

QUICK SORT

THIS IS ONCE AGAIN A DIVIDE AND CONQUER ALGORITHM WHICH PARTITIONS THE LIST AT EVERY STEP

THE PIVOT IS AN ELEMENT FROM THE LIST

THIS PIVOT PARTITION IS APPLIED TO ALL SUB-LISTS TILL THE LIST IS SORTED

THE PARTITION IS NOT BASED ON THE LENGTH OR AN ARTIFICIAL INDEX, IT'S BASED ON A PIVOT

THE LIST IS PARTITIONED WITH ALL ELEMENTS SMALLER THAN THE PIVOT ON ONE SIDE AND LARGER THAN THE PIVOT ON THE OTHER

QUICK SORT

FIRST WE CHOOSE A PIVOT TO
PARTITION THE LIST

IN VERY FIRST ITERATION THE
SUBLIST WHICH WE PARTITION IS
THE ENTIRE LIST

PIVOT



6	5	4	2	1	10	3	7	8	9
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THERE IS NO EXACT SCIENCE BEHIND THE PIVOT,
USUALLY THE FIRST OR THE LAST ELEMENTS OF
THE SUB-LIST ARE CHOSEN

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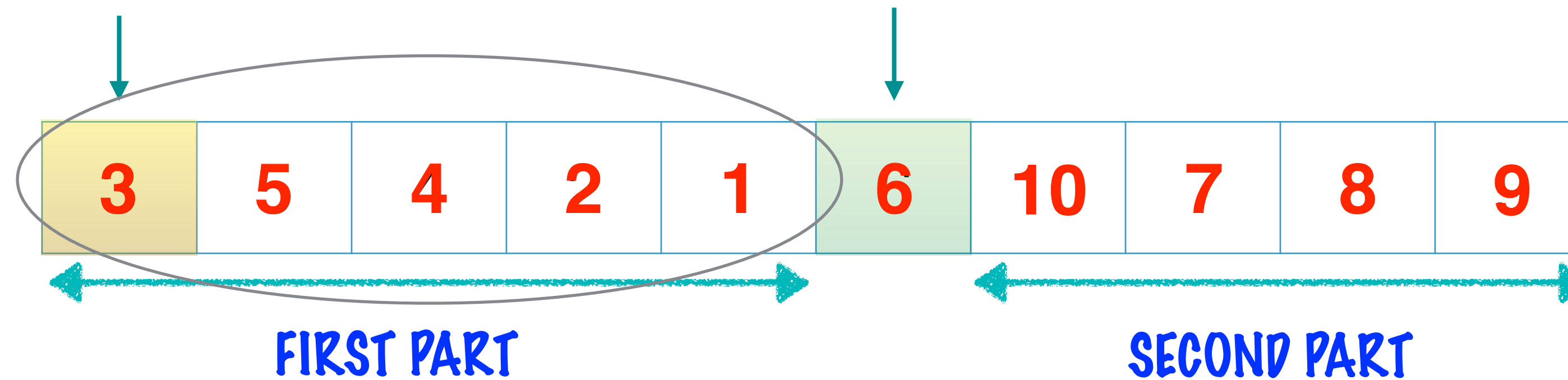
6	5	4	2	1	10	3	7	8	9
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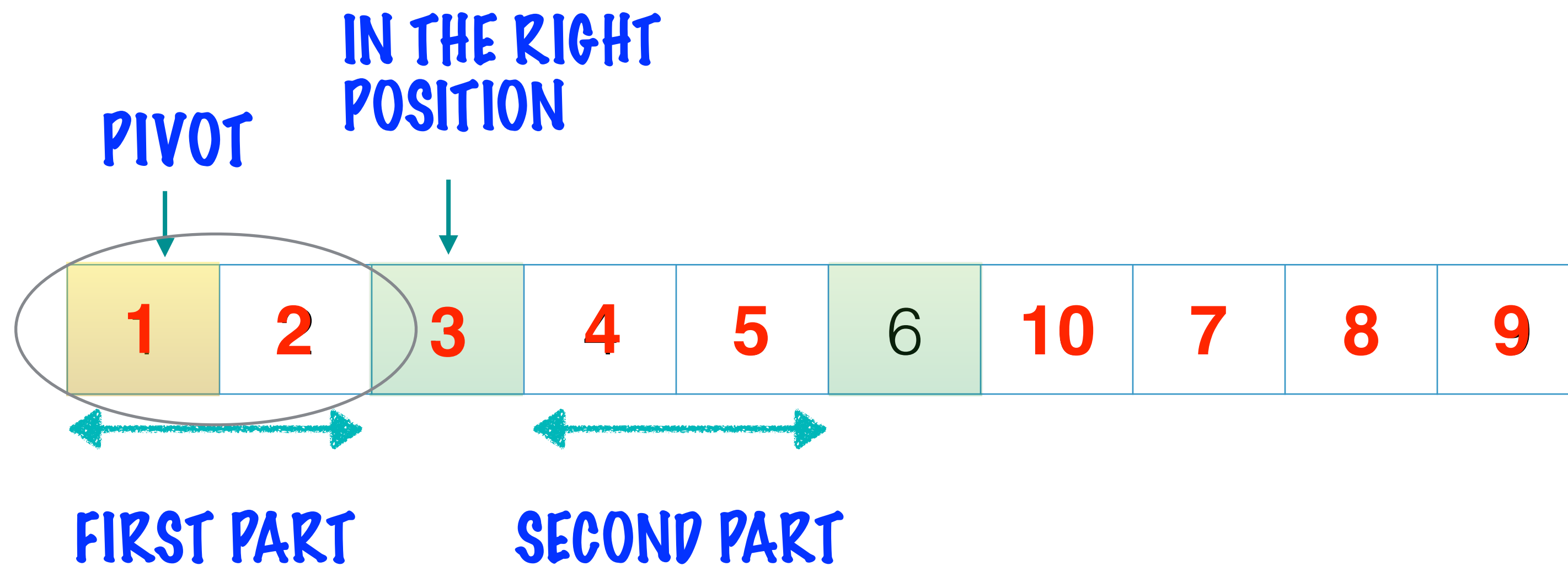
PIVOT FOR THE
FIRST PART

THE PIVOT IS NOW IN THE
CORRECT POSITION
IN THE OVERALL SORTED LIST



LET'S SORT THE FIRST PART OF THE
LIST BEFORE MOVING ON TO THE
SECOND

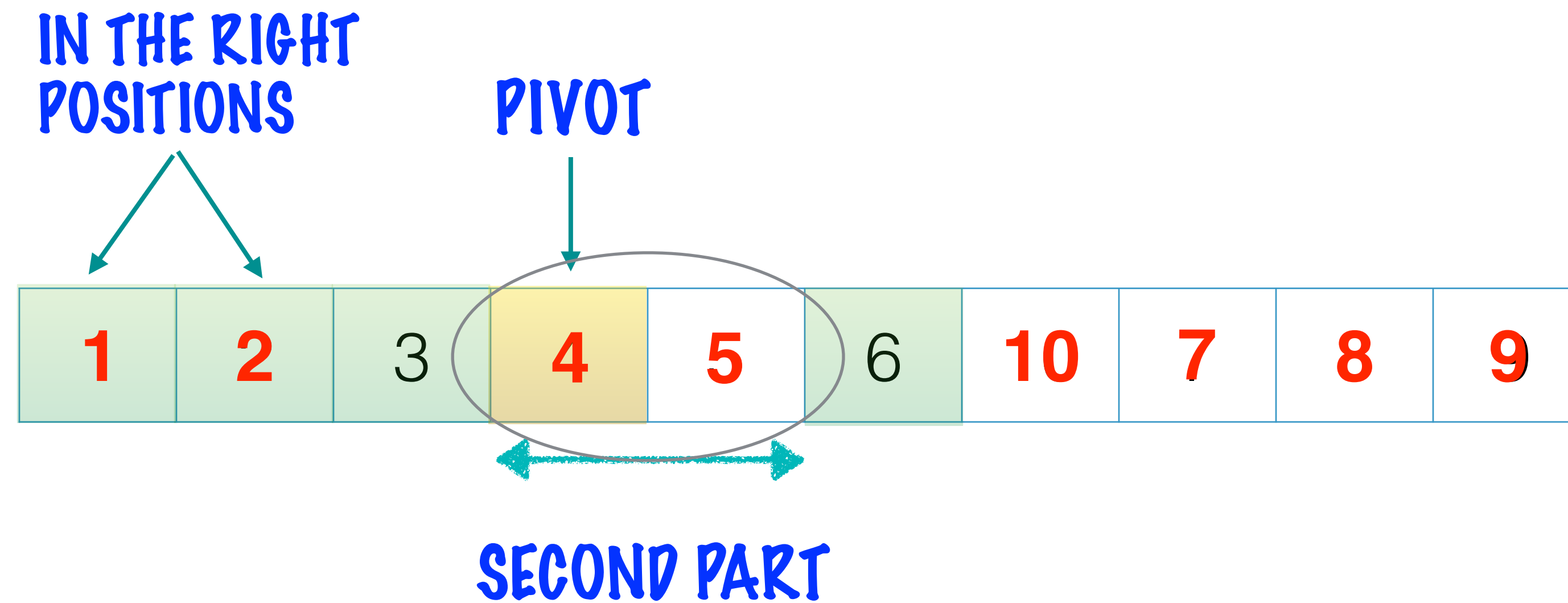
QUICK SORT



NOTE THAT ALL THAT IS NEEDED THAT THE
ELEMENTS SMALLER THAN THE PIVOT MOVE TO
THE LEFT, AND THOSE LARGER MOVE TO THE RIGHT

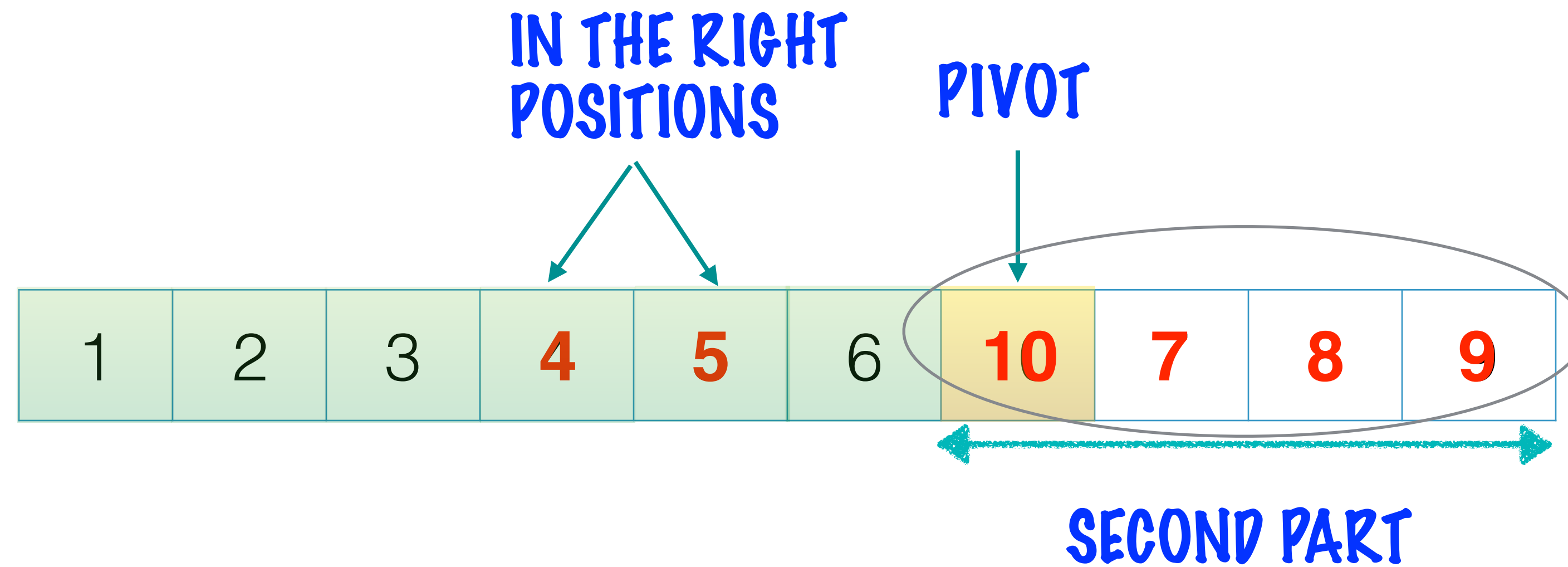
THEY NEED NOT BE IN ORDER ON EITHER SIDE OF THE PIVOT

QUICK SORT



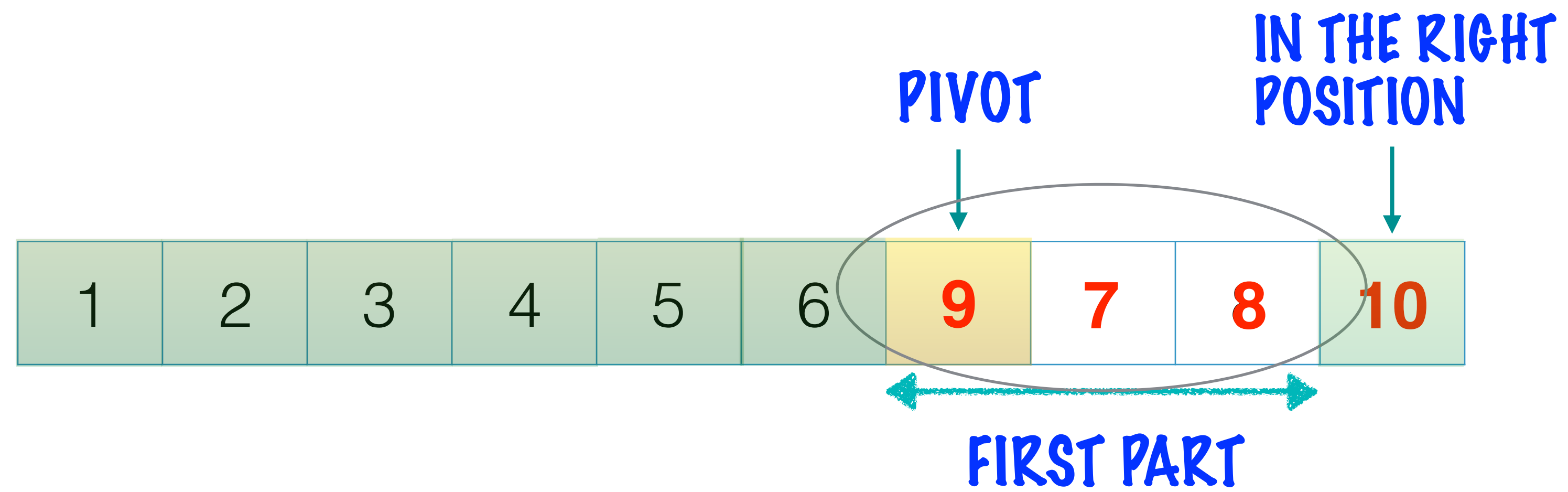
ITERATE TILL THE START AND END
OF THE LIST MEET AT THE CENTER

QUICK SORT



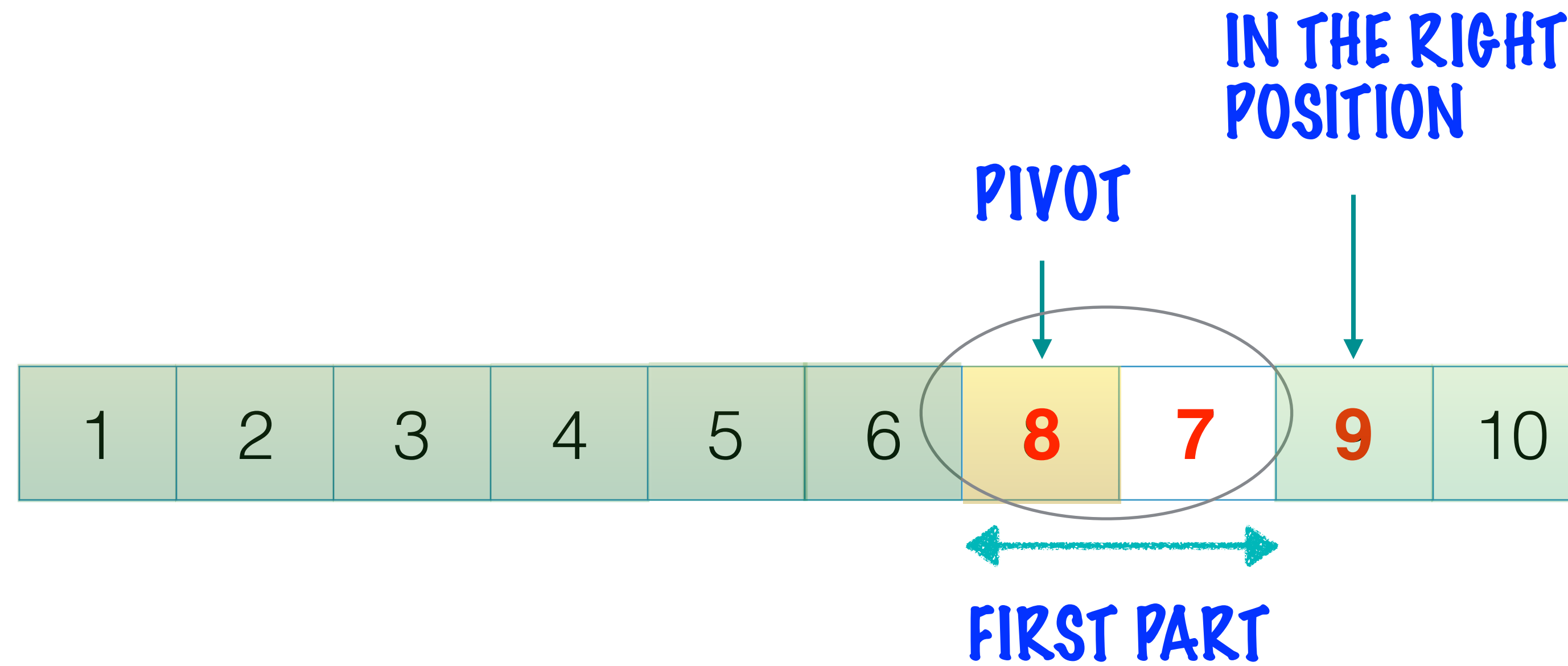
ONE-HALF OF THE LIST IS SORTED, NOW
ON TO THE SECOND PART

QUICK SORT



LAST FEW ITERATIONS LEFT

QUICK SORT



QUICK SORT

1	2	3	4	5	6	7	8	9	10
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A FULLY SORTED LIST!

QUICK SORT HAS 2 MAIN METHODS:

**1: THE "PARTITION" METHOD WHICH FINDS A PIVOT
AND MOVES ELEMENTS TO BEFORE OR AFTER THE
PIVOT**

**2: THE "QUICKSORT" METHOD WHICH DOES THE RECURSIVE
CALL TO SORT THE SUB-LISTS**

THE "PARTITION"

```
public static int partition(int[] listToSort, int low, int high) {  
    int pivot = listToSort[low];  
    int l = low;  
    int h = high;  
    while (l < h) {  
        while (listToSort[l] <= pivot && l < h) {  
            l++;  
        }  
        while (listToSort[h] > pivot) {  
            h--;  
        }  
        if (l < h) {  
            swap(listToSort, l, h);  
        }  
    }  
    swap(listToSort, low, h);  
    System.out.println("Pivot: " + pivot);  
    print(listToSort);  
    return h;  
}
```

LOW AND HIGH SPECIFY INDICES
WHICH DETERMINE WHAT PORTION
OF THE LIST WE'RE WORKING ON

CHOOSE A PIVOT TO PARTITION
THE LIST

MOVING FROM EITHER END
OF THE LIST TOWARDS THE
CENTER WE COMPARE THE
ELEMENTS TO THE PIVOT

ELEMENTS LARGER THAN THE
PIVOT ARE SWAPPED TO AFTER
THE PIVOT AND SMALLER
ELEMENTS MOVE BEFORE THE
PIVOT

SWAP THE PIVOT ELEMENT
TO THE CORRECT POSITION
IN THE LIST

THE LOOP CONTINUES SO LONG
AS THE INDICES DON'T CROSS
ONE ANOTHER AT THE CENTER

THE "QUICKSORT"

STOP THE SORT IF THE LOWER INDEX IS NOT ACTUALLY LOWER THAN THE HIGHER INDEX

```
public static void quickSort(int[] listToSort, int low, int high) {  
    if (low >= high) {  
        return;  
    }  
    int pivotIndex = partition(listToSort, low, high);  
    quickSort(listToSort, low, pivotIndex - 1);  
    quickSort(listToSort, pivotIndex + 1, high);  
}
```

FIND THE PIVOT

QUICKSORT THE PORTION OF THE LIST ON EITHER SIDE OF THE PIVOT

QUICK SORT USES DIVIDE AND CONQUER TO CREATE SMALLER PROBLEMS WHICH ARE EASIER TO TACKLE

JUST AS IN THE CASE OF OTHER DIVIDE AND CONQUER ALGORITHMS (E.G. MERGE SORT) THE COMPLEXITY HAS TO BE DERIVED

THE EXACT DERIVATION IS NOT REALLY RELEVANT TO PROGRAMMING INTERVIEWS

THE AVERAGE CASE COMPLEXITY OF QUICK SORT IS $O(N \log N)$

QUICK SORT IS NOT
ADAPTIVE

IT TAKES $O(\log N)$ EXTRA SPACE
FOR THE CALL STACK IN THE
RECURSION, THE WORST CASE FOR
SPACE COMPLEXITY COULD BE $O(N)$

IT IS NOT A STABLE SORT