Week 4: Interpretable Machine Learning for Data Science

Problem: You have been mandated by a large wine-making company in Valais to discover the key chemical factors that determine the quality of wine and build an interpretable model that will help their cellar masters make decisions daily.

Settings things up (15')

This week will require quite a lot of autonomy on your part, but we will guide you with this high-level notebook. First, take the following steps:

- Install Poetry.
- Then use Poetry to create a virtual environment:

```
poetry install
```

• Then restart VS Code and add the kernel that corresponds to the environment created by Poetry.

Then, let's set up black, which is a highly encouraged best-practice for all your Python projects. That way, you never have to worry and debate about code formatting anymore. By using it, you agree to cede control over minutiae of hand-formatting. In return, Black gives you speed, determinism, and freedom from pycodestyle nagging about formatting. You will save time and mental energy for more important matters.

```
import jupyter_black
jupyter_black.load()
```

Here are the libraries you will most likely need and use during this week:

- numpy for basic scientific computing and scipy for statistical testing.
- pandas or polars for dataset manipulation. Polars is highly recommended, because it is awesome. Instructions below will refer to the Polars API.
- seaborn for statistical data visualization, but matplotlib is always needed anyway. Use both!
- shap will be used for interpretability.
- sklearn and xgboost will be used for training models. You may import them later when you need them.

```
# All the imports for the notebook to work
import pandas as pd
import seaborn as sns
import math
import matplotlib.pyplot as plt
from sklearn.decomposition import PCA
from sklearn.discriminant_analysis import StandardScaler
from sklearn.linear_model import LogisticRegression
from sklearn.model_selection import train_test_split, GridSearchCV
from sklearn.calibration import LabelEncoder
from sklearn.metrics import classification_report
from sklearn.cluster import KMeans
```

Fetch the data (15')

Here we have a very nice package that can do everything for us (aka ucimlrepo). Let's use it!

Take a look at the website for details.

```
# Fetching from CSV as it's easier for me
wine_red = pd.read_csv("./data/winequality-red.csv", sep=";")
wine_white = pd.read_csv("./data/winequality-white.csv", sep=";")
```

```
# Adding a color column
wine red["color"] = "red"
wine_white["color"] = "white"
# Base data should not be modified
base_data = pd.concat([wine_red, wine_white], axis=0, ignore_index=True)
# This is to avoid aving red - white ordered already...
base_data = base_data.sample(frac=1, random_state=42).reset_index(drop=True)
base_data
      fixed acidity volatile acidity citric acid residual sugar chlorides \
                                             0.74
0
               7.0
                                0.17
                                                            12.80
                                                                       0.045
               7.7
                                0.64
1
                                             0.21
                                                            2.20
                                                                      0.077
2
               6.8
                                0.39
                                             0.34
                                                            7.40
                                                                      0.020
3
               6.3
                                0.28
                                             0.47
                                                            11.20
                                                                      0.040
4
               7.4
                                0.35
                                             0.20
                                                            13.90
                                                                      0.054
                                 . . .
                                              . . .
                                                             . . .
                                                                        . . .
               . . .
. . .
6492
               7.6
                                0.32
                                             0.58
                                                            16.75
                                                                      0.050
6493
                                                            3.90
                                                                      0.043
               5.6
                                0.28
                                             0.27
6494
               6.4
                                0.37
                                             0.20
                                                            5.60
                                                                      0.117
6495
               6.5
                                0.26
                                             0.50
                                                            8.00
                                                                      0.051
6496
               7.2
                                0.62
                                             0.06
                                                            2.70
                                                                      0.077
      free sulfur dioxide total sulfur dioxide density
                                                          pH sulphates \
0
                    24.0
                                         126.0 0.99420 3.26
                                                                   0.38
                    32.0
                                         133.0 0.99560 3.27
                                                                   0.45
1
2
                    38.0
                                         133.0 0.99212 3.18
                                                                   0.44
3
                    61.0
                                         183.0 0.99592 3.12
                                                                   0.51
4
                    63.0
                                         229.0 0.99888 3.11
                                                                   0.50
                     . . .
                                           . . .
                                                    . . .
                                                         . . .
                                                                    . . .
                                         163.0 0.99990 3.15
6492
                    43.0
                                                                   0.54
6493
                    52.0
                                        158.0 0.99202 3.35
                                                                   0.44
                                                                   0.43
6494
                    61.0
                                        183.0 0.99459 3.24
6495
                    46.0
                                        197.0 0.99536 3.18
                                                                   0.47
6496
                    15.0
                                         85.0 0.99746 3.51
                                                                   0.54
     alcohol quality color
        12.2 8 white
0
         9.9
1
                    5
                         red
                   7 white
2
        12.0
3
         9.5
                    6 white
4
         8.9
                    6 white
         . . .
                        . . .
                  . . .
6492
         9.2
                    5 white
6493
        10.7
                    7 white
6494
         9.5
                    5 white
6495
         9.5
                    5 white
                    5
6496
         9.5
                         red
[6497 rows x 13 columns]
target = "color"
features = [x for x in base_data.columns.values if x != target]
x_base: pd.DataFrame = base_data[features]
y_base: pd.DataFrame = base_data[target]
```

Now, let's check that the data have the correct shape to ensure they have been loaded as expected.

Calculate how many samples and features we have in total, how many are red or white wines, how many are good or bad wines, etc.

```
# Complete this cell with your code
x base.describe()
       fixed acidity volatile acidity
                                          citric acid
                                                       residual sugar
         6497.000000
                            6497.000000
                                          6497.000000
                                                          6497.000000
count
                                             0.318633
            7.215307
                               0.339666
                                                              5.443235
mean
std
            1.296434
                               0.164636
                                             0.145318
                                                              4.757804
min
            3.800000
                               0.080000
                                             0.000000
                                                              0.600000
25%
            6.400000
                               0.230000
                                             0.250000
                                                              1.800000
50%
            7.000000
                               0.290000
                                             0.310000
                                                              3.000000
75%
            7.700000
                               0.400000
                                             0.390000
                                                              8.100000
           15.900000
                               1.580000
                                             1.660000
                                                             65.800000
max
                    free sulfur dioxide
                                           total sulfur dioxide
         chlorides
                                                                      density
                             6497.000000
      6497.000000
                                                    6497.000000
                                                                  6497.000000
count
          0.056034
                               30.525319
                                                     115.744574
                                                                     0.994697
mean
std
          0.035034
                               17.749400
                                                      56.521855
                                                                     0.002999
min
          0.009000
                                1.000000
                                                       6.000000
                                                                     0.987110
25%
          0.038000
                               17.000000
                                                      77.000000
                                                                     0.992340
50%
          0.047000
                               29.000000
                                                     118.000000
                                                                     0.994890
75%
          0.065000
                               41.000000
                                                     156.000000
                                                                     0.996990
max
          0.611000
                              289.000000
                                                     440.000000
                                                                     1.038980
                       sulphates
                                      alcohol
                                                    quality
                рΗ
       6497.000000
                    6497.000000
                                  6497.000000
                                                6497.000000
count
mean
          3.218501
                        0.531268
                                    10.491801
                                                   5.818378
std
          0.160787
                        0.148806
                                     1.192712
                                                   0.873255
          2.720000
                        0.220000
                                     8.000000
                                                   3.000000
min
25%
          3.110000
                        0.430000
                                     9.500000
                                                   5.000000
                                    10.300000
50%
          3.210000
                        0.510000
                                                   6.000000
75%
          3.320000
                        0.600000
                                    11.300000
                                                   6.000000
```

We can see that there is no 'hole' in the data. No NaN or null values

2.000000

```
y_base.describe()
count 6497
unique 2
top white
freq 4898
Name: color, dtype: object
```

4.010000

As we can see, the data is unbalanced, as there is way more white than red wine.

Data Exploration (1h30)

We now will inspect the features one-by-one, and try to understand their dynamics, especially between white and red wines.

14.900000

9.000000

- Use Dataframe.describe to display statistics on each feature. Do the same for red wines only, and white wines only. Do you notice any clear difference?
- Compute the effect size by computing the strictly standardized mean difference (SSMD) between the red and white wines for each feature.

```
red_wine = base_data[base_data["color"] == "red"]
white_wine = base_data[base_data["color"] == "white"]
```

count mean std min 25% 50% 75% max	fixed acidity 1599.000000 8.31963 1.741090 4.600000 7.100000 9.200000 15.900000	1599.000000 7 0.527821 6 0.179060 9 0.120000 9 0.390000 9 0.520000 9 0.640000	citric acid 1599.000000 0.270976 0.194801 0.000000 0.090000 0.260000 0.420000 1.000000	1.4 0.9 1.9 2.2 2.6	-	
count mean std min 25% 50% 75% max	chlorides 1599.000000 0.087467 0.047065 0.012000 0.070000 0.079000 0.090000 0.611000	free sulfur dioxide 1599.000000 15.874922 10.460157 1.000000 7.000000 14.000000 21.000000 72.000000	1!	ur dioxide 599.000000 46.467792 32.895324 6.000000 22.000000 38.000000 62.000000	density 1599.000000 0.996747 0.001887 0.990070 0.995600 0.996750 0.997835 1.003690	\
count mean std min 25% 50% 75% max	pH 1599.000000 3.311113 0.154386 2.740000 3.210000 3.310000 3.400000 4.010000	1599.000000 1599.0 0.658149 10.4 0.169507 1.0 0.330000 8.4 0.550000 9.5 0.620000 10.2 0.730000 11.1	00000 1599.0 22983 5.0 65668 0.8 00000 3.0 00000 5.0 00000 6.0 00000 6.0	uality 000000 636023 807569 000000 000000 000000		
white_	wine.describe	()				
count mean std min 25% 50% 75%	fixed acidity 4898.000000 6.854788 0.843868 3.800000 6.3000000 7.3000000	4898.000000 3 0.278241 3 0.100795 0 0.080000 0 0.210000 0 0.260000 0 0.320000	citric acid 4898.000000 0.334192 0.121020 0.000000 0.270000 0.320000 0.390000	5.0 0.6 1.7 5.2 9.9	00000 91415 72058 00000 00000 00000	
max	14.200000	1.100000	1.660000	65.8	00000	
count mean std min 25% 50% 75% max	chlorides 4898.000000 0.045772 0.021848 0.009000 0.036000 0.043000 0.050000 0.346000	free sulfur dioxide 4898.000000 35.308085 17.007137 2.000000 23.000000 34.000000 46.0000000 289.000000	41	ur dioxide 898.000000 138.360657 42.498065 9.000000 108.000000 134.000000 167.000000	density 4898.000000 0.994027 0.002991 0.987110 0.991723 0.993740 0.996100 1.038980	\
count mean std	pH 4898.000000 3.188267 0.151001	4898.000000 4898.0 0.489847 10.5	00000 4898.0 14267 5.8	uality 000000 877909 885639		

```
min
          2.720000
                       0.220000
                                     8.000000
                                                  3.000000
25%
          3.090000
                        0.410000
                                     9.500000
                                                  5.000000
                       0.470000
                                    10.400000
                                                  6.000000
50%
          3.180000
75%
          3.280000
                       0.550000
                                    11.400000
                                                  6.000000
max
          3.820000
                       1.080000
                                    14.200000
                                                  9.000000
def getSSMD(frame1: pd.DataFrame, frame2: pd.DataFrame):
    ssmd values = {}
    d1 = frame1.describe()
    d2 = frame2.describe()
    for c in d1.columns.values:
        u1 = d1[c]["mean"]
        u2 = d2[c]["mean"]
        o1 = d1[c]["std"]
        o2 = d2[c]["std"]
        ssmd_values[c] = (u1 - u2) / (math.sqrt(math.pow(o1, 2) + math.pow(o2, 2)))
    return ssmd_values
ssmd = getSSMD(red_wine, white_wine)
ssmd
{'fixed acidity': 0.7570984913882014,
 'volatile acidity': 1.2146180859422453,
 'citric acid': -0.2756520281549347,
 'residual sugar': -0.7318262377213726,
 'chlorides': 0.8035252800557684,
 'free sulfur dioxide': -0.9732927083649252,
 'total sulfur dioxide': -1.7098935451586068,
 'density': 0.7689026646491103,
 'pH': 0.5688537900809766,
 'sulphates': 0.8236123900161842,
 'alcohol': -0.05607448758109532,
 'quality': -0.20181608588284952}
```

Here, we can already have an idea of which features will be significants to split the data. As the more differences there is the more the data is splittable easily per feature.

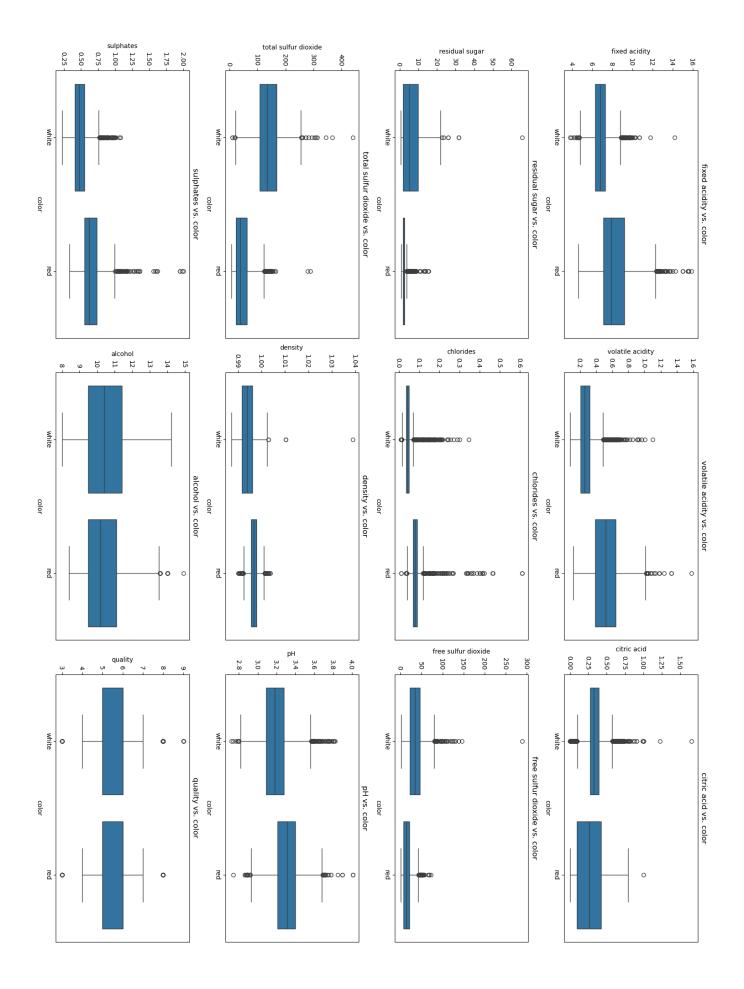
Now let's go a bit deeper into the same analysis, using more visual tools:

- For every feature, plot boxplots, violinplots or histograms for red and white wines. What can you infer? **If you feel a bit more adventurous**, plot the Cumulative Distribution Function (CDF) of the feature for white and red wines, and compute the Kullback-Leibler divergence (or entropy) between them. Explain why this might be useful.
- Plot the correlation matrix of all features as heatmaps, one for red and one for white wines. How
 do they differ? What can you infer?

```
# Complete this cell with your code
# Set up the plot
plt.figure(figsize=(20, 15))

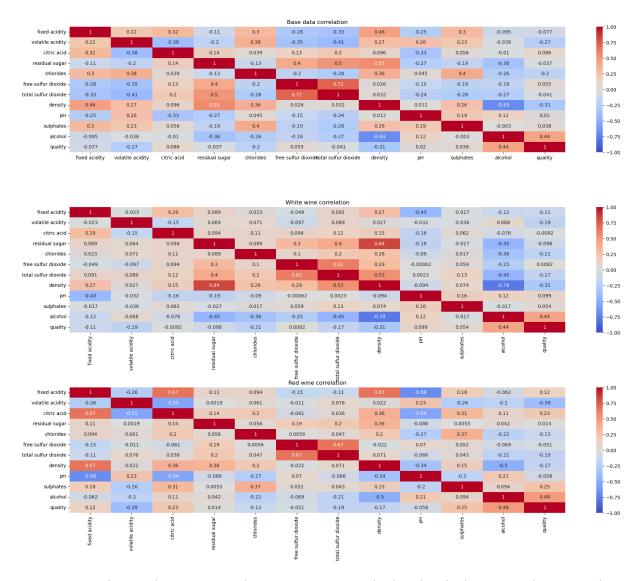
# Create violin plots for each feature
for i, feature in enumerate(features, 1):
    plt.subplot(4, 3, i)
    sns.boxplot(x="color", y=feature, data=base_data)
    plt.title(f"{feature} vs. color")
    plt.xlabel("color")
    plt.ylabel(feature)
```

```
plt.tight_layout()
plt.show()
```



On those graphs, we can see some features that might be used to split the data. We can see some that are unsplittable, as the quality..

```
plt.figure(figsize=(20, 15))
# For base data
plt.subplot(3, 1, 1)
plt.tight layout()
sns.heatmap(
    base_data[features].corr(),
    annot=True,
    cmap="coolwarm",
    vmin=-1,
    vmax=1,
    center=0,
)
plt.title("Base data correlation")
# For white wine
plt.subplot(3, 1, 2)
plt.tight_layout()
sns.heatmap(
    white_wine[features].corr(),
    annot=True,
    cmap="coolwarm",
    vmin=-1,
    vmax=1,
    center=0,
plt.title("White wine correlation")
# For red wine
plt.subplot(3, 1, 3)
plt.tight_layout()
sns.heatmap(
    red_wine[features].corr(),
    annot=True,
    cmap="coolwarm",
    vmin=-1,
    vmax=1,
    center=0,
)
plt.title("Red wine correlation")
# Show the plot
plt.show()
```

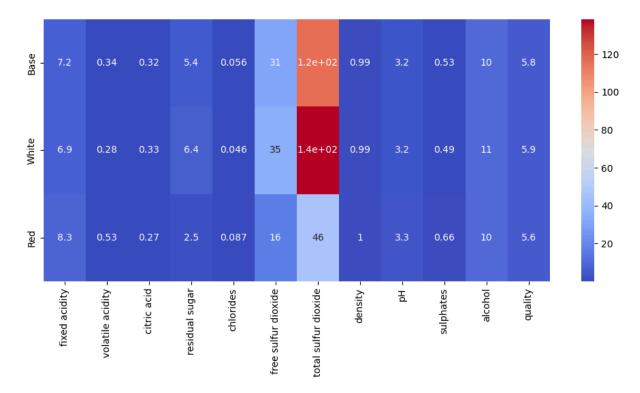


Here, we can observe that some correlations are present in both red and white wines, but not at the same level. and some are completly absent/inverted

Data Exploration using Unsupervised Learning (3h)

We first explore the data in an unsupervised fashion. Start by creating a heatmap of the average feature value for red and white wines. Can you spot an easy way to differentiate between reds and whites?

```
# Complete this cell with your code
base_features_means = base_data[features].mean()
white_features_means = white_wine[features].mean()
red_features_means = red_wine[features].mean()
ylbl = ["Base", "White", "Red"]
plt.figure(figsize=(12, 5))
sns.heatmap(
    [base_features_means, white_features_means, red_features_means],
    annot=True,
    cmap="coolwarm",
    xticklabels=features,
    yticklabels=features,
}
plt.show()
```



The easiest way seems to be on the total sulfur dioxide. As the values differenciate greatly between the two

Using PCA to reduce the dimensionality

Complete this cell with your code

Use PCA to reduce the dimensionality of data. Do not forget that it requires data normalization (centering on the mean and scaling to unit variance). Plot the whole dataset onto the two principal components and color it by wine color. What does it tell you?

Project the unit vectors that correspond to each vector onto the principal components, using the same transformation. What does it tell you about the relative feature importance? Does it match the observations you made previously?

```
scaler = StandardScaler()
x_scaled = scaler.fit_transform(x_base)

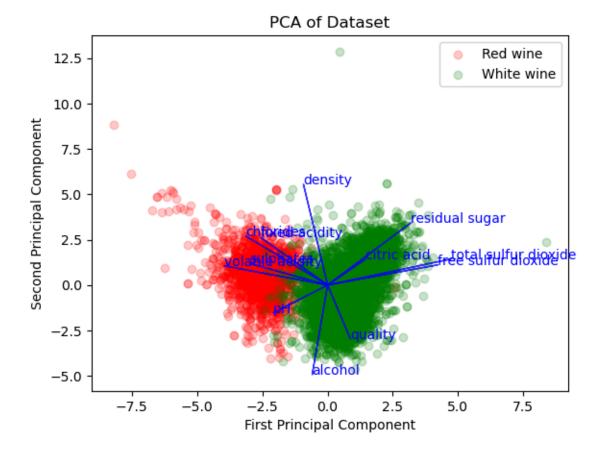
pca = PCA(n_components=2)
x_pca = pca.fit_transform(x_scaled)
pca_df = pd.DataFrame(data=x_pca, columns=["PC1", "PC2"])

pca_df["color"] = y_base.reset_index(drop=True)

components = list(zip(pca.components_[0], pca.components_[1]))
components

[(-0.2569287331108535, 0.26184306204602015),
    (-0.39493117944046174, 0.10519825134119526),
    (0.14646061066301436, 0.1440934849469867),
    (0.3189051914749266, 0.34258496764107266),
    (-0.3134499396675332, 0.26977009551276876),
    (0.4226913715672136, 0.1111787805638863),
    (0.4744196843566576, 0.1439475285736659),
```

```
(-0.09243753243272002, 0.5549204739711832),
 (-0.20806956645989705, -0.15292185359766805),
 (-0.2998519160898691, 0.11963420329954372),
 (-0.05892408274769738, -0.4927274740495645),
 (0.08747570978774036, -0.2966009063197228)]
plt.figure()
plt.scatter(
    pca_df[pca_df["color"] == "red"]["PC1"],
    pca_df[pca_df["color"] == "red"]["PC2"],
    alpha=0.2,
plt.scatter(
    pca_df[pca_df["color"] == "white"]["PC1"],
    pca_df[pca_df["color"] == "white"]["PC2"],
    c="green",
    alpha=0.2,
)
ARROW SCALE = 10
for i, (x, y) in enumerate(components):
    currX = x * ARROW_SCALE
    currY = y * ARROW_SCALE
    plt.arrow(0, 0, currX, currY, color="b", alpha=0.8)
    plt.text(currX, currY, base data.columns.values[i], color="b")
plt.xlabel("First Principal Component")
plt.ylabel("Second Principal Component")
plt.legend(["Red wine", "White wine"])
plt.title("PCA of Dataset")
plt.show()
```



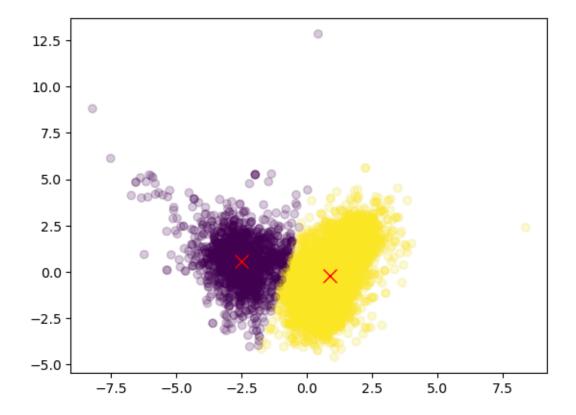
As we can see, the PCA keeps our groups well separated. This means that there is a real separation available in the data.

Cluster the data in 2-dimensional space

Use k-means to cluster the data into 2 clusters and plot the same view as before, but with a coloring that corresponds to the cluster memberships.

Assuming that the cluster assignments are predictions of a model, what is the performance you can achieve in terms of mutual information score, accuracy, and f1 score?

```
kmeans_pca = KMeans(n_clusters=2, random_state=0)
kmeans_pca.fit(pca_df[["PC1", "PC2"]])
kmeans_pca.labels_
array([1, 0, 1, ..., 1, 1, 0], dtype=int32)
plt.scatter(
    pca_df["PC1"], pca_df["PC2"], c=kmeans_pca.labels_, cmap="viridis", alpha=0.2
)
plt.scatter(
    kmeans_pca.cluster_centers_[:, 0],
    kmeans_pca.cluster_centers_[:, 1],
    marker="x",
    s=100,
    linewidths=1,
    color="r",
)
plt.show()
```



As we casee, the kmeans, without any tweaking, is able so seperate the red from the white wines with a pretty good score.

```
lblEncoder = LabelEncoder()
lblEncoder.fit(["red", "white"])
\# Or we can encore the [0,1,0...] to ["white", "red", "white"...] to match the pca_df
y_pred_pca = lblEncoder.inverse_transform(kmeans_pca.labels_)
print(classification_report(pca_df["color"], y_pred_pca))
              precision
                            recall f1-score
                                               support
                   0.92
                              0.98
                                        0.95
                                                  1599
         red
       white
                   0.99
                              0.97
                                        0.98
                                                  4898
                                        0.98
                                                  6497
    accuracy
                   0.96
                              0.98
                                        0.97
                                                  6497
   macro avg
weighted avg
                   0.98
                              0.98
                                        0.98
                                                  6497
kmeans = KMeans(n_clusters=2, random_state=0)
kmeans.fit(x_base)
y_pred_pca = []
for x in kmeans.labels_:
    if x == 0:
        y_pred_pca.append("red")
    else:
        y_pred_pca.append("white")
print(classification_report(y_base, y_pred_pca))
              precision
                           recall f1-score
                                               support
                   0.54
                              0.95
                                        0.69
                                                  1599
         red
```

white	0.98	0.74	0.84	4898
266015267			0.79	6497
accuracy	0.76	0.04		
macro avg	0.76	0.84	0.77	6497
weighted avg	0.87	0.79	0.80	6497

We can see that the KMeans works better after the PCA, as the non important features have been removed. We can see too that the precision on the red wine is less good. This is probably due to the imbalance of our data

Now, we are going to train a **supervised** linear classification model using sklearn, and compare the results with the approach using clustering.

- Set up a train/test dataset using sklearn.model_selection.train_test_split.
- Use GridSearchCV to perform a cross-validation of the model's regularization C.
- Compare the test and train performance at the end. Does the model suffer from any overfitting?
- Analyze the test performance specifically. What can you conclude about this general problem of recognizing white vs red wines?

```
x_train, x_test, y_train, y_test = train_test_split(
    x_base, y_base, train_size=0.8, random_state=42
logreg = LogisticRegression()
paramsGrid = {
    "C": [0.01, 0.1, 1, 10, 50, 75, 100, 200],
}
scaler = StandardScaler()
lblEncoder2 = LabelEncoder()
y_train_encoded = lblEncoder2.fit_transform(y_train)
x_train_scaled = scaler.fit_transform(x_train)
cv = GridSearchCV(logreg, paramsGrid, scoring="f1")
cv.fit(x_train_scaled, y_train_encoded)
print(f"Best params were {cv.best_params_}")
print(f"Best score is {cv.best score }")
bestModel = cv.best_estimator_
Best params were {'C': 50}
Best score is 0.9960368560655614
y_predict = bestModel.predict(scaler.transform(x_test))
print(
    classification_report(
        y_true=y_test, y_pred=lblEncoder2.inverse_transform(y_predict)
)
                           recall f1-score
              precision
                                              support
                             0.98
         red
                   0.99
                                       0.99
                                                  309
                   0.99
                             1.00
                                                  991
       white
                                       1.00
                                       0.99
                                                 1300
    accuracy
```

macro avg	0.99	0.99	0.99	1300
weighted avg	0.99	0.99	0.99	1300

Basic model interpretability: inspecting the model

As a first step towards interpretability of the model predictions, let's take a look at the coefficients of the model. What is the most important feature from this perspective? How do you interpret positive or negative coefficients?

Is it compatible with what you have seen so far? Do you have an explanation why that might be?

```
# Complete this cell with your code
for i, x in enumerate(bestModel.coef_[0]):
    print(f"{features[i]} : {x}")

fixed acidity : 0.007534354995156941

volatile acidity : -1.269163700765758
citric acid : 0.4314376717282913

residual sugar : 4.9440689288552315

chlorides : -0.8477166330231628

free sulfur dioxide : -0.8990804769560243

total sulfur dioxide : 2.7851187309232572

density : -5.02816765131531

pH : 0.130666048396102

sulphates : -0.5069419267433969

alcohol : -1.7964356607824754

quality : -0.45772261836563544
```

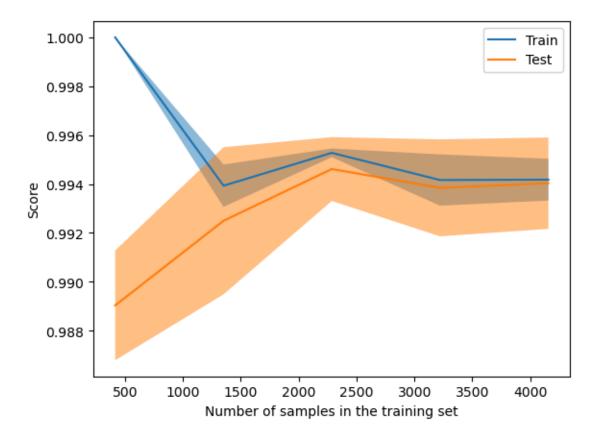
It is compatible with what we saw on the plots on the analysis. The one that suprise me, is the density. It is higher than I expected.

It may be due to the data imbalance in the first place...

```
from sklearn.model_selection import LearningCurveDisplay

LearningCurveDisplay.from_estimator(
    bestModel, x_train_scaled, y_train_encoded, n_jobs=-1
)

<sklearn.model_selection._plot.LearningCurveDisplay at 0x7f17e78929b0>
```



This graph shows us that we may encounter overfitting, but it's not very clear. As the incertitude is quite big compared to the percentage changes

Removing features to test their importance

- What happens if you re-train a model, but remove the most important feature in the list?
- What happens if you re-train the model with a 11 penalty and you use more regularization?
- Interpret the results you obtained above from the perspective of the business problem. What does it tell you about the key differences between a red and white wine?

```
# Complete this cell with your code
def modelWithoutDens():
    features_without_dens = [x for x in features if x != "density"]
    logreg = LogisticRegression()
    paramsGrid = {
        "C": [0.01, 0.1, 1, 10, 50, 75, 100, 200],
    x_train, x_test, y_train, y_test = train_test_split(
        x_base[features_without_dens], y_base, train_size=0.6
    scaler = StandardScaler()
    lblEncoder = LabelEncoder()
    y_train_encoded = lblEncoder.fit_transform(y_train)
    x_train_scaled = scaler.fit_transform(x_train)
    cv = GridSearchCV(logreg, paramsGrid, scoring="f1")
    cv.fit(x_train_scaled, y_train_encoded)
    print(f"Best params were {cv.best_params_}")
    print(f"Best score is {cv.best_score_}")
    bestModel = cv.best_estimator_
    y_predict = lblEncoder.inverse_transform(bestModel.predict(x_test))
```

```
print(classification_report(y_pred=y_predict, y_true=y_test))
modelWithoutDens()
Best params were {'C': 0.1}
Best score is 0.9915504920073678
              precision
                          recall f1-score
                                              support
                   0.00
                             0.00
                                       0.00
                                                   652
         red
       white
                   0.75
                             1.00
                                        0.86
                                                  1947
                                        0.75
    accuracy
                                                  2599
   macro avg
                   0.37
                             0.50
                                        0.43
                                                  2599
                   0.56
                                       0.64
                                                  2599
weighted avg
                             0.75
```

As we can see, without the density, our model seems to overfit quite strongly. As we have 0.99 f1-score on the training set, but way less on the test set. With an accuracy that's not that good.

```
def trainL1():
    logreg = LogisticRegression(solver="saga")
    paramsGrid = {
        "C": [0.01, 0.1, 1, 10, 50, 75, 100, 200],
        "penalty": ["l1"],
    x_train, x_test, y_train, y_test = train_test_split(x_base, y_base,
train_size=0.8)
    scaler = StandardScaler()
    lblEncoder = LabelEncoder()
    y_train_encoded = lblEncoder.fit_transform(y_train)
    x_train_scaled = scaler.fit_transform(x_train)
    cv = GridSearchCV(logreg, paramsGrid, scoring="f1")
    cv.fit(x_train_scaled, y_train_encoded)
    print(f"Best params were {cv.best_params_}")
    print(f"Best score is {cv.best_score_}")
    bestModel = cv.best_estimator_
    y predict = lblEncoder.inverse transform(bestModel.predict(x test))
    print(classification_report(y_pred=y_predict, y_true=y_test))
trainL1()
Best params were {'C': 1, 'penalty': 'l1'}
Best score is 0.9962888532846126
              precision
                           recall f1-score
                                              support
                             0.00
         red
                   0.50
                                       0.01
                                                  308
                                                  992
       white
                   0.76
                             1.00
                                       0.87
                                       0.76
                                                  1300
    accuracy
   macro avg
                   0.63
                             0.50
                                       0.44
                                                  1300
weighted avg
                   0.70
                             0.76
                                       0.66
                                                  1300
```

Using Shapley values

Now, use SHAP to explore how the model perceives a 'red' and 'white' wine.

• Use a beeswarm plot to analyze the influence of each feature on the model's output.

• What does the plot tell us about what makes a white wine 'white' and a red wine 'red'?

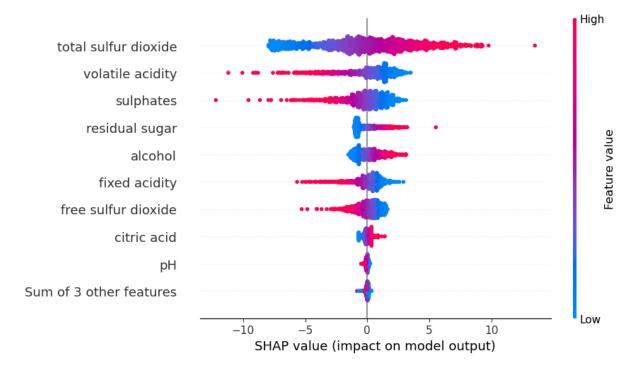
```
import shap
```

```
def getShapBeeswarmGraph():
    lg = LogisticRegression(C=50)
    x_train, x_test, y_train, y_test = train_test_split(x_base, y_base,
train_size=0.8)
    lg.fit(x_train, y_train)

    explainer = shap.Explainer(lg, x_train, feature_names=feature)
    shap_values = explainer(x_test)

shap.plots.beeswarm(shap_values)
```

getShapBeeswarmGraph()



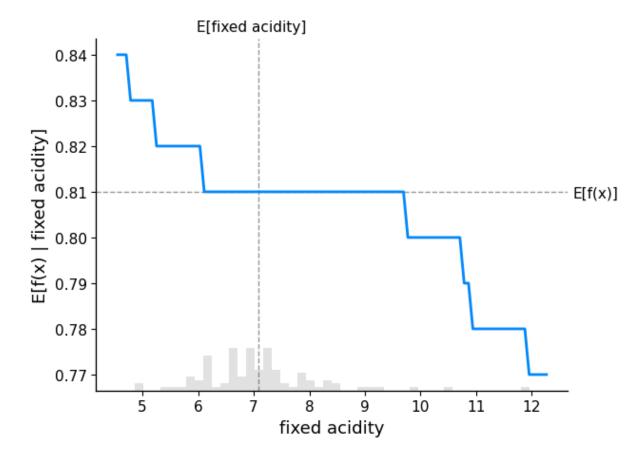
We can see in this graph that there are some features that are pretty determinant on that makes a wine red or white.

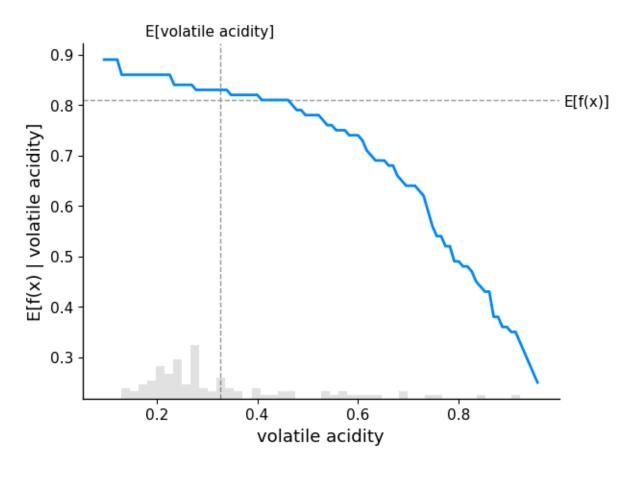
For example, the total sulfur dioxide, aor the volatile acidity. Etc...

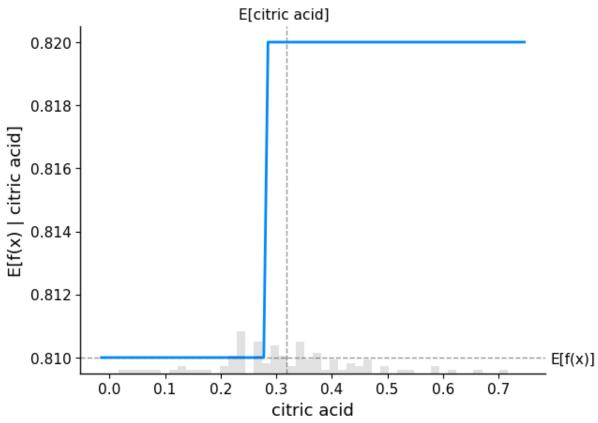
• Now use Partial Dependence Plots to see how the expected model output varies with the variation of each feature.

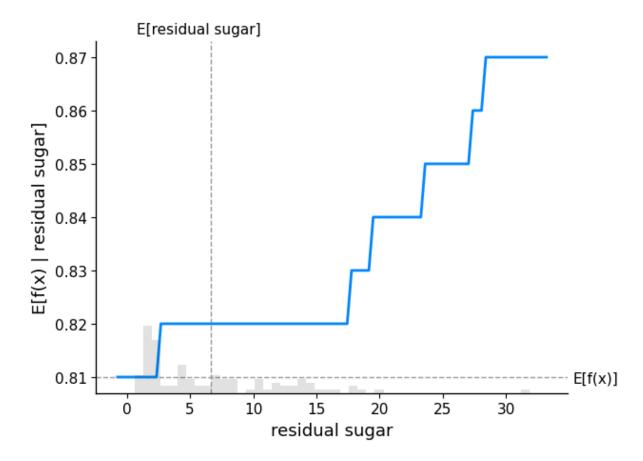
```
def getShapPartialDependencePlot():
    lg = LogisticRegression(C=50)
    x_train, x_test, y_train, y_test = train_test_split(x_base, y_base,
train_size=0.8)
    lblEncoder = LabelEncoder()
    y_train = lblEncoder.fit_transform(y_train)
    lg.fit(x_train, y_train)
    explainer = shap.Explainer(lg, x_train, feature_names=feature)
```

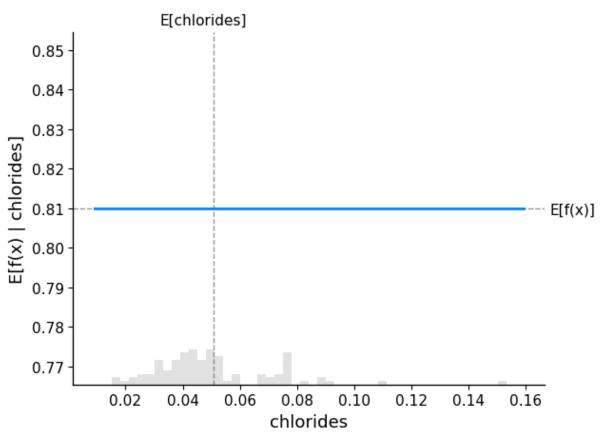
getShapPartialDependencePlot()

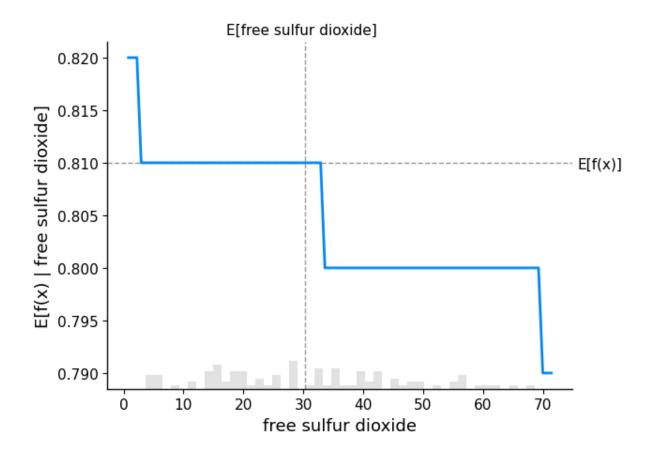


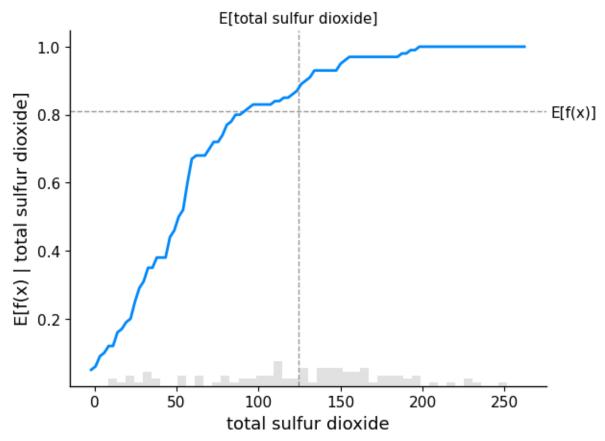


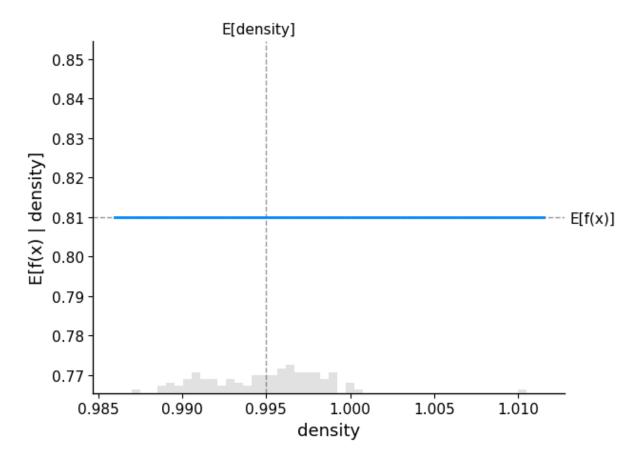


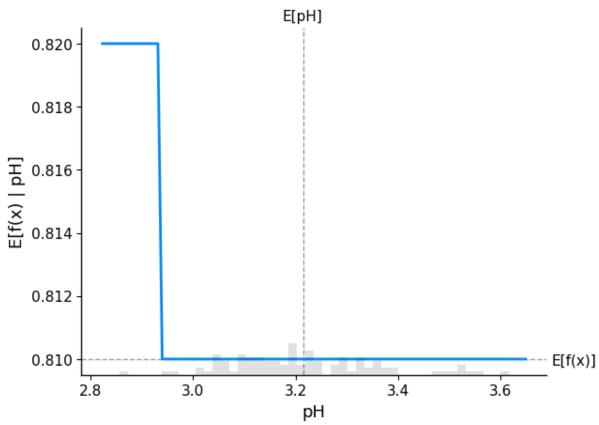


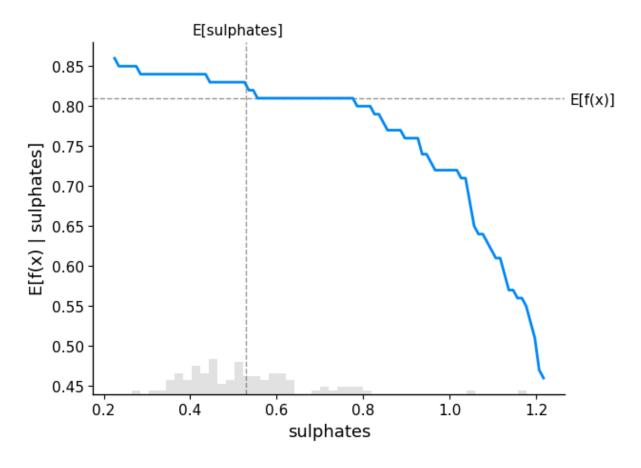


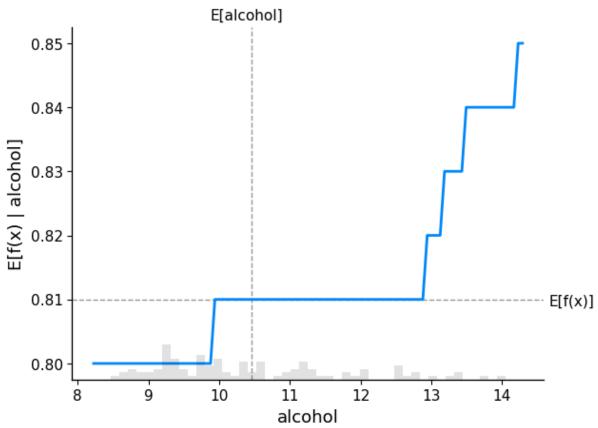


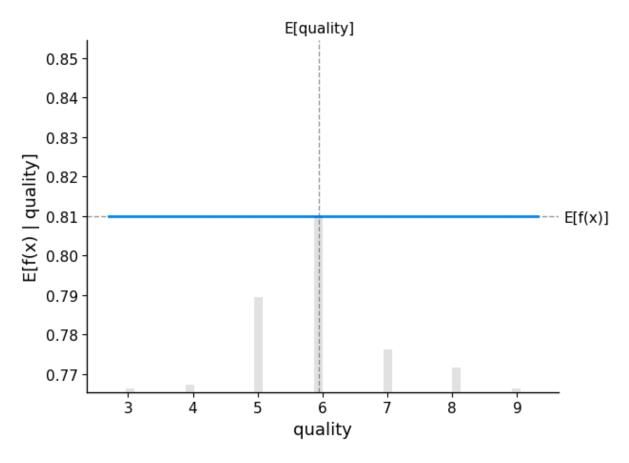








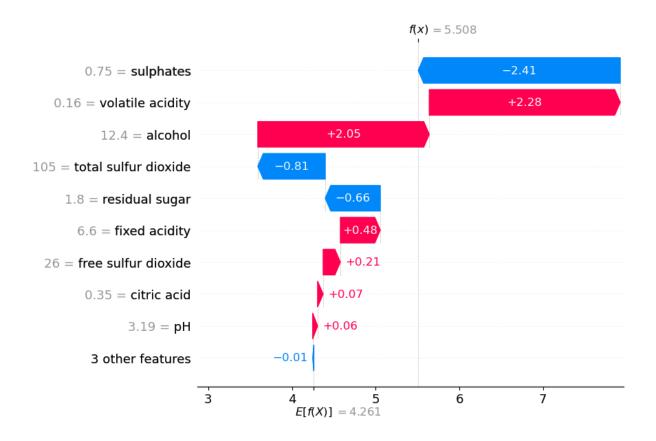


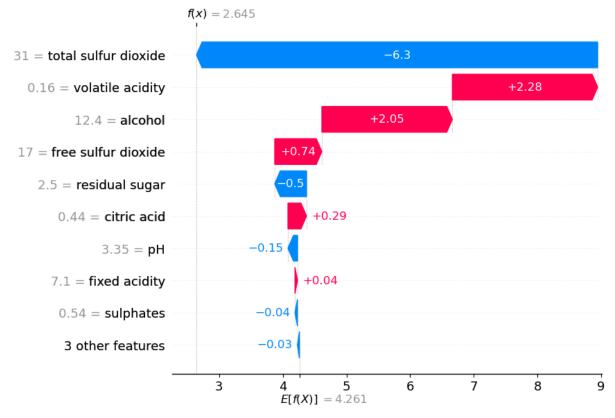


• Now use a waterfall diagram on a specific red and white wine and see how the model has made this specific prediction.

```
def shapWaterfall(index):
    lg = LogisticRegression(C=50)
    x_train, x_test, y_train, y_test = train_test_split(
        x_base, y_base, train_size=0.8, random_state=42
    )
    lg.fit(x_train, y_train)
    explainer = shap.Explainer(lg, x_train, feature_names=feature)
    shap_values = explainer(x_test)
    y_predicted = lg.predict(x_test)
    shap.plots.waterfall(shap_values[index])
    # for x, y in enumerate(y_predicted):
        if y_test.iloc[x]
    falses = [x for x, y in enumerate(y_predicted) if y_test.iloc[x] != y]
    shap.plots.waterfall(shap_values[falses[0]])

shapWaterfall(5)
```





Good vs Bad classification (3h)

We are going to work on a binary classification problem, where all wines with a quality higher than 6 are considered as "good" and other are considered as "bad".

• Prepare a dataset with a new column binary_quality that corresponds to the above definition.

```
# Complete this cell with your code
target = "quality"
def replaceGoodBad(x):
    if x > 6:
        return "good"
    else:
        return "bad"
features = [x for x in base_data.columns.values if x != target]
x base = base data[features]
y_base = base_data[target].map(replaceGoodBad)
x_base
      fixed acidity volatile acidity citric acid residual sugar chlorides \
0
                7.0
                                 0.17
                                              0.74
                                                              12.80
                                                                         0.045
                7.7
                                 0.64
                                              0.21
1
                                                              2.20
                                                                         0.077
2
                6.8
                                 0.39
                                              0.34
                                                              7.40
                                                                         0.020
3
                6.3
                                 0.28
                                              0.47
                                                             11.20
                                                                         0.040
4
                7.4
                                 0.35
                                              0.20
                                                             13.90
                                                                         0.054
                                  . . .
                                               . . .
                                                               . . .
                . . .
                                                                           . . .
. . .
6492
                7.6
                                 0.32
                                              0.58
                                                             16.75
                                                                         0.050
6493
                5.6
                                 0.28
                                              0.27
                                                              3.90
                                                                         0.043
                                 0.37
6494
                6.4
                                              0.20
                                                              5.60
                                                                         0.117
6495
                6.5
                                 0.26
                                              0.50
                                                              8.00
                                                                         0.051
6496
                7.2
                                 0.62
                                              0.06
                                                              2.70
                                                                         0.077
      free sulfur dioxide total sulfur dioxide density
                                                            pH sulphates \
0
                     24.0
                                          126.0 0.99420 3.26
                                                                      0.38
                     32.0
                                                                      0.45
1
                                          133.0 0.99560 3.27
                                          133.0 0.99212 3.18
2
                     38.0
                                                                      0.44
                     61.0
3
                                          183.0 0.99592 3.12
                                                                      0.51
4
                     63.0
                                          229.0 0.99888 3.11
                                                                      0.50
                      . . .
                                                                      . . .
                                          163.0 0.99990 3.15
6492
                     43.0
                                                                      0.54
6493
                     52.0
                                          158.0 0.99202 3.35
                                                                      0.44
                                                                      0.43
6494
                     61.0
                                          183.0 0.99459 3.24
6495
                     46.0
                                         197.0 0.99536 3.18
                                                                      0.47
6496
                     15.0
                                          85.0 0.99746 3.51
                                                                      0.54
      alcohol color
         12.2 white
0
          9.9
                 red
1
2
         12.0 white
3
          9.5 white
          8.9 white
          . . .
                 . . .
6492
          9.2 white
6493
         10.7 white
6494
          9.5 white
6495
          9.5 white
6496
          9.5
                 red
```

```
[6497 rows x 12 columns]
y_base
0
        good
1
         bad
2
        good
3
         bad
         bad
        . . .
6492
        bad
6493
        good
6494
         bad
6495
         bad
6496
         bad
Name: quality, Length: 6497, dtype: object
```

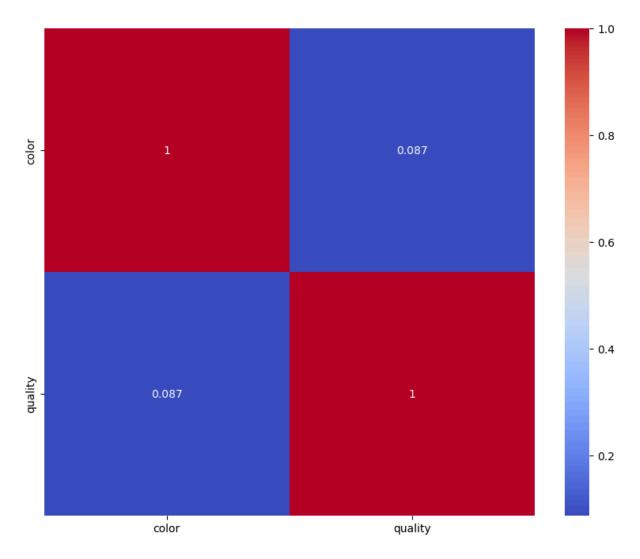
One question that we might ask right away is:

• Is there any correlation of the quality and the color of the wine?

Ideally, there should be almost none. Why could it be a problem otherwise?

```
def getQualityCorrMatrix():
    df = pd.DataFrame()
    lblEncoder = LabelEncoder()
    lblEncoder2 = LabelEncoder()
    df["color"] = lblEncoder.fit_transform(x_base["color"])
    df[target] = lblEncoder2.fit_transform(y_base)
    plt.figure(figsize=(10, 8))
    sns.heatmap(df.corr(), annot=True, cmap="coolwarm")
    plt.show()

getQualityCorrMatrix()
```

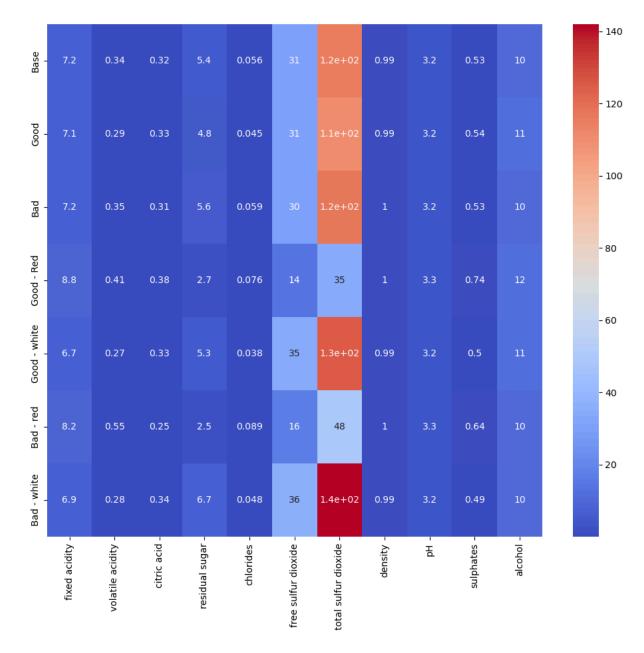


If it turns out that there are significantly more bad red wines than bad white wines or vice versa, what are the implications for your analysis?

- Plot a heatmap of the mean feature value for bad and good wines, like we did before for red and white wines.
- Plot two heatmaps, one for red and white wines. How do they differ? What kind of issue can it cause?

```
base_features_means,
        good_wines_means,
        bad_wines_means,
        good_red_wines,
        good_white_wines,
        bad_red_wines,
        bad_white_wines,
    ],
    annot=True,
    cmap="coolwarm",
    xticklabels=num_features,
    yticklabels=[
        "Base",
        "Good",
        "Bad",
        "Good - Red",
        "Good - white",
        "Bad - red",
        "Bad - white",
    ],
plt.show()
```

showFeatureAvgHeatmap()



As we can see, there is no visible difference between good and bad wine. This won't be this easy

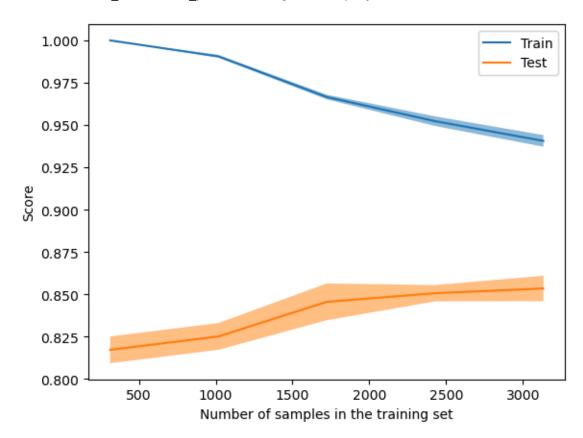
It is a lot more difficult now to tell apart good from bad wines. Let's turn to a more complex model, which is a Gradient Boosting Trees. For the sake of interpretability, design your notebook so that you can easily filter on only white and red wines and perform again the entire procedure.

Let's first train a XGBClassifier model to distinguish between good and bad wines. Make sure to use the same best-practices (train/test split, cross-validation) as we did before. Note that the regularization of the GBTs is a lot more complex than for Logistic Regression. Test the following parameters:

```
param_grid = {
   "max_depth": [3, 4, 5],  # Focus on shallow trees to reduce complexity
   "learning_rate": [0.01, 0.05, 0.1],  # Slower learning rates
   "n_estimators": [50, 100],  # More trees but keep it reasonable
   "min_child_weight": [1, 3],  # Regularization to control split thresholds
   "subsample": [0.7, 0.9],  # Sampling rate for boosting
   "colsample_bytree": [0.7, 1.0],  # Sampling rate for columns
```

```
"gamma": [0, 0.1], # Regularization to penalize complex trees
}
From now on, we will focus only on the white wines for our analysis
from sklearn.preprocessing import OneHotEncoder
from xgboost import XGBClassifier
param_grid = {
    "max_depth": [3, 4, 5], # Focus on shallow trees to reduce complexity
    "learning_rate": [0.01, 0.05, 0.1], # Slower learning rates
    "n estimators": [50, 100], # More trees but keep it reasonable
    "min_child_weight": [1, 3], # Regularization to control split thresholds
    "subsample": [0.7, 0.9], # Sampling rate for boosting
    "colsample bytree": [0.7, 1.0], # Sampling rate for columns
    "gamma": [0, 0.1], # Regularization to penalize complex trees
}
model = XGBClassifier()
# onehotEncoder = OneHotEncoder(sparse_output=False)
# x encoded = x base[num features].copy(deep=True)
# encoded data = onehotEncoder.fit transform(x base[["color"]])
# encoded_df = pd.DataFrame(
      encoded data, columns=onehotEncoder.get feature names out(["color"])
# )
# for c in encoded_df.columns.values:
      x encoded[c] = encoded df[c]
lblEncoder = LabelEncoder()
y encoded = lblEncoder.fit transform(y base[x base["color"] == "white"])
x_train, x_test, y_train, y_test = train_test_split(
    x_base[x_base["color"] == "white"][num_features], y_encoded, train_size=0.8
)
cv = GridSearchCV(model, param_grid, scoring="f1", n_jobs=-1)
cv.fit(x train, y train)
print(f"Best params were : {cv.best params }")
print(f"Best score is : {cv.best_score_}")
bestModel = cv.best_estimator_
Best params were : {'colsample_bytree': 1.0, 'gamma': 0.1, 'learning_rate': 0.1,
'max_depth': 5, 'min_child_weight': 1, 'n_estimators': 100, 'subsample': 0.7}
Best score is : 0.6095181175313442
• Analyze the results (test and train), validate whether there is overfitting.
y pred = bestModel.predict(x test)
print(classification_report(y_test, y_pred))
                           recall f1-score
              precision
                                              support
           0
                   0.87
                             0.96
                                       0.91
                                                   754
           1
                   0.79
                             0.50
                                       0.62
                                                   226
                                       0.86
                                                   980
    accuracy
                             0.73
                                       0.76
   macro avg
                   0.83
                                                   980
weighted avg
                   0.85
                             0.86
                                       0.84
                                                   980
```

LearningCurveDisplay.from_estimator(bestModel, x_train, y_train, n_jobs=-1)
<sklearn.model_selection._plot.LearningCurveDisplay at 0x7f17e6d1b7c0>



Interpretability with SHAP (2h)

• Plot the feature importance (gain and cover) from the XGBoost model. What can you conclude?

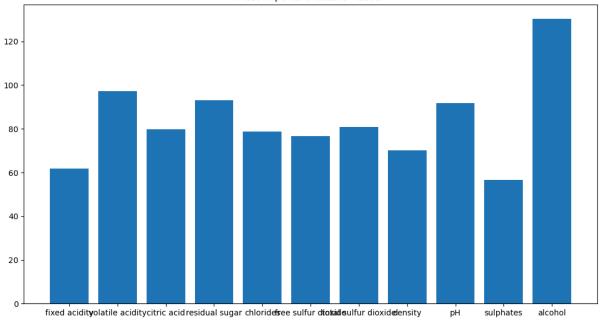
```
# Complete this cell with your code
import xgboost as xgb

# Set feature names

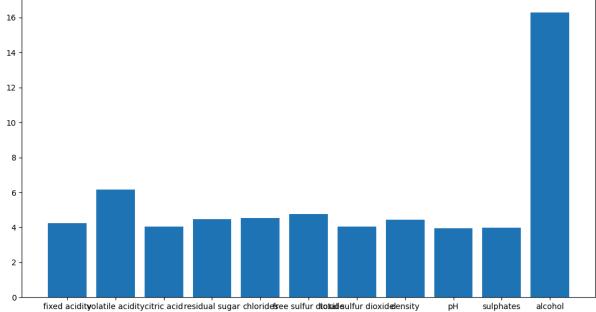
cover = bestModel.get_booster().get_score(importance_type="cover")
gain = bestModel.get_booster().get_score(importance_type="gain")

# Plot feature importance
plt.figure(figsize=(13, 15))
plt.subplot(2, 1, 1)
plt.bar(cover.keys(), cover.values())
plt.title("Most important feature - Cover")
plt.subplot(2, 1, 2)
plt.bar(gain.keys(), gain.values())
plt.title("Most important feature - gain")
plt.show()
```





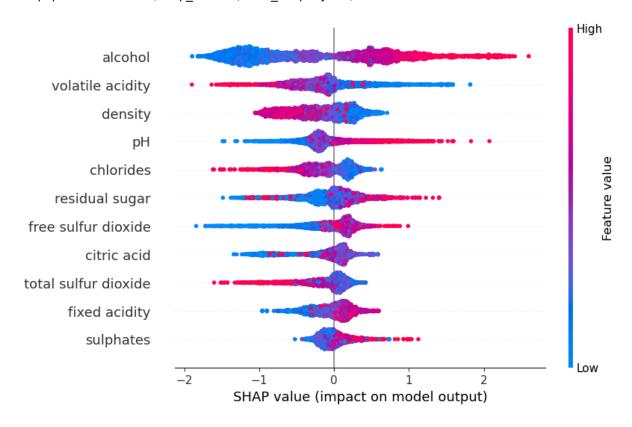




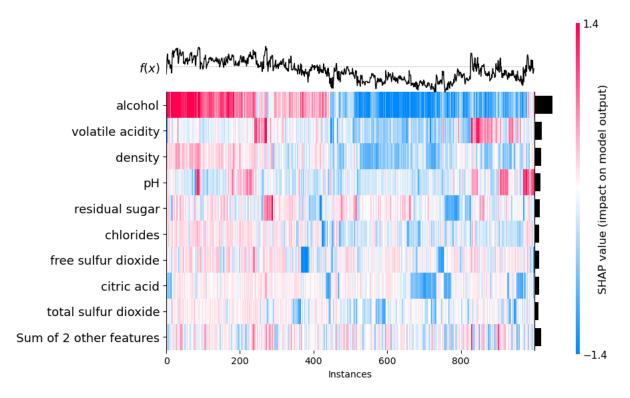
- Use SHAP's TreeExplainer to compute feature importance (Shapley values). Do you see any difference with XGBoost's feature importances?
- Produce different plots to analyze Shapley values:
 - A bar plot that summarizes the mean absolute value of each feature.
 - A beeswarm plot that shows the shapley value for every sample and every feature.
 - A heatmap plot that indicates how different feature patterns influence the model's output.
- Based on the above results, what makes a wine 'good' or 'bad'?

from shap import TreeExplainer

shap_values = explainer(x_train)
shap.plots.beeswarm(shap_values, max_display=20)



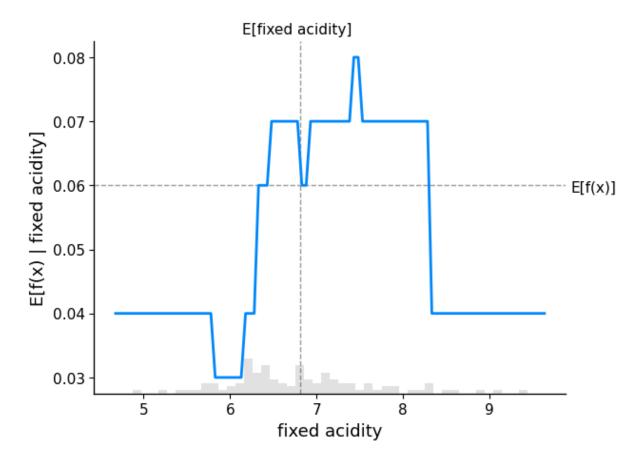
shap.plots.heatmap(shap_values[:1000])

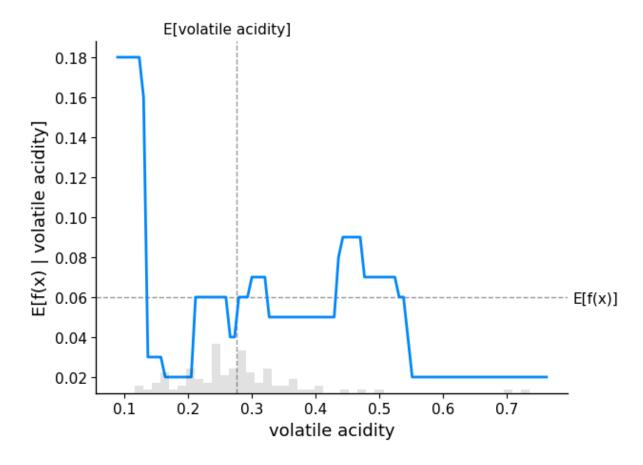


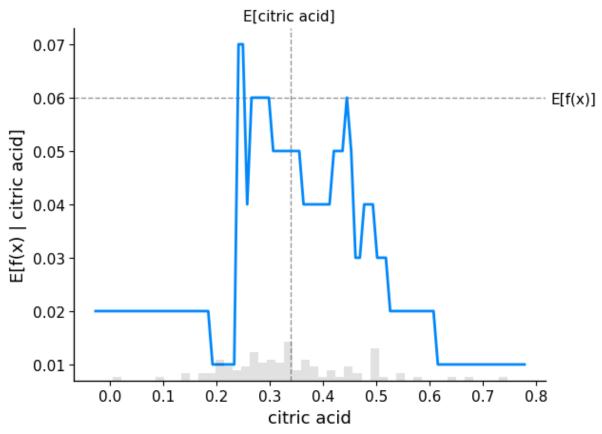
<Axes: xlabel='Instances'>

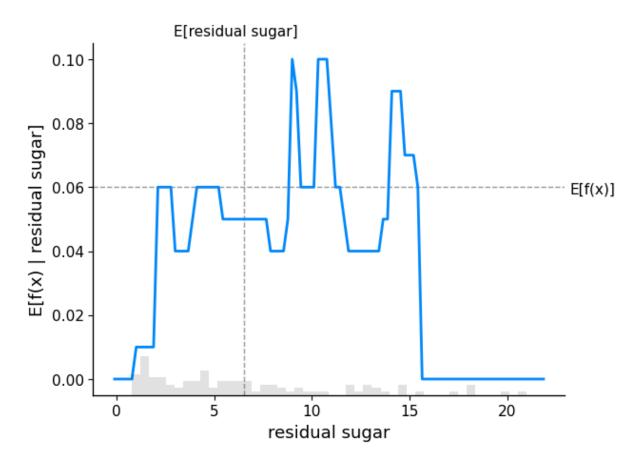
- Now use Partial Dependence Plots to see how the expected model output varies with the variation of each feature.
- How does that modify your perspective on what makes a good or bad wine?

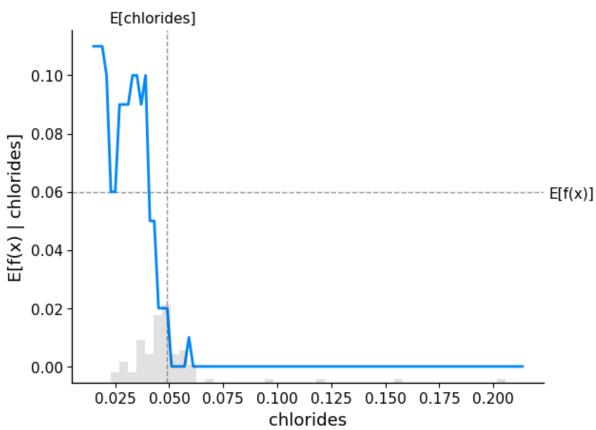
getShapPartialDependencePlot()

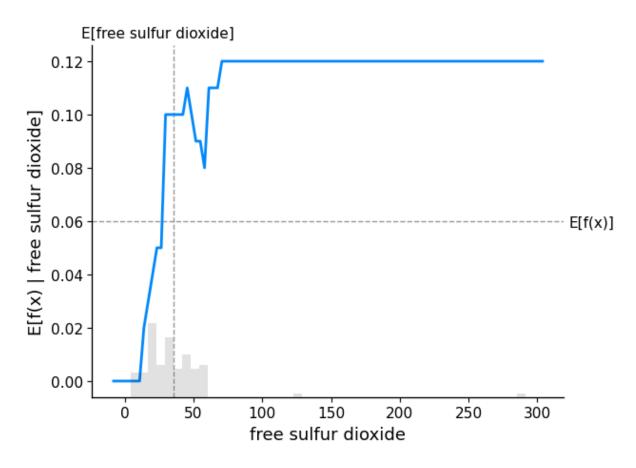


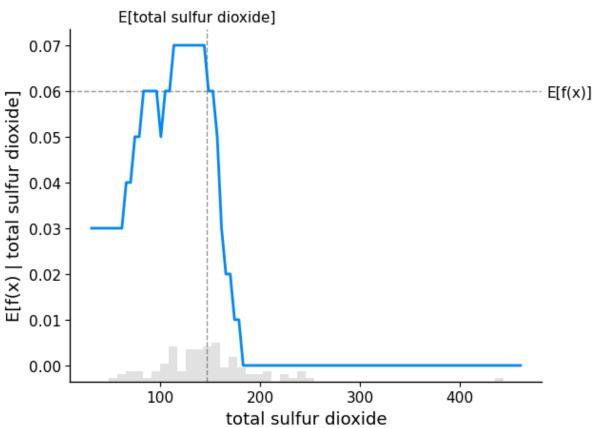


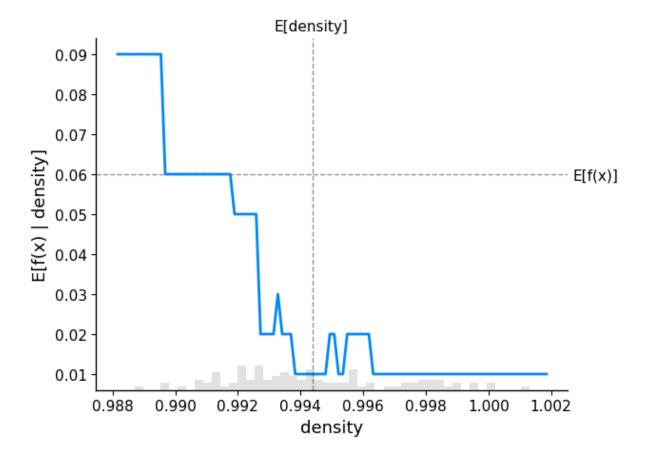


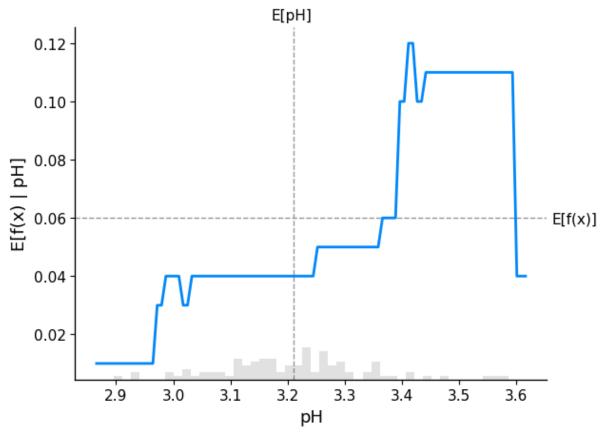


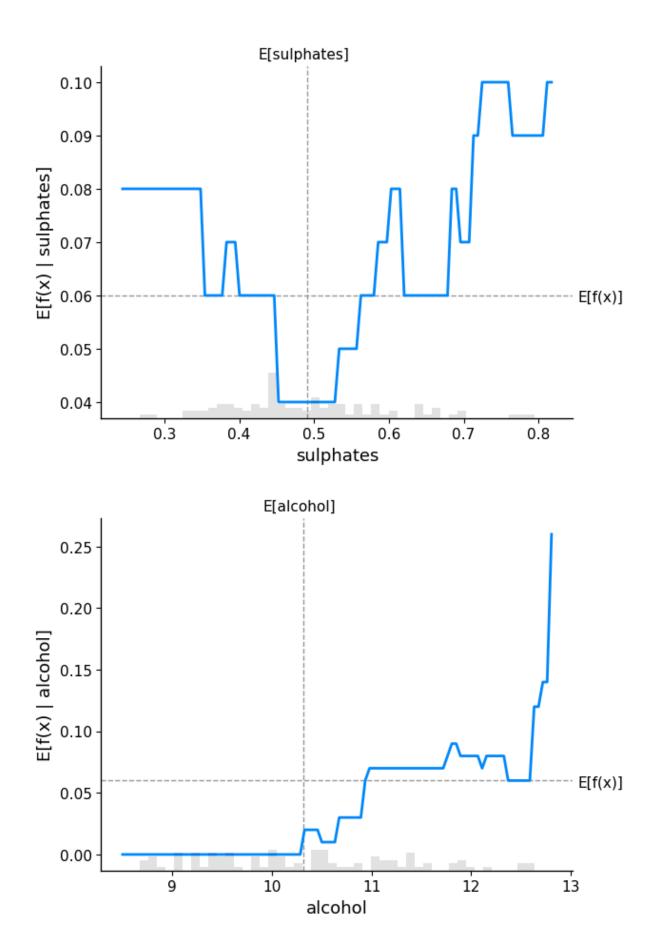












We can see that for certain features, it's quite messy. And for other, it may indicate a sweeetspot.

For example, for the chlorides. Here it is clear that the value have a range considered as good. And everything outside of this is bad. It is even clearer with the total sulfur dioxide, everything greater than ~150 is considered bad.

• Search for literature or resources that provide indications of the chemical structure of good or poor wines. Do your findings match these resources?

After some searching, some findings that I got are quite well aligned with the resources I found. For example, the chlorides. Apprently, you want to keep the chlorides as low as possible to get a good white wine.

Analyze a few bad wines, and try to see how to make them better

Pick some of the worst wines, and try to see what make them so bad. Check out shap.plots.heatmap for some visual tool to do this.

How would you go about improving them?

2836

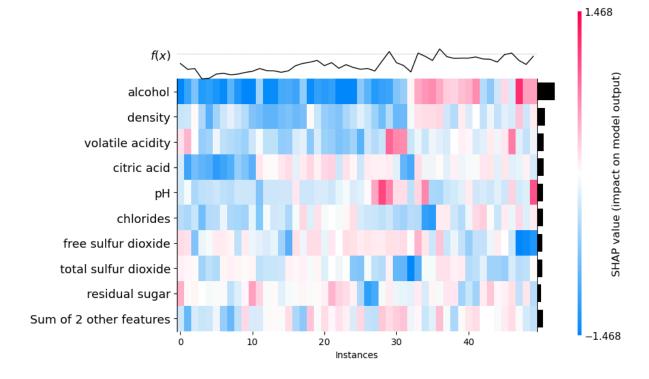
9.0

```
from shap import TreeExplainer
explainer = TreeExplainer(bestModel)
encoded = lblEncoder.transform(["bad"])[0]
mask = y_train == encoded
shap_values = explainer(x_train[mask])
x_train[mask]
      fixed acidity volatile acidity citric acid residual sugar
                                                                      chlorides \
303
                                                                10.6
                6.8
                                  0.22
                                               0.30
                                                                           0.070
4671
                7.3
                                  0.17
                                               0.23
                                                                 6.3
                                                                           0.051
2836
                6.2
                                  0.24
                                               0.25
                                                                12.5
                                                                          0.055
3862
                8.9
                                  0.33
                                               0.32
                                                                 1.5
                                                                          0.047
                                                                           0.041
500
                6.6
                                  0.32
                                               0.27
                                                                10.9
                . . .
                                   . . .
                                                . . .
                                                                 . . .
                                                                             . . .
1112
                8.1
                                  0.26
                                               0.37
                                                                 1.9
                                                                          0.072
                6.3
                                               0.30
                                                                10.0
                                                                           0.046
5170
                                  0.31
2453
                7.6
                                  0.29
                                               0.29
                                                                 4.4
                                                                          0.051
3001
                6.6
                                  0.38
                                               0.36
                                                                 9.2
                                                                           0.061
2665
                8.3
                                  0.16
                                               0.48
                                                                 1.7
                                                                           0.057
      free sulfur dioxide total sulfur dioxide
                                                  density
                                                              рΗ
                                                                  sulphates \
303
                     67.0
                                           194.0
                                                  0.99654
                                                            2.89
                                                                       0.42
4671
                      35.0
                                           240.0 0.99630 3.36
                                                                       0.54
2836
                     47.0
                                                  0.99758 3.30
                                                                       0.51
                                           134.0
3862
                      11.0
                                           200.0 0.99540
                                                            3.19
                                                                       0.46
500
                     37.0
                                           146.0 0.99630 3.24
                                                                       0.47
. . .
                      . . .
                                             . . .
                                                       . . .
                                                             . . .
                                                                        . . .
1112
                     48.0
                                           159.0 0.99490 3.37
                                                                       0.70
5170
                     49.0
                                           212.0 0.99620 3.74
                                                                       0.55
                     26.0
                                           146.0
                                                  0.99390
                                                            3.16
                                                                       0.39
2453
3001
                     42.0
                                                  0.99760
                                                                       0.56
                                           214.0
                                                            3.31
2665
                     31.0
                                            98.0 0.99430 3.15
                                                                       0.41
      alcohol
303
          9.0
         10.0
4671
```

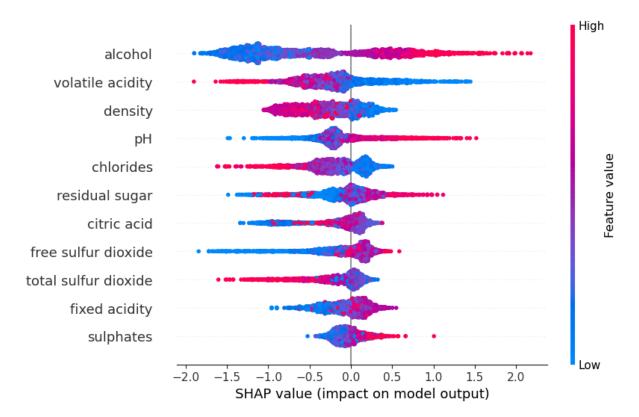
```
3862 9.4
500 10.0
... ...
1112 10.9
5170 11.9
2453 10.2
3001 9.4
2665 10.3
```

[3084 rows x 11 columns]

shap.plots.heatmap(shap_values[:50])



<Axes: xlabel='Instances'>
shap.plots.beeswarm(shap_values, max_display=12)



As we can see, our model saw some good wines with great content in alcohol. So our model has a great weight on the alcohol feature. And this causes some missclassification. But one feature that seems to be quite correct is the chlorides. The lowest the better

Wrap-up and conclusion

As wrap-up, explain what are your key findings, and make 3 recommendations to the wine maker on how to improve the wines for next year. How confident are you that making these changes will lead to better wines? Explain in simple terms to the winemaker the limitations of your approach in terms of capturing causality.

The limitations of our model are pretty clear. It will only see correlations between features and target. As so, the correlation might be founded, or not.

In our case, a correlation that is incorrect (but works well with our dataset) is that the higher the alcohol, the higher the quality. We as humans, know it's false. But our model saw this correlation, and putted a great weight on it.

But, for correlations that are founded, our model is really handy in predicting the quality of a wine. For example, our model showed that a higher rate of chlorides is really not good for a white wine. As no entries with a high rate of chlorides got a positive quality.

Our model doesn't understand the relations between chemicals either. For example, a wine with a greater sugar rate, but a greater acidity might be good, as the acidity will balance out the sugar. But if there is no acidity, the wine might not be good. Those relations, if rare, are very hard for our model to catch.

After thos considerations, we can analyse a bit more what our model tells us.

First, the volatile acidity. A lower volatile acidity seems to be better for a white wine. There is a zone which is quite neutral, but too high, and the quality of the wine drops.

It's quite the same for some features. For example total sulfur dioxide. Those feature are quite neutral, or quite bad. But doesn't pull the quality up. It means that our model didn't see a clear causality between those feature and a good wine, but found that if those values outside of a certain range, the quality drops.

For others, like citric acid, we can see that our model can't really tell anything with it. Are some low value are considered good and bad. So it didn't found any correlation between them and the quality of the wine.

And finally, features like sulphates seems to almost only have a positive impact on the wine.

Tips on improving wine quality

After those observations, we know that we can focus on some wine feature, to avoid a drop in wine quality.

For example, you could try to keep the total sulfur dioxide rate low by:

- Minimizing oxidation early, by limiting the grape exposure to oxygen
- Keeping fermentation temperature cool (around 15-18°C)

Or you could try to keep the chlorides level low by :

- Using low-chloride water during all the winemaking preprocess
- Avoid using fertilizers or pesticides that contains chlorides