## Advanced Physical Chemistry II

## HW Part II

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## 28 The Rate of a Bimolecular Gas-Phase Reaction

15,18,21,22,23,27,28,29,30,32,33,34,37,43,44

28-15 For monatomic gas,

$$\gamma = \frac{5}{3} \tag{28.1}$$

thus

$$u_{\text{peak}}(\text{He}) = \sqrt{\frac{2 \times 8.3145 \times 300}{0.004003}} \sqrt{\frac{5/3}{5/3 - 1}} = 1765 \,\text{m/s}$$
 (28.2)

$$u_{\text{peak}}(\text{Ne}) = \sqrt{\frac{2 \times 8.3145 \times 300}{0.02018}} \sqrt{\frac{5/3}{5/3 - 1}} = 786.1 \,\text{m/s}$$
 (28.3)

28-18

• No vibrational motion:

Since

$$\frac{1}{2}\mu u_r^2(R) = E_{\text{int}}(P) + \frac{1}{2}\mu u_r^2(P) - E_{\text{int}}(R) \ge E_{\text{int}}(P) - E_{\text{int}}(R)$$
(28.4)

we have

$$u_{r,min} = \sqrt{\frac{2(E_{\text{int}}(P) - E_{\text{int}}(R))}{\mu}}$$

$$= \sqrt{\frac{2 \times 12400}{\frac{35.453 \times 2.016}{35.453 + 2.016} \times 10^{-3}}$$

$$= 3606 \,\text{m/s}$$
(28.5)

• Hard-sphere harmonic oscillators:

$$\frac{1}{2}\mu u_r^2(R) \ge E_{\text{int}}(P) - E_{\text{int}}(R) = D_e(H_2) - D_e(HCl) + E_{\text{vib}}(P) - E_{\text{vib}}(R)$$

$$= 12.4 \,\text{kJ/mol} + hcN_A (2886 \,\text{cm}^{-1} - 4159 \,\text{cm}^{-1}) \frac{1}{2}$$

$$= 4.79 \,\text{kJ/mol} \tag{28.6}$$

thus

$$u_{r,min} = \sqrt{\frac{2 \times 47900}{\frac{35.453 \times 2.016}{35.453 + 2.016} \times 10^{-3}}$$

$$= 2241 \,\text{m/s}$$
(28.7)

28-21

$$\frac{1}{2}\mu u_r^2(P) = \frac{1}{2}\mu u_r^2(R) + E_{\text{vib}}(R) - E_{\text{vib}}(P) + D_e(\text{DF}) - D_e(\text{D}_2)$$

$$= 7.62 \,\text{kJ/mol} + \frac{1}{2}hcN_A(2990 - 2907)\text{cm}^{-1} + 140 \,\text{kJ/mol}$$

$$= 148 \,\text{kJ/mol} \tag{28.8}$$

thus

$$u_r(P) = \sqrt{\frac{2 \times 148 \times 10^3}{3.05 \times 10^{-27}}} = 1.27 \times 10^4 \,\mathrm{m/s}$$
 (28.9)

thus  $|\mathbf{u}_{\mathrm{DF}} - \mathbf{u}_{cm}|, |\mathbf{u}_{\mathrm{D}} - \mathbf{u}_{cm}|$  remains the same as Example 28-5, as follows

$$|\mathbf{u}_{\rm DF} - \mathbf{u}_{cm}| = \frac{m_{\rm D}}{M} u_r(P) = 1.16 \times 10^3 \,\text{m/s}$$
 (28.10)

$$|\mathbf{u}_{\rm D} - \mathbf{u}_{cm}| = \frac{m_{\rm DF}}{M} u_r(P) = 1.21 \times 10^4 \,\mathrm{m/s}$$
 (28.11)

28-22

$$E_{\text{vib}} = \tilde{\nu}_e(1/2) - \tilde{x}_e \tilde{\nu}_e(1/2)^2 = 1313.2 \,\text{cm}^{-1} = 15.71 \,\text{kJ/mol}$$
 (28.12)

*:* .

$$E'_{\text{trans}} = E_{\text{trans}} + E_{\text{vib}} - E'_{\text{vib}} - [D_e(\text{HBr}) - D_e(\text{HCl})] > 0$$
 (28.13)

$$9.21 + 15.71 - E'_{vib} + 67.2 > 0 (28.14)$$

$$E'_{\rm vib} < 92.12 \,\mathrm{kJ/mol} = 7701.2 \,\mathrm{cm}^{-1}$$
 (28.15)

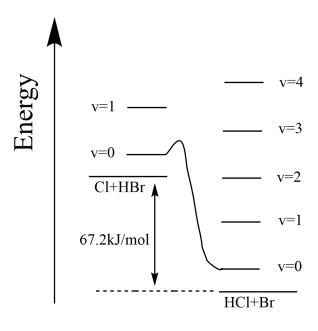
*:* .

$$2990.95(v+1/2) - 52.82(v+1/2)^2 < 7701.2 (28.16)$$

$$v < 2.20$$
 (28.17)

i.e. v = 0, 1, 2

The energy diagram is as follows



28-23 From 28-22, we have

$$E'_{\text{trans}} = E_{\text{trans}} + E_{\text{vib}} - E'_{\text{vib}} - [D_e(\text{HBr}) - D_e(\text{HCl})] = 92.12 \,\text{kJ/mol} - E'_{\text{vib}}$$
 (28.18)

thus

$$u'_{r} = \sqrt{\frac{2[92120 - \tilde{\nu}_{e}(v + 1/2) + \tilde{\nu}_{e}\tilde{x}_{e}(v + 1/2)^{2}}{\mu'}}$$

$$= \sqrt{\frac{2[92120 - 35772(v + 1/2) + 631.7(v + 1/2)^{2}}{2.504 \times 10^{-2}}} \text{m/s}$$
(28.19)

$$|\mathbf{u}_{HCl} - \mathbf{u}_{cm}| = \frac{m_{Br}}{M} u'_{r}$$

$$= \frac{79.904}{116.365} u'_{r} = 0.68667 u'_{r}$$
(28.20)

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v	$u_r'$ / m/s	$ \mathbf{u}_{\mathrm{HCl}} - \mathbf{u}_{cm}  / \mathrm{m/s}$
0	2438	1674
1	1785	1226
2	728.1	500.0

- 28-27
- 28-28
- 28-29
- 28-30
- 28-32
- 28-33
- 28-34
- 28-37
- 28-43
- 28-44
- 28-extra