

***TITLE:- CURVATURE THROUGH INFORMATIONAL DECAY:
ANALYZING INTERNAL MEMORY LEAK***

AUTHOR:- ARJUN A.K.A HEET TRIVEDI

EMAIL:- heettrivedio2@gmail.com

Abstract:- Internal Memory Leakage represents a Silent Decay of Operational Integrity inside Computational Architectures. Unlike external Disruptions (solar flares, impact), Internal leaks Self-originate, self-Amplify, and threaten the model, Simulate and theorize Leak Dynamics, establishing Both Empirical Behaviour and Fundamental Physical Analogues to spacetime Entropy Distortion.

Introduction:- Modern Computational Systems assume Permanence of stored Digital Information. However., Time, Entropy, and material physics together Degrade Memory Cells even in Zero- Radiation Shielding Environments.

Definition of Memory Leaks:- “Internal Memory Leak is the gradual Corruption of logical Storage states without External error Injection”. It’s measured by;

- ★ *Error Bit Density (Corrupted bits per Megabit)*
- ★ *Corruption Rate (New Bitflips per cycle)*
- ★ *Criticality Ratio (Corrupted Bits/ Total Bits)*

Entropy and Information Decay:- Information Storage is never Thermodynamically free. Landaur's principle States;

$$\Delta S \geq k_B \ln(2)$$

For every bit loss. Thus., Spontaneous Data Decay Increases System Entropy, paralleling Heat Death Models at Cosmological Scales.

Quantum Noise Contribution:- At Scales below 5nm, quantum Tunneling And Zero-point fluctuations allow random Charge migration across Transistor gates. This Introduces unavoidable Stochastic leakage;

$$P_{\text{tunnel}} \sim e^{-2\sqrt{2m\phi d/\hbar}}$$

Where., ϕ = Barrier Potential

d = Barrier Thickness

Mathematical Leakage Model:- Modeling Cumulative Memory Loss;

$$d\phi/dt = \gamma(1 - \phi)$$

Solution.,

$$\phi(t) = 1 - e^{-\gamma t}$$

Where., γ = Leak Rate Coefficient

$\phi(t)$ = Corrupted Memory Fraction over time

Memory Leak Rate factors:- Leak Rate (γ) depends on;

★ *Temperature Rise ($T \uparrow$)*

★ *Write/ Erase frequency ($\tau \uparrow$)*

- ★ *Material Disorder* ($\mathcal{Q} \downarrow$)
- ★ *Cosmic Neutrino Background* \mathcal{N}

(hypothetical)

$$\text{Thus., } \gamma = f(T, \tau, \mathcal{Q}, \mathcal{N})$$

Subsystem Risk Analysis:-

<i>Subsystem</i>	<i>Leak Impact</i>
<i>CPU Core</i>	<i>Silent Logic failure, false corruptions</i>
<i>RAM Buffers</i>	<i>Sensor Misreadings, Wrong telemetry</i>
<i>Comm Module</i>	<i>Packet Corruptions, Bad Encoding</i>
<i>Flight Controller</i>	<i>Orbital Deviation, Mission loss</i>
<i>Sensor Hub</i>	<i>Ghost events, Missing Critical Data</i>

Threshold Models for fallback:- Define Safe operation up to corruption fraction (ϕ_c).

Trigger Fallback when;

$$\phi(t) \geq \phi_c$$

Typical $\phi_c \approx 0.05$ (5% Corruption)

Detection Strategies:- ★ CRC Checksum Errors

★ Hamming Code correction Exceeding Threshold

★ Machine Learning Anomaly Prediction

★ Redundant Multi-bit Voting

Physical System Leak- Curvature Decay:- As memory Decays \rightarrow Logical Information Decays \rightarrow Local Entropy Increases.

Mirco Curvature Collapse Hypothesis;

$$\delta R_{\text{logical}} \propto \delta S_{\text{memory}}$$

Future Research Extension:- ★ Model Quantum Stabilized memory cells (QRAM) under Long term stress.

★ Study gravitational Wave effects on memory

Corruption rates.

★ Biological Redundancy (like neuron networks)

References:- (1) R. Landauer, “irreversibility and heat generation in the computing process”. IBM Journal of Research and Development (1961)

(2) C.H. Bennett, “The Thermodynamics of Computation– A review”. International Journal of Theoretical Physics (1982)

(3) Jacob Bekenstein, “Information in the Holographic Universe”. Scientific American (2003)

(4) *Seth Lloyd, “Ultimate Physics Limits to Computation”. Nature (2000)*

(5) *NASA JPL Deep Space 1 Final Report, “Autonomous Spacecraft memory Degradation analysis”. NASA Jet propulsion laboratory (2002)*

(6) *Richard Feynman, “Simulating Physics with Computers”. International Journal of Theoretical Physics (1982)*

(7) *M. Żwolak, H.T. Quan, and W.H. Żurak, “Quantum Darwinism in a mixed Environment”. Physics Review Letter (2009)*

(8) *Charles E. Shannon, “A Mathematical Theory of Communication”. Bell Systems Technical Journal (1948)*

(9) *K. Nakata and M. Nomura, “Radiation Effects on Memory Devices in Space”. IEEE Transactions on Nuclear Science (1998)*

(10) *Project SOLIS Internal Theoretical Extension (Heet Trivedi), “Curvature Collapse through Information Decay: Analyzing Internal Memory leak”. (Original Work – Self Published Research (2025))*