2-6-3-4-5



Date

No

Bài 3. đề 4.

a) Hamilton(int k){

for (y ∈ Adj(X[k-1])){

if ((k == n+1) && (y == v<sub>0</sub>)){

Store\_Ham\_Cir(X[1], X[2], ..., X[n]);

else if (unCheck[y] == true){

X[k] = y;

unCheck[y] = false;

Hamilton(k+1);

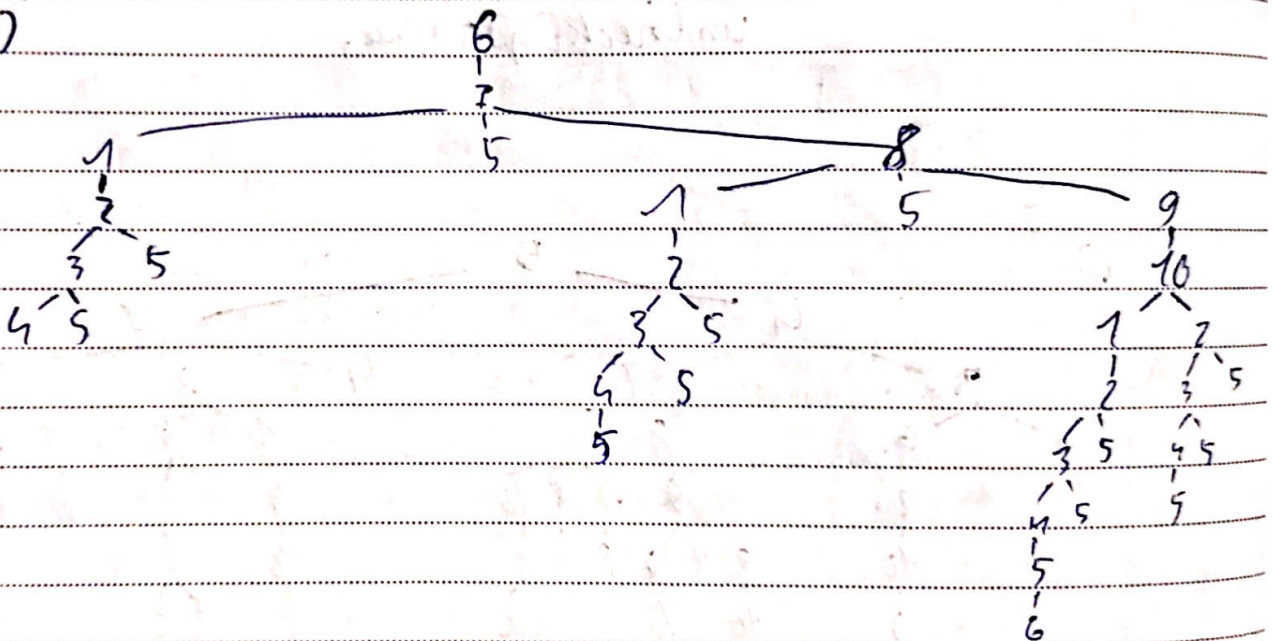
unCheck[y] = true;

}

}

}

b)



Hamilton Circuit starting from vertex 6 of the given graph

6 - 7 - 8 - 9 - 10 - 1 - 2 - 3 - 4 - 5 - 6