

1. (a)

所有不同的状态数 $n = 100 \times 100 \times 4 \times 100 \times 4 \times 10 \times 2 \times 90 = 2912032000000$

$$\log_2 n = 41.4$$

$\therefore n$ 至少为 42

(b) 1. 14 bits

2. 2 bits

3. 7 bits

一共 43 个 bit

4. 2 bits

5. 7 bits

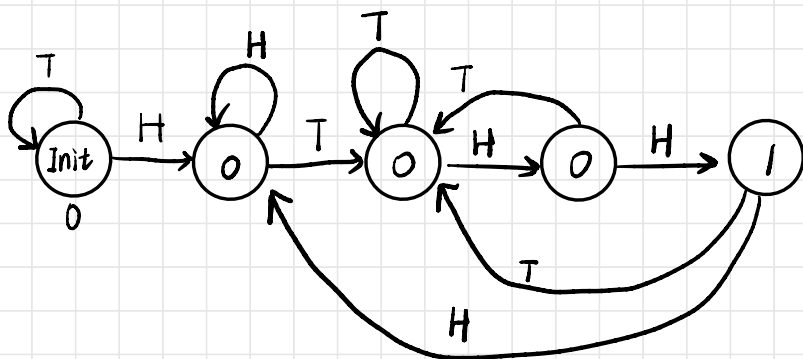
6. 1 bit

7. 4 + 6 bits

(c) 因为 b 的方式更易于理解和解码

2.

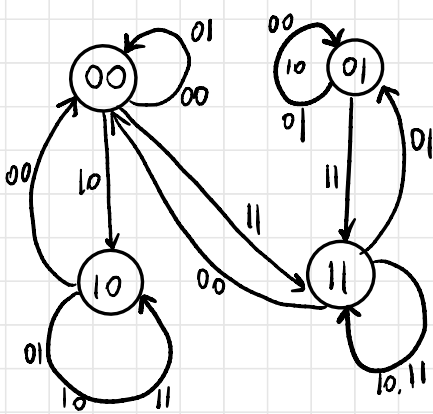
(a)



(b) 一共需要 3 个比特

3. $8 \times 2^4 = 128 \text{ bytes}$

4.



只需2个比特即可

5.

a. $A[1:0]$ 是 11, WE 状态为 0.

b. $\log_2 60 = 5.9$, 故 MAR 应有 6 位, addressability 仍为 3bits

c. $2^6 - 60 = 4$, 所以还可以加 4 个地址

6.

a. 2个bit

b. 16个bit

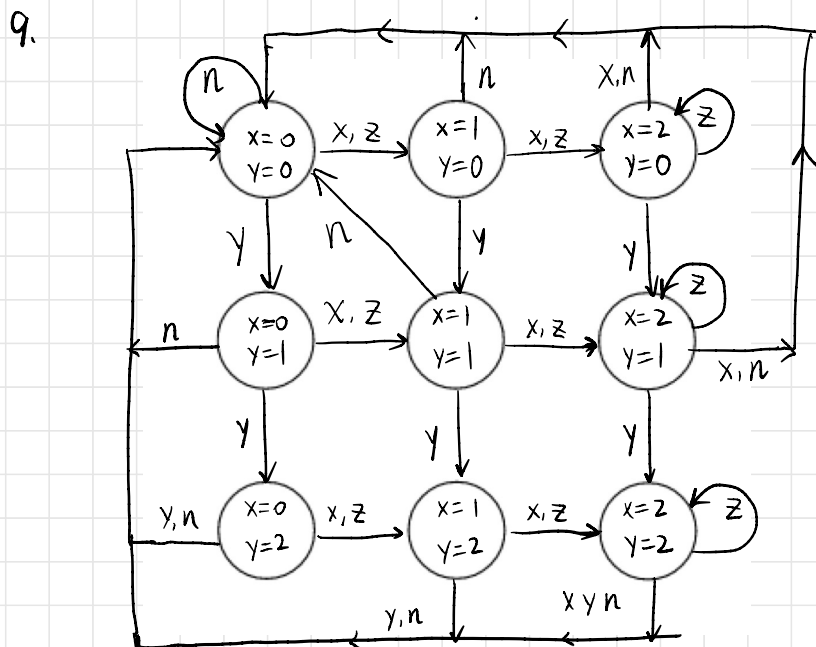
c. $16 \times 2^2 = 64 \text{ bit} = 8 \text{ byte}$

d.

WE	A[1:0]	Di[15:0]	D[15:0]	Read/Write
0	01	xFADE	x4567	Read
1	10	xDEAD	xDEAD	Write
0	00	xBEEF	x0123	Read
1	11	xFEED	xFEED	Write

7.	PC	IR	MAR	MDR	R ₀	R ₁	R ₂	R ₃	R ₄	R ₅	R ₆	R ₇
	x3004	x62BE	x3003	x62BE	x3000	x3000	x3002	x3000	x3000	x3000	x3000	x3000
Fetch												
Decode	x3004	x62BE	x3003	x62BE	x3000	x3000						
Evaluate Address	x3004	x62BE	x3003	x62BE	x3000	x3000						
Fetch Operand	x3004	x62BE	x3000	x62BF	x3000	x3000						
Execute	x3004	x62BE	x3000	x62BF	x3000	x3000						
Store result	x3004	x62BE	x3000	x62BF	x3000	x62BF			(未变)			

8. a. $2^8 = 256 > 255$, 故需要 8 bits
- b. $2^7 = 128 > 120$, 故需要 7 bits
- c. $32 - (7 \times 3 + 8) = 3$ bits



10.

	cycle 0	cycle 1	cycle 2	cycle 3	cycle 4	cycle 5	cycle 6	cycle 7
D2	0	1	1	1	1	0	0	0
D1	0	1	1	0	0	1	1	0
D0	0	1	0	1	0	1	0	1

这是一个倒计数器

11.

(1) $R_0 \leftarrow 0$

(2) $R_0 \leftarrow \text{NOT } R_1$

(3) $R_0 \leftarrow R_0 + 1$

(4) $R_0 \leftarrow R_0 + R_2$

(5) $N = 1$

(6) $R_4 \leftarrow R_4 + (00001)$

(7) 如果 $R_2 \geq R_1$, $R_4 \leftarrow 1$
否则 $R_4 \leftarrow 0$

12.

(1) $R_0 \leftarrow 0$

(2) $R_5 \leftarrow R_1 \text{ AND } (00001)$

(3) $N = 1$, $P = 1$

(4) $R_0 \leftarrow R_0 + 1$

(5) 如果 R_1 是奇数, $R_0 \leftarrow 0$
如果 R_1 是偶数, $R_0 \leftarrow 1$