



# : Capturing Realistic Multimodality in Autonomous Driving Decisions

Hee Jae Kim, Zekai Yin, Lei Lai, Jason Lee, and Eshed Ohn-Bar **Boston University** 

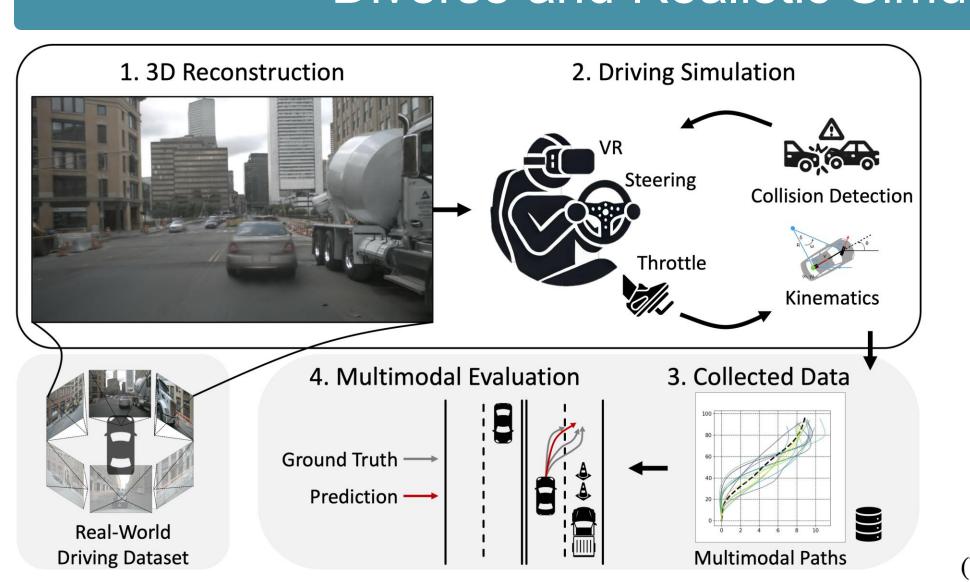
#### Overview

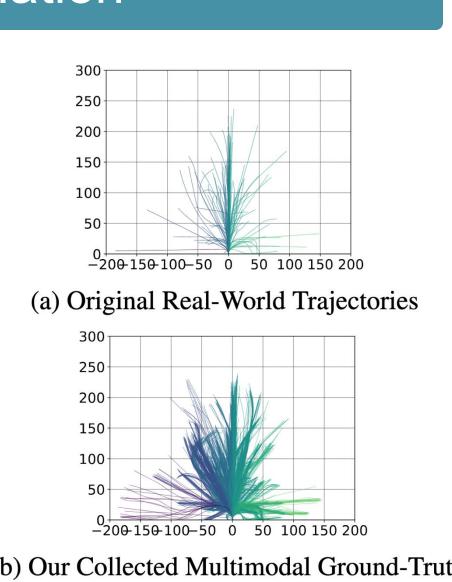
Motivation: Real-world driving involves multiple plausible decisions, making planning inherently multimodal. Yet, current planners often fail to capture diverse mode, often remaining deterministic or collapsing to a dominant mode. Moreover, existing datasets provide only a single annotation per scenario, which may penalize valid alternatives.

#### **Contributions:**

- We introduce BranchOut, a GMM-based diffusion planner that explicitly captures multimodal driving behaviors in an end-to-end manner.
- We present human-in-the-loop photorealistic simulation framework to collect diverse trajectories, enabling multimodal evaluation protocol.

# Diverse and Realistic Simulation

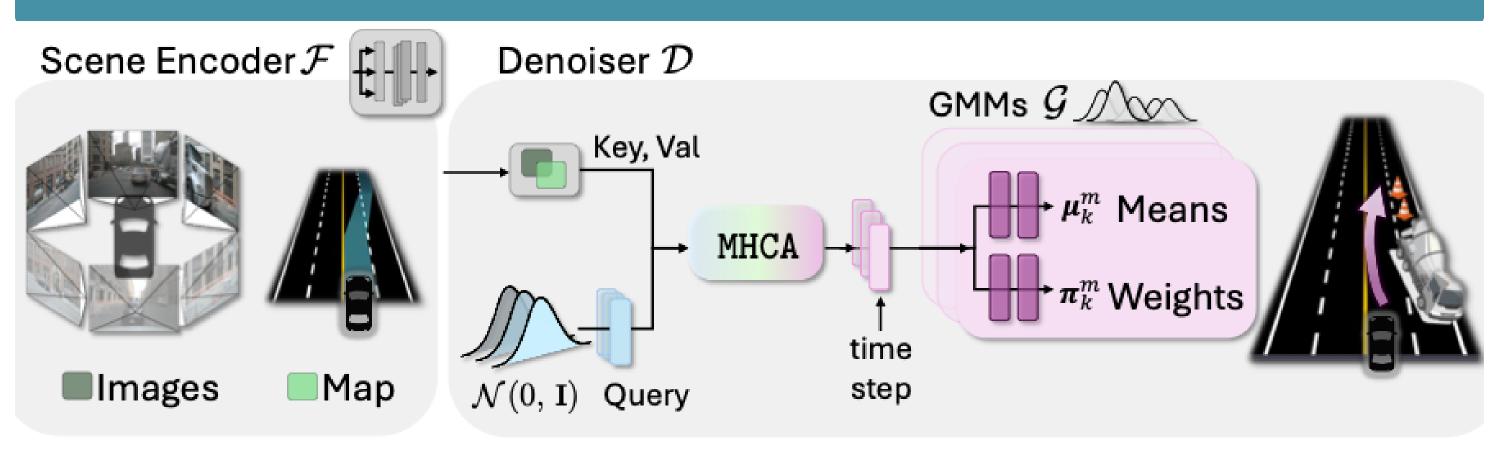




Benchmark	3s L2 (m) ↓	Fréchet (m) \	NLL ↓
Driving in <i>Photorealistic</i> Simulation Driving in <i>Virtual</i> Simulation	<b>0.79</b> 0.93	1.46 <b>1.11</b>	3.48 <b>3.19</b>

- We leverage a rendering-based photorealistic, reactive human-in-theloop simulation with collision feedback, enabling scalable collection of diverse and realistic multimodal trajectories.
- Our simulated trajectories not only achieve high diversity but also closely match real-world logs (3s L2 = 0.79 m), compared to a digital twin (0.93 m), without the overhead of manual scene construction.

# Method



#### **Model Architecture of BranchOut**

**Diffusion Process** models multimodal driving decisions by perturbing ground-truth trajectories  $\mathbf{Y}_{
m ego}$  into noisy inputs  $\mathbf{X}_{
m ego}^{(t)}$  using Gaussian noise  $\mathbf{z}$  $\sim \mathcal{N}(0, \mathbf{I})$  and a diffusion timestep  $t \sim \mathcal{U}(0, 1)$ :

$$\mathbf{X}_{\text{ego}}^{(t)} = \sqrt{\alpha(t)} \cdot \mathbf{Y}_{\text{ego}} + \sqrt{1 - \alpha(t)} \cdot \mathbf{z}, \quad \mathbf{X}_{\text{ego}}^{(t)} \in \mathbb{R}^{M \times T_f \times 2}$$

At inference, we start from Gaussian noise and solve the reverse diffusion ODE with a single-step DPM-Solver++.

Scene-Aware Diffusion Transformer embeds noisy trajectory queries into P, fuses them with agent and map features via cross-attention, and modulates them with timestep embedding  $\gamma(t)$ :

$$\mathbf{P} = [\text{MHCA}(\mathbf{P}, \mathbf{P}_{\text{agent}}, \mathbf{P}_{\text{agent}}), \text{MHCA}(\mathbf{P}, \mathbf{P}_{\text{map}}, \mathbf{P}_{\text{map}})]$$

$$\mathbf{P} \leftarrow \operatorname{Scale}(\gamma(t)) \cdot \mathbf{P} + \operatorname{Shift}(\gamma(t))$$

**Branched GMM Head** decodes scene-aware features P into  $\mu_k^m$  and  $\pi_k^m$ , with each branch m corresponding to a navigation command and predicting K diverse modes to explicitly capture multiple plausible futures:

$$\mathcal{G}(\mathbf{P}) = \{(oldsymbol{\mu}_k^m, oldsymbol{\pi}_k^m)\}_{k=1}^K$$

#### **Loss Functions:**

$$\mathcal{L} = \mathcal{L}_{\text{plan}} + \lambda_{\text{NLL}} \mathcal{L}_{\text{NLL}} + \lambda_{\text{c}} \mathcal{L}_{\text{constraints}}$$

- $\mathcal{L}_{ ext{plan}}$ :diffusion reconstruction loss
- $\mathcal{L}_{\mathrm{NLL}}$ : negative log-likelihood over GMM parameters
- $\mathcal{L}_{constraints}$ : collision, boundary, and directional safety constraints

# Quantitative Results

#### Open-Loop Evaluation on nuScenes

Method	# Params (M)	L2 (m) ↓			Fréchet ↓	NLL ↓	Speed JSD ↓	
	# I drains (WI)	1s	2s	3s	Avg.	1 Toollot \$		
IDM	_	3.98	8.21	12.65	8.28	10.04	-	_
Ego-MLP [9]	0.2	0.27	0.31	0.40	0.33	0.73	8.99	0.50
OccWorld [83]	58.0	0.44	1.12	2.08	1.21	2.65	12.53	0.52
UniAD [26]	55.7	0.46	0.94	1.65	1.02	2.60	10.86	0.45
VAD-Tiny [27]	39.6	0.51	1.04	1.76	1.11	2.65	7.22	0.43
VAD-Base [27]	58.1	0.46	0.98	1.69	1.04	2.50	7.72	0.41
DiffusionDrive [17]	60.0	0.31	0.82	1.58	0.90	2.41	3.95	0.39
BranchOut w/o Command	40.8	0.35	0.90	1.70	0.98	2.52	5.01	0.41
BranchOut w/o GMM	41.9	0.36	0.82	1.51	0.90	2.43	4.11	0.40
BranchOut w/o Diffusion	41.2	0.37	0.80	1.45	0.87	2.35	3.80	0.37
BranchOut w/ Classifier Guidance	41.9	0.30	0.74	1.51	0.85	2.46	4.02	0.39
BranchOut	41.9	0.31	0.76	1.41	0.83	2.29	3.72	0.36
BranchOut w/ EgoStatus	42.2	0.21	0.63	1.40	0.75	2.35	3.79	0.38
BranchOut w/ EgoHistory	42.4	0.26	0.65	1.30	0.74	2.25	3.74	0.35

#### Impact of Branched Decoder

Method		L2 (	(m) \		Fréchet ↓	NLL ↓	Speed JSD ↓
	1s	2s	3s	Avg.			
BranchOut (Shared Head)	ı				2.41	3.98	0.39
BranchOut (Ours)	0.31	0.76	1.41	0.83	2.29	3.72	0.36

### Closed-loop Evaluation on HugSim

Method	$\mid$ NC $\uparrow$ $\mid$	DAC ↑	TTC ↑	COM↑	$\mid R_c \uparrow$	HD-Score ↑
Ego-MLP [9]	0.48	0.77	0.39	0.80	0.21	0.08
UniAD [26]	0.70	0.95	0.58	0.81	0.34	0.25
VAD-Tiny [27]	0.44	0.80	0.34	1.00	0.32	0.11
VAD-Base [27]	0.56	0.87	0.43	1.00	0.28	0.14
DiffusionDrive [17]	0.56	0.67	0.48	0.80	0.24	0.10
BranchOut	0.76	0.99	0.69	1.00	0.58	0.47

# Qualitative Results



