

Review

Assignment 1 – Task 1 - Clarifications

- ❑ You can use your images with and without glasses
- ❑ You can use images of celebrities as “unknown” (other than you) class.
- ❑ Ensure class ratios in train and test splits (recall stratified split).
- ❑ You should resize all the images to same resolution
 - 32x32 is a good start for now. **Why?**
 - **How many features would be there if the image is grayscale and the resolution is 32x32?**
 - **How many features would be there for colored image with resolution of 32x32?**
- ❑ **Implementation tip: You can use .flatten for any numpy array to... flatten it! (aka converting to a vector)**

Feature Space: Image Data

- Images are nothing but a **2D/3D arrays** with values of color intensities, typically ranging **0 – 255**

Do this for all of your images and now each record is a vector!

10	90	16	16
0	11	11	11
18	30	33	33
18	18	18	18

10	90	16	16	0	11	11	11	18	30	33	33	18	18	18	18
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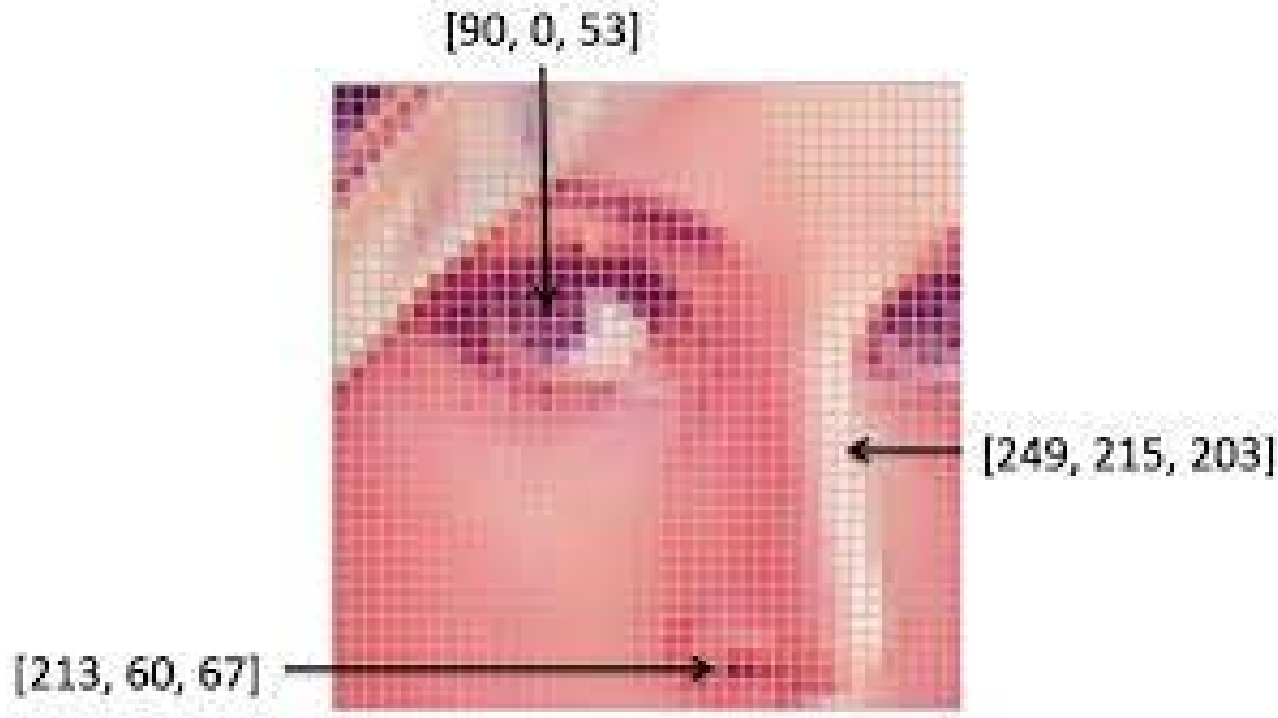
The label is stored separately for corresponding record.

If label is “Me” and “Not Me”, it’s classification.
If label is “Age”, its regression.

Implementation Tip:
Use numpy reshape.

Feature Space: Image Data

- ❑ The color Image is 3D array ($Width \times Height \times Channels$)
- ❑ Color image has 3 channels while grayscale image has 1 channel.



How would you convert color image to 1D array?

Feature Space: Text Data

❑ Suppose you are given labeled textual data in excel sheet

	Document#	Text	Class
Training	1	The Best movie best	Pos
	2	The Best best ever	Pos
	3	The Best film	Pos
	4	The Worst cast ever	Neg
Testing	5	The Best best best worst ever	?

the	best	movie	ever	film	worst	cast
1	1	1	0	0	0	0
1	1	0	1	0	0	0
1	1	0	0	1	0	0
1	0	0	1	0	1	1

These are called “Binary Occurrences” features.

1	1	0	1	0	1	0
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label
1
1
1
0

?

Feature Space: Text Data

❑ Suppose you are given labeled textual data in excel sheet

	Document#	Text	Class
Training	1	The Best movie best	Pos
	2	The Best best ever	Pos
	3	The Best film	Pos
	4	The Worst cast ever	Neg
Testing	5	The Best best best worst ever	?

the	best	movie	ever	film	worst	cast	label
1	2	1	0	0	0	0	1
1	2	0	1	0	0	0	1
1	1	0	0	1	0	0	1
1	0	0	1	0	1	1	0

These are called “Term Frequency” features.

Advanced TFIDF features (we’ll skip details)

1	3	0	1	0	1	0	?
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Supervised Learning

❑ Predicting the labels for unseen data based on labelled instances.

❑ Quick recap!

Path	Label
data/1.jpg	me
data/2.jpg	not me
data/3.jpg	me
data/4.jpg	me
.	.
.	.
.	.

Classification or Regression?

Classification. Specifically, binary-class classification.

Path	Label
data/1.jpg	me
data/2.jpg	not me
data/3.jpg	my friend
data/4.jpg	me
.	.
.	.
.	.

Classification or Regression?

Classification. Specifically, multi-class classification.

Path	Label	Label 2
data/1.jpg	me	smiling
data/2.jpg	not me	not smiling
data/3.jpg	my friend	smiling
data/4.jpg	me	smiling
.	.	.
.	.	.
.	.	.

Classification or Regression?

Classification. Specifically, multi-label classification.

Rules vs. Learning

- ❑ Suppose we are working on classification of emails into “spam” and “ham” (not spam)
- ❑ **We can write a complicated set of rules**
 - Works well for a while
 - Cannot adapt well to new emails
 - Program could be reverse-engineered and circumvented
- ❑ **Learn the mapping between an email and its label using past labelled data**
 - Can be retrained on new emails
 - Not easy to reverse-engineer and circumvent in all cases
 - Easier to plug the leaks

Formalizing the Setup

$$D = \{(x^1, y_1), (x^2, y_2), \dots, (x^n, y_n)\} \subseteq X \times Y$$

Feature vector

$$D = \{(\vec{x}_1, y_1), (\vec{x}_2, y_2), \dots, (\vec{x}_n, y_n)\} \subseteq X \times Y$$

□ Where,

- D is the dataset
- X is the d -dimensional feature space (\mathbb{R}^d)
- \vec{x}_i or x^i is the input vector of the i th sample/record/instance
- Y is the label space

Any categorical attribute can be converted to numerical representation.

The data points are drawn from an **unknown** distribution P

$$(\vec{x}_i, y_i) \sim P(x, y)$$

If we don't know the distribution, let's approximate that using samples we gathered!

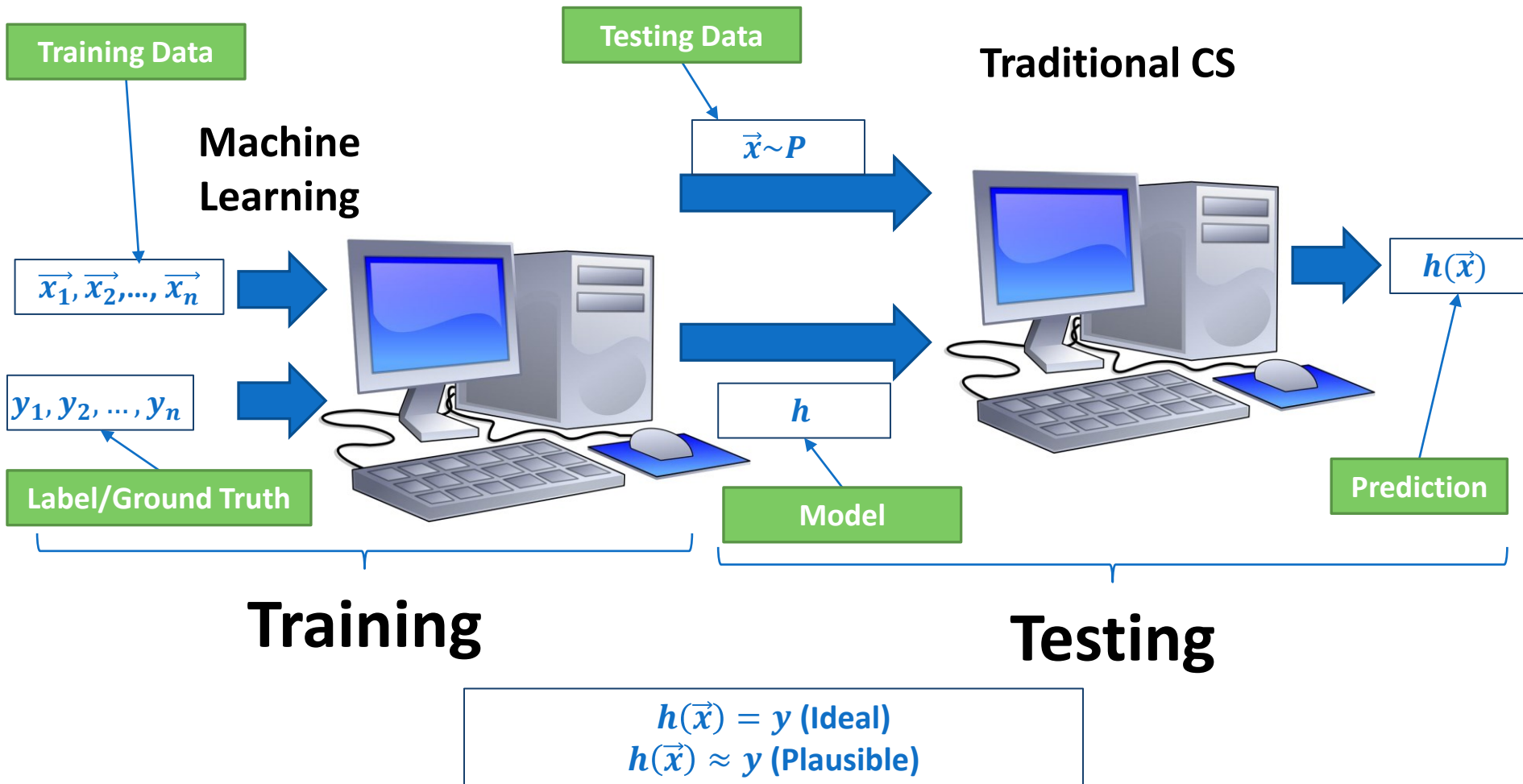
We want to learn a function $h \in H$, such that for a new instance $(\vec{x}, y) \sim P$

$$h(\vec{x}) = y \text{ with a high probability or at least } h(\vec{x}) \approx y$$

This also have to be from the same distribution as \vec{x}_i

In plain words, don't train on dogs and ask prediction for cats.

Training and Testing: Formally



Label Space

❑ Binary (Binary classification)

- Sentiment: positive / negative
- Email: spam / ham
- Online Transactions Fraud: Yes / No
- Tumor: Malignant / Benign
- $y \in \{0,1\}$
- $y \in \{-1, 1\}$

❑ Multi-class (multi-class classification)

- Sentiment: Positive / Negative / Neutral
- Emotion: Happy / Sad / Surprised / Angry / ...
- Parts of Speech Tag: Noun / Verb / Adjective / Adver / ...
- $y \in \{0,1,2, \dots\}$

❑ Real-valued (Regression)

- Temperature, height, age, length, weight, duration, price, ...

Hypothesis Space

- The hypothesis h is sampled from a hypothesis space H

$$h \in H$$

$$H \in \{H_D, H_R, H_{SVM}, H_{DL}, \dots\}$$

- H can be thought of to contain types of hypotheses, which share sets of assumptions like:

- Support Vector Machines

$$H_{SVM} \in \{H_1, H_2, \dots\}$$

- Decision Tree

$$H_D \in \{H_1, H_2, \dots\}$$

- Perception

$$H_P \in \{H_1, H_2, \dots\}$$

- Neural Networks

$$H_{NN} \in \{H_1, H_2, \dots\}$$

- ...

$$h \in H_D$$

Selection done
manually.

Selection done
automatically.

- For example: $h \in H$ for H decision trees:

- Would be instance of decision trees of different height, arity, thresholds etc.

So, how do we choose our h ?

- ☐ Randomly?
- ☐ Exhaustively?

How do we evaluate h ?

How to choose h ?

☐ Randomly

- May not work well
- Like using a random program to solve your sorting problem!
- May work if H is constrained enough

☐ Exhaustively

- Would be very slow!
- The space H is usually very large (if not infinite)

☐ H is usually chosen by ML Engineers (You!) based on their experience

- $h \in H$ is estimated efficiently using various optimization techniques (**math alert!**)

Before moving to finding h , let's first evaluate the labels.

Book Reading

☐ Murphy – Chapter 1