

# Contents

<b>1</b>	<b>Nice Differentials And Evaluations In Integrals</b>	<b>3</b>
<b>2</b>	<b>Virtual Parentheses</b>	<b>3</b>
<b>3</b>	<b>Derivation Environment</b>	<b>3</b>
<b>4</b>	<b>Current Math Fonts</b>	<b>7</b>

List of Derivations

1	DERIVATION 1	3
2	DERIVATION 2	4
3	DERIVATION 3	4
4	DERIVATION 4	4
5	DERIVATION 5	5
6	DERIVATION 6	5
7	DERIVATION 7	5
8	DERIVATION 8	6
9	DERIVATION 9	6
10	DERIVATION 10	6

List of Equations

1	Particle Energy	3
2	Photon Energy	3
3	Pythagorean Theorem	4
4	Relativistic Kinetic Energy	6

# 1 Nice Differentials And Evaluations In Integrals

$$\begin{aligned}\int_{x=0}^{x=3} x^2 \, \mathrm{d}x &= \left. \frac{1}{3}x^3 \right|_0^3 = 9 \\ \int_{x=0}^{x=3} x^2 \, \mathbf{d}x &= \left[ \frac{1}{3}x^3 \right]_0^3 = 9 \\ \int_{x=0}^{x=3} \mathrm{d}x &= x \Big|_0^3 = 3 \\ \int_{x=0}^{x=3} \mathbf{d}x &= \left[ x \right]_0^3 = 3 \\ \int_{r=0}^{r=R} r \, \mathrm{d}r \int_{\theta=0}^{\theta=\pi} \sin \theta \, \mathrm{d}\theta \int_{\phi=0}^{\phi=2\pi} \mathrm{d}\phi &= \left. \frac{1}{2}r^2 \right|_0^R \cdot \left. -\cos \theta \right|_0^\pi \cdot \left. \phi \right|_0^{2\pi} = 4\pi R^2 \\ \int_{r=0}^{r=R} r \, \mathbf{d}r \int_{\theta=0}^{\theta=\pi} \sin \theta \, \mathbf{d}\theta \int_{\phi=0}^{\phi=2\pi} \mathbf{d}\phi &= \left[ \frac{1}{2}r^2 \right]_0^R \cdot \left[ -\cos \theta \right]_0^\pi \cdot \left[ \phi \right]_0^{2\pi} = 4\pi R^2\end{aligned}$$

# 2 Virtual Parentheses

Virtual Parentheses

$$\left(-G\frac{m_1m_2}{r}\right) \qquad -G\frac{(m_1m_2)}{r} \qquad -G\left(\frac{m_1m_2}{r}\right)$$

# 3 Derivation Environment

New derivation environment

$$E = \gamma mc^2 \tag{1}$$

DERIVATION 1		
$x + y = z$	given	(1-1)
$y = z - x$	solve for $y$	(1-2)
$a = b + c + d + e + f + g + k$ $+ l + m + n + o + p + q + r$	a very long expression that came from nowhere	(1-3)

$$E = h\nu \tag{2}$$

**DERIVATION 2**

$$\gamma = \frac{1}{\sqrt{1-v^2}} \quad \text{definition} \quad (2-1)$$

$$\gamma^2 = \frac{1}{1-v^2} \quad \text{square each side} \quad (2-2)$$

$$\frac{1}{\gamma^2} = 1 - v^2 \quad \text{take reciprocal of each side} \quad (2-3)$$

$$v = \sqrt{1 - \frac{1}{\gamma^2}} \quad \text{rearrange and solve for } v \text{ to get the final answer} \quad (2-4)$$

Going from Eq. (2-1) to Eq. (2-4) isn't trivial, but it's quite simple.

$$a^2 + b^2 = c^2 \quad (3)$$

**DERIVATION 3**

$$\gamma = \frac{1}{\sqrt{1-v^2}} \quad \text{definition} \quad (3-1)$$

$$\gamma^2 = \frac{1}{1-v^2} \quad \text{square each side} \quad (3-2)$$

$$\frac{1}{\gamma^2} = 1 - v^2 \quad \text{take reciprocal of each side} \quad (3-3)$$

$$v = \sqrt{1 - \frac{1}{\gamma^2}} \quad \text{rearrange and solve for } v \text{ to get the final answer} \quad (3-4)$$

**DERIVATION 4**

$$\gamma = \frac{1}{\sqrt{1-v^2}} \quad \text{definition} \quad (4-1)$$

$$\gamma^2 = \frac{1}{1-v^2} \quad \text{square each side} \quad (4-2)$$

$$\frac{1}{\gamma^2} = 1 - v^2 \quad \text{take reciprocal of each side} \quad (4-3)$$

$$v = \sqrt{1 - \frac{1}{\gamma^2}} \quad \text{rearrange and solve for } v \text{ to get the final answer} \quad (4-4)$$

#### DERIVATION 5

$$\gamma = \frac{1}{\sqrt{1-v^2}} \quad \text{definition} \quad (5-1)$$

$$\gamma^2 = \frac{1}{1-v^2} \quad \text{square each side} \quad (5-2)$$

$$\frac{1}{\gamma^2} = 1 - v^2 \quad \text{take reciprocal of each side} \quad (5-3)$$

$$v = \sqrt{1 - \frac{1}{\gamma^2}} \quad \text{rearrange and solve for } v \text{ to get the final answer} \quad (5-4)$$

#### DERIVATION 6

$$\gamma = \frac{1}{\sqrt{1-v^2}} \quad \text{definition} \quad (6-1)$$

$$\gamma^2 = \frac{1}{1-v^2} \quad \text{square each side} \quad (6-2)$$

$$\frac{1}{\gamma^2} = 1 - v^2 \quad \text{take reciprocal of each side} \quad (6-3)$$

$$v = \sqrt{1 - \frac{1}{\gamma^2}} \quad \text{rearrange and solve for } v \text{ to get the final answer} \quad (6-4)$$

#### DERIVATION 7

$$\gamma = \frac{1}{\sqrt{1-v^2}} \quad \text{definition} \quad (7-1)$$

$$\gamma^2 = \frac{1}{1-v^2} \quad \text{square each side} \quad (7-2)$$

$$\frac{1}{\gamma^2} = 1 - v^2 \quad \text{take reciprocal of each side} \quad (7-3)$$

$$v = \sqrt{1 - \frac{1}{\gamma^2}} \quad \text{rearrange and solve for } v \text{ to get the final answer} \quad (7-4)$$

**DERIVATION 8**

$$\gamma = \frac{1}{\sqrt{1-v^2}} \quad \text{definition} \quad (8-1)$$

$$\gamma^2 = \frac{1}{1-v^2} \quad \text{square each side} \quad (8-2)$$

$$\frac{1}{\gamma^2} = 1 - v^2 \quad \text{take reciprocal of each side} \quad (8-3)$$

$$v = \sqrt{1 - \frac{1}{\gamma^2}} \quad \text{rearrange and solve for } v \text{ to get the final answer} \quad (8-4)$$

**DERIVATION 9**

$$\gamma = \frac{1}{\sqrt{1-v^2}} \quad \text{definition} \quad (9-1)$$

$$\gamma^2 = \frac{1}{1-v^2} \quad \text{square each side} \quad (9-2)$$

$$\frac{1}{\gamma^2} = 1 - v^2 \quad \text{take reciprocal of each side} \quad (9-3)$$

$$v = \sqrt{1 - \frac{1}{\gamma^2}} \quad \text{rearrange and solve for } v \text{ to get the final answer} \quad (9-4)$$

**DERIVATION 10**

$$\gamma = \frac{1}{\sqrt{1-v^2}} \quad \text{definition} \quad (10-1)$$

$$\gamma^2 = \frac{1}{1-v^2} \quad \text{square each side} \quad (10-2)$$

$$\frac{1}{\gamma^2} = 1 - v^2 \quad \text{take reciprocal of each side} \quad (10-3)$$

$$v = \sqrt{1 - \frac{1}{\gamma^2}} \quad \text{rearrange and solve for } v \text{ to get the final answer} \quad (10-4)$$

$$E_K = \frac{\|\mathbf{p}\|^2}{(\gamma + 1)m} \quad (4)$$

This equation won't be listed.

$$E^2 = \|\mathbf{p}\|^2 c^2 + (mc^2)^2 \quad (5)$$

## 4 Current Math Fonts

**symnormal**: for vector index notation  
*abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ0123456789*  
*αβγδεζηθικλμνξοπρρσςτυφφχψωΔΓΘΛΞΠΣΥΦΨΩ*

**symbf**: for coordinate-free vectors and matrices  
***abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ***  
***αβγδεζηθικλμνξοπρρσςτυφφχψωΔΓΘΛΞΠΣΥΦΨΩ***

**symup**: for text labels, particles, and upright Greek  
*abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ0123456789*  
*αβγδεζηθικλμνξοπρρσςτυφφχψωΔΓΘΛΞΠΣΥΦΨΩ*

**symbfup**: for bold text labels  
***abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ0123456789***  
***αβγδεζηθικλμνξοπρρσςτυφφχψωΔΓΘΛΞΠΣΥΦΨΩ***

**symsfup**: for physical dimensions  
*abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ0123456789*  
*αβγδεζηθικλμνξοπρρσςτυφφχψωΔΓΘΛΞΠΣΥΦΨΩ*

**symsffit**: for tensor index notation  
*abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ*  
*αβγδεζηθικλμνξοπρρσςτυφφχψωΔΓΘΛΞΠΣΥΦΨΩ*

**symbfsfup**: available if needed  
***abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ0123456789***  
***αβγδεζηθικλμνξοπρρσςτυφφχψωΔΓΘΛΞΠΣΥΦΨΩ***

**symsfit**: for tensor index notation  
*abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ*  
*αβγδεζηθικλμνξοπρρσςτυφφχψωΔΓΘΛΞΠΣΥΦΨΩ*

**symbfsfit**: for coordinate-free tensors  
***abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ***  
***αβγδεζηθικλμνξοπρρσςτυφφχψωΔΓΘΛΞΠΣΥΦΨΩ***

**symcal** and **symbfcal**: for naming points and coordinate systems  
*ABCDEFGHIJKLMNOPQRSTUVWXYZ*  
*ABCDEFGHIJKLMNOPQRSTUVWXYZ*

**symscr** and **symbfscr**: for naming spacetime events  
*abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ*  
*abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ*

**symtt**: available if needed  
*abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ0123456789*

**symfrac** and **symbfrac**: available if needed  
*abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ*  
***abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ***

**symbb** and **symbbit**: available if needed  
*abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ0123456789*  
*deijD*