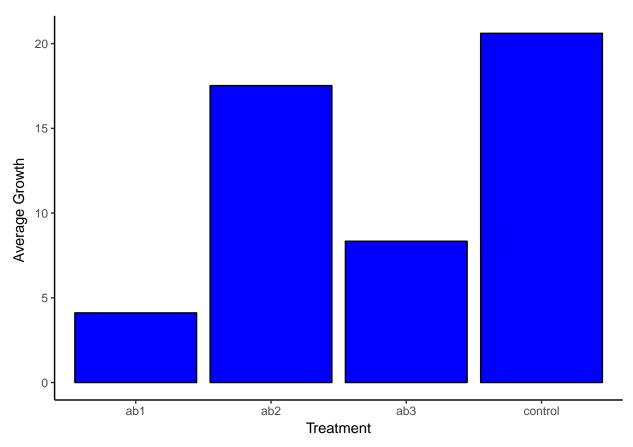
# AntibioticsANOVA

A student has conducted an experiment evaluating the effect of three different antibiotics — ab1, ab2, and ab3 — on the growth of  $E.\ coli$  in lab cultures. The results are presented in graphical format below:



We also include charts summarizing the data: one for the overall dataset, one for each type of treatment, and one for the control.

# ## Factors are dropped from the summary

	N	Mean	SD	Min	Q1	Median	Q3	Max
growth	16	12.64	7.25	2.88	5.8	14.03	19.98	21.67

# ## Factors are dropped from the summary

	N	Mean	SD	Min	Q1	Median	Q3	Max
growth	4	4.11	1.89	2.88	3.06	3.31	5.16	6.93

# ## Factors are dropped from the summary

•	N	Mean	SD	Min	Q1	Median	Q3	Max
growth	4	17.52	2.63	14.78	15.71	17.13	19.34	21.04

### ## Factors are dropped from the summary

	N	Mean	SD	Min	Q1	Median	Q3	Max
growth	4	8.34	3.64	4.67	5.82	7.69	10.85	13.28

### ## Factors are dropped from the summary

	N	Mean	SD	Min	Q1	Median	Q3	Max
growth	4	20.61	0.91	19.46	19.98	20.65	21.23	21.67

By examining the data, we might expect **ab1** and **ab3** to be significantly different from the control group; **ab2** does not appear significantly different. Let  $\mu_0$  represent the mean of the control,  $\mu_1$  represent the mean of **ab1**,  $\mu_2$  represent the mean of **ab2**, and  $\mu_3$  represent the mean of **ab3**. Then we have our hypotheses:

**Null Hypothesis** ( $H_0$ ): There is not a significant difference in the means of the data:  $\mu_0 = \mu_1 = \mu_2 = \mu_3$ .

Alternate Hypothesis  $(H_1)$ : At least one of the antibiotics **ab1**, **ab2**, **ab3** has a mean significantly different from the control group. That is, for some  $i \in \{1, 2, 3\}$  we have  $\mu_i \neq \mu_0$ .

To test these hypotheses we ran an ANOVA-design linear model, and compared the results using a likelihood ratio test.