Befehlssatzarchitektur

Studentenlösungen
Übungen Computerarchitektur

1 | Instruction-Set Architecture

1.1 Einfach C-Code zu RISC-V Assembler

1.1.1 Lösungsunterstützung
a) You need the instruction: **add**
b) You need the instructions: **add**, **sub**
c) You need the instruction: **addi**
d) You need the instruction: **addi**
e) You need the instructions: **lui**, **addi**. Beware immediates overflow.
f) You need the instructions: **lui**, **addi**. Beware immediates overflow.

isa/c-to-riscv-01

1.2 Algorithmik C-Code zu RISC-V Assembler

1.2.1 Lösungsunterstützung
a) One variant is with: **bne**, **add**, **sub**
b) One variant is with: **bne**, **add**, **j**, **sub**
c) One variant is with: **addi**, **bne**, **add**, **j**
d) One variant is with: **addi**, **bge**, **add**, **slli**, **j**
e) One variant is with: **lui**, **addi**, **lw**, **slli**, **sw**
f) One variant is with: **lui**, **ori**, **addi**, **bge**, **slli**, **add**, **lw**, **sw**, **j**
g) One variant is with: **addi**, **add**, **lb**, **beq**, **j**

isa/c-to-riscv-02

1.3 Maschinencode zu RISC-V Assembler

1.3.1 Lösungsunterstützung
a)
```
0x41FE 83B3 = 0100 0001 1111 1110 1000 0011 1011 0011
```

$op = 51, funct3 = 0 \Rightarrow$ **add** or **sub** (R-Type Command)
funct7 = 01000000 $\Rightarrow$ **sub**

funct7	rs2	rs1	funct3	rd	op
0100 000	11111	11101	000	00111	0110011
32	31	29	0	7	51

```
sub t2, t4, t6
```

b) I-Type

isa/machinecode-to-riscv-01

1.4 Logische Operationen mit Registern

1.4.1 Lösungsunterstützung

a) **s3 = 0x46A1 0000**

b) **s4 = 0xFFFF 01B7**

c) **s5 = 0xB95E F1B7**

isa/riscv-execution-01

1.5 Logische Operationen mit Werten

1.5.1 Lösungsunterstützung

a) **s3 = 0x3A75 0824**

b) -

c) -

isa/riscv-execution-02

1.6 Multiplikationen in RISC-V

1.6.1 Lösungsunterstützung

s4 = 0xE000 0000

s3 = 0x0000 0000

isa/riscv-execution-03

1.7 Division und Modulo

1.7.1 Lösungsunterstützung

s3 = 0x0000 0005

s4 = 0x0000 0002

isa/riscv-execution-04

1.8 R-Typ zu Maschinencode

1.8.1 Lösungsunterstützung

a)
```
add x18, x18, x20
```

R-Type Command

funct7	rs2	rs1	funct3	rd	op
0	20	19	0	18	51
0000000	10100	10011	000	10010	0110011

```
0x0149 8933
```

b) -

c) **0x0092 9BB3**

d) -

e) -

isa/riscv-to-machinecode-01

1.9 I-Typ zu Maschinencode

1.9.1 Lösungsunterstützung

a)
```
addi x8, x9, 12
```

I-Type Command

$imm_{11:0}$	rs1	funct3	rd	op
12	9	0	8	19
0000 0000 1100	01001	000	01000	001 0011

```
0x00C4 8413
```

b) -

c) -

d) **0x01B0 1483**

e) -

isa/riscv-to-machinecode-02

1.10 S-Typ zu Maschinencode

1.10.1 Lösungsunterstützung

a) **0xFE79 AD23**

b) -

c)
```
sb x30, 0x2D(x0)
```

S-Type Command

$imm_{11:5}$	rs2	rs1	funct3	$imm_{4:0}$	op
0000 001	30	0	0	01101	35
0000 001	11110	00000	000	01101	010 0011

```
0x03E0 06A3
```

isa/riscv-to-machinecode-03

1.11 Realzeitsystem

Was ist der Hauptunterschied zwischen einem „harten" und einem „weichen" Echtzeitsystem?

1.11.1 Lösungsunterstützung

One of those system types is considered as failed if it misses any timing. When/Why is it necessary to be so strict ?

isa/riscv-to-machinecode-04

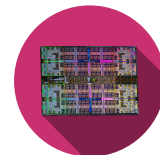## 1.12 U-Typ zu Maschinencode

1.12.1 Lösungsunterstützung

0x8CDE FAB7

isa/riscv-to-machinecode-05

1.13 J-Typ zu Maschinencode

1.13.1 Lösungsunterstützung

0x0FF8A 60EF

isa/riscv-to-machinecode-06

2 | Laborergänzung

Um Ihnen zu helfen können Sie gerne der RISC-V-Interpreter auf https://course.hevs.io/car/riscv-interpreter/ sowie Ripes verwenden.

> ℹ️ Achten Sie sich auf die Typen der Variablen!
> - Der Typ **int** wird als vorzeichenbehaftete 32-Bit-Größe betrachtet.
> - Der Typ **unsigned int** wird als unsignierter 32-Bit-Typ betrachtet.
> - Wenn eine Zahl dahinter steht (z. B. **int16_t**), bedeutet dies, dass die Variable x-Bit lang ist (hier 16). Wenn ein **u** vorangestellt ist, ist er unsigniert.
>
> **uint8_t** ist also ein vorzeichenloses Byte, während **int8_t** ein vorzeichenbehaftetes Byte ist.

2.1 Grundrechenarten

2.1.1 Lösungsunterstützung

a)

```
# a = b + c;
# s0 = a, s1 = b, s2 = c

# b = 1, c = 2
addi s1, zero, 1
addi s2, zero, 2
add s0, s1, s2      # a = b + c
# s0 = 0x00000003
# s1 = 0x00000001
# s2 = 0x00000002

# b = -1, c = 2

...

# s0 = 0x00000001
# s1 = 0xffffffff
# s2 = 0x00000002

# b = -12, c = 2032

...

# s0 = 0x000007db
# s1 = 0xfffffff4
# s2 = 0x000007e7
```
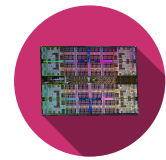
b)

```
# a = b - c;
# d = (e + f) - (g + h);
# s0-s7 = a-h

...

# t0 = 0xffffffb1
# t1 = 0x000007db
# s0 = 0xffffffff
# s1 = 0x00000002
# s2 = 0x00000003
# s3 = 0xfffff7d6
# s4 = 0xffffffff
# s5 = 0xffffffb2
# s6 = 0x000007e7
# s7 = 0xfffffff4
```

isa/lab-basic-calc

2.2 Speicherzugriff

2.2.1 Lösungsunterstützung

```
# Check for sign extension comprehension

# uint16_t a = mem[3];
# mem[4] = a;
# t0 is a
lhu t0, 3(zero) # if lh, the last bit may be 1 -> extended -> wrong number
sw  t0, 4(zero)


# int16_t a = mem[3];
# mem[4] = a;
# t0 is a
??? t0, 3(zero) # if lh, the last bit may be 1 -> ???
??? t0, 4(zero)
```

isa/lab-memory

2.3 Grundlegende Algorithmen

1. Übertrage den 8Bit Wert des Speichers an Addresse 0x0000′1000 seriell Bit für Bit im LSB des Speichers in der Addresse 0x0000′1001. Die restlichen Bits der Speicheraddresse 0x0000′1001 müssen ‚0' betragen. Berechnen sie die BaudRate in $\frac{\text{Instructions}}{\text{Bit}}$ für die gesamte Übertragung?

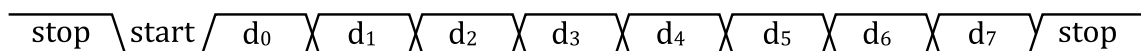| stop | start | d_0 | d_1 | d_2 | d_3 | d_4 | d_5 | d_6 | d_7 | stop |

Abbildung 5: UART Serielle Übertragung

2. Multipliziere zwei 4-bit Zahlen zusammen benutzte hierzu zusätzlich einen der Befehle **bne**, **bge**. Der Algorithmus funktioniert folgendermassen: Eine Multiplikation ist das gleiche wie die x-fache Addition der gleichen Zahl. Zum Beispiel: $2 * 9 = 9 + 9 = 18$.

2.3.1 Lösungsunterstützung

1. UART transmission idea:

```
# Serial UART Transmisstion
# setup
lui s2, 0x00001     # store UART base address
addi t0, zero, 0xA  # value to be send for testing
sb   t0, 0(s2)      # save to memory

# start
lui s2, 0x00001     # store UART base address
addi s1, zero, 0x1  # store mask bit
lb s0, 0(s2)        # get value from memory

# send stopbit
sb s1, 1(s2)        # send stopbit to memory
addi zero, zero, 0  # nop
addi zero, zero, 0  # nop

# send startbit
```

```
...

# algorithm iteration #1 to #8
...

# send stopbit
addi zero, zero, 0   # nop
sb s1, 1(s2)         # send stopbit to memory
```

2. Two numbers basic multiplication with loops idea:

```
# Input values
# a0, a1 = input, a2 = output
addi a0, zero, 9
addi a1, zero, 2

# init output to zero
addi a2, zero, 0

# check if a1 is zero
if a1 == 0 => goto end
decrement a1

accumulate:
  accumulate into a2
  decrement a1
  continue if not 0
```

isa/lab-basic-algos

2.4 Branching

2.4.1 Lösungsunterstützung

If / else

```
addi s0, zero, 1 # int a = 1
addi s1, zero, 2 # int b = 2

# if(a == b)
test1:
  bne s0, s1, test2 # imm = 12
# a == b
equal:
  c = 0
  goto end
# else if b > a
test2: # a < b === b >= a
  if a < b => goto a_smaller
# a > b
a_bigger:
  addi s2, zero, 1
  jal end # imm = 8
# a < b
a_smaller:
```

```
    addi s2, zero, 2

end:
# ...
```

2.4.2 Switch case

```
# a = s0, mem[2] = s1
lw s1, 2(zero)

# if(b == 0)
bne s1, zero, not0 # imm = 12

# b == 0
li s0, 17
jal end # imm = 48

# b != 0
not0:
  li t1, 3
  # if(b == 3)
  bne s1, t1, not3 # imm = 12

# b == 3
li s0, 33
jal end # imm = 32

# b != 3
not3:
  ...
  # if(b == 8)
  if(b == 8) goto is8_or_12 # imm = 20
  ...
  # if(b == 12)
  if(b == 12) goto is8_or_12 # imm = 12

# b != 8 | 12 (others)
li s0, 99
jal end # imm = 8

# b == 8 | 12
is8_or_12:
  li s0, 10

end:
# ...
```

2.4.3 While / Do While

```
// A : simple do-while
addi a5, zero, 10 # int a = 10;
while_entry:
  addi a5, a5, -1 # a--
  bne zero, a5, while_entry # imm = -4
```

```
// B : similar
addi a5, zero, 10 # int a = 10;
while_entry:
  addi a5, a5, -1 # a--
  if a >= 0 => goto while_entry

// C : uint32_t instead of int
...
```

2.4.4 For

```
# a is s0, i is s1, mem[0] = s2
lw s2, 0(zero) # loop target

# For the for to work, blte does not exist.
# Thus, since the loop decreases, a > b
#  === a-1 >= b (for signed only, else infinite loop)
# so better a >= b + 1
addi s2, s2, 1  # target + 1
li s1, 4        # i = 4
mv s0, zero     # a = 0

jal for_test # imm = 8

for_do:
  add s0, s0, s1
  addi s1, s1, -1 # MUST be at the end of for

for_test:
  bge  s1, s2, for_do # imm = -8
```

isa/lab-branch

2.5 Functions

2.5.1 Lösungsunterstützung

a) A function with context saving which can be optimized

```
# a is s0, b is s1
li s0, 1 # a = 1
mv a0, s0 # copy into a0 as funct. arg
jal ra, doubleIt # imm = undef.
mv s1, a0 # b = result

# DO NOT FORGET THE FOLLOWING
# a0 is a scratch register, and we called
a function
# so we are not sure if a0 is still s0
mv a0, s0
jal ra, doubleItOpti # imm = undef.
mv s1, a0 # b = result

# ...

doubleIt:
  # save context
  addi sp, sp, -4
  sw s0, 0(sp)
  # do a = a * 2
  mv s0, a0
  sll s0, s0, 1
  mv a0, s0
  # restore context
  lw s0, 0(sp)
  addi sp, sp, 4
  jalr zero, ra, 0 # or pseudo jr ra

# If 'a' should be a register
doubleItOpti:
  mv t0, a0
  sll t0, t0, 1
  mv a0, t0
  jalr zero, ra, 0 # or pseudo jr ra

# Most opti version
doubleItOpti2:
  # nothing to save since we can do it
with a0 directly
  sll a0, a0, 1
  jalr zero, ra, 0 # or pseudo jr ra
```

b) A function with too many arguments

```
# a to j in s0-s10
# res in s11
li s0 1
li s1 2
...
li s10 10

# prepare arguments
mv a0, s0
mv a1, s1
...
mv a7, s7
# still two args to pass -> stack
addi sp, sp, -8
# It is important that the caller
# reserves the space. Also, note
# the order in stack.
sw s8, 4(sp)
sw s9, 0(sp)
# call
jal ra, sum
# stack not needed anymore
addi sp, sp, 8

mv s1, a0 # b = result

# ...

sum:
  # do add with aX regs
  add a0, a0, a1
  add a0, a0, a2
  ...
  add a0, a0, a7
  # load i from over sp
  lw t0, 4(sp)
  add a0, a0, t0
  # load j from over sp
  lw t0, 0(sp)
  add a0, a0, t0
  jr ra
```

isa/lab-fcts

2.5.2 Lösungsunterstützung

2.5.2.1 Modulo

```
# RV32IM
# a is s0, b is s1, c is s2
li s0, 9
li s1, 7
```

```
remu s2, s0, s1

# RV32I
# Call a div algorithm and take remainder
# Or call a sub loop

# Modulo of power of 2
li s0, 9
li s1, 8
addi t0, s2, -1 # pow 2 - 1
and s2, t0, s0
```

2.5.2.2 °F -> °C

The main algorithm is:

```
begin:
    li s0, 550 # degrees farenheit

    li s1, 466034 # magic number
    mv s2, s0 # c = f

    # A: c = f - 32
    addi s2, s2, -32

    # B: c = c * 5
    # Variante 1 c*5 with shift
    # slli s3, s2, 2 # c * 4
    # add s2, s3, s2 # c + c (== * 5)
    # Variante 2 c*5 with function
    mv a0, s2
    li a1, 5
    # jal ra, mulFunct   # func variant malFunct
    # jal ra, sfmulFunct # func variant sfmulFunct
    jal ra, fmulFunct    # func variant fmulFunct
    mv s2, a0

    # C: c = c * 2^n / 9
    mv a0, s2
    mv a1, s1
    # jal ra, mulFunct   # func variant malFunct
    # jal ra, sfmulFunct # func variant sfmulFunct
    jal ra, fmulFunct    # func variant fmulFunct
    mv s2, a0

    # D: c >>= n
    srli s2, s2, 22

# End
nop
    j begin
```

The multiplication functions (from worst to best):

a)

```
# bad O(n_b)
mulFunct: # mulFunct(int a, int b)
    # add itself each time
    mv t0, a0
    addi a1, a1, -1

    mul_beg:
    bgeu zero, a1, mul_end # if 1 > b
    add a0, a0, t0
    addi a1, a1, -1
    j mul_beg

    mul_end:
    jr ra

# better O(n_min[a,b])
sfmulFunct: # sfmulFunct(int a, int b)
    swap a and b to loop less times
    loop to multiply
```

b)

```
# best
fmulFunct: # fmulFunct(int a, int b)
    swap a and b to loop less times

    mul_is_done:
        if b is 0 => goto fmul_end

        if b[0] is 0 => goto shift
    add:
        add t0, a0, t0
    shift:
        shift a0 left once
        shift a1 right once
        goto mul_is_done

    fmul_end:
        mv a0, t0
        jr ra
```

The test with n = 23 should work for small numbers but overflow with bigger:

- 100F = 37C; 400F = 204C
- 1000F = 25C -> WRONG

$$
\begin{aligned}
\text{nbBits}_{\max_{\text{fahrenheit}}} + \text{nbBits}_{\text{mult5}} + \text{nbBits}_{\text{magicNumber}} &= \\
10(\text{max. 1000-32}) + 3 + (n - \text{nbBits}_{\text{div9}} + 1) &= \\
10 + 3 + (16 - 4 + 1) &= \\
&= 26 \text{ bits}
\end{aligned}
\tag{1}
$$

Because, following Gleichung 1, if n is 23 → equation gives 33 bits, but we are on 32.

isa/lab-adv-algos