



Asymptotic Complexity Exercise – SOLUTIONS

```
► def measure(inputList):  
    int n = len(inputList)  
    int sum = 0;  
    for i in range(0, n):  
        for j in range(0, 5):  
            sum += j * inputList[i]  
        for k in range(0, n):  
            sum -= inputList[k]
```

The asymptotic complexity of this algorithm is: $O(\text{_____})$

SOLUTION: $O(n^2)$ Quadratic time

```
► def addElement(ele):  
    myList = []  
    myList.append(666)  
    print myList
```

The asymptotic complexity of this algorithm is: $O(\text{_____})$

SOLUTION: $O(1)$ Constant time

```
► num = 10  
  
def addOnesToTestList(num):  
    testList = []  
    for i in range(0, num):  
        testList.append(1)  
        print(testList)  
    return testList
```

The asymptotic complexity of this algorithm is: $O(\text{_____})$

SOLUTION: $O(n)$ Linear time

► testList = [1, 43, 31, 21, 6, 96, 48, 13, 25, 5]

```
def someMethod(testList):
    for i in range(len(testList)):
        for j in range(i+1, len(testList)):
            if testList[j] < testList[i]:
                testList[j], testList[i] = testList[i], testList[j]
            print(testList)
```

The asymptotic complexity of this algorithm is: $O(\rule{1cm}{0.4pt})$

SOLUTION: $O(n^2)$ Quadratic time

```
► def searchTarget(target_word):
    for (i in range1):
        for (j in range2):
            for (k in range3):
                if (aList[k] == target_word):
                    return 1
    return -1
return -1
```

The asymptotic complexity of this algorithm is: $O(\rule{1cm}{0.4pt})$

SOLUTION: $O(1)$ Constant time (rangeX lists are not part of the problem size, target_word)

Also accepted: $O(a*b)$ a is size of range2 and b size of range3 (both a and b are constants)

```
► def someSearch(sortedList, target):
    left = 0 right = len(sortedList) - 1
    while (left <= right):
        mid = (left + right)/2
        if (sortedList[mid] == target):
            return mid
        elif(sortedList[mid] < target):
            left = mid + 1
        else:
            right = mid - 1

    return -1
```

The asymptotic complexity of this algorithm is: $O(\rule{1cm}{0.4pt})$

SOLUTION: $O(\log n)$ Logarithmic time