
Lecture

Introduction to graph-based bottom-up planning

Infratrain 2021

Energy system modeling with sector coupling

Agenda

- 1. Course structure and introduction**
- 2. Basics of bottom-up planning models**
- 3. Basics of graph-based approach**

Schedule

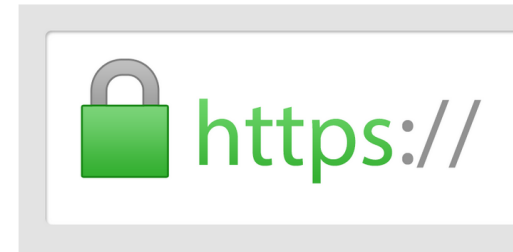
Time	Mon 11.10	Tue 12.10	Wed 13.10	Thu 14.10	Fri 15.10
9:00 - 10:30		Code along Parameters, variables, and constraints in bottom-up planning models	Code along Storage, multi-temporal capacity expansion and time-series representation		Group Work
11:00 – 12: 30	Welcome	Integrated session Project and paper discussion	Group Work	Integrated session Project and paper discussion	Group Work
13:30 – 15:00	Lecture Introduction to graph-based bottom-up planning	Lecture Overview of exemplary applications for graph-based bottom-up planning	Lecture Advanced features based on interests (e.g. retrofitting, stochastic optimization, technology deployment, solution algorithm)	Group Work	Final presentations
15:30 – 17:00	Code along Program setup, data files and plotting with AnyMOD.jl	Guest lecture	Group Work	Group Work	Final presentations
Evening	Integrated session Software Troubleshooting		Fun Evening		

Survey and introduction round



Scan this QR code to join

OR



Go to
ahaslides.com/4CARV

Agenda

1. Course structure and introduction
2. Basics of bottom-up planning models
3. Basics of graph-based approach

Capacity expansion models

Scope

- Investigate how a portfolio of technical systems can be deployed to satisfy an exogenously set energy demand
- Considered systems include generation and storage technologies and exchange infrastructure
- Integrates decision on capacity expansion and subsequent dispatch of capacities to meet demand
- Might cover a single time-step of capacity expansion (snapshot year) or multiple consecutive time-steps (pathway)
- Might cover a single energy carrier or sector (e.g. electricity) or multiple sector at once to cover their interaction

Method

- Linear optimization problem (with continuous variables)
 - Objective function: minimization of system costs
 - Subject to constraints (technical, environmental, political, ...)
- Since LP models solve comparatively fast, a great scope and level of detail is possible

Basics of linear optimization

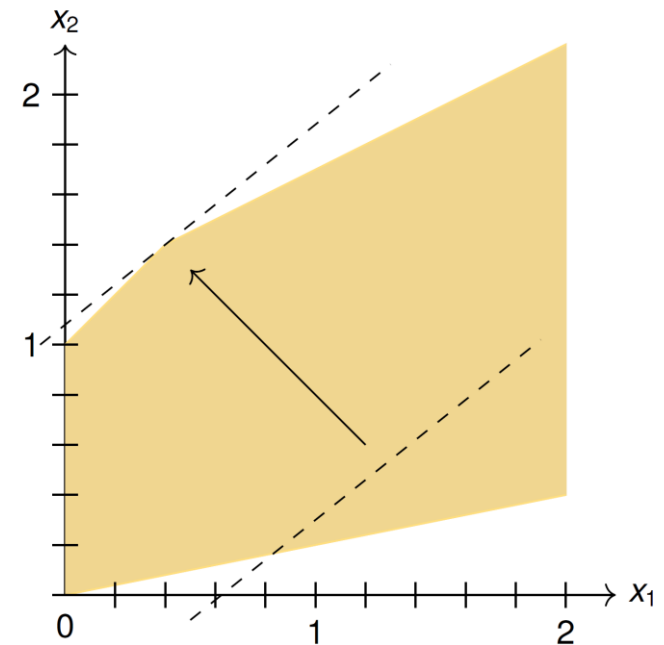
Sets: \mathcal{I}, \mathcal{J}

Variables: X_i, Z

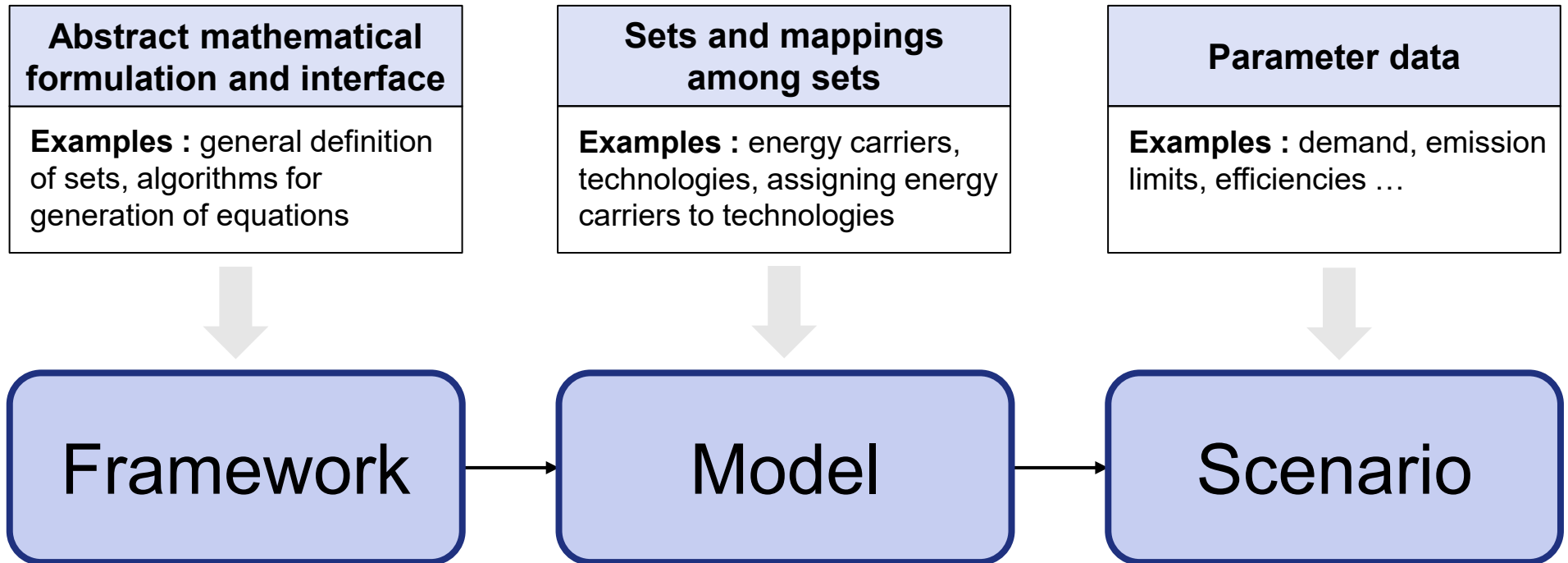
Parameters: $u_i, a_{i,j}, c_j$

Objective
$$\min Z = \sum_{i=1}^{\mathcal{I}} u_i X_i$$

Constraints
$$\left\{ \begin{array}{l} \sum_{i=1}^{\mathcal{I}} a_{i,j} X_i \leq c_j, \quad j \in \mathcal{J} \\ X_i \in \mathbb{R}, \quad Z \in \mathbb{R} \end{array} \right.$$



Definitions for framework, model, and scenario

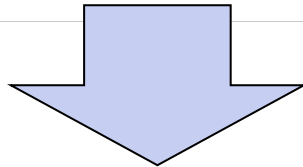


based on definitions by the Open Energy Modelling Initiative

Applying definitions to a linear optimization problem

$$\mathcal{I} = \{1, 2, 3, 4\}$$

$$\mathcal{J} = \{1, 2\}$$



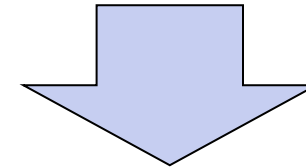
Model

$$\begin{aligned} \max Z &= u_1 X_1 + u_2 X_2 + u_3 X_3 + u_4 X_4 \\ a_{1,1} X_1 + a_{2,1} X_2 + a_{3,1} X_3 + a_{4,1} X_4 &\leq c_1 \\ a_{1,2} X_1 + a_{2,2} X_2 + a_{3,2} X_3 + a_{4,2} X_4 &\leq c_2 \end{aligned}$$

$$a = \begin{pmatrix} 30 & 20 & 60 & 20 \\ 40 & 30 & 10 & 50 \end{pmatrix}$$

$$u = (500 \quad 400 \quad 200 \quad 100)$$

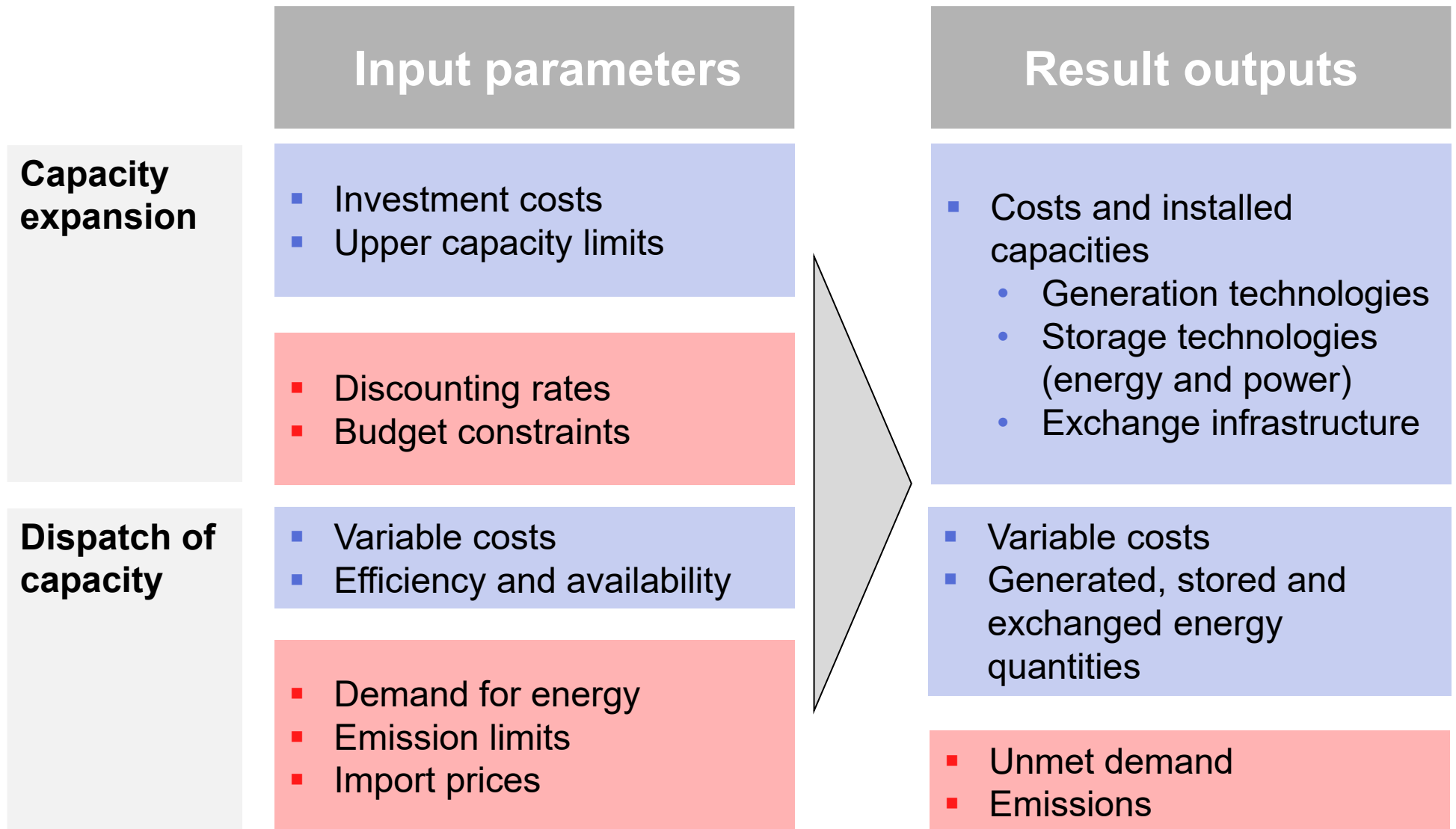
$$c = \begin{pmatrix} 110 \\ 990 \end{pmatrix}$$



Scenario

$$\begin{aligned} \max Z &= 500 X_1 + 400 X_2 + 200 X_3 + 100 X_4 \\ 30 X_1 + 20 X_2 + 60 X_3 + 20 X_4 &\leq 110 \\ 40 X_1 + 30 X_2 + 10 X_3 + 50 X_4 &\leq 990 \end{aligned}$$

Typical in- and outputs of bottom-up planning models



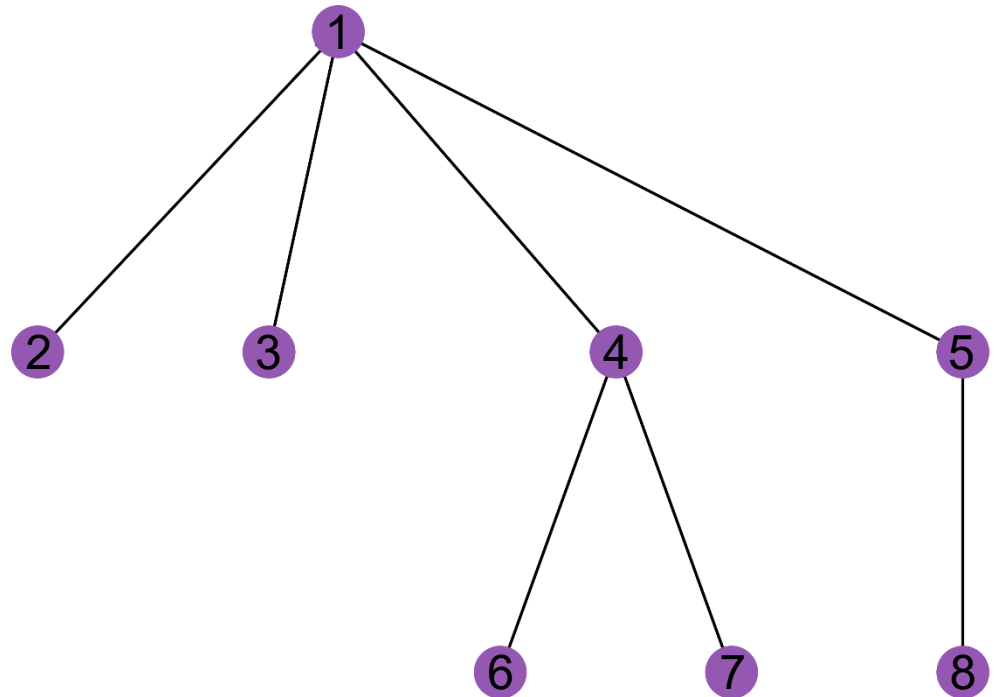
Agenda

1. Course structure and introduction
2. Basics of bottom-up planning models
3. Basics of graph-based modelling

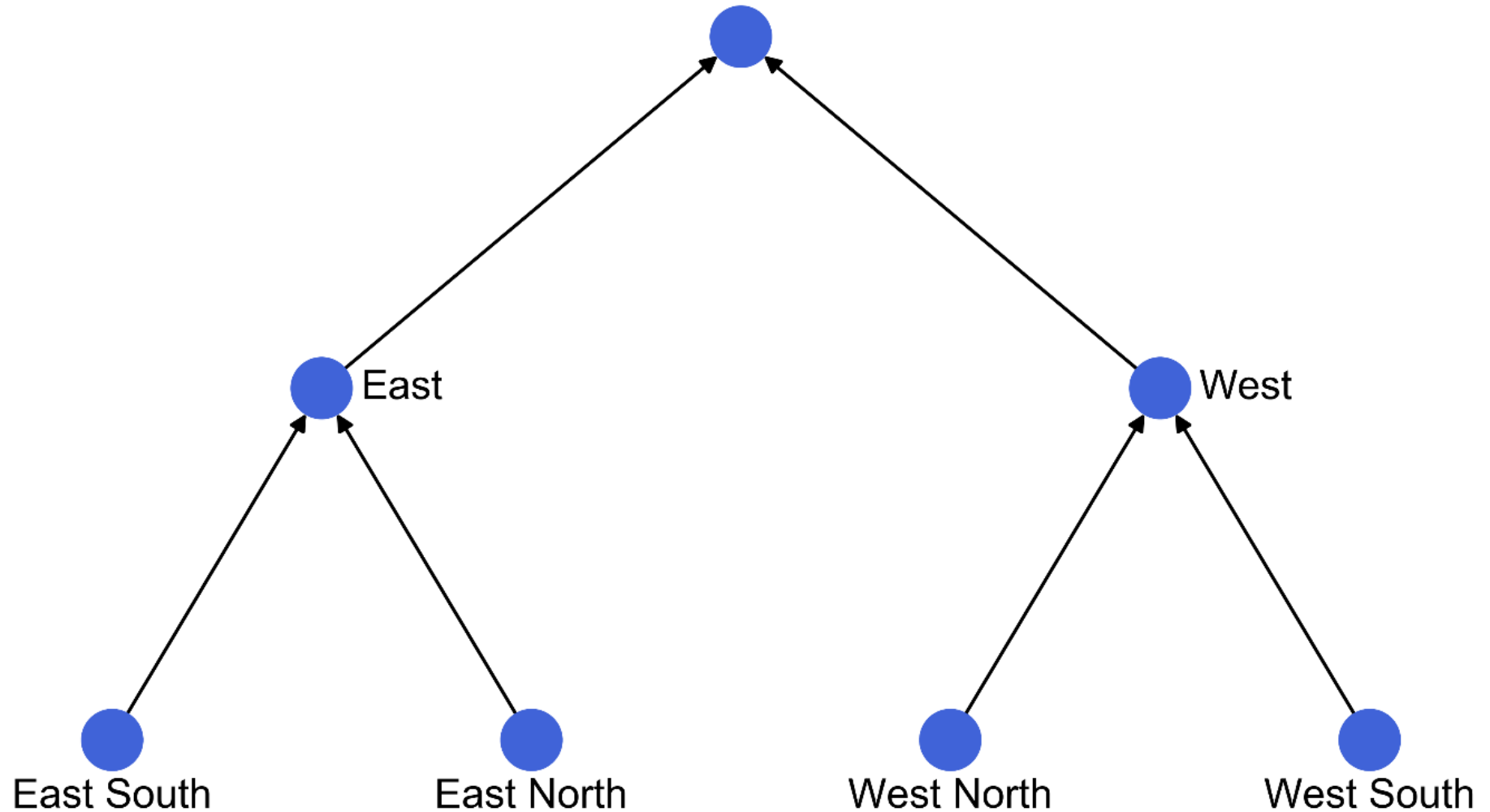
Basics of graph theory

Definitions

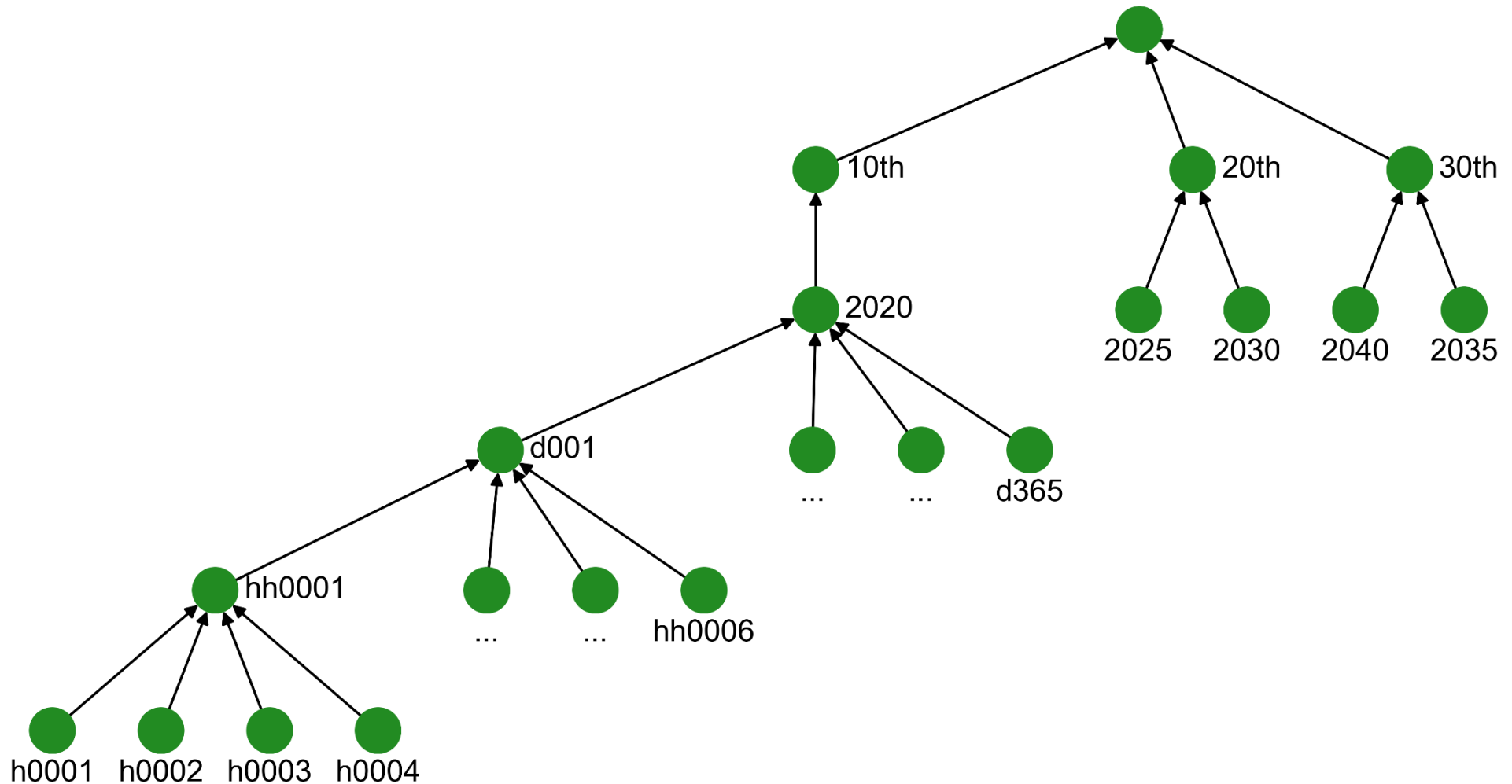
- A graph is defined by **vertices** and **edges**
- Edges can either be directed or undirected
- In a **tree** any two vertices are connected by exactly one path
- In a **hierarchical** (or rooted) tree one vertex is defined to be the **root**
- The number of vertices on the path from any vertex to the root is termed **depth**
- All vertices on the path from a vertex to the root are **ancestors** to the root (**descendants** are defined vice versa)
- A vertex without any descendants is termed **leaf**



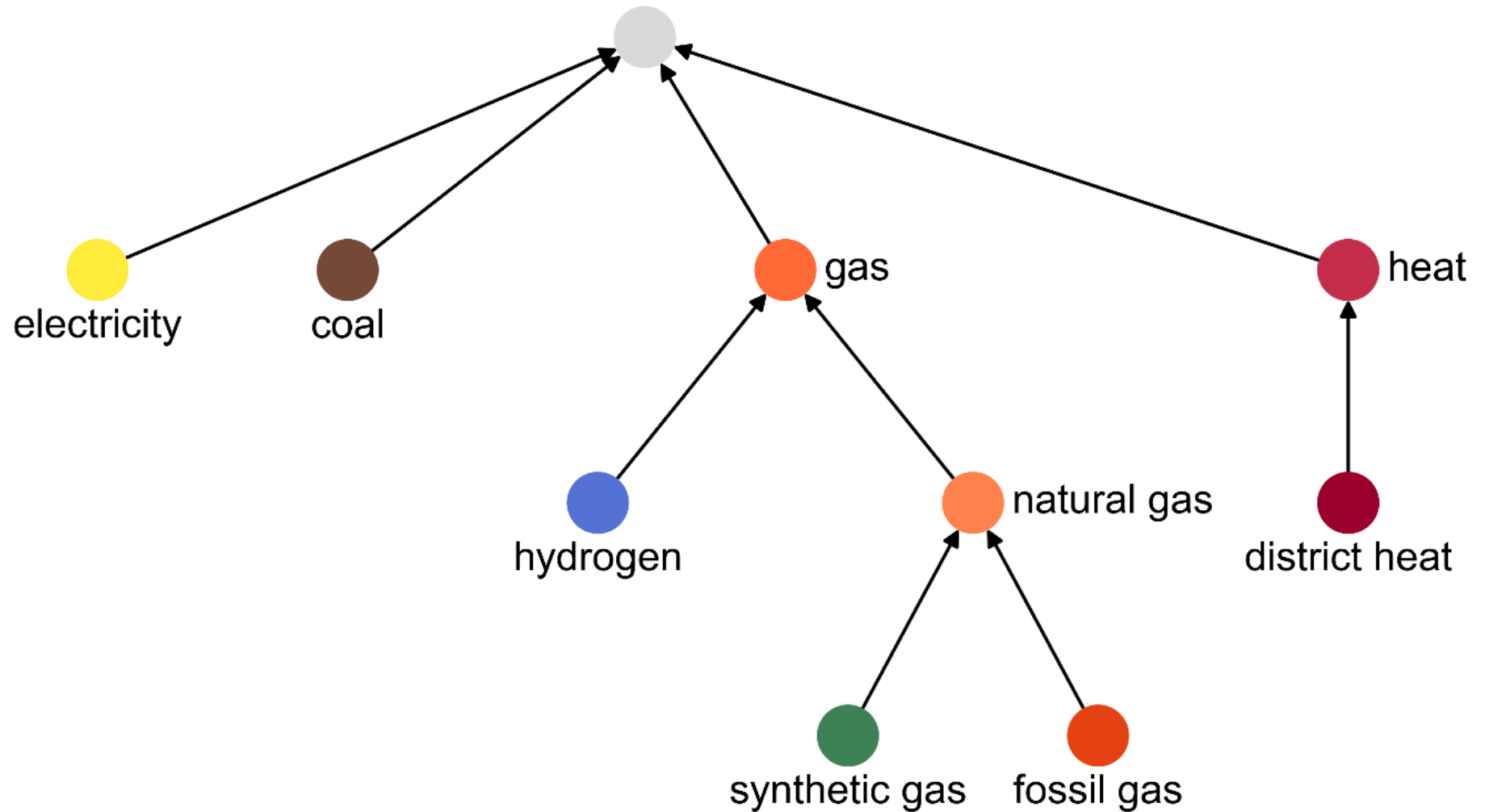
Hierarchical tree of regions



Hierarchical tree of time-steps



Hierarchical tree of carriers

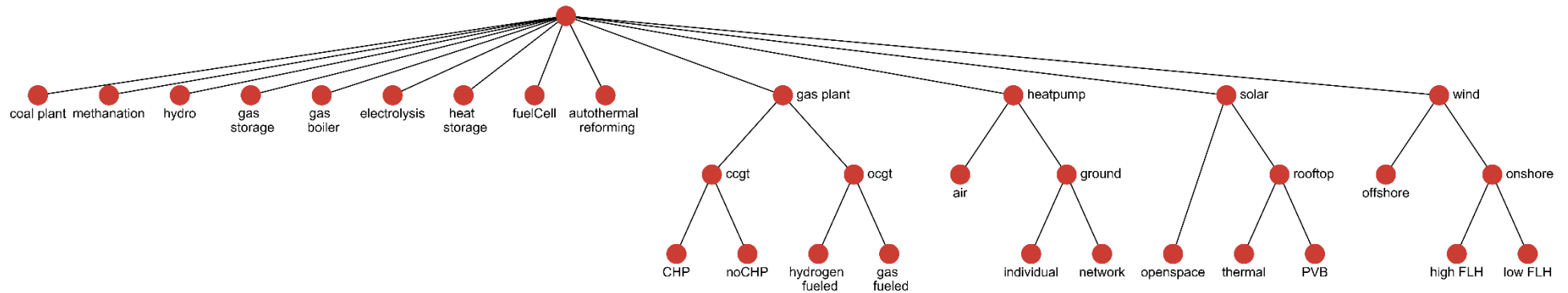


Defining the resolution for each carrier

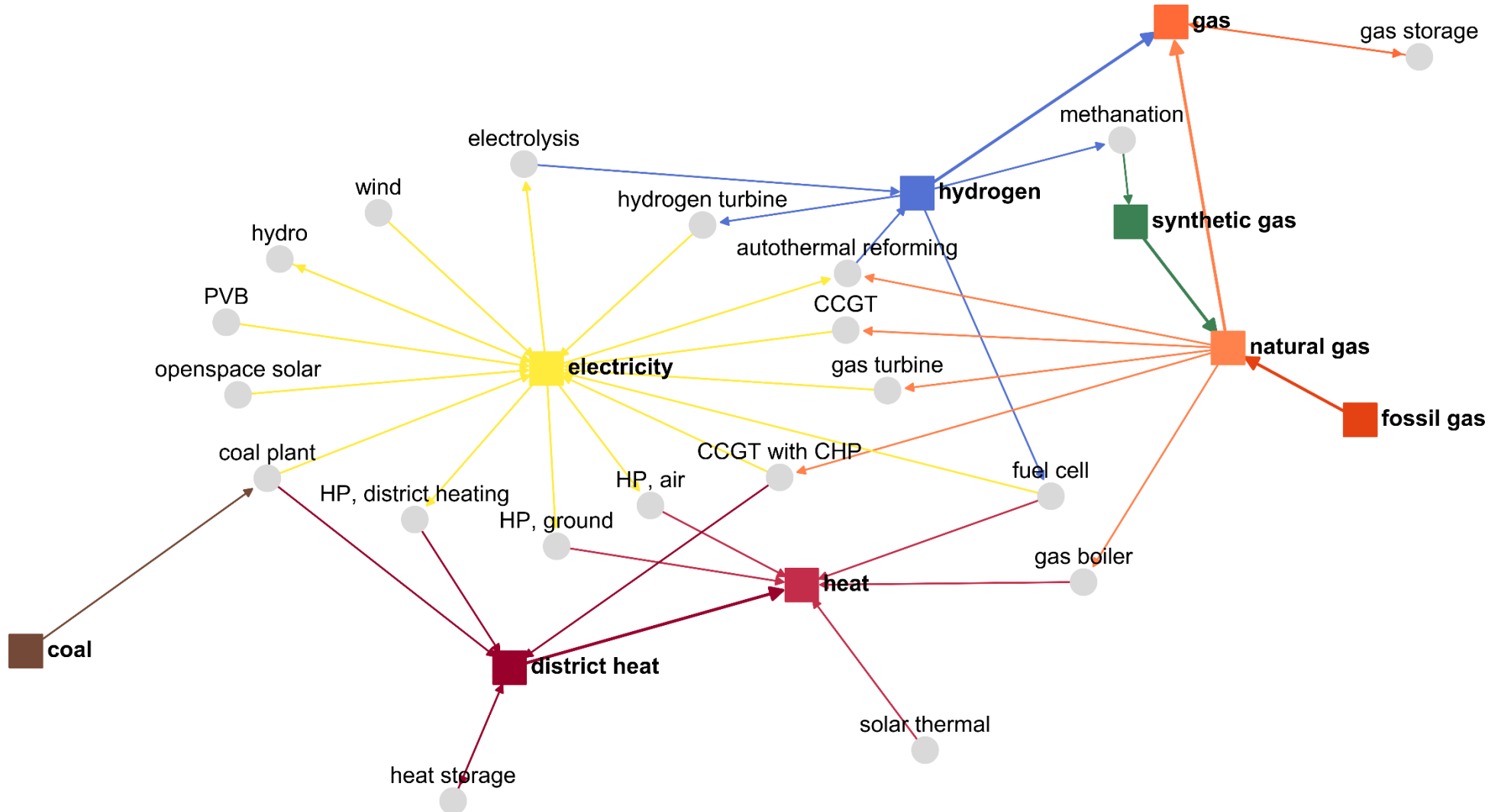
carrier with depth 1	carrier with depth 2	carrier with depth 3	temporal		spatial	
			dispatch	expansion	dispatch	expansion
electricity			5	2	1	1
heat	district heat		4	2	2	2
gas	natural gas	synthetic gas	3	2	1	1
gas	natural gas	fossil gas	3	2	1	1
gas	hydrogen		3	2	1	1
coal			2	2	1	1

- **Temporal resolution of dispatch** is an implicit assumption on a carrier's inherent flexibility
 - Appropriate resolution depends on
 - Physical properties of the carrier
 - Corresponding spatial resolution
 - Scope of research
- Can achieve a more accurate and computationally less intensive representation

Hierarchical tree of technologies



Qualitative energy flow graph



Quantitative energy flow graph for 2040

