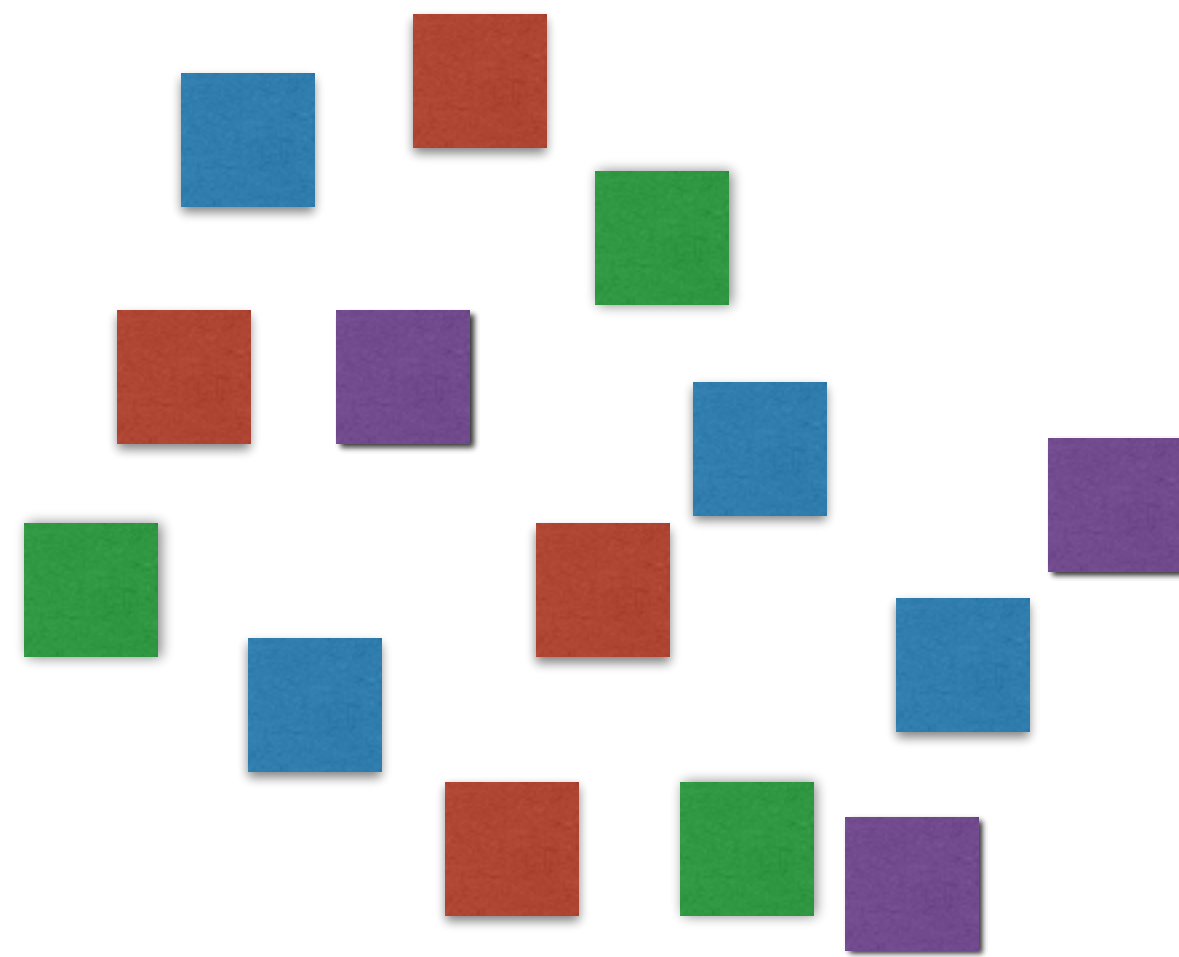


LET'S BUILD A QUEUE

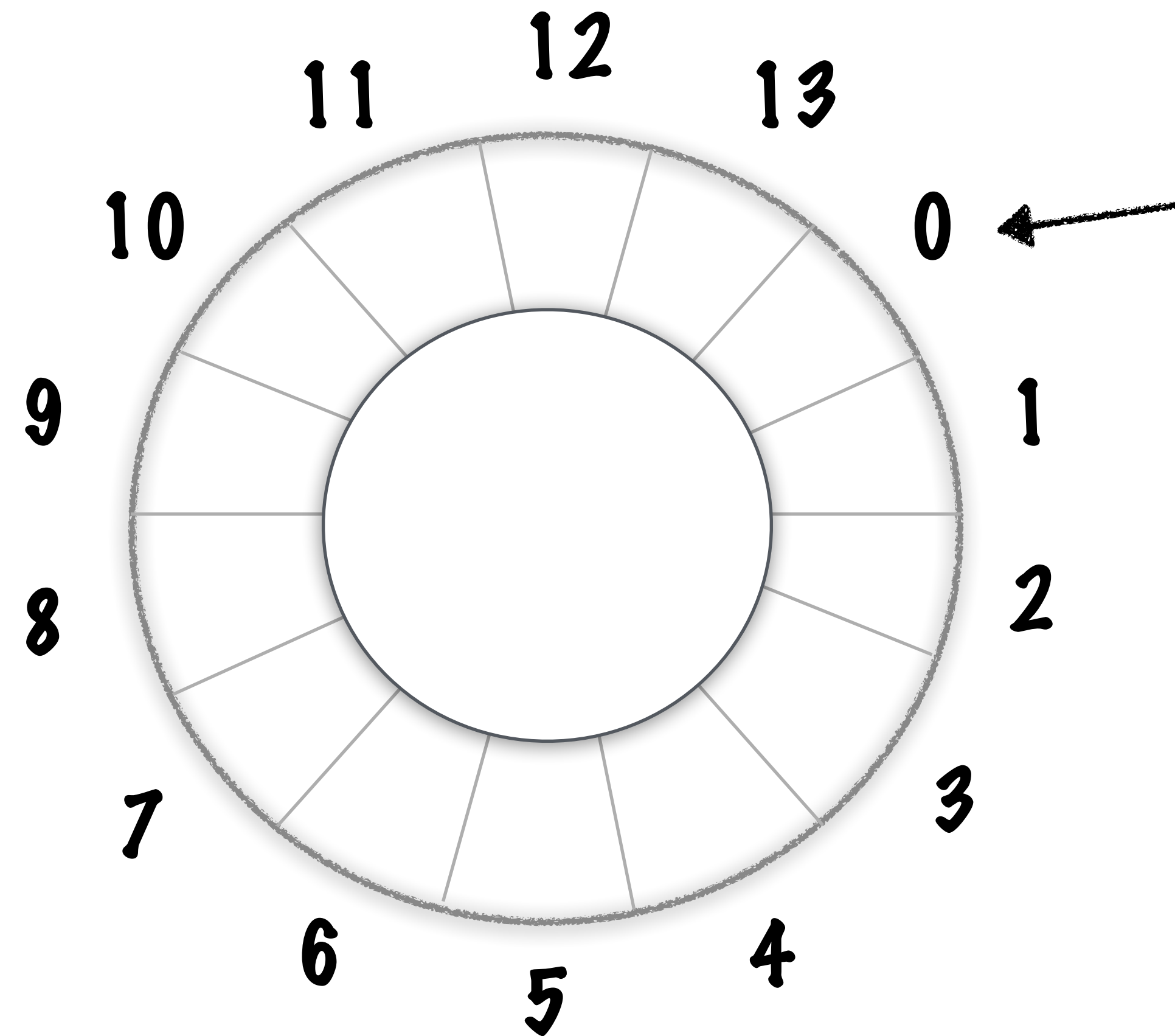
THE QUEUE

HEAD = -1

A SPECIAL VALUE TO DENOTE
AN EMPTY LIST



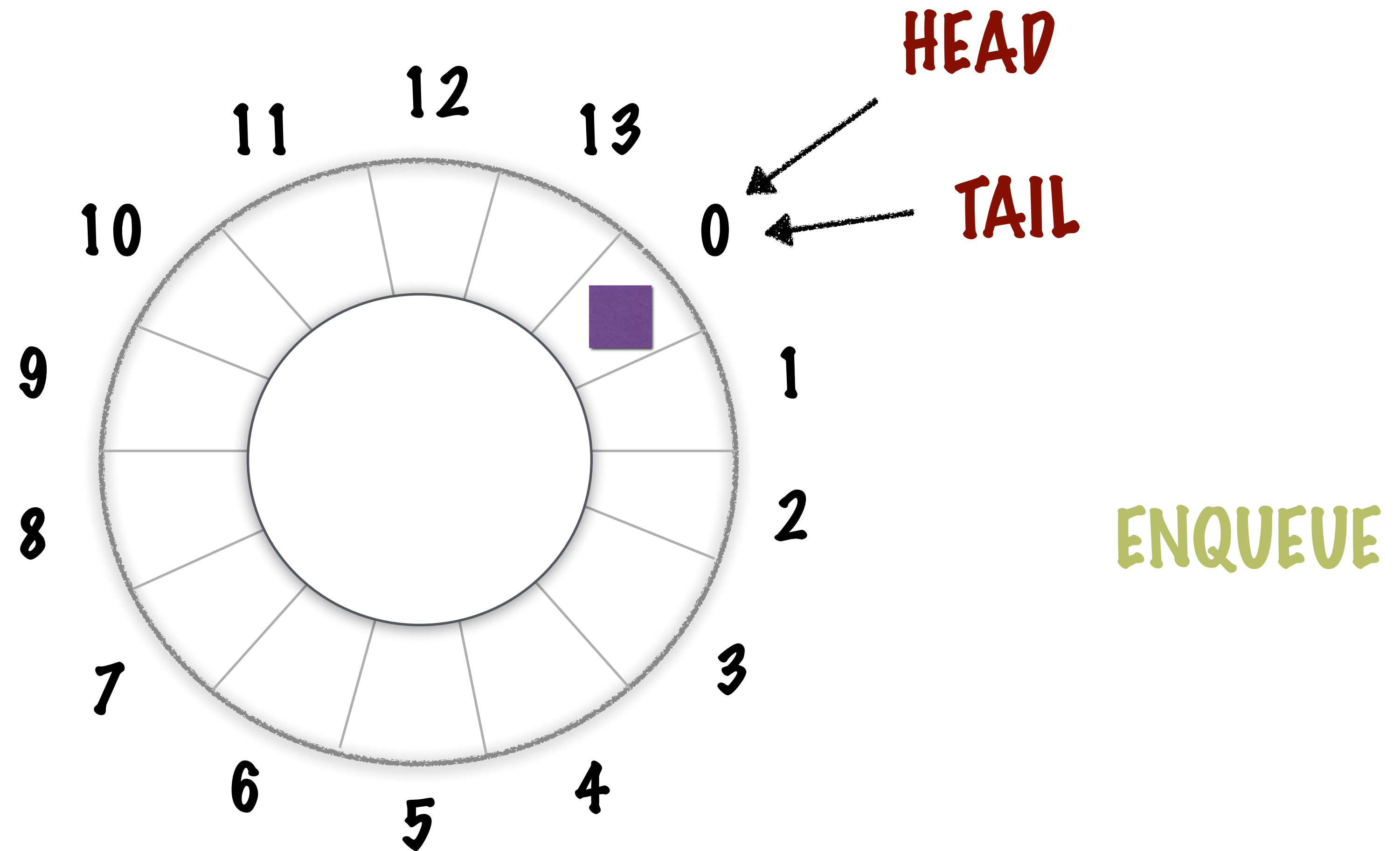
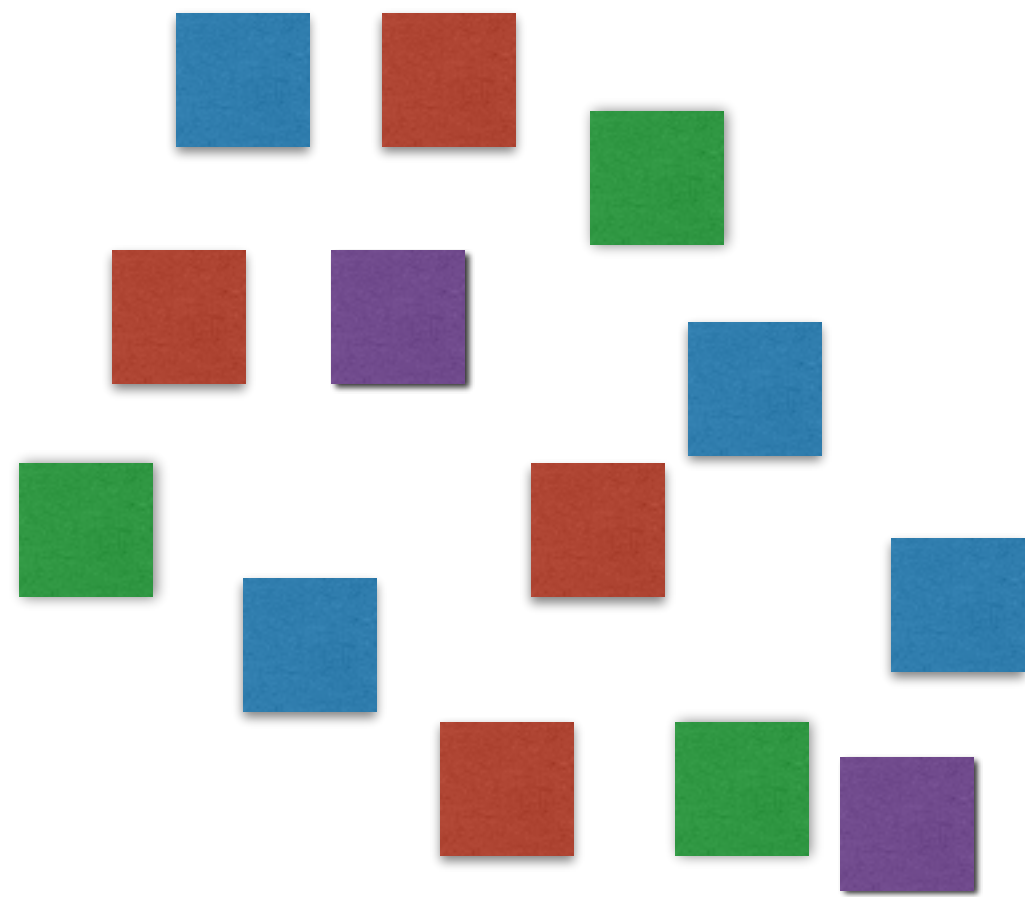
THIS CAN BE
IMPLEMENTED USING
AN ARRAY WHERE THE
LAST ELEMENT WRAPS
AROUND TO THE FIRST
ELEMENT



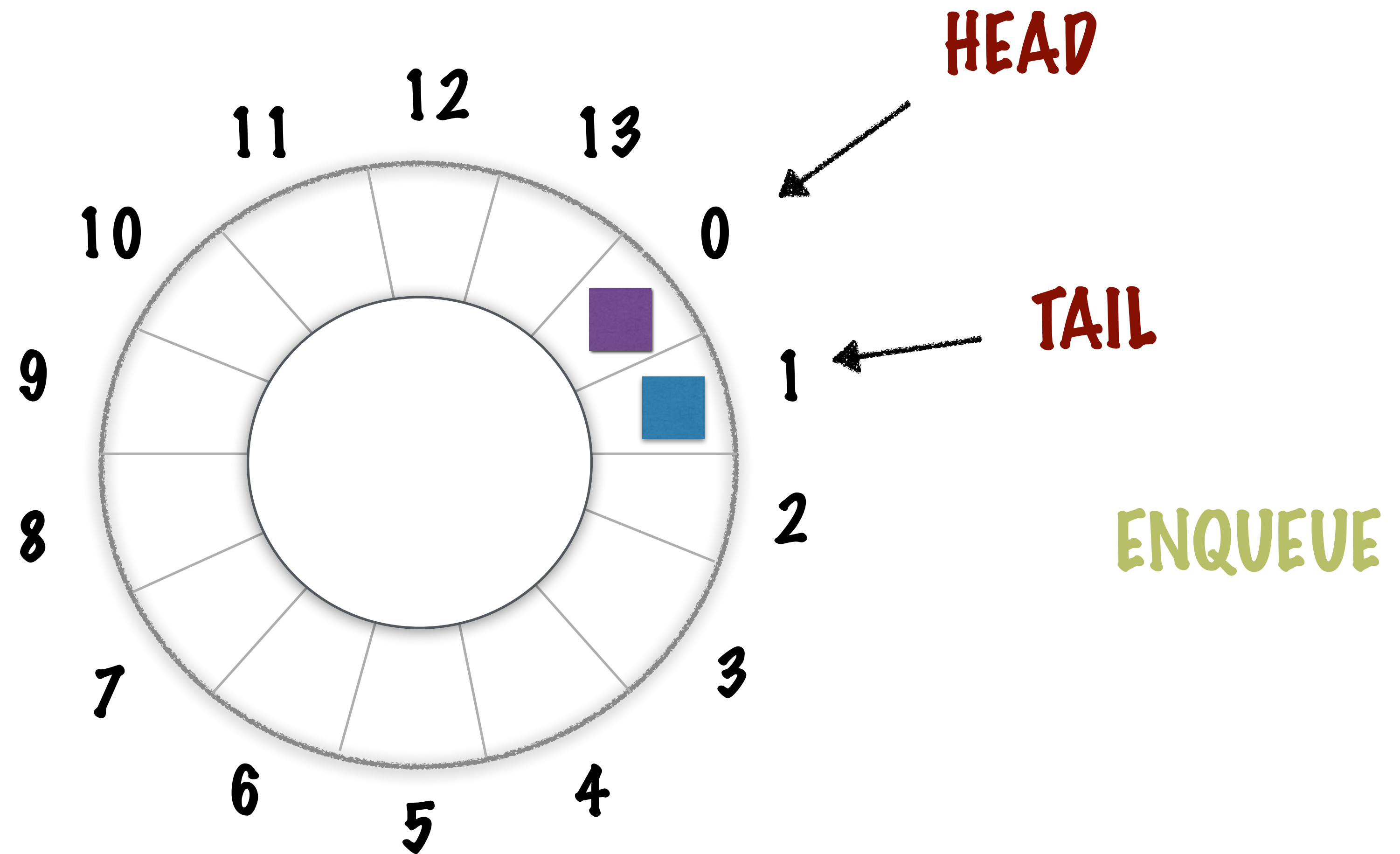
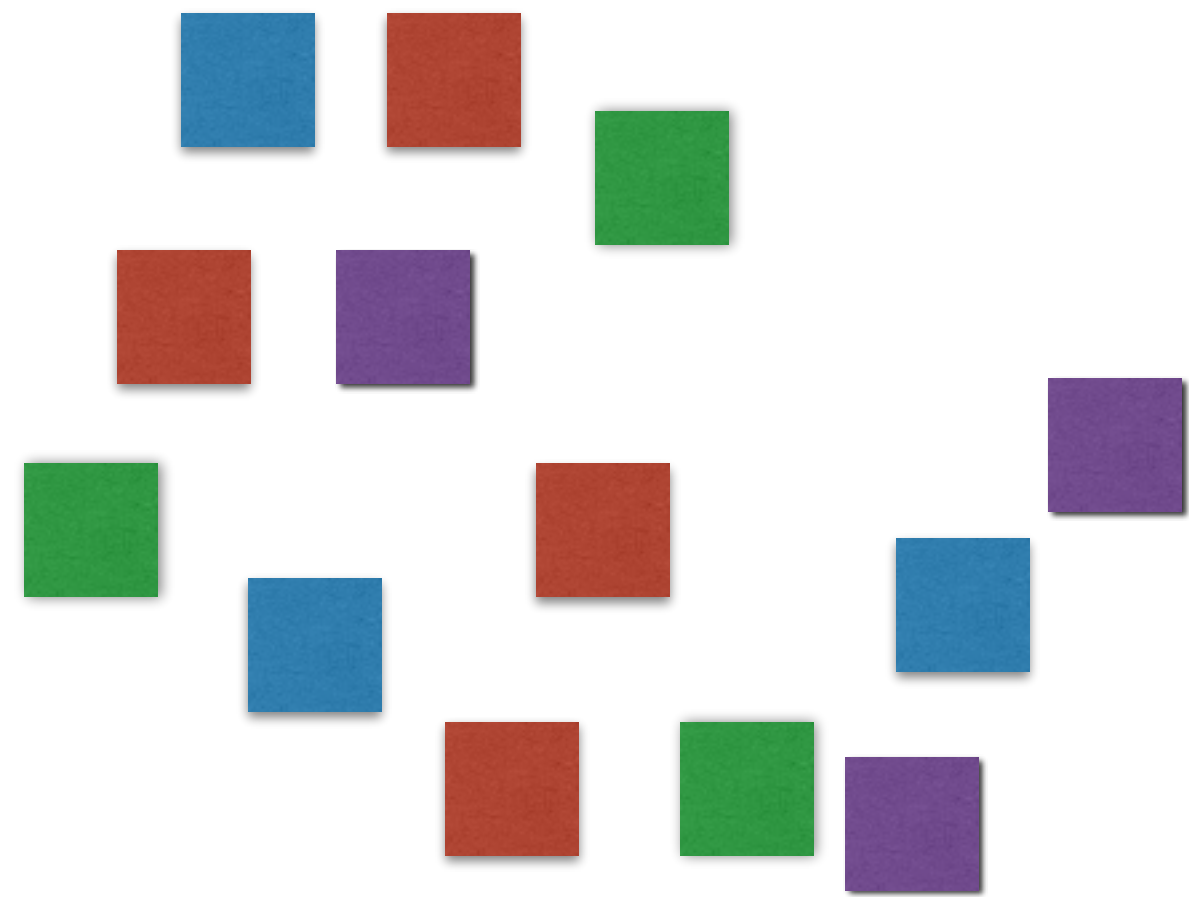
TAIL

ENQUEUE

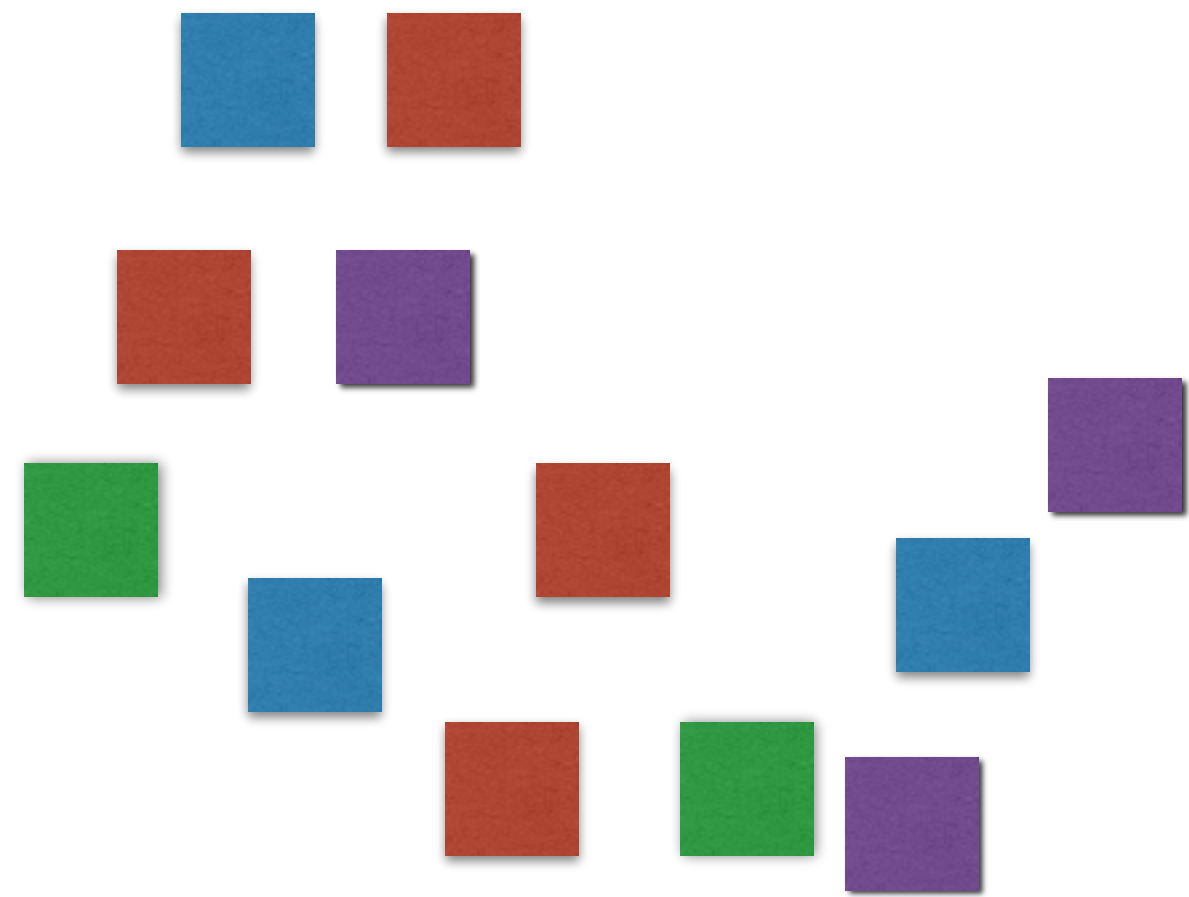
THE QUEUE



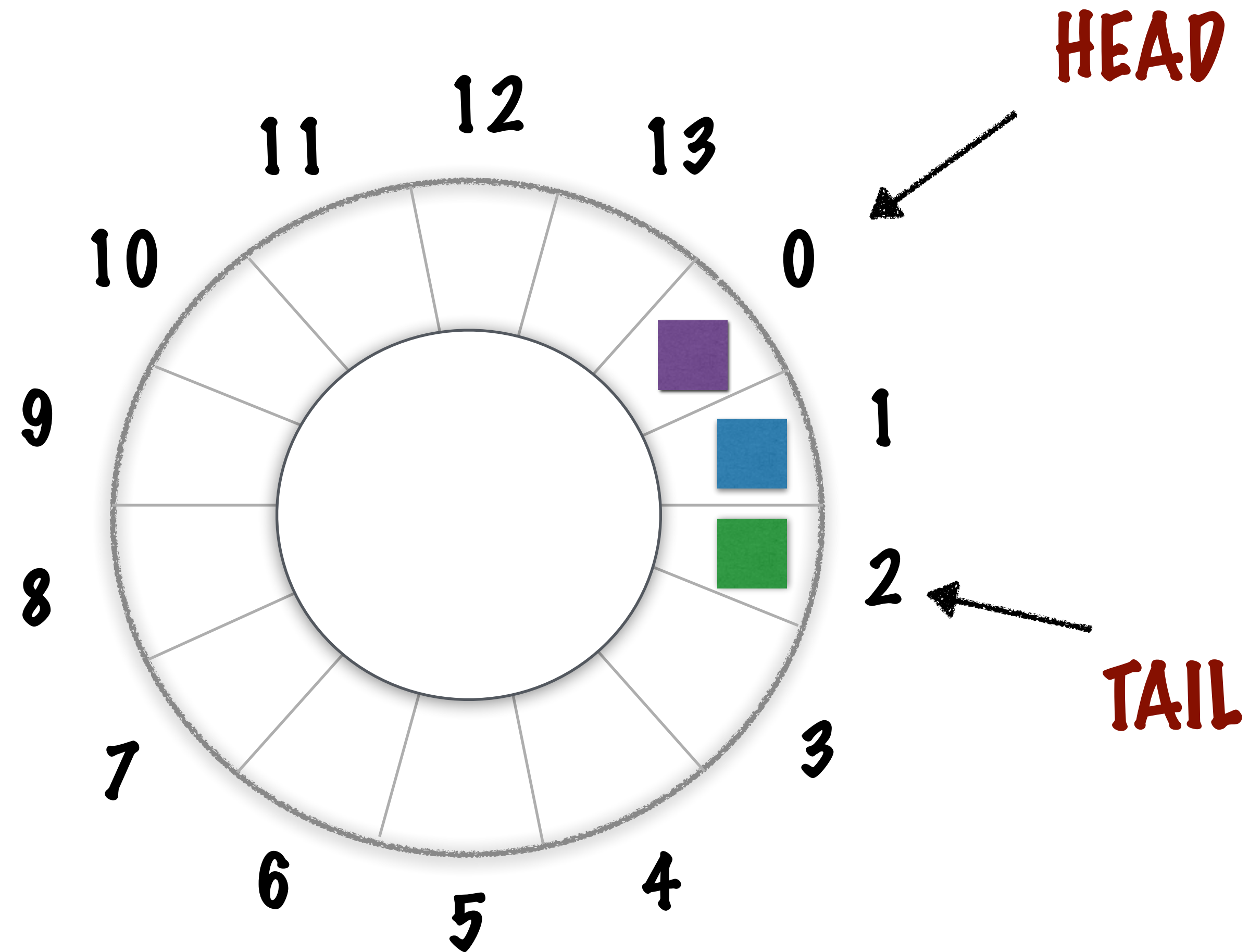
THE QUEUE



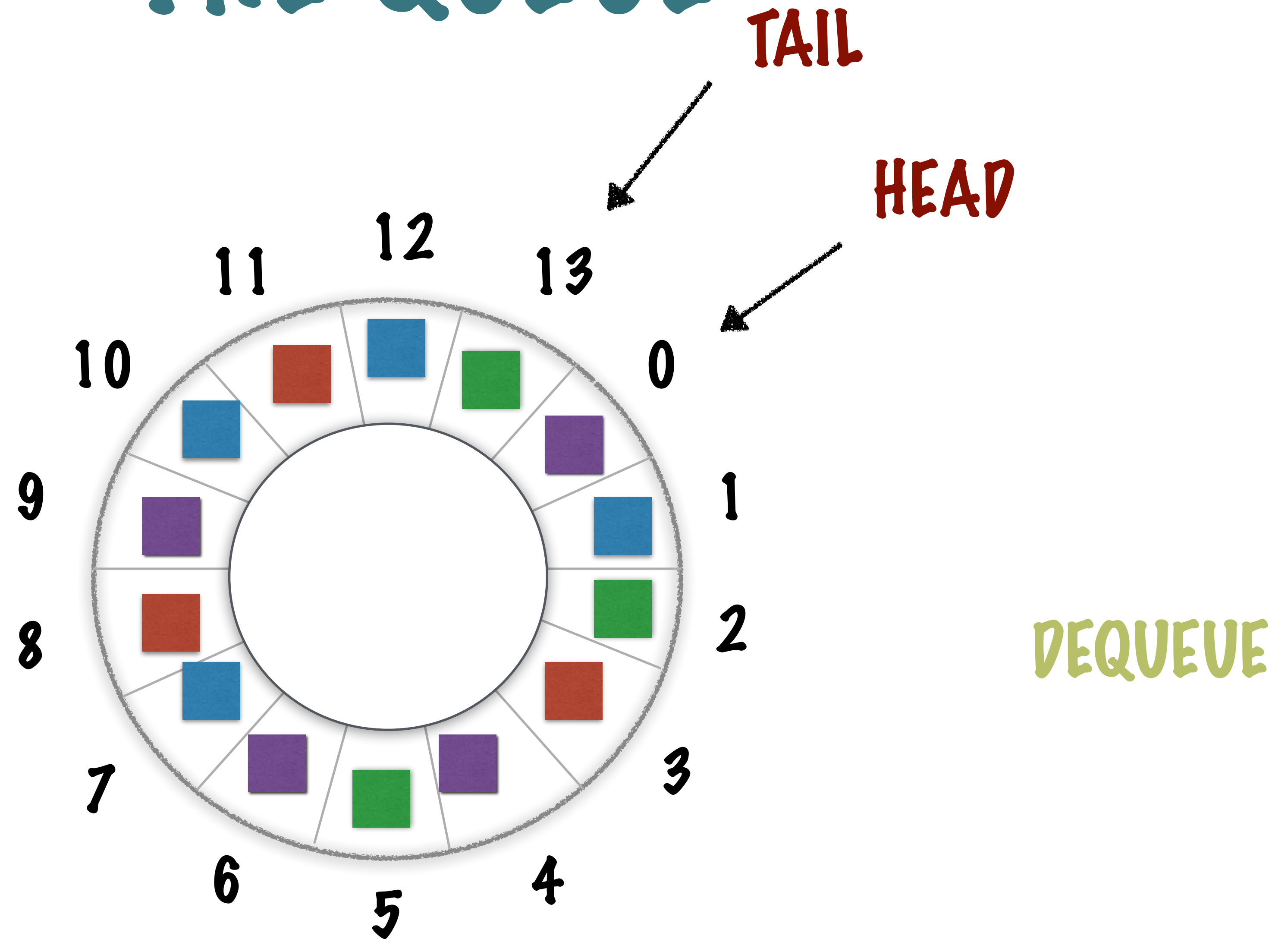
THE QUEUE



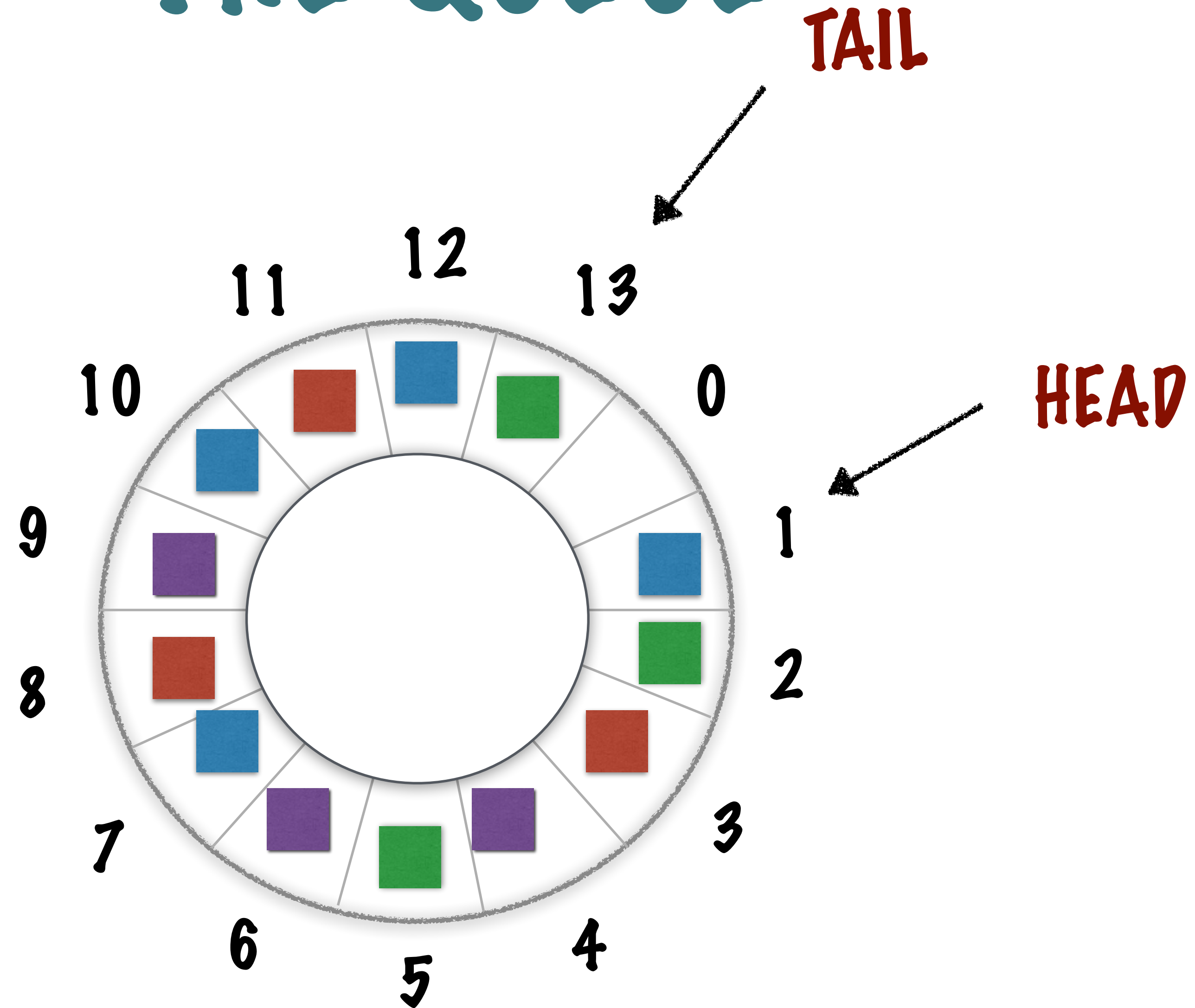
ENQUEUE ELEMENTS TILL
THE QUEUE IS FULL



THE QUEUE

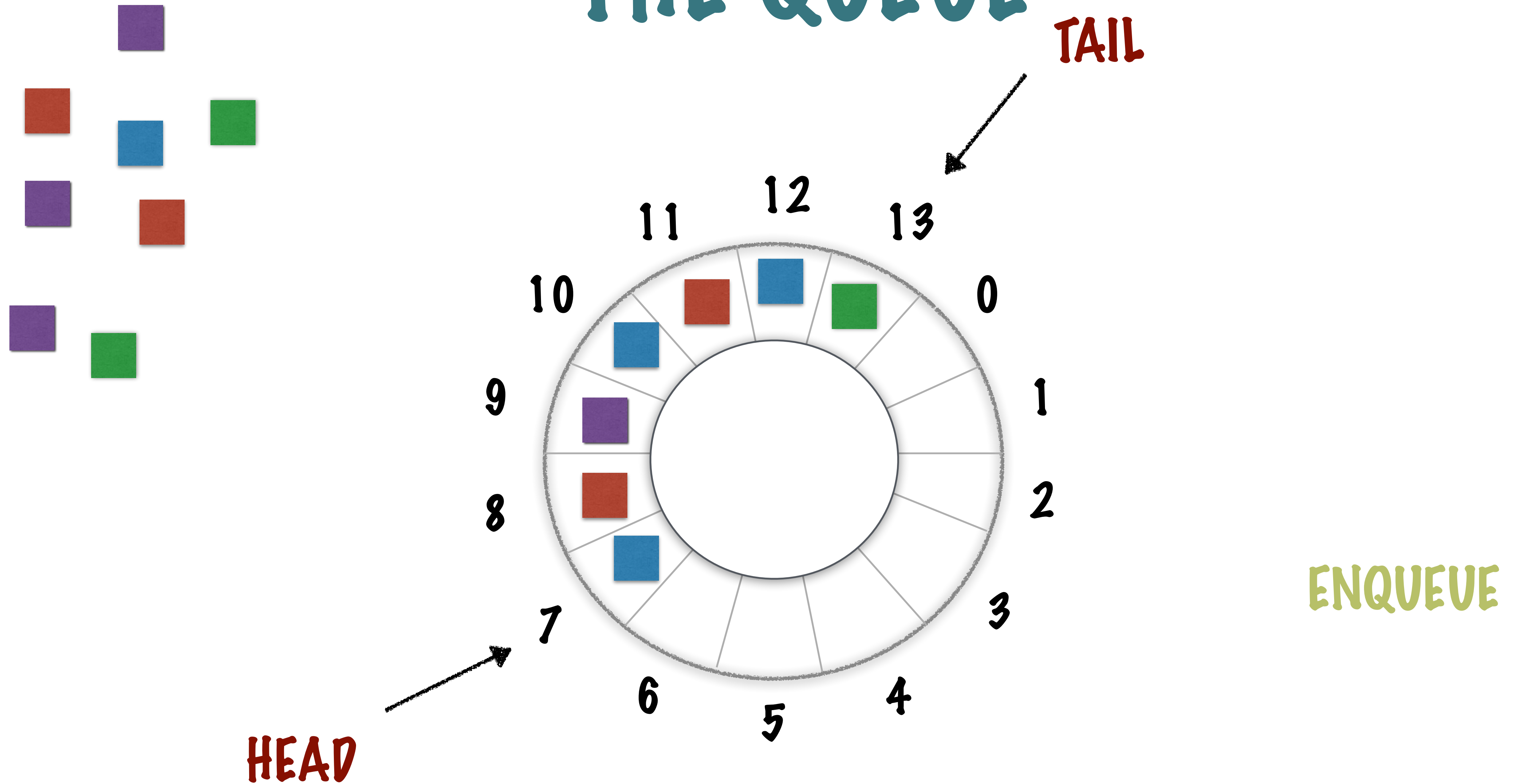


THE QUEUE

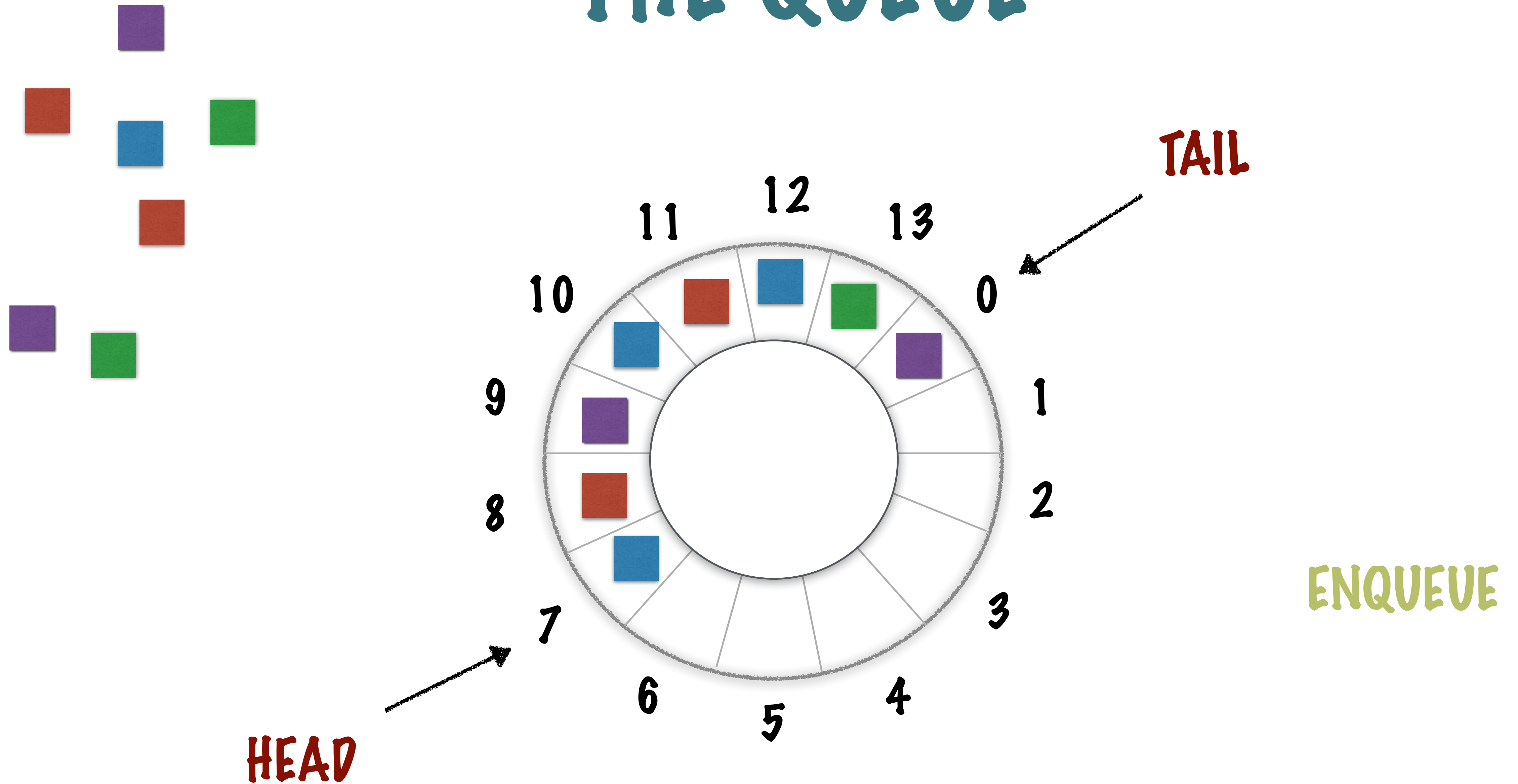


DEQUEUE 6 ELEMENTS

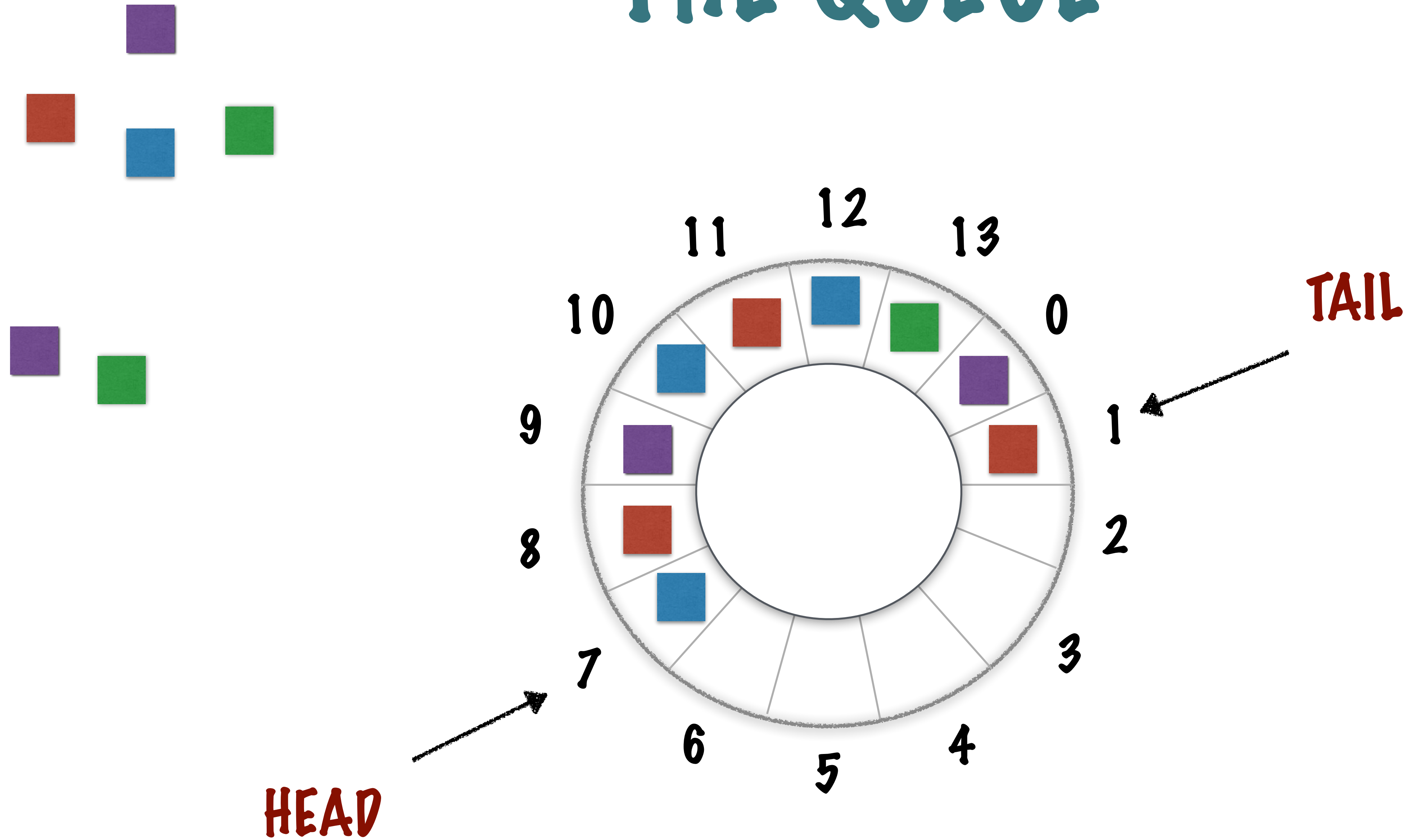
THE QUEUE



THE QUEUE



THE QUEUE



SET UP THE QUEUE CLASS - VARIABLES AND CONSTRUCTOR

```
public class Queue<T> {  
  
    private static final int SPECIAL_EMPTY_VALUE = -1;  
    private static int MAX_SIZE = 40;  
    private T[] elements;  
  
    // The head index is initialized to a special value which  
    // indicate that the queue is empty.  
    private int headIndex = SPECIAL_EMPTY_VALUE;  
    private int tailIndex = SPECIAL_EMPTY_VALUE;  
  
    public Queue(Class<T> clazz) {  
        elements = (T[]) Array.newInstance(clazz, MAX_SIZE);  
    }  
}
```

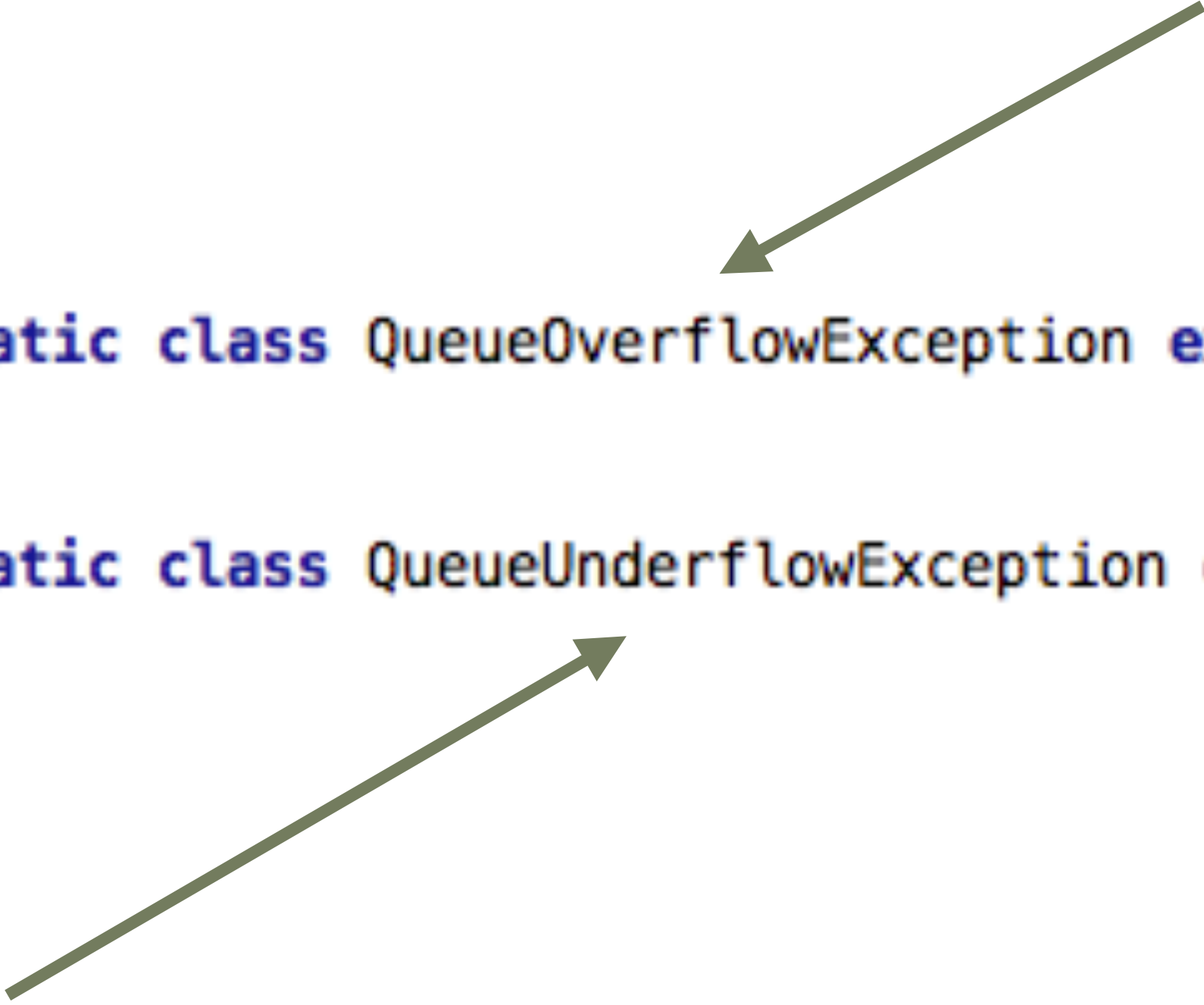
SPECIAL EMPTY VALUE FOR THE HEAD OF THE QUEUE TO FLAG WHEN THERE ARE NO ELEMENTS IN A QUEUE

INITIALIZE BOTH THE HEAD AND THE TAIL INDICES TO THE SPECIAL VALUE

THIS IS HOW GENERIC ARRAYS ARE INITIALIZED IN JAVA, IT'S AN IMPLEMENTATION DETAIL - BUT USEFUL

EXCEPTIONS THROWN

ENQUEUING INTO A FULL QUEUE



```
public static class QueueOverflowException extends Exception {  
}  
  
public static class QueueUnderflowException extends Exception {  
}
```

The diagram consists of two arrows. One arrow originates from the text 'ENQUEUING INTO A FULL QUEUE' and points to the 'QueueOverflowException' class definition. The other arrow originates from the text 'DEQUEUEING OR PEEKING INTO AN EMPTY QUEUE' and points to the 'QueueUnderflowException' class definition.

DEQUEUEING OR PEEKING INTO AN
EMPTY QUEUE

ISFULL AND ISEMPY

THE HEADINDEX IS ALWAYS SET TO THE SPECIAL MARKER VALUE WHEN THE QUEUE IS EMPTY

```
public boolean isEmpty() {  
    return headIndex == SPECIAL_EMPTY_VALUE;  
}  
  
public boolean isFull() {  
    int nextIndex = (tailIndex + 1) % elements.length;  
  
    return nextIndex == headIndex;  
}
```

WHEN THE QUEUE IS FULL THIS MEANS THAT THE HEAD INDEX AND TAIL INDEX ARE RIGHT NEXT TO ONE ANOTHER

CHECK WHETHER THE NEXT POSITION OF THE TAIL IS THE HEAD INDEX

ENQUEUE

CHECK FOR A FULL QUEUE AND FAIL ACCORDINGLY

```
public void enqueue(T data) throws QueueOverflowException {  
    if (isFull()) {  
        throw new QueueOverflowException();  
    }  
    tailIndex = (tailIndex + 1) % elements.length;  
    elements[tailIndex] = data;  
  
    // This is the first element enqueued, set the head index  
    // to the tail index.  
    if (headIndex == SPECIAL_EMPTY_VALUE) {  
        headIndex = tailIndex;  
    }  
}
```

GET THE NEXT TAIL INDEX AND INSERT THE NEW ELEMENT THERE

NOTE THAT WE NEED TO WRAP AROUND TO THE FIRST POSITION IF WE'RE AT THE END OF THE CIRCULAR ARRAY

IF THE HEAD IS THE SPECIAL MARKER VALUE, IT MEANS THE QUEUE WAS PREVIOUSLY EMPTY - SET IT TO THE SAME INDEX AS TAIL

DEQUEUE

CHECK FOR AN EMPTY QUEUE AND FAIL ACCORDINGLY

```
public T dequeue() throws QueueUnderflowException {  
    if (isEmpty()) {  
        throw new QueueUnderflowException();  
    }  
  
    T data = elements[headIndex];  
  
    // This was the last element in the queue.  
    if (headIndex == tailIndex) {  
        headIndex = SPECIAL_EMPTY_VALUE;  
    } else {  
        headIndex = (headIndex + 1) % elements.length;  
    }  
  
    return data;  
}
```

HEAD INDEX POINTS TO THE FIRST ELEMENT, STORE THAT VALUE TO RETURN

IF THE HEAD INDEX IS THE SAME AS THE TAIL INDEX, THEN WE'VE JUST DEQUEUED THE VERY LAST ELEMENT - MARK THE HEAD ACCORDINGLY

MOVE THE HEAD TO THE NEXT ELEMENT - REMEMBER TO WRAP AROUND TO THE BEGINNING OF THE ARRAY FOR THE LAST ELEMENT

THE QUEUE - PERFORMANCE AND COMPLEXITY

ENQUEUEING AND DEQUEUEING
IMPLEMENTED IN THIS WAY IS
 $O(1)$, CONSTANT TIME
COMPLEXITY

IS EMPTY AND IS FULL
IS ALSO $O(1)$

SPACE COMPLEXITY IS $O(N)$