

SHELL SORT

SHELL SORT PARTITIONS
THE ORIGINAL LIST INTO
SUB-LISTS WHERE A SUB-
LIST IS MADE OF
ELEMENTS SEPARATED BY
AN "INCREMENT"

THE INCREMENT IS SLOWLY
REDUCED TILL IT'S 1

EACH SUB-LIST IS
THEN SORTED USING
INSERTION SORT

AT THIS POINT IT'S
BASICALLY INSERTION
SORT OF A NEARLY
SORTED LIST

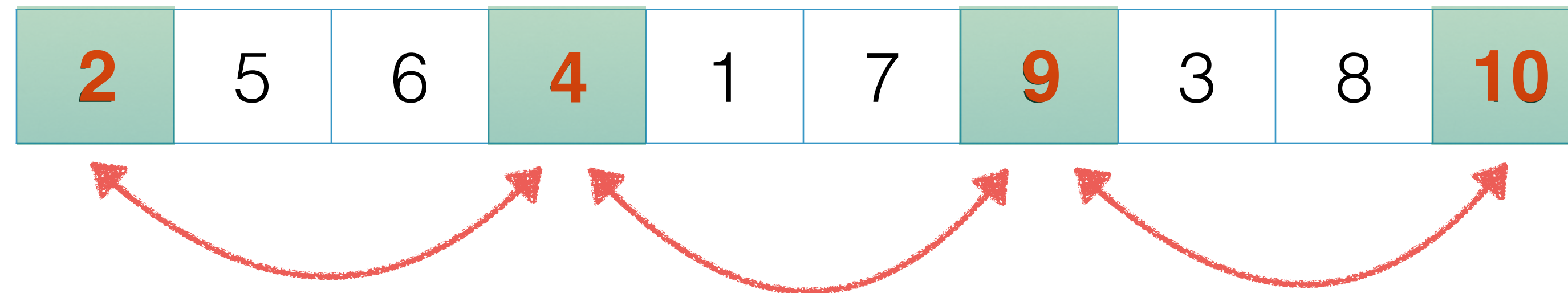
SHELL SORT

SUPPOSE THE INCREMENT = 3
THEN THE SUBLISTS WOULD
LOOK SOMETHING LIKE THIS

4	5	6	2	1	7	10	3	8	9
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SHELL SORT

THE FIRST SUB-LIST FOR
INCREMENT = 3 IS NOW
SORTED



SORTED

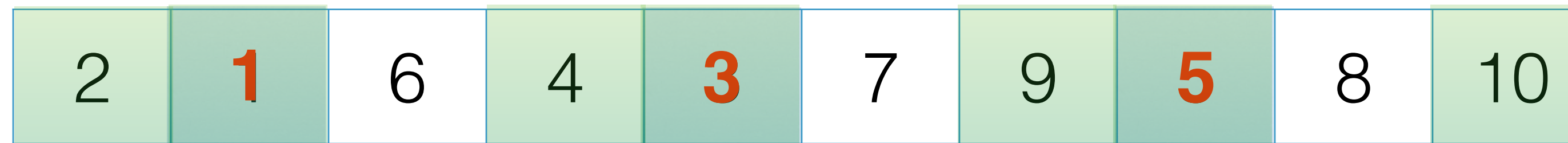
SHELL SORT

THE NEXT SUB-LIST
WITH INCREMENT
3 WOULD START
FROM INDEX 1

2	5	6	4	1	7	9	3	8	10
---	---	---	---	---	---	---	---	---	----

SHELL SORT

SORT THE NEXT
SUB-LIST



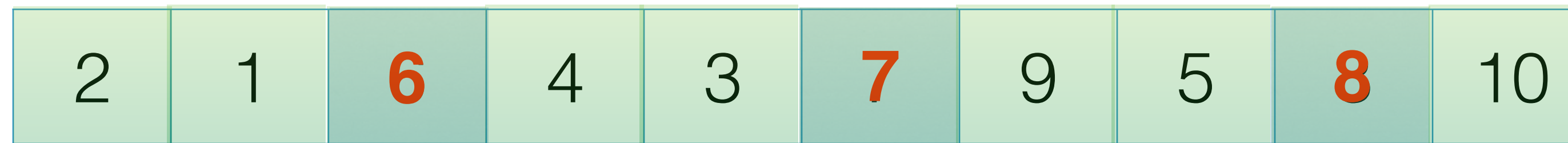
SORTED

SHELL SORT

NOW THE LAST SUB-LIST
WITH INCREMENT 3

2	1	6	4	3	7	9	5	8	10
---	---	---	---	---	---	---	---	---	----

SHELL SORT



THE LIST IS ALMOST SORTED
NOW - ALL WE NEED IS
ANOTHER PASS WITH
INCREMENT = 1

SHELL SORT

2	1	6	4	3	7	9	5	8	10
---	---	---	---	---	---	---	---	---	----

SHELL SORT

1	2	3	4	5	6	7	8	9	10
---	---	---	---	---	---	---	---	---	----

SHELL SORT

1	2	3	4	5	6	7	8	9	10
---	---	---	---	---	---	---	---	---	----



SORTED

THE COOL THING IS THAT SINCE THE LIST WAS ALMOST SORTED IT'S FAR EASIER TO GET TO A FULLY SORTED STATE WITH INCREMENT SET TO 1

MODIFIED INSERTION SORT - CODE

INSERTION SORT TAKES
IN A START INDEX AND
AN INCREMENT

```
public static void insertionSort(int[] listToSort, int startIndex, int increment) {  
    for (int i = startIndex; i < listToSort.length; i = i + increment) {  
        for (int j = Math.min(i + increment, listToSort.length - 1);  
            j - increment >= 0;  
            j = j - increment) {  
            if (listToSort[j] < listToSort[j - increment]) {  
                swap(listToSort, j, j - increment);  
            } else {  
                break;  
            }  
        }  
        print(listToSort);  
    }  
}
```

ALL ITERATIONS THROUGH
THE LIST ARE BASED ON
THE INCREMENT

BREAK OUT OF THE
INNER LOOP IF NO
ELEMENT IS
SWAPPED

ADJACENT ELEMENTS
SEPARATED BY AN
INCREMENT ARE COMPARED

SHELL SORT - CODE

WE'VE PICKED AN
INCREMENT AT
RANDOM

```
public static void shellSort(int[] listToSort) {  
    int increment = listToSort.length / 2;  
    while (increment >= 1) {  
        for (int startIndex = 0; startIndex < increment; startIndex++) {  
            insertionSort(listToSort, startIndex, increment);  
        }  
        increment = increment / 2;  
    }  
}
```

CALL INSERTION SORT ON
ALL THE SUB-LISTS
CREATED BY ELEMENTS
"INCREMENT" APART

THE SORT IS
COMPLETE WHEN
INCREMENT
REACHES 1

SLOWLY REDUCE THE
INCREMENT

SHELL SORT USES
INSERTION SORT, THE
ENTIRE LIST IS DIVIDED
AND THOSE SUB-LISTS
ARE SORTED

GETTING THE EXACT
COMPLEXITY OF SHELL SORT
IS HARD BECAUSE IT DEPENDS
ON THE INCREMENT VALUES
CHOSEN

ALSO IT'S NOT CLEAR WHAT
THE BEST INCREMENT VALUE IS

THE COMPLEXITY OF SHELL SORT IS BETTER
THAN INSERTION SORT AS THE FINAL
ITERATION WITH INCREMENT = 1 HAS TO
WORK WITH A NEARLY SORTED LIST

THE COMPLEXITY OF SHELL SORT IS
SOMEWHERE BETWEEN $O(N)$ AND $O(N^2)$

DIFFERENT VALUES OF
INCREMENTS PRODUCE
DIFFERENT COMPLEXITIES

FOR INCREMENTS $2^k - 1$ FOR $k =$
1, 2, 3

THE COMPLEXITY IS $O(N^{3/2})$

THE ALGORITHM IS
ADAPTIVE SINCE ITS BASED
ON INSERTION SORT WHICH
IS ADAPTIVE

IT TAKES $O(1)$ EXTRA
SPACE, IT SORTS IN PLACE