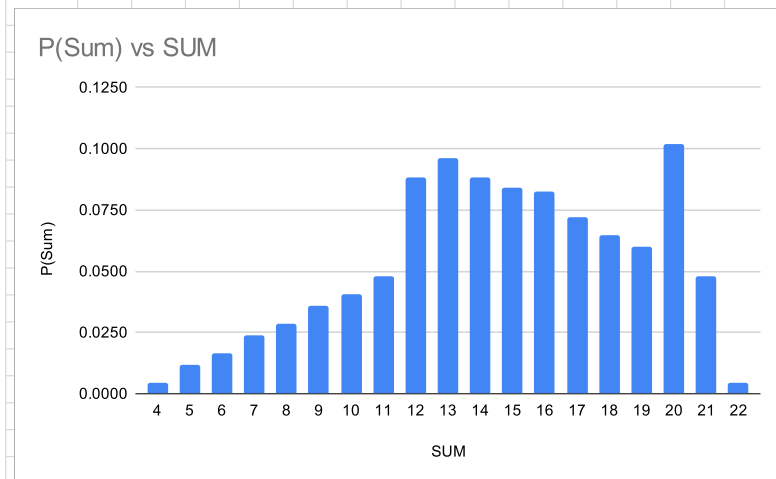


Let's consider the following arrangement of possible pairs and sums of face values. Let's count how many there are.																		
Qty's	Cards	2	3	4	5	6	7	8	9	10	J	Q	K	A	Examples:			
12	2	4	5	6	7	8	9	10	11	12	12	12	12	13	For Qty sum 5, two ways to be dealt			
32	3	5	6	7	8	9	10	11	12	13	13	13	13	14	2, 3 or 3, 2.			
44	4	6	7	8	9	10	11	12	13	14	14	14	14	15	each with 4 possible ways.			
64	5	7	8	9	10	11	12	13	14	15	15	15	15	16	so $2*4*4=32$			
76	6	8	9	10	11	12	13	14	15	16	16	16	16	17	For sum 6 (and all even sums)			
96	7	9	10	11	12	13	14	15	16	17	17	17	17	18	there is one way (same face value),			
108	8	10	11	12	13	14	15	16	17	18	18	18	18	19	with counts $4*3$ , when equal cards, so			
128	9	11	12	13	14	15	16	17	18	19	19	19	19	20	$2*4*4+1*4*3 = 44$			
236	10	12	13	14	15	16	17	18	19	20	20	20	20	21				
-	J	12	13	14	15	16	17	18	19	20	20	20	20	21				
-	Q	12	13	14	15	16	17	18	19	20	20	20	20	21				
-	K	12	13	14	15	16	17	18	19	20	20	20	20	21				
256	A	13	14	15	16	17	18	19	20	21	21	21	21	22				
	Qty's	256	236	224	220	192	172	160	272	128	-	-	-	12				

SUM	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	19	possible sums
QTY	12	32	44	64	76	96	108	128	236	256	236	224	220	192	172	160	272	128	12	2668	qty of each sum
P(Sum)	0.0045	0.0120	0.0165	0.0240	0.0285	0.0360	0.0405	0.0480	0.0885	0.0960	0.0885	0.0840	0.0825	0.0720	0.0645	0.0600	0.1019	0.0480	0.0045	1.0000	total



Let's compute PT(Sum) probability of a player's hand be involved in a TIE after the second card is dealt.

#### First DECISION: BET on TIES or NOT

For Ties, possible sums are calculated based on initial cards from both player and dealer, as follows:

SET A: For the person with the lower face card, possible tie-sums goes from LowerCard + 2 up to LowerCard + 11

SET B: For the person with the higher face card, possible tie-sums go from HigherCard + 2 up to HigherCard + 11

SET A n SET B: The list of possible sums goes from HigherCard + 2 up to LowerCard + 11. See examples below:

Example 1: Player gets 4, Dealer gets 9. This example gives 5 possible sums: 11, 12, 13, 14, 15 for a tie-value.

This way, in the table the point (Player's 1st. Card, Dealer's 1st Card) = (4, 9) will be  $P(11)+P(12)+P(13)+P(14)+P(15)=$

0.4048

Ties	PID	2	3	4	5	6	7	8	9	10	J	Q	K	A
2									11					
3	lower than the initial dealer's card								12					
4		6	7	8	9	10	11	12	13	14	14	14	14	15
5									14					
6									15					
7									16					
8									17					
9									18					
10	not reachable by player's second card {								19					
J									19					
Q									19					
K									19					
A									20					

Example 2: Player gets 10, Dealer gets 3. This example gives 3 possible sums: 12, 13, 14 for a tie-value

This way, in the table the point (Player's 1st. Card, Dealer's 1st Card) = (10, 3) will be  $P(12)+P(13)+P(14)=$

0.2729



